

```
In [1]: using Pkg
        Pkg.activate("../")
        Pkg.instantiate()
        Pkg.update()

        Activating project at `~/logic-and-machine-learning`
        Updating registry at `~/.julia/registries/General.toml`
        Updating git-repo `https://github.com/aclai-lab/ManyExpertDecisionTree
s.jl`
        Updating git-repo `https://github.com/aclai-lab/SoleReasoners.jl#embed
ding`
        No Changes to `~/logic-and-machine-learning/Project.toml`
        No Changes to `~/logic-and-machine-learning/Manifest.toml`
```

```
In [2]: using Random

        Random.seed!(1235)
```

```
Out[2]: TaskLocalRNG()
```

Interpretable land cover classification with modal decision trees (extra)

[Interpretable land cover classification with modal decision trees](#)

To run this notebook, you first need to download the following datasets and place them in the `/datasets/paviaU` folder:

- [Pavia University](#)
- [Pavia University GT](#)

```
In [3]: include("../scripts/land-cover.jl")
        data_dir = "../datasets/"

        X_df, y = LandCoverDataset(
            "Pavia University";
            window_size      = 3,
            ninstances_per_class = 40,
            pad_window_size   = 5,
        );
```

```

Load LandCoverDataset: Pavia University...
window_size      = (3, 3)
pad_window_size  = (5, 5)
ninstances_per_class = 40
ninstances_per_class_strategy = updownsampling
flattened        = false
apply_filter     = false
seed             = 1

Image size: (610, 340, 103)
class_counts_d = [("Asphalt", 1 => 6631), ("Meadows", 2 => 18649), ("Gravel", 3 => 2099), ("Trees", 4 => 3064), ("Painted metal sheets", 5 => 1345), ("Bare Soil", 6 => 5029), ("Bitumen", 7 => 1330), ("Self-Blocking Bricks", 8 => 3682), ("Shadows", 9 => 947)]
no_class_counts = 164624
n_classes = 9
ninstances = 40 * 9 = 360
effective_class_counts_d = [("Asphalt", 1 => 40), ("Meadows", 2 => 40), ("Gravel", 3 => 40), ("Trees", 4 => 40), ("Painted metal sheets", 5 => 40), ("Bare Soil", 6 => 40), ("Bitumen", 7 => 40), ("Self-Blocking Bricks", 8 => 40), ("Shadows", 9 => 40)]
countmap(labels) = Dict{5 => 40, 4 => 40, 6 => 40, 7 => 40, 2 => 40, 9 => 40, 8 => 40, 3 => 40, 1 => 40}

```

```
In [4]: countmap(y)
```

```

Out[4]: Dict{String, Int64} with 9 entries:
  "Self-Blocking Bricks" => 40
  "Bitumen"              => 40
  "Gravel"               => 40
  "Bare Soil"            => 40
  "Painted metal sheets" => 40
  "Shadows"              => 40
  "Trees"                => 40
  "Asphalt"              => 40
  "Meadows"              => 40

```

```
In [5]: length.(X_df)
```

Out[5]: 360×103 DataFrame

3 columns and 335 rows omitted

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9	V10	V11
	Int64	Int64	Int64	Int64	Int64	Int64	Int64	Int64	Int64	Int64	Int64
1	9	9	9	9	9	9	9	9	9	9	9
2	9	9	9	9	9	9	9	9	9	9	9
3	9	9	9	9	9	9	9	9	9	9	9
4	9	9	9	9	9	9	9	9	9	9	9
5	9	9	9	9	9	9	9	9	9	9	9
6	9	9	9	9	9	9	9	9	9	9	9
7	9	9	9	9	9	9	9	9	9	9	9
8	9	9	9	9	9	9	9	9	9	9	9
9	9	9	9	9	9	9	9	9	9	9	9
10	9	9	9	9	9	9	9	9	9	9	9
11	9	9	9	9	9	9	9	9	9	9	9
12	9	9	9	9	9	9	9	9	9	9	9
13	9	9	9	9	9	9	9	9	9	9	9
⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮
349	9	9	9	9	9	9	9	9	9	9	9
350	9	9	9	9	9	9	9	9	9	9	9
351	9	9	9	9	9	9	9	9	9	9	9
352	9	9	9	9	9	9	9	9	9	9	9
353	9	9	9	9	9	9	9	9	9	9	9
354	9	9	9	9	9	9	9	9	9	9	9
355	9	9	9	9	9	9	9	9	9	9	9
356	9	9	9	9	9	9	9	9	9	9	9
357	9	9	9	9	9	9	9	9	9	9	9
358	9	9	9	9	9	9	9	9	9	9	9
359	9	9	9	9	9	9	9	9	9	9	9
360	9	9	9	9	9	9	9	9	9	9	9

```
In [6]: X_df = broadcast(values->Matrix{Float64}(values), X_df)
```

Out[6]: 360×103 DataFrame

3 columns and 335 rows omitted

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9
	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array
1	[981.0	[750.0	[453.0	[356.0	[399.0	[460.0	[432.0	[377.0	[390.0
	534.0	559.0	400.0	408.0	420.0	376.0	401.0	460.0	424.0
	290.0;	481.0;	520.0;	500.0;	517.0;	465.0;	352.0;	376.0;	389.0;
	686.0	693.0	566.0	571.0	537.0	415.0	396.0	407.0	415.0
	712.0	316.0	165.0	311.0	425.0	472.0	404.0	345.0	383.0
	705.0;	732.0;	427.0;	313.0;	385.0;	416.0;	355.0;	364.0;	402.0;
	611.0	579.0	480.0	286.0	341.0	429.0	416.0	424.0	516.0
	669.0	578.0	548.0	514.0	412.0	305.0	294.0	403.0	461.0
	762.0]	539.0]	523.0]	540.0]	431.0]	374.0]	419.0]	404.0]	343.0]
2	[890.0	[901.0	[907.0	[1071.0	[1152.0	[1162.0	[1159.0	[1049.0	[1030.0
	725.0	701.0	925.0	1102.0	1224.0	1308.0	1263.0	1188.0	1092.0
	982.0;	977.0;	1063.0;	1040.0;	1093.0;	1137.0;	1103.0;	1047.0;	1094.0;
	914.0	1004.0	1097.0	1128.0	1052.0	1049.0	1177.0	1164.0	1119.0
	1186.0	1148.0	1104.0	1120.0	1155.0	1149.0	1112.0	1073.0	1089.0
	1198.0;	1234.0;	1129.0;	1085.0;	1169.0;	1279.0;	1285.0;	1235.0;	1203.0;
	749.0	902.0	979.0	972.0	1023.0	1073.0	1121.0	1015.0	936.0
	1037.0	848.0	935.0	981.0	1112.0	1269.0	1233.0	1167.0	1069.0
	1034.0]	1350.0]	1280.0]	1067.0]	924.0]	1058.0]	1179.0]	1146.0]	1129.0]
3	[1199.0	[724.0	[708.0	[914.0	[985.0	[935.0	[955.0	[998.0	[1020.0
	1103.0	1122.0	1053.0	1051.0	1029.0	965.0	848.0	895.0	943.0
	1083.0;	614.0;	599.0;	856.0;	978.0;	979.0;	962.0;	893.0;	857.0;
	1030.0	976.0	817.0	892.0	915.0	826.0	842.0	915.0	882.0
	162.0	269.0	727.0	1004.0	955.0	906.0	879.0	932.0	975.0
	881.0;	1042.0;	836.0;	929.0;	1020.0;	947.0;	896.0;	926.0;	947.0;
	701.0	538.0	751.0	841.0	902.0	973.0	961.0	926.0	888.0
	927.0	1236.0	1234.0	1036.0	875.0	819.0	806.0	780.0	777.0
	842.0]	938.0]	963.0]	1018.0]	984.0]	914.0]	908.0]	833.0]	753.0]
4	[1031.0	[633.0	[543.0	[713.0	[727.0	[671.0	[665.0	[655.0	[600.0
	1114.0	999.0	867.0	872.0	916.0	856.0	768.0	692.0	668.0
	679.0;	572.0;	590.0;	567.0;	589.0;	625.0;	653.0;	704.0;	742.0;
	841.0	707.0	746.0	716.0	612.0	592.0	649.0	658.0	617.0
	901.0	832.0	666.0	645.0	676.0	624.0	698.0	702.0	691.0
	1020.0;	805.0;	725.0;	758.0;	791.0;	698.0;	665.0;	738.0;	725.0;
	1170.0	905.0	920.0	831.0	726.0	663.0	657.0	670.0	625.0
	715.0	735.0	861.0	903.0	852.0	806.0	728.0	715.0	705.0
	660.0]	595.0]	759.0]	823.0]	719.0]	652.0]	693.0]	650.0]	604.0]
5	[356.0	[252.0	[354.0	[595.0	[733.0	[664.0	[580.0	[595.0	[674.0
	694.0	749.0	811.0	725.0	659.0	675.0	648.0	629.0	615.0
	642.0;	670.0;	597.0;	646.0;	758.0;	749.0;	696.0;	614.0;	595.0;
	680.0	782.0	655.0	610.0	742.0	768.0	696.0	706.0	708.0
	941.0	721.0	341.0	408.0	658.0	696.0	647.0	614.0	615.0
	775.0;	724.0;	786.0;	750.0;	588.0;	578.0;	619.0;	595.0;	548.0;
	725.0	552.0	398.0	508.0	631.0	653.0	667.0	707.0	738.0
	627.0	477.0	527.0	481.0	514.0	705.0	722.0	630.0	622.0
	765.0]	623.0]	697.0]	791.0]	641.0]	494.0]	509.0]	577.0]	570.0]
6	[763.0	[705.0	[569.0	[441.0	[397.0	[323.0	[322.0	[358.0	[357.0
	798.0	648.0	504.0	311.0	258.0	332.0	376.0	334.0	327.0
	370.0;	396.0;	92.0;	97.0;	387.0;	464.0;	429.0;	364.0;	345.0;

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9
	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array
	700.0	370.0	185.0	21.0	0.0	184.0	321.0	374.0	380.0
	578.0	419.0	470.0	387.0	323.0	360.0	403.0	404.0	387.0
	666.0;	598.0;	473.0;	456.0;	421.0;	428.0;	333.0;	265.0;	263.0;
	541.0	600.0	612.0	392.0	198.0	254.0	403.0	360.0	283.0
	1022.0	803.0	426.0	261.0	238.0	264.0	341.0	348.0	331.0
	400.0]	411.0]	586.0]	517.0]	408.0]	358.0]	367.0]	342.0]	335.0]
	[798.0	[734.0	[583.0	[568.0	[497.0	[422.0	[433.0	[444.0	[430.0
	1031.0	767.0	702.0	542.0	517.0	523.0	486.0	479.0	432.0
	685.0;	524.0;	294.0;	279.0;	323.0;	378.0;	371.0;	384.0;	353.0;
	981.0	750.0	453.0	356.0	399.0	460.0	432.0	377.0	390.0
7	534.0	559.0	400.0	408.0	420.0	376.0	401.0	460.0	424.0
	290.0;	481.0;	520.0;	500.0;	517.0;	465.0;	352.0;	376.0;	389.0;
	686.0	693.0	566.0	571.0	537.0	415.0	396.0	407.0	415.0
	712.0	316.0	165.0	311.0	425.0	472.0	404.0	345.0	383.0
	705.0]	732.0]	427.0]	313.0]	385.0]	416.0]	355.0]	364.0]	402.0]
	[791.0	[732.0	[586.0	[674.0	[717.0	[691.0	[630.0	[660.0	[665.0
	755.0	437.0	552.0	632.0	601.0	573.0	627.0	736.0	691.0
	1091.0;	857.0;	613.0;	600.0;	753.0;	806.0;	777.0;	728.0;	732.0;
	1129.0	870.0	747.0	837.0	819.0	745.0	707.0	680.0	662.0
8	1009.0	742.0	487.0	557.0	775.0	822.0	823.0	855.0	805.0
	396.0;	461.0;	757.0;	799.0;	690.0;	752.0;	844.0;	820.0;	749.0;
	527.0	622.0	601.0	601.0	786.0	821.0	819.0	785.0	760.0
	1117.0	1133.0	1105.0	1069.0	901.0	759.0	709.0	721.0	721.0
	1107.0]	770.0]	561.0]	630.0]	661.0]	631.0]	769.0]	860.0]	795.0]
	[2174.0	[2208.0	[2076.0	[2153.0	[2210.0	[2357.0	[2493.0	[2479.0	[2559.0
	1854.0	2096.0	2270.0	2527.0	2772.0	2904.0	2866.0	2859.0	2994.0
	1971.0;	2158.0;	2207.0;	2363.0;	2509.0;	2638.0;	2762.0;	2776.0;	2747.0
	2664.0	3049.0	3243.0	3403.0	3555.0	3728.0	3837.0	4131.0	4373.0
9	3001.0	3262.0	3674.0	3961.0	4199.0	4493.0	4643.0	4684.0	4865.0
	3041.0;	3213.0;	3269.0;	3572.0;	3971.0;	4194.0;	4326.0;	4516.0;	4718.0
	3430.0	3655.0	3950.0	4347.0	4546.0	4651.0	4913.0	5090.0	5254.0
	3644.0	3736.0	3988.0	4283.0	4527.0	4891.0	5103.0	5206.0	5422.0
	3362.0]	3316.0]	3687.0]	4254.0]	4765.0]	5002.0]	5073.0]	5170.0]	5231.0]
	[527.0	[526.0	[471.0	[484.0	[532.0	[578.0	[567.0	[505.0	[487.0
	727.0	548.0	568.0	566.0	490.0	515.0	565.0	519.0	432.0
	592.0;	403.0;	398.0;	519.0;	494.0;	482.0;	497.0;	542.0;	555.0;
	818.0	700.0	662.0	604.0	529.0	529.0	571.0	542.0	506.0
10	694.0	575.0	514.0	533.0	619.0	649.0	584.0	528.0	558.0
	563.0;	501.0;	425.0;	582.0;	573.0;	501.0;	530.0;	505.0;	501.0;
	782.0	544.0	426.0	539.0	648.0	639.0	580.0	507.0	441.0
	819.0	770.0	627.0	660.0	691.0	642.0	626.0	603.0	571.0
	833.0]	751.0]	583.0]	606.0]	540.0]	449.0]	433.0]	441.0]	427.0]
	[380.0	[410.0	[562.0	[614.0	[608.0	[540.0	[535.0	[596.0	[588.0
11	1141.0	776.0	729.0	661.0	609.0	591.0	577.0	651.0	700.0
	439.0;	402.0;	554.0;	716.0;	849.0;	838.0;	743.0;	708.0;	739.0;
	874.0	632.0	677.0	722.0	686.0	585.0	483.0	513.0	547.0
	897.0	887.0	915.0	927.0	823.0	747.0	734.0	719.0	737.0
	929.0;	722.0;	719.0;	643.0;	596.0;	650.0;	724.0;	755.0;	692.0;
	1114.0	999.0	867.0	872.0	916.0	856.0	768.0	692.0	668.0

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9
	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array
	679.0	572.0	590.0	567.0	589.0	625.0	653.0	704.0	742.0
	1006.0]	856.0]	632.0]	671.0]	602.0]	593.0]	703.0]	801.0]	764.0]
	[788.0	[512.0	[307.0	[309.0	[355.0	[384.0	[467.0	[461.0	[384.0
	665.0	527.0	401.0	460.0	452.0	378.0	408.0	382.0	347.0
	660.0;	559.0;	245.0;	158.0;	437.0;	491.0;	438.0;	399.0;	396.0;
	716.0	634.0	532.0	494.0	429.0	323.0	299.0	324.0	332.0
12	271.0	45.0	163.0	371.0	443.0	343.0	280.0	284.0	260.0
	320.0;	122.0;	190.0;	315.0;	478.0;	453.0;	405.0;	317.0;	244.0;
	517.0	360.0	108.0	99.0	222.0	375.0	394.0	288.0	288.0
	815.0	506.0	328.0	333.0	362.0	372.0	420.0	389.0	330.0
	430.0]	351.0]	247.0]	292.0]	421.0]	534.0]	534.0]	433.0]	384.0]
	[828.0	[861.0	[851.0	[641.0	[584.0	[588.0	[598.0	[600.0	[545.0
	989.0	1064.0	917.0	735.0	690.0	652.0	552.0	569.0	624.0
	761.0;	678.0;	551.0;	665.0;	632.0;	563.0;	628.0;	615.0;	557.0;
	761.0	746.0	649.0	577.0	622.0	509.0	400.0	403.0	449.0
13	506.0	590.0	557.0	617.0	639.0	609.0	601.0	603.0	613.0
	669.0;	698.0;	688.0;	708.0;	686.0;	597.0;	586.0;	552.0;	518.0;
	489.0	160.0	213.0	354.0	493.0	545.0	546.0	541.0	506.0
	873.0	606.0	458.0	667.0	616.0	406.0	398.0	482.0	494.0
	549.0]	550.0]	461.0]	541.0]	668.0]	723.0]	651.0]	563.0]	556.0]
	:	:	:	:	:	:	:	:	:
	[108.0	[470.0	[696.0	[560.0	[334.0	[254.0	[286.0	[350.0	[388.0
	646.0	206.0	106.0	172.0	248.0	186.0	192.0	298.0	305.0
	540.0;	134.0;	173.0;	354.0;	309.0;	257.0;	233.0;	185.0;	242.0;
	334.0	427.0	426.0	311.0	158.0	122.0	153.0	165.0	181.0
349	269.0	58.0	207.0	365.0	390.0	251.0	209.0	204.0	170.0
	561.0;	462.0;	251.0;	304.0;	388.0;	375.0;	308.0;	218.0;	163.0;
	367.0	462.0	336.0	359.0	219.0	160.0	192.0	180.0	142.0
	929.0	612.0	265.0	277.0	253.0	345.0	383.0	305.0	249.0
	773.0]	386.0]	157.0]	117.0]	81.0]	136.0]	199.0]	182.0]	189.0]
	[1217.0	[890.0	[446.0	[251.0	[251.0	[254.0	[290.0	[332.0	[302.0
	610.0	454.0	443.0	374.0	233.0	293.0	292.0	225.0	236.0
	876.0;	479.0;	292.0;	360.0;	355.0;	351.0;	394.0;	305.0;	156.0;
	607.0	359.0	266.0	337.0	380.0	425.0	386.0	352.0	370.0
350	713.0	494.0	295.0	193.0	267.0	361.0	375.0	281.0	203.0
	351.0;	516.0;	497.0;	393.0;	242.0;	149.0;	164.0;	178.0;	203.0;
	332.0	365.0	466.0	438.0	357.0	336.0	367.0	351.0	352.0
	724.0	634.0	437.0	408.0	366.0	322.0	306.0	306.0	218.0
	796.0]	585.0]	370.0]	411.0]	356.0]	323.0]	322.0]	246.0]	143.0]
	[461.0	[397.0	[535.0	[449.0	[359.0	[223.0	[238.0	[331.0	[338.0
	467.0	231.0	127.0	177.0	304.0	379.0	424.0	381.0	288.0
	821.0;	485.0;	365.0;	436.0;	439.0;	441.0;	386.0;	280.0;	232.0;
	911.0	616.0	545.0	576.0	435.0	394.0	368.0	340.0	305.0
351	374.0	334.0	407.0	520.0	542.0	444.0	424.0	365.0	283.0
	645.0;	277.0;	227.0;	194.0;	228.0;	361.0;	414.0;	313.0;	230.0;
	592.0	478.0	236.0	336.0	428.0	422.0	387.0	327.0	264.0
	674.0	738.0	450.0	327.0	433.0	461.0	377.0	304.0	221.0
	654.0]	537.0]	495.0]	321.0]	250.0]	276.0]	258.0]	204.0]	184.0]

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9
	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array
352	[1294.0	[1560.0	[1445.0	[1277.0	[1240.0	[1224.0	[1217.0	[1240.0	[1288.
	1306.0	1004.0	837.0	942.0	1029.0	1008.0	1013.0	990.0	892.0
	443.0;	546.0;	596.0;	552.0;	445.0;	418.0;	522.0;	501.0;	418.0;
	711.0	654.0	789.0	798.0	683.0	595.0	516.0	525.0	546.0
	918.0	815.0	571.0	561.0	535.0	465.0	413.0	354.0	361.0
	421.0;	178.0;	180.0;	168.0;	287.0;	319.0;	265.0;	194.0;	177.0;
	961.0	808.0	536.0	415.0	387.0	327.0	256.0	237.0	261.0
	0.0	0.0	120.0	302.0	233.0	200.0	185.0	242.0	309.0
	367.0]	353.0]	204.0]	196.0]	260.0]	245.0]	263.0]	233.0]	153.0]
353	[376.0	[334.0	[421.0	[246.0	[173.0	[207.0	[273.0	[255.0	[261.0
	569.0	476.0	517.0	506.0	453.0	414.0	335.0	221.0	250.0
	730.0;	556.0;	182.0;	206.0;	409.0;	460.0;	293.0;	236.0;	235.0;
	747.0	511.0	218.0	282.0	328.0	327.0	278.0	199.0	201.0
	633.0	302.0	325.0	394.0	365.0	335.0	370.0	330.0	240.0
	850.0;	683.0;	574.0;	500.0;	454.0;	409.0;	332.0;	258.0;	222.0;
	617.0	425.0	272.0	297.0	346.0	321.0	318.0	296.0	232.0
	797.0	529.0	495.0	512.0	390.0	244.0	263.0	293.0	310.0
	698.0]	553.0]	454.0]	418.0]	398.0]	368.0]	340.0]	260.0]	192.0]
354	[2418.0	[2284.0	[2157.0	[2168.0	[2252.0	[2357.0	[2370.0	[2332.0	[2374.
	1489.0	1505.0	1437.0	1402.0	1406.0	1476.0	1421.0	1243.0	1256.0
	990.0;	1027.0;	915.0;	852.0;	776.0;	704.0;	761.0;	788.0;	753.0;
	1743.0	1612.0	1542.0	1587.0	1547.0	1407.0	1363.0	1426.0	1564.0
	731.0	712.0	759.0	830.0	856.0	836.0	825.0	728.0	611.0
	906.0;	762.0;	570.0;	477.0;	499.0;	600.0;	614.0;	518.0;	323.0;
	1639.0	1697.0	1447.0	1490.0	1623.0	1668.0	1669.0	1646.0	1633.0
	1025.0	1099.0	1097.0	1017.0	850.0	819.0	856.0	857.0	890.0
	969.0]	950.0]	720.0]	633.0]	605.0]	577.0]	531.0]	414.0]	385.0]
355	[517.0	[555.0	[585.0	[573.0	[390.0	[384.0	[392.0	[446.0	[441.0
	566.0	158.0	31.0	194.0	371.0	380.0	338.0	287.0	242.0
	155.0;	336.0;	177.0;	136.0;	223.0;	260.0;	242.0;	204.0;	223.0;
	645.0	440.0	386.0	359.0	210.0	141.0	244.0	253.0	230.0
	375.0	235.0	269.0	408.0	392.0	364.0	252.0	215.0	209.0
	534.0;	587.0;	468.0;	308.0;	317.0;	263.0;	250.0;	313.0;	296.0;
	666.0	307.0	258.0	166.0	153.0	242.0	274.0	304.0	276.0
	896.0	553.0	332.0	120.0	162.0	261.0	263.0	262.0	228.0
	745.0]	472.0]	384.0]	283.0]	256.0]	236.0]	222.0]	235.0]	223.0]
356	[329.0	[124.0	[116.0	[241.0	[360.0	[346.0	[280.0	[199.0	[147.0
	353.0	331.0	272.0	245.0	175.0	178.0	237.0	218.0	157.0
	587.0;	373.0;	213.0;	238.0;	247.0;	153.0;	175.0;	211.0;	205.0;
	613.0	854.0	629.0	300.0	202.0	187.0	116.0	98.0	109.0
	575.0	227.0	127.0	197.0	246.0	216.0	241.0	189.0	138.0
	418.0;	241.0;	285.0;	360.0;	245.0;	230.0;	207.0;	209.0;	244.0;
	520.0	429.0	527.0	444.0	226.0	181.0	284.0	292.0	254.0
	755.0	542.0	286.0	264.0	366.0	363.0	331.0	268.0	308.0
	846.0]	592.0]	497.0]	292.0]	187.0]	256.0]	296.0]	263.0]	242.0]
357	[523.0	[446.0	[330.0	[248.0	[313.0	[340.0	[348.0	[328.0	[239.0
	624.0	139.0	0.0	96.0	178.0	137.0	137.0	258.0	280.0
	623.0;	495.0;	395.0;	264.0;	274.0;	418.0;	361.0;	267.0;	222.0;
	484.0	194.0	0.0	25.0	177.0	355.0	407.0	320.0	295.0

Row	V1	V2	V3	V4	V5	V6	V7	V8	V9
	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array...	Array
	505.0	459.0	267.0	243.0	247.0	248.0	151.0	101.0	231.0
	514.0;	615.0;	452.0;	332.0;	253.0;	150.0;	179.0;	210.0;	205.0;
	599.0	529.0	394.0	237.0	261.0	285.0	243.0	241.0	219.0
	996.0	718.0	538.0	484.0	415.0	317.0	307.0	329.0	334.0
	999.0]	789.0]	571.0]	365.0]	265.0]	311.0]	314.0]	348.0]	316.0]
	[747.0	[511.0	[218.0	[282.0	[328.0	[327.0	[278.0	[199.0	[201.0
	633.0	302.0	325.0	394.0	365.0	335.0	370.0	330.0	240.0
	850.0;	683.0;	574.0;	500.0;	454.0;	409.0;	332.0;	258.0;	222.0;
	617.0	425.0	272.0	297.0	346.0	321.0	318.0	296.0	232.0
358	797.0	529.0	495.0	512.0	390.0	244.0	263.0	293.0	310.0
	698.0;	553.0;	454.0;	418.0;	398.0;	368.0;	340.0;	260.0;	192.0;
	682.0	680.0	591.0	541.0	425.0	357.0	344.0	291.0	270.0
	570.0	478.0	331.0	381.0	484.0	393.0	318.0	335.0	298.0
	946.0]	567.0]	473.0]	422.0]	349.0]	289.0]	253.0]	171.0]	167.0]
	[1590.0	[1666.0	[1699.0	[1649.0	[1640.0	[1737.0	[1726.0	[1658.0	[1637.0
	1048.0	934.0	875.0	572.0	358.0	466.0	617.0	638.0	579.0
	879.0;	736.0;	642.0;	626.0;	608.0;	533.0;	467.0;	413.0;	426.0;
	1547.0	1640.0	1633.0	1610.0	1771.0	1978.0	1976.0	1938.0	1941.0
359	913.0	966.0	831.0	651.0	524.0	519.0	513.0	518.0	507.0
	903.0;	602.0;	442.0;	452.0;	431.0;	428.0;	420.0;	365.0;	379.0;
	2493.0	2396.0	2449.0	2756.0	3039.0	3173.0	3217.0	3327.0	3451.0
	1402.0	1315.0	1343.0	1568.0	1742.0	1653.0	1595.0	1578.0	1505.0
	716.0]	775.0]	805.0]	663.0]	527.0]	518.0]	479.0]	514.0]	553.0]
	[929.0	[596.0	[440.0	[367.0	[309.0	[262.0	[295.0	[313.0	[288.0
	640.0	553.0	395.0	416.0	424.0	342.0	367.0	381.0	305.0
	545.0;	332.0;	312.0;	353.0;	374.0;	355.0;	388.0;	360.0;	263.0;
	842.0	609.0	394.0	408.0	384.0	314.0	241.0	198.0	167.0
360	764.0	522.0	444.0	330.0	161.0	199.0	282.0	298.0	297.0
	692.0;	590.0;	491.0;	328.0;	316.0;	400.0;	331.0;	192.0;	148.0;
	565.0	178.0	0.0	148.0	293.0	339.0	255.0	205.0	225.0
	538.0	526.0	394.0	251.0	231.0	238.0	205.0	200.0	166.0
	593.0]	529.0]	442.0]	315.0]	321.0]	314.0]	291.0]	315.0]	272.0]

```
In [7]: using DataFrames

# Let's unwind the spatial axes
X_df_static = Matrix(X_df)
cols = []
for i_var in 1:size(X_df_static, 2)
    var_unroll = cat(X_df_static[:,i_var]...; dims = 3)
    append!(cols, eachrow(reshape(var_unroll, (9, nrow(X_df)))))
end
X_df_static = DataFrame(
    cols,
    ["$n[$i][$j]" for n in names(X_df) for i in 1:3 for j in 1:3]
)
```


Out[7]: 360×927 DataFrame

827 columns and 335 rows omitted

Row	V1[1] [1]	V1[1] [2]	V1[1] [3]	V1[2] [1]	V1[2] [2]	V1[2] [3]	V1[3] [1]	V1[3] [2]	V1[3] [3]
	Float64	Float64	Float64	Float64	Float64	Float64	Float64	Float64	Float64
1	981.0	686.0	611.0	534.0	712.0	669.0	290.0	705.0	76.0
2	890.0	914.0	749.0	725.0	1186.0	1037.0	982.0	1198.0	103.0
3	1199.0	1030.0	701.0	1103.0	162.0	927.0	1083.0	881.0	84.0
4	1031.0	841.0	1170.0	1114.0	901.0	715.0	679.0	1020.0	66.0
5	356.0	680.0	725.0	694.0	941.0	627.0	642.0	775.0	76.0
6	763.0	700.0	541.0	798.0	578.0	1022.0	370.0	666.0	40.0
7	798.0	981.0	686.0	1031.0	534.0	712.0	685.0	290.0	70.0
8	791.0	1129.0	527.0	755.0	1009.0	1117.0	1091.0	396.0	110.0
9	2174.0	2664.0	3430.0	1854.0	3001.0	3644.0	1971.0	3041.0	336.0
10	527.0	818.0	782.0	727.0	694.0	819.0	592.0	563.0	83.0
11	380.0	874.0	1114.0	1141.0	897.0	679.0	439.0	929.0	100.0
12	788.0	716.0	517.0	665.0	271.0	815.0	660.0	320.0	43.0
13	828.0	761.0	489.0	989.0	506.0	873.0	761.0	669.0	54.0
⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮
349	108.0	334.0	367.0	646.0	269.0	929.0	540.0	561.0	77.0
350	1217.0	607.0	332.0	610.0	713.0	724.0	876.0	351.0	79.0
351	461.0	911.0	592.0	467.0	374.0	674.0	821.0	645.0	65.0
352	1294.0	711.0	961.0	1306.0	918.0	0.0	443.0	421.0	36.0
353	376.0	747.0	617.0	569.0	633.0	797.0	730.0	850.0	69.0
354	2418.0	1743.0	1639.0	1489.0	731.0	1025.0	990.0	906.0	96.0
355	517.0	645.0	666.0	566.0	375.0	896.0	155.0	534.0	74.0
356	329.0	613.0	520.0	353.0	575.0	755.0	587.0	418.0	84.0
357	523.0	484.0	599.0	624.0	505.0	996.0	623.0	514.0	99.0
358	747.0	617.0	682.0	633.0	797.0	570.0	850.0	698.0	94.0
359	1590.0	1547.0	2493.0	1048.0	913.0	1402.0	879.0	903.0	71.0
360	929.0	842.0	565.0	640.0	764.0	538.0	545.0	692.0	59.0

In [8]: `using MultiData`

```
X_multimodal = MultiModalDataset([X_df, X_df_static])
```

```
Out[8]: ● MultiDataset{DataFrame}
         └─ dimensionalities: (2, 0)
         - Modality 1 / 2
           └─ dimensionality: 2
```

360×103 SubDataFrame

Row	V1	V2
V ...	Array...	Array...
A ...		
1	[981.0 534.0 290.0; 686.0 712.0 ...	[750.0 559.0 481.0; 693.0 316.
0 ...	[...	
2	[890.0 725.0 982.0; 914.0 1186.0...	[901.0 701.0 977.0; 1004.0 114
8...	[
3	[1199.0 1103.0 1083.0; 1030.0 16...	[724.0 1122.0 614.0; 976.0 26
9.0...	[
4	[1031.0 1114.0 679.0; 841.0 901....	[633.0 999.0 572.0; 707.0 832.
0 ...	[
5	[356.0 694.0 642.0; 680.0 941.0 ...	[252.0 749.0 670.0; 782.0 721.
0 ...	[...	
6	[763.0 798.0 370.0; 700.0 578.0 ...	[705.0 648.0 396.0; 370.0 419.
0 ...	[
7	[798.0 1031.0 685.0; 981.0 534.0...	[734.0 767.0 524.0; 750.0 559.
0 ...	[
8	[791.0 755.0 1091.0; 1129.0 1009...	[732.0 437.0 857.0; 870.0 742.
0 ...	[
9	[2174.0 1854.0 1971.0; 2664.0 30...	[2208.0 2096.0 2158.0; 3049.0
32...	[...	
10	[527.0 727.0 592.0; 818.0 694.0 ...	[526.0 548.0 403.0; 700.0 575.
0 ...	[
11	[380.0 1141.0 439.0; 874.0 897.0...	[410.0 776.0 402.0; 632.0 887.
0 ...	[
:	:	:
...		
351	[461.0 467.0 821.0; 911.0 374.0 ...	[397.0 231.0 485.0; 616.0 334.
0 ...	[
352	[1294.0 1306.0 443.0; 711.0 918....	[1560.0 1004.0 546.0; 654.0 81
5...	[...	
353	[376.0 569.0 730.0; 747.0 633.0 ...	[334.0 476.0 556.0; 511.0 302.
0 ...	[
354	[2418.0 1489.0 990.0; 1743.0 731...	[2284.0 1505.0 1027.0; 1612.0
71...	[
355	[517.0 566.0 155.0; 645.0 375.0 ...	[555.0 158.0 336.0; 440.0 235.
0 ...	[
356	[329.0 353.0 587.0; 613.0 575.0 ...	[124.0 331.0 373.0; 854.0 227.
0 ...	[...	
357	[523.0 624.0 623.0; 484.0 505.0 ...	[446.0 139.0 495.0; 194.0 459.
0 ...	[
358	[747.0 633.0 850.0; 617.0 797.0 ...	[511.0 302.0 683.0; 425.0 529.
0 ...	[
359	[1590.0 1048.0 879.0; 1547.0 913...	[1666.0 934.0 736.0; 1640.0 96
6...	[
360	[929.0 640.0 545.0; 842.0 764.0 ...	[596.0 553.0 332.0; 609.0 522.
0 ...	[...	

101 columns and 339 rows

omitted

```
- Modality 2 / 2
  └─ dimensionality: 0
```

360×927 SubDataFrame

Row [1]	V ... V	V1[1][1] Float64	V1[1][2] Float64	V1[1][3] Float64	V1[2][1] Float64	V1[2][2] Float64	V1[2][3] Float64	V1[3] Float
64	F ...							
1	...	981.0	686.0	611.0	534.0	712.0	669.0	29
0.0								
2		890.0	914.0	749.0	725.0	1186.0	1037.0	98
2.0								
3		1199.0	1030.0	701.0	1103.0	162.0	927.0	108
3.0								
4		1031.0	841.0	1170.0	1114.0	901.0	715.0	67
9.0								
5		356.0	680.0	725.0	694.0	941.0	627.0	64
2.0	...							
6		763.0	700.0	541.0	798.0	578.0	1022.0	37
0.0								
7		798.0	981.0	686.0	1031.0	534.0	712.0	68
5.0								
8		791.0	1129.0	527.0	755.0	1009.0	1117.0	109
1.0								
9	...	2174.0	2664.0	3430.0	1854.0	3001.0	3644.0	197
1.0								
10		527.0	818.0	782.0	727.0	694.0	819.0	59
2.0								
11		380.0	874.0	1114.0	1141.0	897.0	679.0	43
9.0								
:		:	:	:	:	:	:	:
...								
351		461.0	911.0	592.0	467.0	374.0	674.0	82
1.0								
352		1294.0	711.0	961.0	1306.0	918.0	0.0	44
3.0	...							
353		376.0	747.0	617.0	569.0	633.0	797.0	73
0.0								
354		2418.0	1743.0	1639.0	1489.0	731.0	1025.0	99
0.0								
355		517.0	645.0	666.0	566.0	375.0	896.0	15
5.0								
356		329.0	613.0	520.0	353.0	575.0	755.0	58
7.0	...							
357		523.0	484.0	599.0	624.0	505.0	996.0	62
3.0								
358		747.0	617.0	682.0	633.0	797.0	570.0	85
0.0								
359		1590.0	1547.0	2493.0	1048.0	913.0	1402.0	87
9.0								
360		929.0	842.0	565.0	640.0	764.0	538.0	54
5.0	...							

920 columns and 339 rows omitted

In [9]: `using ModalDecisionTrees`

```
model = ModalDecisionTree(; relations = :RCC8)
```

Out[9]: `ModalDecisionTree(nothing, 4, 0.002, Inf, nothing, :RCC8, nothing, nothing, Float64, nothing, SoleData.var"#downsize#541"(), true, false, false, TaskLocalRNG(), nothing, nothing, identity, false, nothing, :split)`

In [10]: `using MLJ`

```
modalmach = machine(model, X_multimodal, y; scitype_check_level=0)
```

Out[10]: untrained Machine; caches model-specific representations of data
model: ModalDecisionTree(max_depth = nothing, ...)
args:
1: Source @934 ⇒ Table{Union{AbstractVector{AbstractVector{AbstractVector{Count}}}, AbstractVector{Table{Union{AbstractVector{AbstractMatrix{Continuous}}}, AbstractVector{Continuous}}}}}}
2: Source @366 ⇒ AbstractVector{Textual}

In [11]: `fit!(modalmach)`

[Info: Precomputing logiset...

[Info: Training machine(ModalDecisionTree(max_depth = nothing, ...), ...).

Out[11]: trained Machine; caches model-specific representations of data
model: ModalDecisionTree(max_depth = nothing, ...)
args:
1: Source @934 ⇒ Table{Union{AbstractVector{AbstractVector{AbstractVector{Count}}}, AbstractVector{Table{Union{AbstractVector{AbstractMatrix{Continuous}}}, AbstractVector{Continuous}}}}}}
2: Source @366 ⇒ AbstractVector{Textual}

In [12]: `fitted_params(modalmach).tree`


```


    |✓ Bitumen : 38/39 (conf = 0.9744)
    |✗ Asphalt : 5/7 (conf = 0.7143)
    ✗ {1} RestrictedDecision((G)min[V30] < 1143.0)
4/39 (conf = 0.8718)
    |✓ Asphalt : 34/34 (conf = 1.0000)
    |✗ Gravel : 5/5 (conf = 1.0000)
)

```

Asphalt : 3



In [13]:  = report(modalmach).model

```

Out[13]:  {2}((V897 ≥ 1652.0))
    |✓ {2}((V45 ≥ 1046.0))
    | |✓ {1}((G)(min[V2] ≥ 2609.0))
    | | |✓ Painted metal sheets
    | | |✗ {2}((V115 ≥ 1443.0))
    | | | |✓ {1}((G)(min[V25] ≥ 2063.0))
    | | | | |✓ Bare Soil
    | | | | |✗ Self-Blocking Bricks
    | | | |✗ {2}((V28 ≥ 1185.0))
    | | | | |✓ Gravel
    | | | | |✗ {2}((V116 ≥ 1330.0))
    | | | | | |✓ Self-Blocking Bricks
    | | | | | |✗ {1}((G)(min[V13] ≥ 1386.0))
    | | | | | | |✓ Gravel
    | | | | | | |✗ Self-Blocking Bricks
    | | |✗ {1}((G)(min[V68] < 702.0))
    | | | |✓ Trees
    | | | |✗ {2}((V891 ≥ 2573.0))
    | | | | |✓ Meadows
    | | | | |✗ {2}((V742 ≥ 2298.0))
    | | | | | |✓ {1}((G)(min[V7] ≥ 640.0))
    | | | | | | |✓ Bare Soil
    | | | | | | |✗ Meadows
    | | | | | |✗ {1}((G)(min[V100] < 2098.0))
    | | | | | | | |✓ {1}((G)((min[V100] < 2098.0) ∧ (min[V83] ≥ 1947.0)))
    | | | | | | | | |✓ Bare Soil
    | | | | | | | | |✗ Meadows
    | | | | | | |✗ Meadows
    | | |✗ {1}((G)(min[V40] < 306.0))
    | | | |✓ Shadows
    | | | |✗ {2}((V125 ≥ 1179.0))
    | | | | |✓ {2}((V139 ≥ 1247.0))
    | | | | | |✓ Bitumen
    | | | | | |✗ Asphalt
    | | | | |✗ {1}((G)(min[V30] < 1143.0))
    | | | | | |✓ Asphalt
    | | | | | |✗ Gravel

```

In [14]: using SoleModels

 = listrules()

Out[14]: 19-element Vector{ClassificationRule{String}}:

- {1}((G)(min[V2] ≥ 2609.0)) ∧ {2}((V45 ≥ 1046.0)) → Painted metal sheets
- {1}(G)(min[V25] ≥ 2063.0) ∧ [G](min[V2] < 2609.0) ∧ {2}((V115 ≥ 1443.0)) → Bare Soil
- {1}[G](min[V2] < 2609.0) ∧ [G](min[V25] < 2063.0) ∧ {2}(V45 ≥ 1046.0) ∧ (V115 ≥ 1443.0) → Self-Blocking Bricks
- {1}([G](min[V2] < 2609.0)) ∧ {2}(V28 ≥ 1185.0) ∧ (V115 < 1443.0) → Gravel
- {1}([G](min[V2] < 2609.0)) ∧ {2}(V116 ≥ 1330.0) ∧ (V115 < 1443.0) ∧ (V28 < 1185.0) → Self-Blocking Bricks
- {1}(G)(min[V13] ≥ 1386.0) ∧ [G](min[V2] < 2609.0) ∧ {2}(V116 < 1330.0) ∧ (V115 < 1443.0) ∧ (V28 < 1185.0) → Gravel
- {1}[G](min[V2] < 2609.0) ∧ [G](min[V13] < 1386.0) ∧ {2}(V45 ≥ 1046.0) ∧ (V115 < 1443.0) ∧ (V28 < 1185.0) ∧ (V116 < 1330.0) → Self-Blocking Bricks
- {1}((G)(min[V68] < 702.0)) ∧ {2}((V45 < 1046.0)) → Trees
- {1}([G](min[V68] ≥ 702.0)) ∧ {2}(V891 ≥ 2573.0) ∧ (V45 < 1046.0) → Meadows
- {1}(G)(min[V7] ≥ 640.0) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V742 ≥ 2298.0) ∧ (V45 < 1046.0) ∧ (V891 < 2573.0) → Bare Soil
- {1}[G](min[V68] ≥ 702.0) ∧ [G](min[V7] < 640.0) ∧ {2}(V897 ≥ 1652.0) ∧ (V45 < 1046.0) ∧ (V891 < 2573.0) ∧ (V742 ≥ 2298.0) → Meadows
- {1}(G)((min[V100] < 2098.0) ∧ (min[V83] ≥ 1947.0)) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V742 < 2298.0) ∧ (V45 < 1046.0) ∧ (V891 < 2573.0) → Bare Soil
- {1}(G)(min[V100] < 2098.0) ∧ [G](min[V68] ≥ 702.0) ∧ [G]((min[V100] < 2098.0) → (min[V83] < 1947.0)) ∧ {2}(V897 ≥ 1652.0) ∧ (V45 < 1046.0) ∧ (V891 < 2573.0) ∧ (V742 < 2298.0) → Meadows
- {1}[G](min[V68] ≥ 702.0) ∧ [G](min[V100] ≥ 2098.0) ∧ {2}(V897 ≥ 1652.0) ∧ (V45 < 1046.0) ∧ (V891 < 2573.0) ∧ (V742 < 2298.0) → Meadows
- {1}((G)(min[V40] < 306.0)) ∧ {2}((V897 < 1652.0)) → Shadows
- {1}([G](min[V40] ≥ 306.0)) ∧ {2}(V139 ≥ 1247.0) ∧ (V897 < 1652.0) → Bitumen
- {1}([G](min[V40] ≥ 306.0)) ∧ {2}(V125 ≥ 1179.0) ∧ (V897 < 1652.0) ∧ (V139 < 1247.0) → Asphalt
- {1}(G)(min[V30] < 1143.0) ∧ [G](min[V40] ≥ 306.0) ∧ {2}(V125 < 1179.0) ∧ (V897 < 1652.0) → Asphalt
- {1}[G](min[V40] ≥ 306.0) ∧ [G](min[V30] ≥ 1143.0) ∧ {2}(V897 < 1652.0) ∧ (V125 < 1179.0) → Gravel

```
In [15]: # Every symbolic model (including ruleslist) can have has additional info
# attached
println(🌲[1])

ruleinfo = SoleModels.info(🌲[1])
println(keys(ruleinfo))
```

```
■ {1}((G)(min[V2] ≥ 2609.0)) ∧ {2}((V45 ≥ 1046.0)) → Painted metal sheet
s
```

```
(:supporting_labels, :supporting_predictions, :shortform)
```

```
In [16]: ruleinfo[:supporting_predictions] |> length
```

```
Out[16]: 360
```

```
In [17]: sort(readmetrics.(🌲), by=x->x[:coverage], rev = true)
```

```
Out[17]: 19-element Vector{@NamedTuple{ninstances::Int64, ncovered::Int64, coverage::Float64, confidence::Float64, lift::Float64, natoms::Int64}}:
 (ninstances = 360, ncovered = 40, coverage = 0.1111111111111111, confidence = 1.0, lift = 9.0, natoms = 2)
 (ninstances = 360, ncovered = 40, coverage = 0.1111111111111111, confidence = 0.975, lift = 8.775, natoms = 2)
 (ninstances = 360, ncovered = 40, coverage = 0.1111111111111111, confidence = 1.0, lift = 9.0, natoms = 2)
 (ninstances = 360, ncovered = 39, coverage = 0.10833333333333334, confidence = 0.9743589743589743, lift = 8.76923076923077, natoms = 3)
 (ninstances = 360, ncovered = 34, coverage = 0.09444444444444444, confidence = 1.0, lift = 9.0, natoms = 4)
 (ninstances = 360, ncovered = 30, coverage = 0.08333333333333333, confidence = 1.0, lift = 9.0, natoms = 4)
 (ninstances = 360, ncovered = 29, coverage = 0.08055555555555556, confidence = 0.9655172413793104, lift = 8.689655172413794, natoms = 3)
 (ninstances = 360, ncovered = 20, coverage = 0.05555555555555555, confidence = 0.9, lift = 8.100000000000001, natoms = 3)
 (ninstances = 360, ncovered = 19, coverage = 0.05277777777777778, confidence = 1.0, lift = 9.0, natoms = 5)
 (ninstances = 360, ncovered = 16, coverage = 0.044444444444444446, confidence = 1.0, lift = 9.0, natoms = 6)
 (ninstances = 360, ncovered = 12, coverage = 0.03333333333333333, confidence = 1.0, lift = 9.0, natoms = 6)
 (ninstances = 360, ncovered = 7, coverage = 0.019444444444444445, confidence = 1.0, lift = 9.0, natoms = 4)
 (ninstances = 360, ncovered = 7, coverage = 0.019444444444444445, confidence = 0.7142857142857143, lift = 6.428571428571429, natoms = 4)
 (ninstances = 360, ncovered = 5, coverage = 0.013888888888888888, confidence = 1.0, lift = 9.0, natoms = 5)
 (ninstances = 360, ncovered = 5, coverage = 0.013888888888888888, confidence = 0.6, lift = 5.4, natoms = 8)
 (ninstances = 360, ncovered = 5, coverage = 0.013888888888888888, confidence = 1.0, lift = 9.0, natoms = 4)
 (ninstances = 360, ncovered = 4, coverage = 0.011111111111111112, confidence = 0.75, lift = 6.75, natoms = 3)
 (ninstances = 360, ncovered = 4, coverage = 0.011111111111111112, confidence = 0.5, lift = 4.5, natoms = 6)
 (ninstances = 360, ncovered = 4, coverage = 0.011111111111111112, confidence = 0.5, lift = 4.5, natoms = 6)
```

```
In [18]: metricstable(🌲)
```


Antecedent confidence	lift	Consequent atoms	ninstances	ncovered	coverage	co
$\{1\}((G)\min[V2] \geq 2609.0) \wedge \{2\}(V45 \geq 1046.0)$ Painted metal sheets						
360	40	0.111111	1.0	9.0	2	
$\{1\}(G)\min[V25] \geq 2063.0 \wedge [G]\min[V2] < 2609.0 \wedge \{2\}(V115 \geq 1443.0)$						
Bare Soil	360	4	0.0111111	0.75	6.75	
3						
$\{1\}[G]\min[V2] < 2609.0 \wedge [G]\min[V25] < 2063.0 \wedge \{2\}V45 \geq 1046.0 \wedge V115 \geq 1443.0$ Self-Blocking Bricks						
1.0	9.0	4	360	30	0.0833333	
$\{1\}([G]\min[V2] < 2609.0) \wedge \{2\}V28 \geq 1185.0 \wedge V115 < 1443.0$						
Gravel	360	29	0.0805556	0.965517	8.68966	3
$\{1\}([G]\min[V2] < 2609.0) \wedge \{2\}V116 \geq 1330.0 \wedge V115 < 1443.0 \wedge V28 < 1185.0$ Self-Blocking Bricks						
9.0	4		360	7	0.0194444	1.0
$\{1\}(G)\min[V13] \geq 1386.0 \wedge [G]\min[V2] < 2609.0 \wedge \{2\}V116 < 1330.0 \wedge V115 < 1443.0 \wedge V28 < 1185.0$						
1.0	9.0	5	Gravel	360	5	0.0138889
$\{1\}[G]\min[V2] < 2609.0 \wedge [G]\min[V13] < 1386.0 \wedge \{2\}V45 \geq 1046.0 \wedge V115 < 1443.0 \wedge V28 < 1185.0 \wedge V116 < 1330.0$ Self-Blocking Bricks						
0.5	4.5	6	360	4	0.0111111	
$\{1\}((G)\min[V68] < 702.0) \wedge \{2\}(V45 < 1046.0)$ Trees						
360	40	0.111111	0.975	8.775	2	
$\{1\}([G]\min[V68] \geq 702.0) \wedge \{2\}V891 \geq 2573.0 \wedge V45 < 1046.0$						
Meadows	360	20	0.0555556	0.9	8.1	
3						
$\{1\}(G)\min[V7] \geq 640.0 \wedge [G]\min[V68] \geq 702.0 \wedge \{2\}V742 \geq 2298.0 \wedge V45 < 1046.0 \wedge V891 < 2573.0$						
1.0	9.0	5	Bare Soil	360	19	0.0527778
$\{1\}[G]\min[V68] \geq 702.0 \wedge [G]\min[V7] < 640.0 \wedge \{2\}V897 \geq 1652.0 \wedge V45 < 1046.0 \wedge V891 < 2573.0 \wedge V742 \geq 2298.0$						
0.5	4.5	6	Meadows	360	4	0.0111111
$\{1\}(G)(\min[V100] < 2098.0 \wedge \min[V83] \geq 1947.0) \wedge [G]\min[V68] \geq 702.0 \wedge \{2\}V742 < 2298.0 \wedge V45 < 1046.0 \wedge V891 < 2573.0$						
1.0	9.0	6	Bare Soil	360	12	0.0333333
$\{1\}(G)\min[V100] < 2098.0 \wedge [G]\min[V68] \geq 702.0 \wedge [G](\min[V100] < 2098.0 \rightarrow \min[V83] < 1947.0) \wedge \{2\}V897 \geq 1652.0 \wedge V45 < 1046.0 \wedge V891 < 2573.0 \wedge V742 < 2298.0$						
			Meadows	360	5	0.0138889

0.6	5.4	8	{1}[G]min[V68] ≥ 702.0 ∧			
			{2}V897 ≥ 1652.0 ∧ V45 < 1046.0 ∧ V891 < 2573.0 ∧			
[G]min[V100] ≥ 2098.0			V742 < 2298.0 Meadows 360 16 0.0444444			
1.0	9.0	6				
			{1}([G]min[V40] < 306.0) ∧ {2}(V897 < 1652.0) Shadows			
360	40	0.111111	1.0	9.0	2	
			{1}([G]min[V40] ≥ 306.0) ∧ {2}V139 ≥ 1247.0 ∧ V897 < 1652.0			
Bitumen 360 39 0.108333 0.974359 8.76923			3			
			{1}([G]min[V40] ≥ 306.0) ∧ {2}V125 ≥ 1179.0 ∧ V897 < 1652.0 ∧ V139 < 1247.			
0	Asphalt	360	7	0.0194444	0.714286	
6.42857	4					
			{1}(G)min[V30] < 1143.0 ∧ [G]min[V40] ≥ 306.0 ∧ {2}V125 < 1179.0 ∧ V897 <			
1652.0 Asphalt 360 34 0.0944444			1.0 9.0 4			
			{1}[G]min[V40] ≥ 306.0 ∧ [G]min[V30] ≥ 1143.0 ∧ {2}V897 < 1652.0 ∧ V125 <			
1179.0 Gravel 360 5 0.0138889			1.0 9.0 4			

Extra: let's retrain our model, but in cross-validation! (it will take some time...)

```
In [19]: # If you have more time, train in cross-validation!
e = evaluate!(
    machine(model, X_multimodal, y; scitype_check_level=0);
    resampling=StratifiedCV(rng = Random.Xoshiro(1), shuffle=true, nfolds
    measures=[accuracy],
    verbosity=0,
    check_measure=false
)
```

[Info: Precomputing logiset...

Out[19]: PerformanceEvaluationObject with these fields:

```
model, measure, operation,
measurement, per_fold, per_observation,
fitted_params_per_fold, report_per_fold,
train_test_rows, resampling, repeats
```

Extract:

measure	operation	measurement
Accuracy()	predict_mode	0.753

per_fold	1.96*SE
[0.767, 0.739]	0.0385

```
In [20]: # Test accuracies per fold
```

```
e.per_fold
```

```
Out[20]: 1-element Vector{Vector{Float64}}:  
 [0.7666666666666667, 0.7388888888888889]
```

```
In [21]: dtrees = map((((train_idx, test_idx), rep),)->begin  
    predictions, tree_test = rep.sprinkle(  
        slicedataset(X_multimodal, test_idx),  
        y[test_idx];  
        simplify = true  
    )  
    tree_test  
end, zip(e.train_test_rows, e.report_per_fold))
```

Out[21]: 2-element Vector{DecisionTree{String}}:

```
■ {2}((V62 ≥ 798.0))
└─✓ {2}((V897 ≥ 1652.0))
    └─✓ {1}((G)(min[V1] ≥ 2514.0))
        └─✓ Painted metal sheets
            └─✗ {1}((G)(min[V76] < 2158.0))
                └─✓ {2}((V115 ≥ 1443.0))
                    └─✓ Self-Blocking Bricks
                        └─✗ {1}((G)((min[V76] < 2158.0) ∧ (min[V97] ≥ 2079.0)))
                            └─✓ Self-Blocking Bricks
                                └─✗ {2}((V64 ≥ 1148.0))
                                    └─✓ Gravel
                                        └─✗ Self-Blocking Bricks
└─✗ Bare Soil
└─✗ {2}((V40 ≥ 1129.0))
    └─✓ Bitumen
        └─✗ Asphalt
└─✗ {1}((G)(min[V69] < 854.0))
    └─✓ {1}((G)((min[V69] < 854.0) ∧ (min[V69] < 253.0)))
        └─✓ Shadows
            └─✗ Trees
└─✗ {1}((G)(min[V25] ≥ 957.0))
    └─✓ {1}((G)((min[V25] ≥ 957.0) ∧ (min[V3] < 699.0)))
        └─✓ Trees
            └─✗ Bare Soil
└─✗ {2}((V762 ≥ 2080.0))
    └─✓ {1}((G)(min[V28] ≥ 876.0))
        └─✓ {1}((G)((min[V28] ≥ 876.0) ∧ (min[V18] ≥ 648.0)))
            └─✓ Meadows
                └─✗ Bare Soil
└─✗ Meadows
└─✗ Bare Soil

■ {1}((G)(min[V100] < 1485.0))
└─✓ {1}((G)((min[V100] < 1485.0) ∧ (P0)(max[V83] < 1390.0)))
    └─✓ {1}((G)((min[V100] < 1485.0) ∧ (P0)((max[V83] < 1390.0) ∧ (max[V24]
    < 296.0))))
        └─✓ Shadows
            └─✗ Asphalt
└─✗ Bitumen
└─✗ {2}((V31 ≥ 1033.0))
    └─✓ {1}((G)(min[V21] ≥ 2278.0))
        └─✓ Painted metal sheets
            └─✗ {2}((V179 ≥ 1538.0))
                └─✓ Self-Blocking Bricks
                    └─✗ {1}((G)(min[V13] ≥ 1351.0))
                        └─✓ Gravel
                            └─✗ Self-Blocking Bricks
└─✗ {1}((G)(min[V68] < 702.0))
    └─✓ Trees
        └─✗ {2}((V906 ≥ 2540.0))
            └─✓ Meadows
                └─✗ {2}((V59 ≥ 600.0))
                    └─✓ {1}((G)(min[V15] ≥ 876.0))
                        └─✓ Bare Soil
                            └─✗ Meadows
└─✗ Bare Soil
```

In [22]: ruleslist = vcat(listrules.(dtrees)...)

Out[22]: 28-element Vector{ClassificationRule{String}}:

- {1}((G)(min[V1] ≥ 2514.0)) ∧ {2}((V897 ≥ 1652.0)) → Painted metal sheets
- {1}(G)(min[V76] < 2158.0) ∧ [G](min[V1] < 2514.0) ∧ {2}((V115 ≥ 1443.0)) → Self-Blocking Bricks
- {1}(G)((min[V76] < 2158.0) ∧ (min[V97] ≥ 2079.0)) ∧ [G](min[V1] < 2514.0) ∧ {2}((V115 < 1443.0)) → Self-Blocking Bricks
- {1}[G]((min[V76] < 2158.0) → (min[V97] < 2079.0)) ∧ [G](min[V1] < 2514.0) ∧ {2}(V64 ≥ 1148.0) ∧ (V115 < 1443.0) → Gravel
- {1}(G)(min[V76] < 2158.0) ∧ [G](min[V1] < 2514.0) ∧ [G]((min[V76] < 2158.0) → (min[V97] < 2079.0)) ∧ {2}(V897 ≥ 1652.0) ∧ (V115 < 1443.0) ∧ (V64 < 1148.0) → Self-Blocking Bricks
- {1}[G](min[V1] < 2514.0) ∧ [G](min[V76] ≥ 2158.0) ∧ {2}(V62 ≥ 798.0) ∧ (V897 ≥ 1652.0) → Bare Soil
- {2}(V40 ≥ 1129.0) ∧ (V897 < 1652.0) → Bitumen
- {2}(V62 ≥ 798.0) ∧ (V897 < 1652.0) ∧ (V40 < 1129.0) → Asphalt
- {1}((G)((min[V69] < 854.0) ∧ (min[V69] < 253.0))) ∧ {2}((V62 < 798.0)) → Shadows
- {1}(G)(min[V69] < 854.0) ∧ [G]((min[V69] < 854.0) → (min[V69] ≥ 253.0)) ∧ {2}((V62 < 798.0)) → Trees
- {1}(G)((min[V25] ≥ 957.0) ∧ (min[V3] < 699.0)) ∧ [G](min[V69] ≥ 854.0) ∧ {2}((V62 < 798.0)) → Trees
- {1}(G)(min[V25] ≥ 957.0) ∧ [G](min[V69] ≥ 854.0) ∧ [G]((min[V25] ≥ 957.0) → (min[V3] ≥ 699.0)) ∧ {2}((V62 < 798.0)) → Bare Soil
- {1}(G)((min[V28] ≥ 876.0) ∧ (min[V18] ≥ 648.0)) ∧ [G](min[V69] ≥ 854.0) ∧ [G](min[V25] < 957.0) ∧ {2}(V762 ≥ 2080.0) ∧ (V62 < 798.0) → Meadows
- ⋮
- {1}((G)((min[V100] < 1485.0) ∧ (P0)((max[V83] < 1390.0) ∧ (max[V24] < 296.0)))) → Shadows
- {1}(G)((min[V100] < 1485.0) ∧ (P0)(max[V83] < 1390.0)) ∧ [G]((min[V100] < 1485.0) → [P0]((max[V83] < 1390.0) → (max[V24] ≥ 296.0))) → Asphalt
- {1}(G)(min[V100] < 1485.0) ∧ [G]((min[V100] < 1485.0) → [P0](max[V83] ≥ 1390.0)) → Bitumen
- {1}(G)(min[V21] ≥ 2278.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V31 ≥ 1033.0)) → Painted metal sheets
- {1}[G](min[V21] < 2278.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V179 ≥ 1538.0)) → Self-Blocking Bricks
- {1}(G)(min[V13] ≥ 1351.0) ∧ [G](min[V100] ≥ 1485.0) ∧ [G](min[V21] < 2278.0) ∧ {2}((V179 < 1538.0)) → Gravel

■ {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V21] < 2278.0) ∧ [G](min[V13] < 1351.0) ∧ {2}(V31 ≥ 1033.0) ∧ (V179 < 1538.0) → Self-Blocking Bricks

■ {1}(G)(min[V68] < 702.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V31 < 1033.0)) → Trees

■ {1}[G](min[V68] ≥ 702.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}(V906 ≥ 2540.0) ∧ (V31 < 1033.0) → Meadows

■ {1}(G)(min[V15] ≥ 876.0) ∧ [G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V59 ≥ 600.0) ∧ (V31 < 1033.0) ∧ (V906 < 2540.0) → Bare Soil

■ {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ [G](min[V15] < 876.0) ∧ {2}(V31 < 1033.0) ∧ (V906 < 2540.0) ∧ (V59 ≥ 600.0) → Meadows

■ {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V31 < 1033.0) ∧ (V906 < 2540.0) ∧ (V59 < 600.0) → Bare Soil

```
In [23]: # Every symbolic model (including ruleslist) can have has additional info
# attached
println(ruleslist[1])

ruleinfo = SoleModels.info(ruleslist[1])
println(keys(ruleinfo))
```

■ {1}((G)(min[V1] ≥ 2514.0)) ∧ {2}((V897 ≥ 1652.0)) → Painted metal sheets

(:supporting_labels, :supporting_predictions, :shortform)

```
In [24]: ruleinfo[:supporting_predictions] |> length
```

Out[24]: 180

```
In [25]: sort(readmetrics.(ruleslist), by=x->x[:coverage], rev = true)
```

```

Out[25]: 28-element Vector{@NamedTuple{ninstances::Int64, ncovered::Int64, coverage::Float64, confidence::Float64, lift::Float64, natoms::Int64}}:
 (ninstances = 180, ncovered = 27, coverage = 0.15, confidence = 0.5925925925925926, lift = 5.333333333333333, natoms = 5)
 (ninstances = 180, ncovered = 25, coverage = 0.1388888888888889, confidence = 0.64, lift = 5.760000000000001, natoms = 3)
 (ninstances = 180, ncovered = 21, coverage = 0.11666666666666667, confidence = 0.9523809523809523, lift = 8.571428571428571, natoms = 2)
 (ninstances = 180, ncovered = 21, coverage = 0.11666666666666667, confidence = 0.9523809523809523, lift = 8.571428571428571, natoms = 3)
 (ninstances = 180, ncovered = 21, coverage = 0.11666666666666667, confidence = 0.5714285714285714, lift = 5.142857142857143, natoms = 4)
 (ninstances = 180, ncovered = 20, coverage = 0.1111111111111111, confidence = 0.85, lift = 7.65, natoms = 3)
 (ninstances = 180, ncovered = 20, coverage = 0.1111111111111111, confidence = 1.0, lift = 9.0, natoms = 3)
 (ninstances = 180, ncovered = 20, coverage = 0.1111111111111111, confidence = 0.95, lift = 8.55, natoms = 3)
 (ninstances = 180, ncovered = 19, coverage = 0.10555555555555556, confidence = 0.9473684210526315, lift = 8.526315789473685, natoms = 4)
 (ninstances = 180, ncovered = 18, coverage = 0.1, confidence = 1.0, lift = 9.0, natoms = 3)
 (ninstances = 180, ncovered = 18, coverage = 0.1, confidence = 0.6111111111111112, lift = 5.500000000000001, natoms = 5)
 (ninstances = 180, ncovered = 17, coverage = 0.09444444444444444, confidence = 0.7058823529411765, lift = 6.352941176470589, natoms = 2)
 (ninstances = 180, ncovered = 17, coverage = 0.09444444444444444, confidence = 0.7647058823529411, lift = 6.88235294117647, natoms = 3)
 :
 (ninstances = 180, ncovered = 10, coverage = 0.05555555555555555, confidence = 0.0, lift = 0.0, natoms = 4)
 (ninstances = 180, ncovered = 9, coverage = 0.05, confidence = 0.6666666666666666, lift = 6.0, natoms = 4)
 (ninstances = 180, ncovered = 7, coverage = 0.03888888888888889, confidence = 0.7142857142857143, lift = 6.428571428571429, natoms = 6)
 (ninstances = 180, ncovered = 6, coverage = 0.03333333333333333, confidence = 0.3333333333333333, lift = 3.0, natoms = 6)
 (ninstances = 180, ncovered = 5, coverage = 0.027777777777777776, confidence = 1.0, lift = 9.0, natoms = 4)
 (ninstances = 180, ncovered = 4, coverage = 0.022222222222222223, confidence = 0.25, lift = 2.25, natoms = 4)
 (ninstances = 180, ncovered = 4, coverage = 0.022222222222222223, confidence = 0.25, lift = 2.25, natoms = 4)
 (ninstances = 180, ncovered = 4, coverage = 0.022222222222222223, confidence = 1.0, lift = 9.0, natoms = 6)
 (ninstances = 180, ncovered = 2, coverage = 0.011111111111111112, confidence = 0.5, lift = 4.5, natoms = 7)
 (ninstances = 180, ncovered = 2, coverage = 0.011111111111111112, confidence = 0.5, lift = 4.5, natoms = 5)
 (ninstances = 180, ncovered = 1, coverage = 0.0055555555555555556, confidence = 1.0, lift = 9.0, natoms = 7)
 (ninstances = 180, ncovered = 1, coverage = 0.0055555555555555556, confidence = 0.0, lift = 0.0, natoms = 5)

```

```

In [26]: goodrules = sort(ruleslist, by=r->readmetrics(r)[:coverage], rev = true)
          printmodel.(goodrules; show_metrics = true, threshold_digits = 4);

```

■ {1}{G}((min[V100] < 1485.0) ∧ (P0)(max[V83] < 1390.0)) ∧ [G]((min[V100] < 1485.0) → [P0]((max[V83] < 1390.0) → (max[V24] ≥ 296.0))) → Asphalt : (ninstances = 180, ncovered = 27, coverage = 0.15, confidence = 0.59, lift = 5.33, natoms = 5)

■ {2}(V62 ≥ 798.0) ∧ (V897 < 1652.0) ∧ (V40 < 1129.0) → Asphalt : (ninstances = 180, ncovered = 25, coverage = 0.14, confidence = 0.64, lift = 5.76, natoms = 3)

■ {1}((G)(min[V1] ≥ 2514.0)) ∧ {2}((V897 ≥ 1652.0)) → Painted metal sheets : (ninstances = 180, ncovered = 21, coverage = 0.12, confidence = 0.95, lift = 8.57, natoms = 2)

■ {1}{G}(min[V21] ≥ 2278.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V31 ≥ 1033.0)) → Painted metal sheets : (ninstances = 180, ncovered = 21, coverage = 0.12, confidence = 0.95, lift = 8.57, natoms = 3)

■ {1}{G}(min[V13] ≥ 1351.0) ∧ [G](min[V100] ≥ 1485.0) ∧ [G](min[V21] < 2278.0) ∧ {2}((V179 < 1538.0)) → Gravel : (ninstances = 180, ncovered = 21, coverage = 0.12, confidence = 0.57, lift = 5.14, natoms = 4)

■ {1}{G}(min[V76] < 2158.0) ∧ [G](min[V1] < 2514.0) ∧ {2}((V115 ≥ 1443.0)) → Self-Blocking Bricks : (ninstances = 180, ncovered = 20, coverage = 0.11, confidence = 0.85, lift = 7.65, natoms = 3)

■ {1}((G)((min[V69] < 854.0) ∧ (min[V69] < 253.0))) ∧ {2}((V62 < 798.0)) → Shadows : (ninstances = 180, ncovered = 20, coverage = 0.11, confidence = 1.0, lift = 9.0, natoms = 3)

■ {1}{G}(min[V68] < 702.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V31 < 1033.0)) → Trees : (ninstances = 180, ncovered = 20, coverage = 0.11, confidence = 0.95, lift = 8.55, natoms = 3)

■ {1}{G}(min[V69] < 854.0) ∧ [G]((min[V69] < 854.0) → (min[V69] ≥ 253.0)) ∧ {2}((V62 < 798.0)) → Trees : (ninstances = 180, ncovered = 19, coverage = 0.11, confidence = 0.95, lift = 8.53, natoms = 4)

■ {1}((G)((min[V100] < 1485.0) ∧ (P0)((max[V83] < 1390.0) ∧ (max[V24] < 296.0)))) → Shadows : (ninstances = 180, ncovered = 18, coverage = 0.1, confidence = 1.0, lift = 9.0, natoms = 3)

■ {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V31 < 1033.0) ∧ (V906 < 2540.0) ∧ (V59 < 600.0) → Bare Soil : (ninstances = 180, ncovered = 18, coverage = 0.1, confidence = 0.61, lift = 5.5, natoms = 5)

■ {2}(V40 ≥ 1129.0) ∧ (V897 < 1652.0) → Bitumen : (ninstances = 180, ncovered = 17, coverage = 0.09, confidence = 0.71, lift = 6.35, natoms = 2)

■ {1}{G}(min[V100] < 1485.0) ∧ [G]((min[V100] < 1485.0) → [P0](max[V83] ≥ 1390.0)) → Bitumen : (ninstances = 180, ncovered = 17, coverage = 0.09, confidence = 0.76, lift = 6.88, natoms = 3)

■ {1}[G]((min[V76] < 2158.0) → (min[V97] < 2079.0)) ∧ [G](min[V1] < 2514.0) ∧ {2}(V64 ≥ 1148.0) ∧ (V115 < 1443.0) → Gravel : (ninstances = 180, ncovered = 15, coverage = 0.08, confidence = 0.93, lift = 8.4, natoms = 5)

■ {1}[G](min[V21] < 2278.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}((V179 ≥ 1538.0)) → Self-Blocking Bricks : (ninstances = 180, ncovered = 15, coverage = 0.08, confidence = 0.73, lift = 6.6, natoms = 3)

■ {1}[G](min[V69] ≥ 854.0) ∧ [G](min[V25] < 957.0) ∧ [G](min[V28] < 876.0) ∧ {2}(V62 < 798.0) ∧ (V762 ≥ 2080.0) → Meadows : (ninstances = 180, ncovered = 11, coverage = 0.06, confidence = 0.64, lift = 5.73, natoms = 5)

■ {1}{G}((min[V25] ≥ 957.0) ∧ (min[V3] < 699.0)) ∧ [G](min[V69] ≥ 854.0) ∧ {2}((V62 < 798.0)) → Trees : (ninstances = 180, ncovered = 10, coverage = 0.06, confidence = 0.0, lift = 0.0, natoms = 4)

■ {1}[G](min[V68] ≥ 702.0) ∧ [G](min[V100] ≥ 1485.0) ∧ {2}(V906 ≥ 2540.0) ∧ (V31 < 1033.0) → Meadows : (ninstances = 180, ncovered = 9, coverage = 0.05, confidence = 0.67, lift = 6.0, natoms = 4)

■ {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ [G](min[V15] < 876.0) ∧ {2}(V31 < 1033.0) ∧ (V906 < 2540.0) ∧ (V59 ≥ 600.0) → Meadows : (ninstances = 180, ncovered = 7, coverage = 0.04, confidence = 0.71, lift = 6.43, natoms = 6)

■ {1}{G}(min[V15] ≥ 876.0) ∧ [G](min[V100] ≥ 1485.0) ∧ [G](min[V68] ≥ 702.0) ∧ {2}(V59 ≥ 600.0) ∧ (V31 < 1033.0) ∧ (V906 < 2540.0) → Bare Soil :

(ninstances = 180, ncovered = 6, coverage = 0.03, confidence = 0.33, lift = 3.0, natoms = 6)

- {1}[G](min[V69] ≥ 854.0) ∧ [G](min[V25] < 957.0) ∧ {2}(V62 < 798.0) ∧ (V762 < 2080.0) → Bare Soil : (ninstances = 180, ncovered = 5, coverage = 0.03, confidence = 1.0, lift = 9.0, natoms = 4)
- {1}{G}((min[V76] < 2158.0) ∧ (min[V97] ≥ 2079.0)) ∧ [G](min[V1] < 2514.0) ∧ {2}((V115 < 1443.0)) → Self-Blocking Bricks : (ninstances = 180, ncovered = 4, coverage = 0.02, confidence = 0.25, lift = 2.25, natoms = 4)
- {1}[G](min[V1] < 2514.0) ∧ [G](min[V76] ≥ 2158.0) ∧ {2}(V62 ≥ 798.0) ∧ (V897 ≥ 1652.0) → Bare Soil : (ninstances = 180, ncovered = 4, coverage = 0.02, confidence = 0.25, lift = 2.25, natoms = 4)
- {1}{G}((min[V28] ≥ 876.0) ∧ (min[V18] ≥ 648.0)) ∧ [G](min[V69] ≥ 854.0) ∧ [G](min[V25] < 957.0) ∧ {2}(V762 ≥ 2080.0) ∧ (V62 < 798.0) → Meadows : (ninstances = 180, ncovered = 4, coverage = 0.02, confidence = 1.0, lift = 9.0, natoms = 6)
- {1}{G}(min[V76] < 2158.0) ∧ [G](min[V1] < 2514.0) ∧ [G]((min[V76] < 2158.0) → (min[V97] < 2079.0)) ∧ {2}(V897 ≥ 1652.0) ∧ (V115 < 1443.0) ∧ (V64 < 1148.0) → Self-Blocking Bricks : (ninstances = 180, ncovered = 2, coverage = 0.01, confidence = 0.5, lift = 4.5, natoms = 7)
- {1}{G}(min[V25] ≥ 957.0) ∧ [G](min[V69] ≥ 854.0) ∧ [G]((min[V25] ≥ 957.0) → (min[V3] ≥ 699.0)) ∧ {2}((V62 < 798.0)) → Bare Soil : (ninstances = 180, ncovered = 2, coverage = 0.01, confidence = 0.5, lift = 4.5, natoms = 5)
- {1}{G}(min[V28] ≥ 876.0) ∧ [G](min[V69] ≥ 854.0) ∧ [G](min[V25] < 957.0) ∧ [G]((min[V28] ≥ 876.0) → (min[V18] < 648.0)) ∧ {2}(V62 < 798.0) ∧ (V762 ≥ 2080.0) → Bare Soil : (ninstances = 180, ncovered = 1, coverage = 0.01, confidence = 1.0, lift = 9.0, natoms = 7)
- {1}[G](min[V100] ≥ 1485.0) ∧ [G](min[V21] < 2278.0) ∧ [G](min[V13] < 1351.0) ∧ {2}(V31 ≥ 1033.0) ∧ (V179 < 1538.0) → Self-Blocking Bricks : (ninstances = 180, ncovered = 1, coverage = 0.01, confidence = 0.0, lift = 0.0, natoms = 5)

Exercise: (if you have time) try with 10 folds!