

Homework 7

ECE 309 Fall 2019

Due: October 16, 2019

Upload an electronic copy of your answers to Moodle under HW7.

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1. Hash Table

[45 points] Assume we have a hash table for integers that allows duplicates and that a remove operation will remove all copies. Consider the following sequence of operations on a hash table for integers.

- Insert 14
- Insert 714
- Insert 97
- Insert 25
- Insert 6736
- Insert 103
- Insert 3
- Remove 14
- Remove 714
- Search 25

- (a) [15 points] Assume the hash table has length 10 and that the hash function is simply $\text{index} = \text{data} \% 10$. Show a picture of the hash table after executing the operations above assuming Linear Probing is used on collisions. Assume a $\text{probeDistance} = 5$. If there's no place for an item within the probeDistance , then state that, but do not evict or change the size of the table.

0	
1	
2	
3	103
4	
5	
6	25
7	97
8	6736
9	

- (b) [15 points] Assume the hash table has length 10 and that the hash function is simply $\text{index} = \text{data} \% 10$. Show a picture of the hash table after executing the operations above assuming chaining is used.

0	
1	
2	
3	103, 3
4	
5	25
6	6736
7	97
8	
9	

- (c) [5 points] For the two hash table designs, which one performs fewer table accesses and comparisons when performing the last search for 25.

The chaining

- (d) [10 points] Consider that the size of a hash table array is M entries and the number of items inserted in the set is N . Evaluate the big-O for the amount of memory used for a hash table with linear probing versus a hash table with chaining. State any assumptions in the formation of your answer.

Linear probing – **$O(M)$** : For worst case, it have to go through entire size of table to search out an element

Chaining – **$O(N+M)$** : In term of memory, M entries with a list has N elements in.