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2017/2018 Software Engineering

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# RandoBot

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# 1. Abstract

# a. Project problem statement

RandoBot is a game developed in Python, which is based on two probabilistic PRISM case studies and aims to act like a user-friendly interface for those interested in the correctness and performance of randomized distributed algorithms for various scientific departments or domains. The goal of the game is for the robot to reach the top-right corner of the board within a given time. Using a third PRISM case study, the simple Peer-to-Peer protocol, the game can be easily deployed for playing or further development on any platform. Furthermore, to increase the accessibility and flexibility of the project, everything runs on virtual machines in cloud.

# b. PRISM case studies

- Randomized distributed algorithms: Dice Programs
- Planning and synthesis: Grid World Robot
- Performance and reliability: Simple peer-to-peer protocol

## c. Technologies used

- Google Cloud
- Python Socket/TCP Programming
- NumPy

# 2. Specification

## a. PRISM model

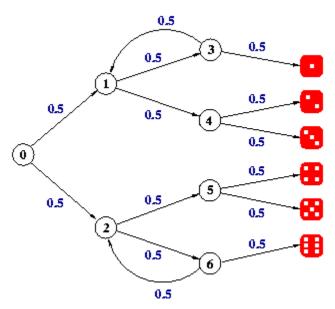
## Dice programs model

(Knuth & Yao)

This case study considers two probabilistic programs, due to Knuth and Yao [ $\underline{KY76}$ ], which model fair dice using only fair coins. We have reimplemented work done by  $\underline{Joe\ Hurd}$ , the key difference being that the latter uses a *theorem prover* (HOL) whereas we use a *model checker* (PRISM) to show the correctness of such probabilistic programs.

## Value of a die

The following program models a die using only fair coins. Starting at the root vertex (state 0), one repeatedly tosses a coin. Every time *heads* appears, one takes the upper branch and when *tails* appears, the lower branch. This continues until the value of the die is decided.



The PRISM code for this program is as follows.

```
// Knuth's model of a fair die using only fair coins
dtmc
module die
        // local state
        s : [0...7] init 0;
        // value of the dice
        d : [0..6] init 0;
        [] s=0 \rightarrow 0.5 : (s'=1) + 0.5 : (s'=2);
        [] s=1 \rightarrow 0.5 : (s'=3) + 0.5 : (s'=4);
        [] s=2 \rightarrow 0.5 : (s'=5) + 0.5 : (s'=6);
        [] s=3 \rightarrow 0.5 : (s'=1) + 0.5 : (s'=7) & (d'=1);
        [] s=4 \rightarrow 0.5 : (s'=7) & (d'=2) + 0.5 : (s'=7) & (d'=3);
        [] s=5 \rightarrow 0.5 : (s'=7) & (d'=4) + 0.5 : (s'=7) & (d'=5);
        [] s=6 \rightarrow 0.5 : (s'=2) + 0.5 : (s'=7) & (d'=6);
        [] s=7 -> (s'=7);
endmodule
rewards "coin_flips"
        [] s<7 : 1;
endrewards
```

This model has 13 states and in PRISM it takes 4 iterations to find these reachable states.

To prove the above program is correct, we show that the probability of reaching a state where d=k for k=1,...,6 is 1/6. In PRISM this corresponds to calculating the probability of satisfying the formula

$$P=? [F s=7 & d=k] for k=1..6.$$

Performing this verification in PRISM using iterative numerical methods, we find that the probability for each k is indeed 1/6 (up to an accuracy of six decimal places), with each case requiring 22 iterations.

As shown in [KY76], this program takes on average 11/3 coin tosses to output a dice throw and this value is optimal. The expected time can be calculated by in PRISM through the formula

$$R=?[Fs=7]$$

Performing this verification in PRISM using iterative numerical methods, we find that the expected number of coin tosses is indeed 11/3 (up to an accuracy of six decimal places), requiring 21 iterations.

#### Sum of two dice

To generate the sum of two dice throws using the above program using PRISM, we combine two such processes in asynchronous parallel composition as follows:

```
// sum of two dice as the asynchronous parallel composition of
 // two copies of Knuth's model of a fair die using only fair coins
mdp
module die1
        // local state
        s1 : [0...7] init 0;
        // value of the dice
        d1 : [0..6] init 0;
        [] s1=0 \rightarrow 0.5 : (s1'=1) + 0.5 : (s1'=2);
        [] s1=1 \rightarrow 0.5 : (s1'=3) + 0.5 : (s1'=4);
        [] s1=2 \rightarrow 0.5 : (s1'=5) + 0.5 : (s1'=6);
        [] s1=3 \rightarrow 0.5 : (s1'=1) + 0.5 : (s1'=7) & (d1'=1);
        [] s1=4 \rightarrow 0.5 : (s1'=7) & (d1'=2) + 0.5 : (s1'=7) & (d1'=3);
        [] s1=5 \rightarrow 0.5 : (s1'=7) & (d1'=4) + 0.5 : (s1'=7) & (d1'=5);
        [] s1=6 \rightarrow 0.5 : (s1'=2) + 0.5 : (s1'=7) & (d1'=6);
        [] s1=7 \& s2=7 \rightarrow (s1'=7);
 endmodule
module die2 = die1 [ s1=s2, s2=s1, d1=d2 ] endmodule
 rewards "coin flips"
        [] s1<7 | s2<7 : 1;
 endrewards
```

To prove the above program is correct for calculating the sum of two dice, we show that, both the minimum and maximum probability of reaching a state where s1=7, s2=7 and d1+d2=k for k=2,...,12 is:

k:	probability:
2	1/36
3	1/18
4	3/36
5	1/9
6	5/36
7	1/6
8	5/36
9	1/9
10	3/36
11	1/18
12	1/36

In PRISM this corresponds to verifying the formulae:

Pmin=?[ F s1=7 & s2=7 & d1+d2=k] and Pmax=?[ F s1=7 & s2=7 & d1+d2=k]

for k=2,...,12.

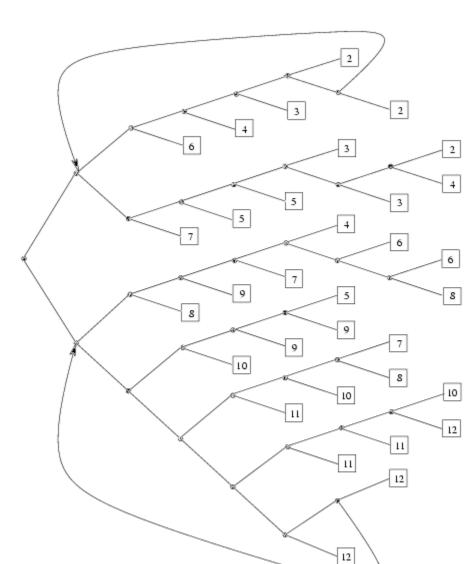
Performing this verification in PRISM we find that the probabilities for each k is as shown in the table and each calculation requires 29 iterations.

Again we can calculate the expected number of coin flips, in this case the minimum and maximum number of coin flips can be calculated through the following formulae:

Rmin=?[ F s1=7 & s2=7 ] and Rmax=?[ F s1=7 & s2=7 ]

Verifying these properties we find that the both the minimum and maximum number of coin flips to find the sum of two dice is 22/3 (two times the expected time to find the value of one dice).

We note that this approach is not optimal and [KY76] shows that the optimal program has an expected 79/18 coin flips and is realized by the following program:



The PRISM code for this program is given below. Note that verifying the formula R=?[Fs=34] with PRISM does indeed show that the expected number of coin flips in this case is 79/18 (up to an accuracy of six decimal places), requiring 21 iterations.

```
// optimal program for the sum of two dice

dtmc

module sum_of_two_dice

    // local state
    s : [0..34] init 0;
    // total of two dice
    d : [0..12] init 0;
```

```
[] s=0 \rightarrow 0.5 : (s'=1) + 0.5 : (s'=2);
[] s=1 \rightarrow 0.5 : (s'=3) + 0.5 : (s'=4);
[] s=2 \rightarrow 0.5 : (s'=5) + 0.5 : (s'=6);
[] s=3 \rightarrow 0.5 : (s'=7) + 0.5 : (s'=34) & (d'=6);
[] s=4 \rightarrow 0.5 : (s'=8) + 0.5 : (s'=34) & (d'=7);
[] s=5 \rightarrow 0.5 : (s'=9) + 0.5 : (s'=34) & (d'=8);
[] s=6 \rightarrow 0.5 : (s'=10) + 0.5 : (s'=11);
[] s=7 \rightarrow 0.5 : (s'=12) + 0.5 : (s'=34) & (d'=4);
[] s=8 \rightarrow 0.5 : (s'=13) + 0.5 : (s'=34) & (d'=5);
[] s=9 \rightarrow 0.5 : (s'=14) + 0.5 : (s'=34) & (d'=9);
[] s=10 \rightarrow 0.5 : (s'=15) + 0.5 : (s'=34) & (d'=10);
[] s=11 \rightarrow 0.5 : (s'=16) + 0.5 : (s'=17);
[] s=12 \rightarrow 0.5 : (s'=18) + 0.5 : (s'=34) & (d'=3);
[] s=13 \rightarrow 0.5 : (s'=19) + 0.5 : (s'=34) & (d'=5);
[] s=14 \rightarrow 0.5 : (s'=20) + 0.5 : (s'=34) & (d'=7);
[] s=15 \rightarrow 0.5 : (s'=21) + 0.5 : (s'=34) & (d'=9);
[] s=16 \rightarrow 0.5 : (s'=22) + 0.5 : (s'=34) & (d'=11);
[] s=17 \rightarrow 0.5 : (s'=23) + 0.5 : (s'=24);
[] s=18 \rightarrow 0.5 : (s'=25) + 0.5 : (s'=34) & (d'=2);
[] s=19 \rightarrow 0.5 : (s'=26) + 0.5 : (s'=34) & (d'=3);
[] s=20 \rightarrow 0.5 : (s'=27) + 0.5 : (s'=34) & (d'=4);
[] s=21 \rightarrow 0.5 : (s'=34) & (d'=5) + 0.5 : (s'=34) & (d'=9);
[] s=22 \rightarrow 0.5 : (s'=28) + 0.5 : (s'=34) & (d'=10);
[] s=23 \rightarrow 0.5 : (s'=29) + 0.5 : (s'=34) & (d'=11);
[] s=24 \rightarrow 0.5 : (s'=30) + 0.5 : (s'=34) & (d'=12);
[] s=25 \rightarrow 0.5 : (s'=1) + 0.5 : (s'=34) & (d'=2);
[] s=26 \rightarrow 0.5 : (s'=31) + 0.5 : (s'=34) & (d'=3);
[] s=27 \rightarrow 0.5 : (s'=32) + 0.5 : (s'=34) & (d'=6);
[] s=28 \rightarrow 0.5 : (s'=34) & (d'=7) + 0.5 : (s'=34) & (d'=8);
[] s=29 \rightarrow 0.5 : (s'=33) + 0.5 : (s'=34) & (d'=11);
[] s=30 \rightarrow 0.5 : (s'=2) + 0.5 : (s'=34) & (d'=12);
[] s=31 \rightarrow 0.5 : (s'=34) & (d'=2) + 0.5 : (s'=34) & (d'=4);
[] s=32 \rightarrow 0.5 : (s'=34) & (d'=6) + 0.5 : (s'=34) & (d'=8);
[] s=33 \rightarrow 0.5 : (s'=34) & (d'=10) + 0.5 : (s'=34) & (d'=12);
[] s=34 \rightarrow (s'=34);
```

#### endmodule

rewards "coin flips"

return die

```
[] s<34 : 1;
endrewards
```

# Python implementation and experiments

```
Value of a die

def rolloneDie():
    state = 0
    die = 0

while (state != 7) and (die == 0) :
        if state == 0 :
            state = np.random.choice([1, 2], p=[0.5, 0.5])
        if state == 1 :
            state = np.random.choice([3, 4], p=[0.5, 0.5])
        if state == 2 :
            state = np.random.choice([5, 6], p=[0.5, 0.5])
        if state == 3 :
            state = np.random.choice([1, 7], p=[0.5, 0.5])
        if state == 7:
            die = 1

        if state == 4 :
            state = 7
            die = np.random.choice([2, 3], p=[0.5, 0.5])
        if state == 5 :
            state = 7
            die = np.random.choice([4, 5], p=[0.5, 0.5])
        if state == 6 :
            state = np.random.choice([2, 7], p=[0.5, 0.5])
        if state == 2:
            die = 6
        if state == 7:
            die = 6
        }
```

## Value of two dice

```
def rollTwoDice():
    state = 0
    dice = 0
    while (state != 34)    and (dice == 0):
        if state == 0:
            state = mp.random.choice([1, 2], p=[0.5, 0.5])
        if state == 1:
            state = np.random.choice([3, 4], p=[0.5, 0.5])
        if state == 2:
            state = np.random.choice([5, 6], p=[0.5, 0.5])
        if state == 3:
            state = np.random.choice([7, 34], p=[0.5, 0.5])
        if state == 34:
            dice = 6

        if state == 4:
            state = np.random.choice([8, 34], p=[0.5, 0.5])
        if state == 34:
            dice = 7

        if state == 34:
            dice = 8

        if state == 34:
        if state == 34:
            dice = 8

        if state == 7:
        state = np.random.choice([0, 34], p=[0.5, 0.5])
        if state == 7:
        state = np.random.choice([12, 34], p=[0.5, 0.5])
        if state == 34:
            dice = 4

        if state == 8:
        state = np.random.choice([13, 34], p=[0.5, 0.5])
        if state == 8:
        state = np.random.choice([14, 34], p=[0.5, 0.5])
        if state == 34:
            dice = 5

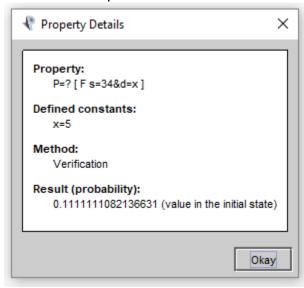
        if state == 9:
        state = np.random.choice([14, 34], p=[0.5, 0.5])
        if state == 34:
            dice = 5

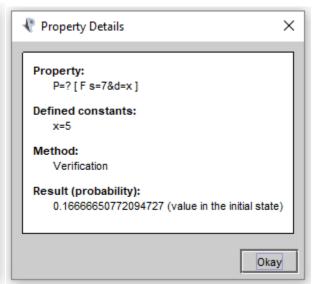
        if state == 10:
        state = np.random.choice([15, 34], p=[0.5, 0.5])
        if state == 10:
        state = np.random.choice([15, 34], p=[0.5, 0.5])
```

```
if state == 11:
    state = np.random.choice([16, 17], p=[0.5, 0.5])
     if state == 34:
    dice = 3
if state == 13:
    state = np.random.choice([19, 34], p=[0.5, 0.5])
     if state == 34:
     state = np.random.choice([20, 34], p=[0.5, 0.5])
     if state ==
    dice = 7
if state == 15:
    state = np.random.choice([21, 34], p=[0.5, 0.5])
     state = np.random.choice([23, 24], p=[0.5, 0.5])
     if state == 34:
    dice = 2
if state == 19:
    state = np.random.choice([34, 26], p=[0.5, 0.5])
     if state == 34:
    dice = 4
if state == 21:
    dice = np.random.choice([5, 9], p=[0.5, 0.5])
state = 34
if state == 22:
     if state == 34:
    dice = 10
     if state == 34:
    dice = 11
     if state == 34:
    dice = 12
if state == 25:
    state = np.random.choice([1, 34], p=[0.5, 0.5])
     if state == 34:
dice = 2
     if state == 34:
    dice = 3
if state == 27:
    state = np.random.choice([34, 32], p=[0.5, 0.5])
if state == 28:
    dice = np.random.choice([7, 8], p=[0.5, 0.5])
if state == 29:
     if state == 34:
    dice = 11
     if state == 34:
    dice = 12
```

```
dice = np.random.choice([2, 4], p=[0.5, 0.5])
if state == 32:
    dice = np.random.choice([6, 8], p=[0.5, 0.5])
if state == 33:
    dice = np.random.choice([10, 12], p=[0.5, 0.5])
    state = 34
if state == 34:
    break
return dice
```

#### **Experiments**





	Step		sum_of_two_dice		Rewards
	Action	#	s	d	["coin_flips"]
Ċ		0	0	0	1
	sum_of_two_dice	1	1	0	1
	sum_of_two_dice	2	4	0	1
	sum_of_two_dice	3	8	0	1
	sum_of_two_dice	4	13	0	1
	sum_of_two_dice	5	34	5	0
	sum_of_two_dice	6	34	5	?

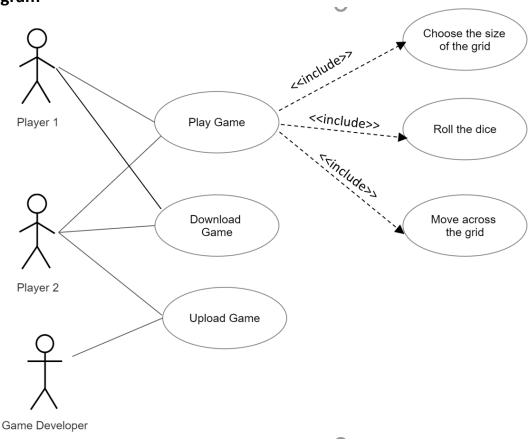
Python implementation for the probability of obtaining a certain number on the die:

#### The probability of getting 5 using two dice is: 0.12

Of course, this might give different results every time we call the function, because it is not a straight-forward and easy way to compute the probability using dynamically and randomly results in Python. Therefore, we will run this multiple times and compute the average, in that way, the probability should be as accurate as possible.



# b. Use case diagram



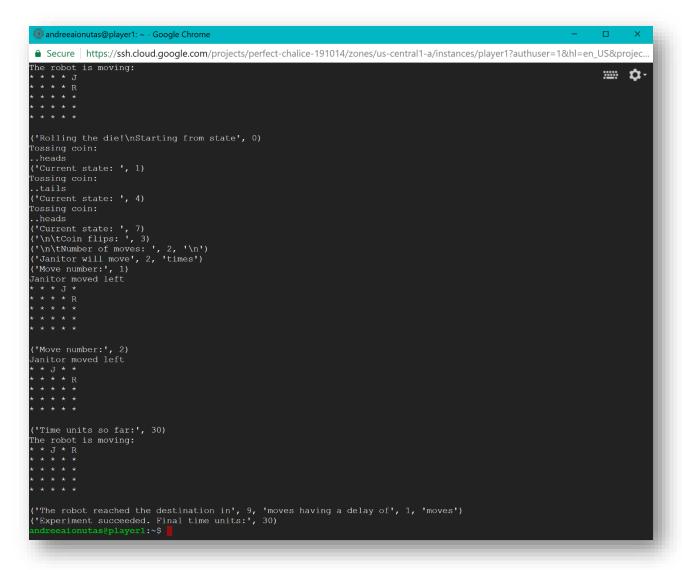
## **Basic Scenario:**

Actor (player) downloads the game from another player or from the Game Developer.

Player starts playing the game. He has to introduce the number of grids for the game and the number of dice to be rolled (1 or 2).

```
andreeaionutas@player1:~$ python randobot.py
Choose the n size of the grid (n x n): 5
Number of dice to be rolled: (1/2): 1
```

The game will set a goal to be reached in a number of steps and unit times and start to move the robot and the janitor according to the game rules.



# 3. Architecture and design

The design solution must be:

- validated
- compared with competing solutions (other randomized distributed algorithms)

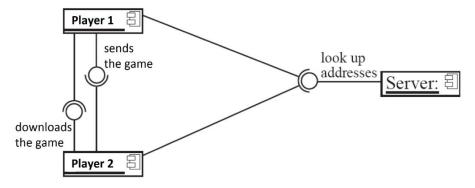
In this presentation we focus on designing reliable software components deployed on a computing architecture. We employ an approach based on formal analysis and design - PRISM model checker, process algebras <a href="https://www.prismmodelchecker.org">www.prismmodelchecker.org</a>:

- Implementation-independent design
- Model based performance analysis, reliability.

Develop functional models and quantitative aspects involving real-time and statistical issues. Implementation: Python.

Architectural patterns: Peer-to-Peer





# 4. PRISM model validation

# RandoBot probabilities and statistics (Python implementation):

Number	Grid	Number	Success	Average	Average			
of runs	size	of dice	probability	time units	coin flips			
	3x3	1	0.83	57	46			
	3x3	2	0.96	89	63			
	4x4	1	0.86	96	89			
	4x4	2	0.90	134	116			
100	ГуГ	1	0.04	22	20			
100	5x5		0.94	33	29			
	5x5	2	0.99	66	37			
	6x6	1	0.73	131	211			
	6x6	2	0.86	263	276			
	OXO		0.80	203	270			
	3x3	1	0.88	56	48			
	3x3	2	0.94	111	61			
	4x4	1	0.83	107	90			
	4x4	2	0.91	212	116			
1000		4	0.04	2.4	20			
1000	5x5	1	0.94	34	29			
	5x5	2	0.98	67	36			
	CC	1	0.72	1.42	244			
	6x6	1	0.72	143	211			
	6x6	2	0.82	291	276			

## Success probability:

We obtained these results by using the following python implementation: We create an array in which we store the results of the getProbability() function that returns 1 for success and 0 for failure. Then we count the number of 1's in the array and we divide by the number of runs (also the length of the array).

```
arrayProbability
    arrayProbability.append(getProbability(gridSize, nrOfDice))
while(iterator<len(arrayProbability)):</pre>
    if arrayProbability[iterator] == 1 :
```

```
rateOfSuccess = 100*successes/len(arrayProbability)
print(rateOfSuccess)
```

```
Results for 100 runs:

3x3 with 1 die: 0.83 prob. of success
3x3 with 2 dice: 0.96 prob. of success
4x4 with 1 die: 0.86 prob. of success
4x4 with 2 dice: 0.90 prob. of success
5x5 with 1 die: 0.94 prob. of success
4x4 with 2 dice: 0.90 prob. of success
5x5 with 1 die: 0.94 prob. of success
5x5 with 2 dice: 0.99 prob. of success
5x5 with 2 dice: 0.99 prob. of success
6x6 with 1 die: 0.73 prob. of success
6x6 with 2 dice: 0.86 prob. of success
6x6 with 2 dice: 0.82 prob. of success
6x6 with 2 dice: 0.82 prob. of success
```

## Average time units:

A time unit means an action taken by either the Janitor or the Robot.

We obtained the following results by storing in an array the time units returned by the getTimeUnits() functions, then summing them up and dividing by the number of runs which is in fact the length of the array. (Mean value)

```
arrayTimeUnits = []

for k in range (0, nrOfRuns):
    arrayTimeUnits.append(getTimeUnits(gridSize, nrOfDice))
iterator = 0
while(iterator<len(arrayTimeUnits)):
        timeUnitsSum += arrayTimeUnits[iterator]
    iterator += 1

averageTimeUnits = timeUnitsSum/len(arrayTimeUnits)
print(averageTimeUnits)</pre>
```

```
Results for 100 runs:

3x3 with 1 die: 57.73 av. time units

3x3 with 2 dice: 89.11 av. time units

4x4 with 1 die: 96.75 av. time units

4x4 with 2 dice: 134.64 av. time units

5x5 with 1 die: 33.98 av. time units

5x5 with 2 dice: 66.23 av. time units

5x5 with 2 dice: 66.23 av. time units

6x6 with 1 die: 131.79 av. time units

6x6 with 2 dice: 263.8 av. time units

6x6 with 2 dice: 263.8 av. time units

6x6 with 2 dice: 291.455 av. time units
```

## Average coin flips:

The number of coin flips represents the required number of state-changes to obtain a value on the die, such that the janitor will be able to take a number of actions. The results were obtained using the following implementation in python:

```
arrayCoinFlips = []

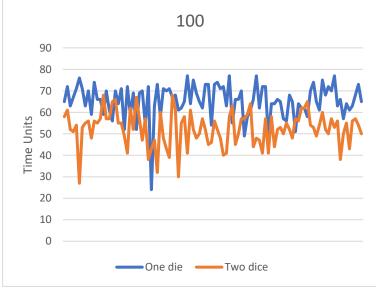
for k in range (0, nrOfRuns):
    arrayCoinFlips.append(getCoinFlips(gridSize, nrOfDice))
iterator = 0
while(iterator<len(arrayCoinFlips)):
    CoinFlipsSum += arrayCoinFlips[iterator]
    iterator += 1
averageCoinFlips = CoinFlipsSum/len(arrayCoinFlips)
print(averageCoinFlips)</pre>
```

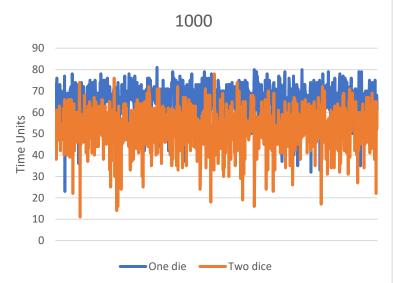
```
Results for 100 runs:

3x3 with 1 die: 46.81 av. coin flips
3x3 with 2 dice: 63.02 av. coin flips
4x4 with 1 die: 89.92 av. coin flips
4x4 with 2 dice: 116.62 av. coin flips
5x5 with 1 die: 29.31 av. coin flips
5x5 with 2 dice: 37.44 av. coin flips
6x6 with 1 die: 211.78 av. coin flips
6x6 with 2 dice: 276.38 av. coin flips
6x6 with 2 dice: 276.38 av. coin flips
6x6 with 2 dice: 276.696 av. coin flips
```

The following graph show the difference obtained by repeatedly playing the game on a 5x5 grid world, by using one die and two dice, analyzing the time units required for the robot to reach the destination.

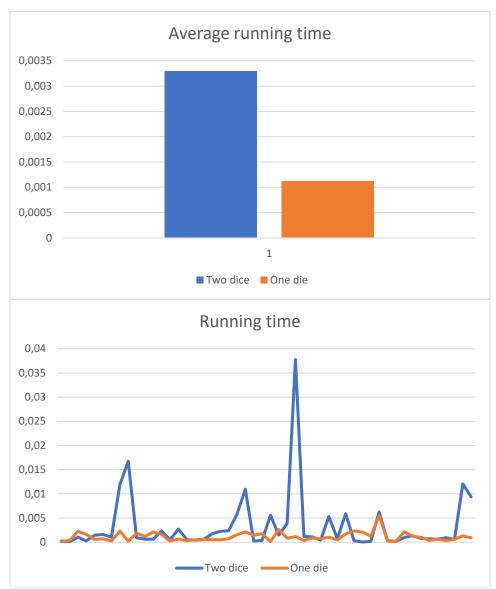






# **RandoBot performance tests:**

We computed the performance difference between using one die and two dices, based on the required running time by their implementation in python.



# 5. Implementation

# RandoBot.py

```
import numpy as np
robotPos = []
    state = 0
flips = 0
    state = np.random.choice([1, 2], p=[0.5, 0.5])
    elif state == 2:
    print("..tails")
    flips += 1
    while (state != 7) and (die == 0):
```

```
flips += 1
    state = np.random.choice([3, 4], p=[0.5, 0.5])
     if state == 3 :
    print("..heads")
elif state == 4 :
         print("..tails")
if state == 2 :
    flips += 1
     elif state == 6 :
if state == 3 :
    flips += 1
    tm.sleep(0.3)
state = np.random.choice([1, 7], p=[0.5, 0.5])
     if state =
    print("Current state: ", state)
    flips += 1
    die = np.random.choice([2, 3], p=[0.5, 0.5])
     if die == 2:
    elif die == 3:
    print("..tails")
if state == 5 :
    flips += 1
    die = np.random.choice([4, 5], p=[0.5, 0.5])
         print("..heads")
    elif die =
    state == 6
flips += 1
    state = np.random.choice([2, 7], p=[0.5, 0.5])
    elif state == 7:
         print("..tails")
```

```
print("Current state: ", state)
    if 0<die<7</pre>
        print("\n\tCoin flips: ", flips)
        return die
def rollTwoDice():
   state = 0
flips = 0
   print("Rolling the dice!\nStarting from state", state)
   while (state != 34) and (dice == 0):
    if state == 0:
            state = np.random.choice([1, 2], p=[0.5, 0.5])
                print("..tails")
            flips += 1
state == 1:
        if state =
            print("Tossing coin:")
            state = np.random.choice([3, 4], p=[0.5, 0.5])
             if state
            flips +
        if state == 2:
            print("Tossing coin:")
            state = np.random.choice([5, 6], p=[0.5, 0.5])
            flips += 1
                 print("..tails")
            state = np.random.choice([7, 34], p=[0.5, 0.5])
            flips += 1
            if state == 7:
                print("..heads")
        if state ==
            state = np.random.choice([8, 34], p=[0.5, 0.5]) flips += 1
                 dice =
        if state == 5:
            print("Tossing coin:")
            state = np.random.choice([9, 34], p=[0.5, 0.5])
            flips += 1
                 print("..heads")
            elif state == 34:
```

```
dice = 8
if state == 6:
    state = np.random.choice([10,11], p=[0.5, 0.5])
    flips += 1
    if state =:
        print("..heads")
    elif state == 11 :
        print("..tails")
print("Current state: ", state)
if state == 7:
    state = np.random.choice([12, 34], p=[0.5, 0.5])
    flips += 1
    if state == 12:
        print("..heads")
    elif state == 34:
        print("..tails")
        dice = 4
    print("Current state: ", state)
    flips +
        print("..tails")
    state = np.random.choice([14, 34], p=[0.5, 0.5])
    flips += 1
        print("..heads")
    elif state == 34:
        print("..tails")
dice = 9
    print("Current state: ", state)
    state = np.random.choice([15, 34], p=[0.5, 0.5])
    flips += 1
    if state == 15:
        print("..heads")
if state =
    state = np.random.choice([16, 17], p=[0.5, 0.5])
flips += 1
if state == 12:
    print("Tossing coin:")
    state = np.random.choice([18, 34], p=[0.5, 0.5])
    flips += 1
        print("..heads")
    elif state == 34:
```

```
dice =
    state = np.random.choice([19, 34], p=[0.5, 0.5])
    flips += 1
        print("..heads")
    elif state == 34:
        print("..tails")
dice = 5
    state = np.random.choice([20, 34], p=[0.5, 0.5])
flips += 1
    if state =:
        print("..heads")
    state = np.random.choice([21, 34], p=[0.5, 0.5])
flips += 1
if state == 16:
    state = np.random.choice([22, 34], p=[0.5, 0.5])
    flips += 1
    elif state == 34:
    print("..tails")
         dice = 11
    state = np.random.choice([23, 24], p=[0.5, 0.5])
    if state == 23 :
    print("..heads")
    elif state == 24 :
    flips += 1
state == 18:
    state = np.random.choice([34, 25], p=[0.5, 0.5]) flips += 1
    print("Current state: ", state)
    state = np.random.choice([34, 26], p=[0.5, 0.5])
    flips += 1
        print("..heads")
```

```
elif state == 26:
    state = np.random.choice([34, 27], p=[0.5, 0.5]) flips += 1
    dice = 4
elif state == 27:
    dice = np.random.choice([5, 9], p=[0.5, 0.5])
    flips += 1
        print("..heads")
       print("..tails")
    state = 34
if state =
    print("Tossing coin:")
    state = np.random.choice([28, 34], p=[0.5, 0.5]) flips += 1
    print("Current state: ", state)
if state == 23:
    state = np.random.choice([29, 34], p=[0.5, 0.5]) flips += 1
        print("..tails")
if state == 24:
    state = np.random.choice([30, 34], p=[0.5, 0.5])
    flips += 1
        print("..heads")
        print("..tails")
    print("Current state: ", state)
if state =
    state = np.random.choice([1, 34], p=[0.5, 0.5])
flips += 1
        print("..heads")
    elif state == 34:
    print("Current state: ", state)
    flips += 1
```

```
elif state == 34:
        print("..tails")
    print("Current state: ", state)
    flips += 1
    if state == 34:
    print("..heads")
    dice = 6
elif state == 32:
if state == 28:
    print("Tossing coin:")
    dice = np.random.choice([7, 8], p=[0.5, 0.5])
    if dice == 7:
    state = 34
    state = np.random.choice([33, 34], p=[0.5, 0.5])
    elif state == 34:
        print("..tails")
    state = np.random.choice([34, 2], p=[0.5, 0.5]) flips += 1
    if state == 34:
    print("..heads")
    dice = 12
elif state == 2:
if state == 31:
    print("Tossing coin:")
    dice = np.random.choice([2, 4], p=[0.5, 0.5])
    flips += 1
        print("..heads")
    elif dice == 4:
        print("..tails")
    dice = np.random.choice([6, 8], p=[0.5, 0.5])
    flips += 1
if dice == 6:
   print("Tossing coin:")
```

```
np.random.choice([10, 12], p=[0.5, 0.5])
            if dice == 10:
                print("..tails")
            state = 34
        print("\n\tCoin flips: ", flips)
        print("\n\tNumber of moves: ", dice,"\n")
        return dice
    for i in range(n):
        for j in range(n):
            if i == xR and j == yR:
    Matrix[i][j] = "R"
                Matrix[i][j] = "*"
    for row in Matrix:
    n = int(input("Choose the n size of the grid (n x n): "))
        maxTimeUnits = 100
maxTimeUnits, "time units.")
    tm.sleep(4)
    Matrix = [[0] * n for i in range(n)]
for x in range(n):
        robotPos.append((n-1, x))
        robotPos.append((y, n-1))
    deniedMoves = 0
    timeUnits = 0
    xR, yR = robotPos[v1][0], robotPos[v1][1]
    print_matrix(xJ, yJ, xR, yR)
    while not(xR == 0 and yR == n-1):
        if nrOfDice == 1:
            numberOfMoves
                            - rollOneDie()
        elif nrOfDice == 2:
            numberOfMoves = rollTwoDice()
        print("Janitor will move", numberOfMoves, "times")
        for i in range(0, numberOfMoves):
            timeUnits += 1
            randomPos = np.random.choice([0, 1, 2, 3], p=[0.25, 0.25, 0.25, 0.25])
            if randomPos == 0: # left y--
                     print("Janitor cannot move left, (Out of boundary)")
```

```
elif (yJ - 1 == yR) and (xJ)
                    print("Janitor moved left")
                    print matrix(xJ, yJ, xR, yR)
            if randomPos == 1: # up x--
                elif (xJ - 1 == xR) and (yJ == yR):
                    print("Janitor cannot move up, (Occupied by Robot)")
                    print("Janitor moved up")
                    print_matrix(xJ, yJ, xR, yR)
                randomPos == 2: # right y++
if (yJ + 1) >= n:
            if randomPos
                    print("Janitor cannot move right, (Out of boundary)")
                    print_matrix(xJ, yJ, xR, yR)
                elif (xJ + 1 == xR) and (yJ ==
                    print("Janitor moved down")
                    print matrix(xJ, yJ, xR, yR)
            print("Robot cannot move, (Occupied by Janitor)")
            deniedMoves += 1
        xR, yR = robotPos[v1][0], robotPos[v1][1]
        timeUnits += 1
        print matrix(xJ, yJ, xR, yR)
        if xR == 0 and yR == (n-1):
            print("The robot reached the destination in", v1+deniedMoves, "moves having a delay
of", deniedMoves, "moves")
            if (maxTimeUnits-timeUnits) < 0 :</pre>
                print("and", maxTimeUnits-timeUnits, "time units")
            if maxTimeUnits-timeUnits < 0 :</pre>
                print("Experiment failed. Timelimit exceeded")
                print("Experiment succeeded. Final time units:", timeUnits)
   print("Not a number")
```

#### Client.py

```
import socket
import sys
import threading
import pickle

try:
    s = socket.socket(socket.AF_INET, socket.SOCK_STREAM)
except socket.error, msg:
    print 'Failed to create socket. Error code: ' + str(msg[0]) + ' ,Error message: '+ msg[1]
    sys.exit()
```

```
sListen=socket.socket(socket.AF INET, socket.SOCK STREAM)
sListen.setsockopt(socket.SOL SOCKET, socket.SO REUSEADDR, 1)
portL = 8888
   sListen.bind(('',portL))
except socket.error, msg:
   print 'Bind failed. Error Code: ' + str(msg[0]) + ' Message: ' + msg[1]
   sys.exit()
sListen.listen(10)
print "Socket now listening"
      remote_ip = socket.gethostbyname(host)
   except socket.gaierror:
      print 'Hostname couldn\'t be resolved. Exiting'
      sys.exit()
   s.connect((remote ip, port))
   print 'Socket connected to ' + host + ' on ip ' + remote ip
   reply = s.recv(4096)
   print reply
   handleInput()
   s.close()
      input = raw input(">> ")
      if not input:
      elif input[0] is 'U':
         fileName = raw_input('Enter file name: ')
filePath = raw_input('Enter path: ')
message = 'SHARE_FILES\n'+fileName+' '+filePath
      elif input[0] is 'R':
         nickname = raw_input('Enter a nickname: ')
         message = 'REGISTER\n'+nickname
      elif input[0] is 'S':
         fileName = raw input('Enter file name to be searched: ')
            s.sendall(message)
            sys.exit()
         reply = s.recv(4096)
          if reply.split('\n')[0] == 'ERROR':
             print reply.split('\n')[1]
             sys.exit()
         usersHavingFile = eval(reply)
         if not usersHavingFile:
            print 'File not found'
         message = 'The following users have the file:\n'
          for user in usersHavingFile.keys():
            message = message + usersHavingFile[user]['nick'] + ' (' + user + ') (' +
usersHavingFile[user]['filePath'] + ') \n'
```

```
print message
        tryDownload(fileName, usersHavingFile)
     elif input is 'E':
        s.sendall(message)
        sys.exit()
     reply = s.recv(4096)
     print reply
  response = raw_i input('Write \"Q\" followed by the client IP for downloading file from that
client\n')
  response = response.strip()
  if response[0] == 'Q':
     s1 = socket.socket(socket.AF INET, socket.SOCK STREAM)
     peerIP = response.split(' ')[1]
     s1.connect((peerIP, portL))
     queryMessage = 'DOWNLOAD\n' + fileName + '\n' + usersHavingFile[peerIP]['filePath']
        s1.sendall(queryMessage)
     except socket.error:
        sys.exit()
     chunk = s1.recv(100)
     while chunk.strip() != 'SHUT WR':
         if chunk.split('\n')[0] == 'ERROR':
           print chunk.split('\n')[0]+' '+chunk.split('\n')[1]
           flag:
        fw.write(chunk)
        chunk = s1.recv(100)
      fw.close()
     s1.close()
def listenForSharing(sListen):
     conn, addr = sListen.accept()
     data = conn.recv(1024)
     if data.split('\n')[0]=='DOWNLOAD':
        fileName = data.split('\n')[1]
        filePath = data.split('\n')[2]
        print filePath+fileName
            fr = open(filePath+fileName,'rb')
```

```
chunk = fr.read()
      conn.send(chunk)
      conn.sendall('SHUT WR')
      fr.close()
sListen.close()
host = sys.argv[1]
port = int(sys.argv[2])
print host
print port
if name == ' main ':
   t = threading. Thread(target = client, args=(host, port, s, portL))
   t.start()
   t2 = threading.Thread(target = listenForSharing, args = (sListen,))
   t2.daemon = True
   t2.start()
sListen.close()
```

#### Server.py

```
import socket
import sys
from thread import *
host = '10.132.0.2'
port = 55555
s=socket.socket(socket.AF INET, socket.SOCK STREAM)
s.setsockopt(socket.SOL SOCKET, socket.SO REUSEADDR, 1)
   s.bind((host, port))
except socket.error, msq:
   print 'Bind failed. Error Code: ' + str(msg[0]) + ' Message: ' + msg[1]
   sys.exit()
print 'Socket bind complete'
s.listen(10)
print 'Socket now listening'
activePeers = []
users = {}
   conn.send('Commands:\n 1. R - register with an username to the server\n 2. U - upload a file to
   activePeers.append(addr[0])
       if not data:
       if data.split('\n')[0] == 'REGISTER':
       functions.register(conn, addr, data.split('\n')[1]) elif data.split('\n')[0] == 'SHARE_FILES':
          functions.share(conn, addr, data.split('\n')[1])
       elif data.split('\n')[0] == 'SEARCH':
           functions.search(conn, addr, data.split('\n')[1], activePeers)
   activePeers.remove(addr[0])
   conn.close()
```

```
while 1:
    conn, addr = s.accept()
    print 'Connected with ' + addr[0] + ':' + str(addr[1])
    start_new_thread(clientthread, (conn,addr))
s.close()
```

#### Functions.py

```
import pickle
      users = pickle.load(open("users", "rb"))
      users = {}
      pickle.dump(users, open("users", "wb"))
      nickname = users[addr[0]]['nick']
      conn.sendall('User already registered with nickname '+nickname)
      users[addr[0]] = {}
      users[addr[0]]['nick'] = nick
   pickle.dump(users,open("users","wb"))
      users = pickle.load(open("users", "rb"))
      conn.sendall('You need to register first')
      nickname = users[addr[0]]['nick']
      conn.sendall('You need to register first')
   fileName = file.split(' ')[0]
   pickle.dump(users, open("users", "wb"))
   conn.sendall('File '+fileName+' added')
      users = pickle.load(open("users", "rb"))
      conn.sendall('ERROR\nNo users registered till now')
   usersHavingFile = {}
   userList = users.keys()
for user in userList:
         if user in activePeers
            usersHavingFile[user] = {}
            usersHavingFile[user]['nick'] = users[user]['nick']
```

```
usersHavingFile[user]['filePath'] = users[user]['fileList'][fileName]
   conn.sendall(str(usersHavingFile))
def checkDB(conn):
      users = pickle.load(open("users", "rb"))
      conn.sendall('File doesn\'t exist')
```