

# Identifying Fraud from Enron Email

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## Dataset and Question

### Data Exploration

Enron was one of the largest companies in U.S. in 2000, and it collapsed into bankruptcy due to corporate fraud. In this project I will try to build machine learning algorithms to predict whether a person in the company took part in the fraud (POI or non-POI). There are 146 data points with 20 features and one label (`poi`) in our dataset. 18 data points (12.3%) are POI and 128 (87.7%) are non-POI. There are many missing values in the dataset, for example `loan_advances`, `director_fees`, `restricted_stock_deferred`, `deferral_payments`, `deferred_income` and `long_term_incentive` have more than 50% of missing values.

| feature                                | count of missing values | percent of missing values |
|--|-------------------------|---------------------------|
| <code>loan_advances</code>             | 142                     | 97.3%                     |
| <code>director_fees</code>             | 129                     | 88.4%                     |
| <code>restricted_stock_deferred</code> | 128                     | 87.7%                     |
| <code>deferral_payments</code>         | 107                     | 73.3%                     |
| <code>deferred_income</code>           | 97                      | 66.4%                     |
| <code>long_term_incentive</code>       | 80                      | 54.8%                     |
| <code>bonus</code>                     | 64                      | 43.8%                     |
| <code>to_messages</code>               | 60                      | 41.1%                     |
| <code>shared_receipt_with_poi</code>   | 60                      | 41.1%                     |
| <code>from_messages</code>             | 60                      | 41.1%                     |
| <code>from_this_person_to_poi</code>   | 60                      | 41.1%                     |
| <code>from_poi_to_this_person</code>   | 60                      | 41.1%                     |
| <code>other</code>                     | 53                      | 36.3%                     |
| <code>salary</code>                    | 51                      | 34.9%                     |
| <code>expenses</code>                  | 51                      | 34.9%                     |
| <code>exercised_stock_options</code>   | 44                      | 30.1%                     |
| <code>restricted_stock</code>          | 36                      | 24.7%                     |
| <code>email_address</code>             | 35                      | 24.0%                     |
| <code>total_payments</code>            | 21                      | 14.4%                     |
| <code>total_stock_value</code>         | 20                      | 13.7%                     |

### Outlier

There is one outlier in the data set, whose name is “TOTAL”, “TOTAL” is not a person name and its financial feature value is total of all people’s financial value, other value is missing, `poi` is False. I just remove this outlier.

### Add new feature

I add new feature `bonus_vs_total_payments` which means percent of bonus over total payments of an Enron insider. The formula is `bonus_vs_total_payments = bonus / total_payments`. I think that the larger

percent of bonus over total payments of an Enron insider, the more probable that this Enron insider take part in POI. Adding this feature do help improve performance of Naive Bayes algorithm, and it does not improve performance of Decision Tree.

## Evaluation and validation

We would like to fit some machine learning models and evaluate their performance. We see that this dataset is biased, we could still get 87.7% accuracy if we predict all data to be non-POI, so only accuracy would not be good evaluation of prediction performance. We are more concerned to recognize POI, that is when a person is POI, we want the probability to recognize them is high. If we predict all people as POI, then all people that is POI will be recognized as POI, we do not want that, we also want that if a person is predicted as POI, the probability that the person is POI is high. Therefore we need to use both recall and precision to evaluate machine learning performance in this dataset.

$$accuracy = \frac{\text{number of people that are correctly predicted as POI or non-POI}}{\text{number of all people in the dataset}}$$

$$recall = \frac{\text{number of people that are predicted as POI and they are actually POI}}{\text{number of people are actually POI}}$$

$$precision = \frac{\text{number of people that are predicted as POI and they are actually POI}}{\text{number of people that are predicted as POI}}$$

To avoid overfitting, we need to split the dataset into training dataset and testing dataset, and I make sure that percent of POI in both training and testing dataset is same by using `StratifiedShuffleSplit`. Since we only have 145 datasets after removing outlier “TOTAL”, our dataset is small. To avoid that our performance is due to chance, I use 1000-fold cross-validation. In other words, for every machine learning algorithm I randomly split the data into training and testing dataset 1000 times, and fit algorithm and calculate performance 1000 times, and get average performance as performance of the algorithm.

## Pick and Tune algorithms

### Naive Bayes (GaussianNB)

#### Use `SelectKBest`

1. Initially choose all 19 features, create an empty table
2. While there are still remaining features
  - 2.1 fit a naive bayes model (`naive_bayes.GaussianNB`) using remaining features
  - 2.2 if both recall and precision is greater than 35%, add features and performance to the table
  - 2.3 use `SelectKBest` to remove the worst feature
3. Output the table

| features  | accuracy | recall | precision |
|---|----------|--------|-----------|
| exercised_stock_options,deferred_income,total_stock_value,bonus,<br>restricted_stock,long_term_incentive,salary | 0.8467   | 0.384  | 0.4566    |
| exercised_stock_options,deferred_income,total_stock_value,bonus,<br>long_term_incentive,salary                  | 0.8471   | 0.37   | 0.4568    |
| exercised_stock_options,deferred_income,total_stock_value,bonus,salary  | 0.8546   | 0.3805 | 0.4888    |
| exercised_stock_options,total_stock_value,bonus   | 0.843    | 0.351  | 0.4858    |

From the table we see that best features for Naive Bayes are **exercised\_stock\_options**, **deferred\_income**, **total\_stock\_value**, **bonus** and **salary**. We get 38.1% recall and 48.9% precision.

### Adding new feature **bonus\_vs\_total\_payments** and use **SelectKBest**

| features  | accuracy | recall | precision |
|---|----------|--------|-----------|
| exercised_stock_options,deferred_income,total_stock_value,bonus,<br>restricted_stock,long_term_incentive,salary,bonus_vs_total_payments | 0.8381   | 0.352  | 0.4203    |
| exercised_stock_options,deferred_income,total_stock_value,bonus,<br>long_term_incentive,salary,bonus_vs_total_payments                  | 0.8437   | 0.3515 | 0.441     |
| exercised_stock_options,total_stock_value,bonus,bonus_vs_total_payments   | 0.8522   | 0.391  | 0.5266    |
| exercised_stock_options,total_stock_value,bonus   | 0.843    | 0.351  | 0.4858    |

From the table we see that after adding new feature **bonus\_vs\_total\_payments**, best features for Naive Bayes are **exercised\_stock\_options**, **total\_stock\_value**, **bonus**, **bonus\_vs\_total\_payments**. We get 39.1% recall and 52.7% precision, so adding new feature **bonus\_vs\_total\_payments** do really help improve Naive Bayes algorithm.

### Use **PCA** for dimension reduction

I would try to using 2 to 19 PCA components to fit naive bayes, and find best algorithms. Below is result.

| principle components | accuracy | recall | precision |
|----------------------|----------|--------|-----------|
| 2                    | 0.8736   | 0.284  | 0.5504    |
| 3                    | 0.8735   | 0.284  | 0.5493    |
| 4                    | 0.8645   | 0.2665 | 0.485     |
| 5                    | 0.86     | 0.236  | 0.4521    |
| 6                    | 0.8607   | 0.236  | 0.4569    |
| 7                    | 0.8504   | 0.2365 | 0.3975    |
| 8                    | 0.8535   | 0.3515 | 0.4386    |
| 9                    | 0.8549   | 0.3515 | 0.4441    |
| 10                   | 0.8537   | 0.351  | 0.439     |
| 11                   | 0.8645   | 0.351  | 0.4885    |
| 12                   | 0.8625   | 0.351  | 0.4789    |
| 13                   | 0.8493   | 0.291  | 0.4087    |
| 14                   | 0.8213   | 0.3245 | 0.3279    |
| 15                   | 0.8172   | 0.335  | 0.3218    |
| 16                   | 0.8041   | 0.3365 | 0.2947    |
| 17                   | 0.7985   | 0.344  | 0.2868    |
| 18                   | 0.7981   | 0.3295 | 0.2808    |
| 19                   | 0.8017   | 0.4065 | 0.3126    |

From the table we see that best result is using 11 principal components, we get 35.1% recall and 48.8% precision.

### Use **Feature Scaling**, then use **PCA**

First I do min-max feature scale, then I choose 2 to 19 principal components, and fit a naive bayes.

| principal components | accuracy | recall | precision |
|----------------------|----------|--------|-----------|
| 2                    | 0.8538   | 0.334  | 0.4369    |
| 3                    | 0.8501   | 0.334  | 0.4215    |
| 4                    | 0.8215   | 0.335  | 0.332     |
| 5                    | 0.8315   | 0.385  | 0.3723    |
| 6                    | 0.8265   | 0.387  | 0.36      |
| 7                    | 0.8311   | 0.435  | 0.3826    |
| 8                    | 0.8342   | 0.439  | 0.3914    |
| 9                    | 0.8308   | 0.426  | 0.38      |
| 10                   | 0.8279   | 0.4155 | 0.3705    |
| 11                   | 0.8181   | 0.417  | 0.3481    |
| 12                   | 0.8274   | 0.419  | 0.37      |
| 13                   | 0.8133   | 0.41   | 0.3359    |
| 14                   | 0.8066   | 0.411  | 0.323     |
| 15                   | 0.8017   | 0.403  | 0.3117    |
| 16                   | 0.8005   | 0.397  | 0.3078    |
| 17                   | 0.7991   | 0.397  | 0.3053    |
| 18                   | 0.7918   | 0.4025 | 0.2945    |
| 19                   | 0.7855   | 0.4205 | 0.2901    |

Add min-max scale, the best result now is using 8 principal components, with 43.9% recall and 39.1% precision.

## Decision Tree

I would like to fit a decision tree as best as I can. Feature scaling does not affect decision tree, so I want do feature scaling in this part. Below is how I do feature selection. (Since the result is random, so I run 50 times, and get 10 results where recall+precision > 1).

1. Initially choose all 19 features
2. while there are still remaining features
  - 2.1 use remaining features to fit a new decision tree model [`DecisionTreeClassifier()`] and calculate Gini importance, recall, precision and accuracy
  - 2.2 if some features have 0 Gini importance, remove these features
  - 2.3 if all features have Gini importance larger than 1, remove 1 feature with lowest Gini importance
3. Output best features, accuracy, recall and precision with largest recall + precision

| features   | accuracy | recall | precision |
|--|----------|--------|-----------|
| deferred_income,exercised_stock_options,expenses                             | 0.8593   | 0.502  | 0.5076    |
| deferred_income,exercised_stock_options,expenses                             | 0.8609   | 0.506  | 0.5132    |
| deferred_income,exercised_stock_options,expenses                             | 0.8619   | 0.5095 | 0.5167    |
| exercised_stock_options,expenses,from_this_person_to_poi,other               | 0.8681   | 0.4925 | 0.5421    |
| exercised_stock_options,expenses,from_this_person_to_poi,other               | 0.8665   | 0.4905 | 0.5358    |
| exercised_stock_options,expenses,from_this_person_to_poi,long_term_incentive | 0.8578   | 0.5055 | 0.5022    |
| deferred_income,exercised_stock_options,expenses                             | 0.8606   | 0.5055 | 0.5124    |
| deferred_income,exercised_stock_options,expenses                             | 0.8603   | 0.4985 | 0.5113    |
| deferred_income,exercised_stock_options,expenses                             | 0.8596   | 0.5055 | 0.5088    |
| deferred_income,exercised_stock_options,expenses                             | 0.8609   | 0.5015 | 0.5133    |

Among 10 best feature combinations that I found, 6 of them is “deferred\_income,exercised\_stock\_options,expenses”, so best features I find for random forest is `deferred_income`, `exercised_stock_options` and `expenses`. From the table we see that best recall and precision is both around 50%.

### Tune some parameters of decision tree.

Machine learning algorithms are parameterized and modification of those parameters can influence the outcome of the learning process. Tuning a machine learning algorithm is important because it help us to find better algorithm. In this section I would like to tune decision tree with selected features `deferred_income`, `exercised_stock_options` and `expenses`. I would tune `criterion`, `splitter`, `max_features`, `min_samples_split`. Their meanings are:

- **criterion** : string, optional (default=“gini”)
 

The function to measure the quality of a split. Supported criteria are “gini” for the Gini impurity and “entropy” for the information gain.
- **splitter** : string, optional (default=“best”)
 

The strategy used to choose the split at each node. Supported strategies are “best” to choose the best split and “random” to choose the best random split.
- **max\_features** : int, float, string or None, optional (default=None)
 

The number of features to consider when looking for the best split:

  - If int, then consider `max_features` features at each split.
  - If float, then `max_features` is a percentage and `int(max_features * n_features)` features are considered at each split.
  - If “auto”, then `max_features=sqrt(n_features)`.
  - If “sqrt”, then `max_features=sqrt(n_features)`.
  - If “log2”, then `max_features=log2(n_features)`.
  - If None, then `max_features=n_features`.
- **min\_samples\_split** : int, optional (default=2)
 

The minimum number of samples required to split an internal node.

Choices of them in my experiment are show below.

`criterion`: “gini”, “entropy”

`splitter`: “best”, “random”

`max_features`: “auto”, “sqrt”, “log2”, None

`min_samples_split`: 2, 3, 4, ..., 18, 19, 20

There would be 304 results ( $2 \times 2 \times 4 \times 19 = 304$ ). We only show results with both recall and decision larger than 0.45.

| criterion | splitter | max_features | min_samples_split | accuracy | recall | precision |
|-----------|----------|--------------|-------------------|----------|--------|-----------|
| gini      | best     |              | 2                 | 0.8606   | 0.503  | 0.5122    |
| gini      | best     |              | 3                 | 0.8679   | 0.511  | 0.5396    |
| gini      | best     |              | 4                 | 0.8611   | 0.4855 | 0.5146    |
| entropy   | best     |              | 2                 | 0.8566   | 0.4745 | 0.4982    |
| entropy   | best     |              | 3                 | 0.8581   | 0.4575 | 0.5039    |
| entropy   | best     |              | 4                 | 0.8523   | 0.457  | 0.4821    |

From the table we see that when `criterion="gini"`, `splitter="best"`, `max_features=None`, `min_samples_split=2` or `3`, we get best performance. From the table we see `min_samples_split = 3` would be a little better than `min_samples_split = 2`, but it may be due to chance, so I want to keep all parameters with its default values (`criterion="gini"`, `splitter="best"`, `max_features=None`, `min_samples_split=2`).

## Final algorithm

In summary, best algorithm that I find is decision tree (all parameters default) using features `deferred_income`, `exercised_stock_options` and `expenses`.