

PREPARATION  
FORWARD.

LOSS

OPTIMIZER

└ EPOCH

└ BATCH

FORWARD

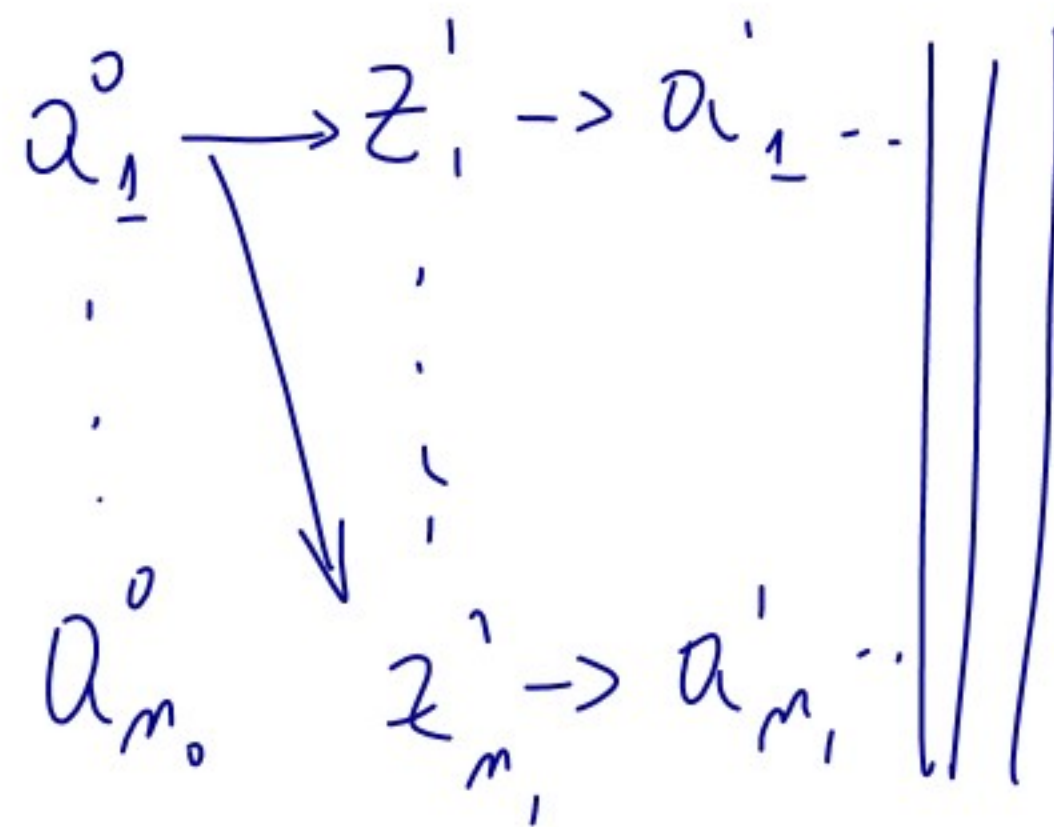
LOSS

LOSS.BACKWARD()

OPTIMIZER.STEP()

└ TEST

REPORTER



- CONVOLUCIONES  
(FILTERS)

- RNN (RECURSIVE  
N.N.)

- ENTRENAMIENTO  
POR REFORZAMIENTO

# LANG CHAIN

① CONVOLUTIONES:

$$(f * g)(t) = \int_{-\infty}^{\infty} f(\varepsilon) g(t - \varepsilon) d\varepsilon$$

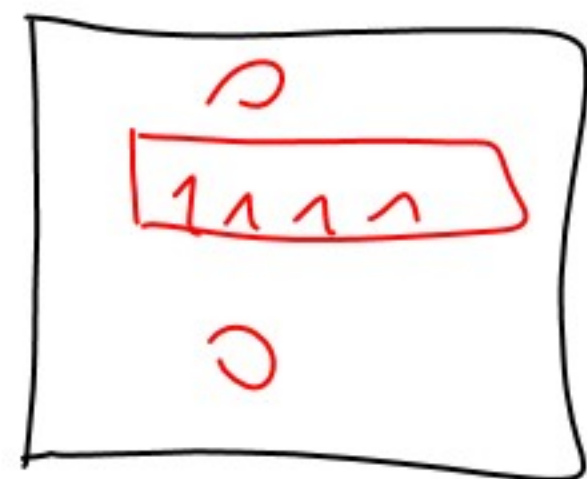
→ KERNEL

$x_1$     $x_2$     $x_3$     $x_4$     $x_5$     $x_6$

$\frac{1}{4}x_1$   
 $+\frac{1}{2}x_2$   
 $+\frac{1}{4}x_3$

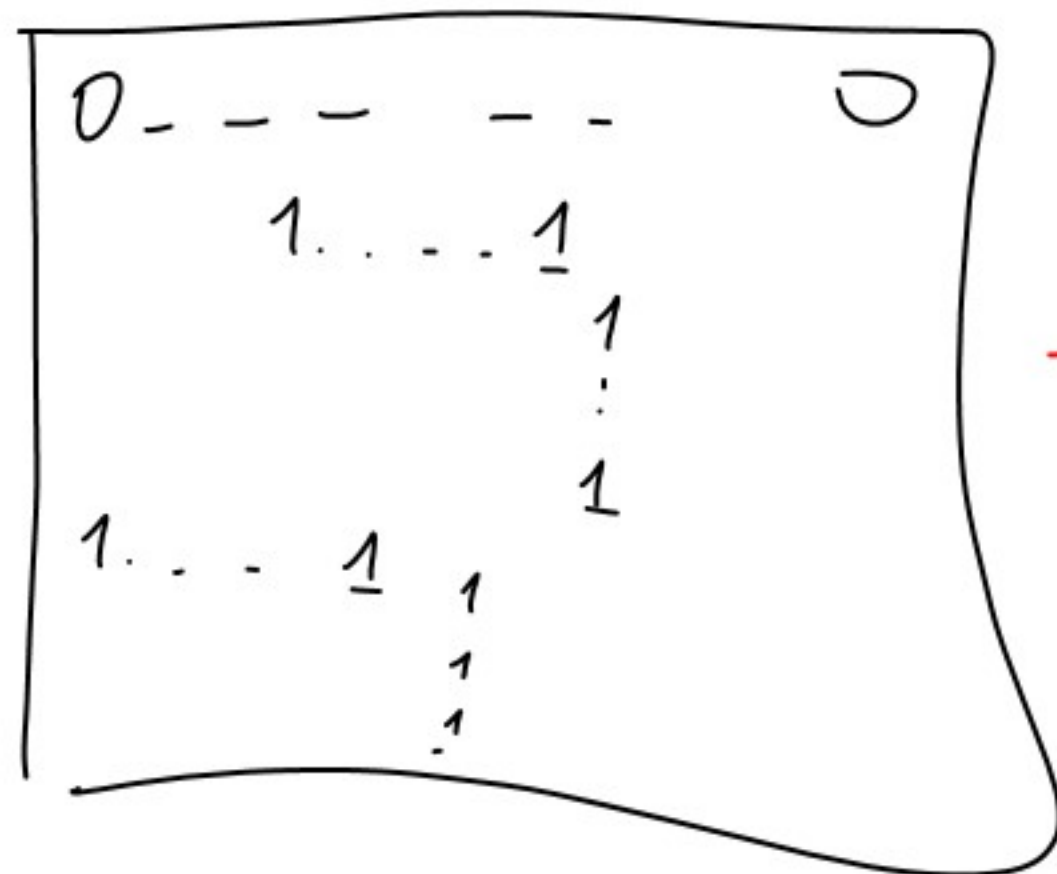
$\frac{1}{4}x_2$   
 $+\frac{1}{2}x_3$   
 $+\frac{1}{4}x_4$

KALMAN  
H-P

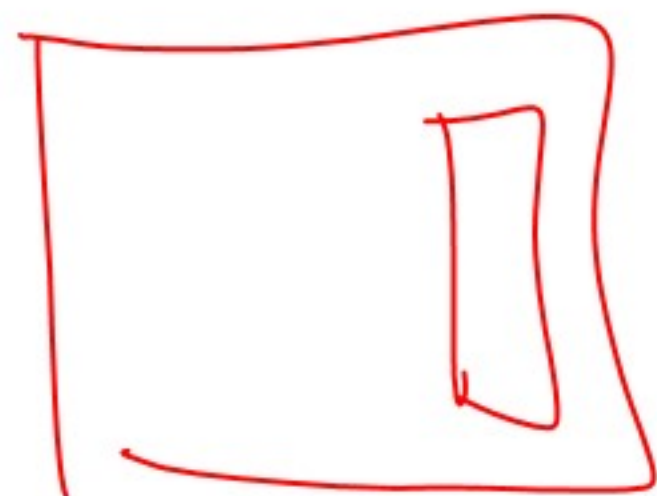
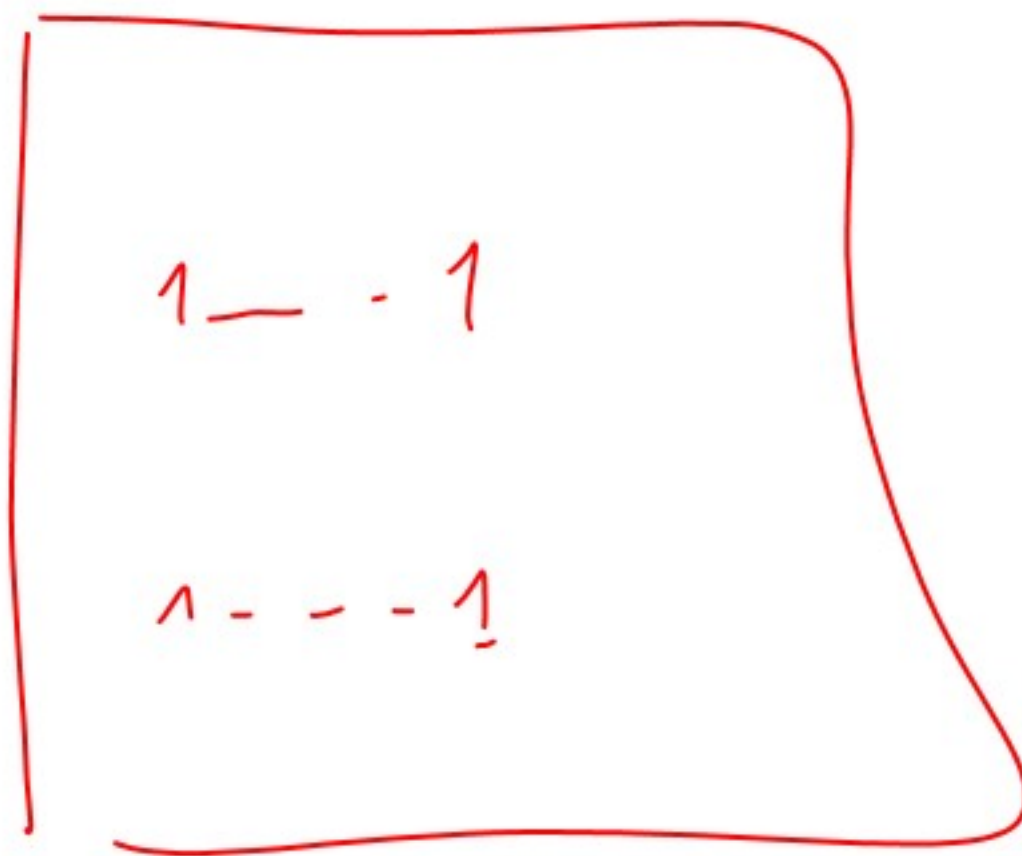


A

\*



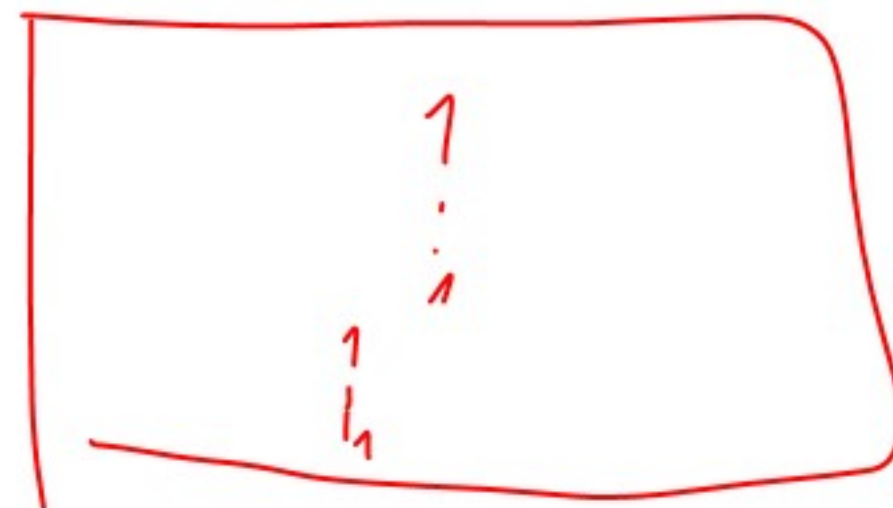
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B

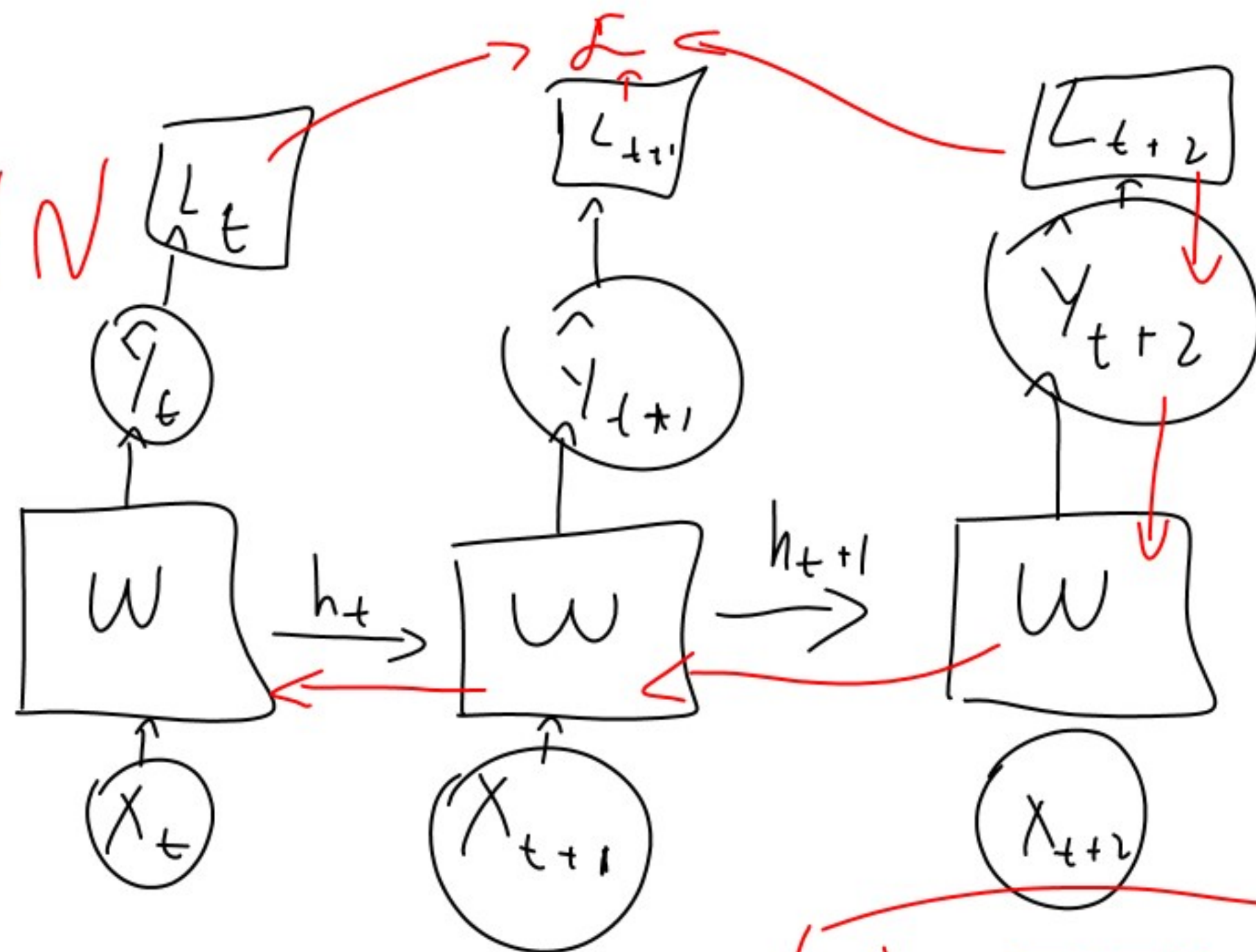
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② RNN

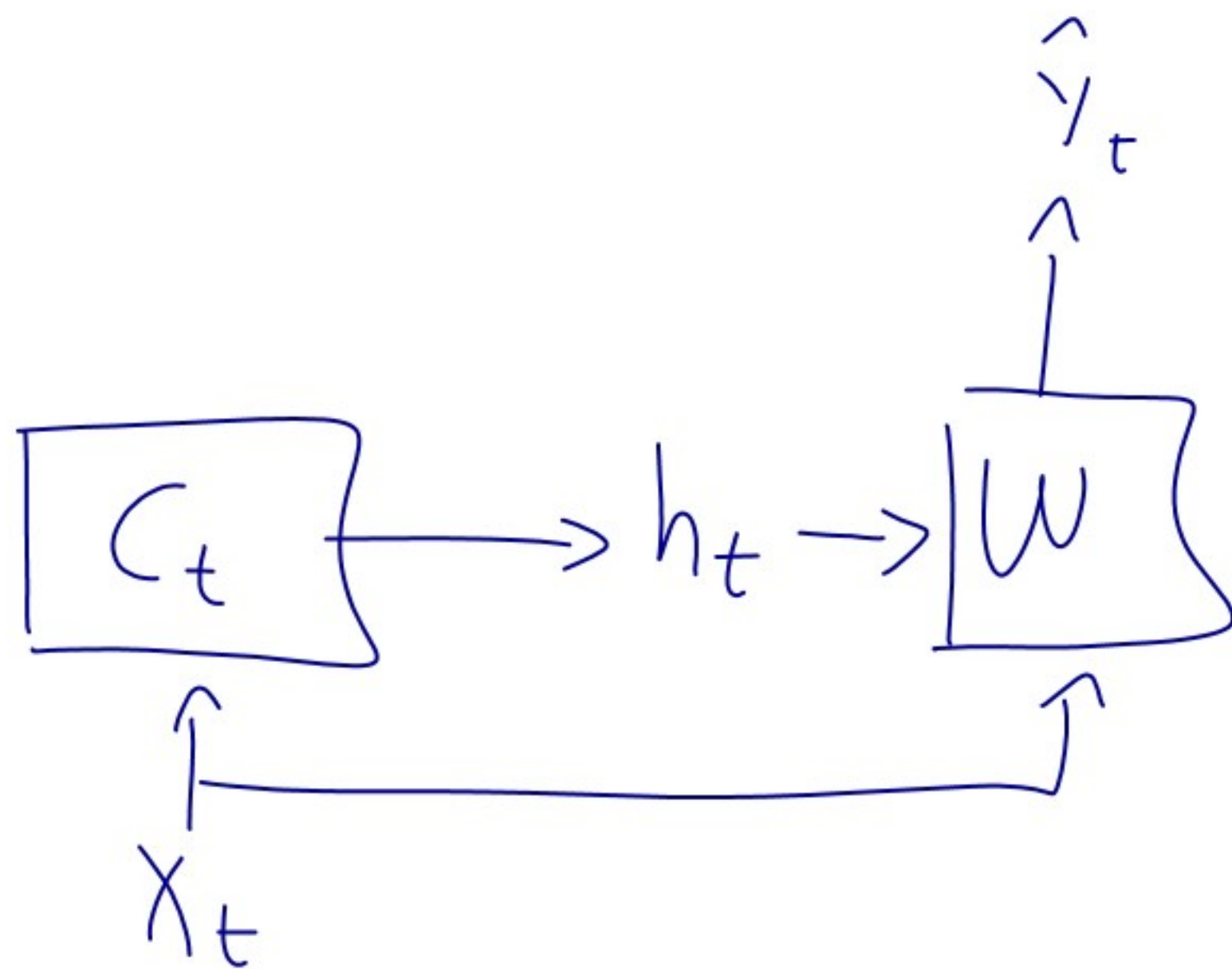


$$L = \sum_t (\hat{y}_t - y_t)^2$$

LSTM

LONG  
SHORT  
TERM  
MEMORY

t



$$i_t = f(x_t W_i + h_{t-1} U_i + b_i)$$

$$C_t = i_t \odot \tilde{C}_t + v_t \odot C_{t-1}$$

$$v_t = f(x_t W_v + h_{t-1} U_v + b_v)$$

$$\varepsilon_t \quad E(\varepsilon_t) = 0 \quad \sigma_t = \sigma$$

$$\text{cov}(\varepsilon_t, \varepsilon_{t+h}) = 0 \quad \forall h \neq 0$$

WOLD

$$\varepsilon_t \begin{cases} \longrightarrow MA(q) = \sum_{i=1}^q \alpha_i \varepsilon_{t-i} \\ \longrightarrow AR(p) = \sum_{j=1}^p \beta_j X_{t-j} \end{cases} \left. \vphantom{\begin{matrix} \longrightarrow MA(q) \\ \longrightarrow AR(p) \end{matrix}} \right\} X_t = \varepsilon_t + MA(q) + AR(p)$$





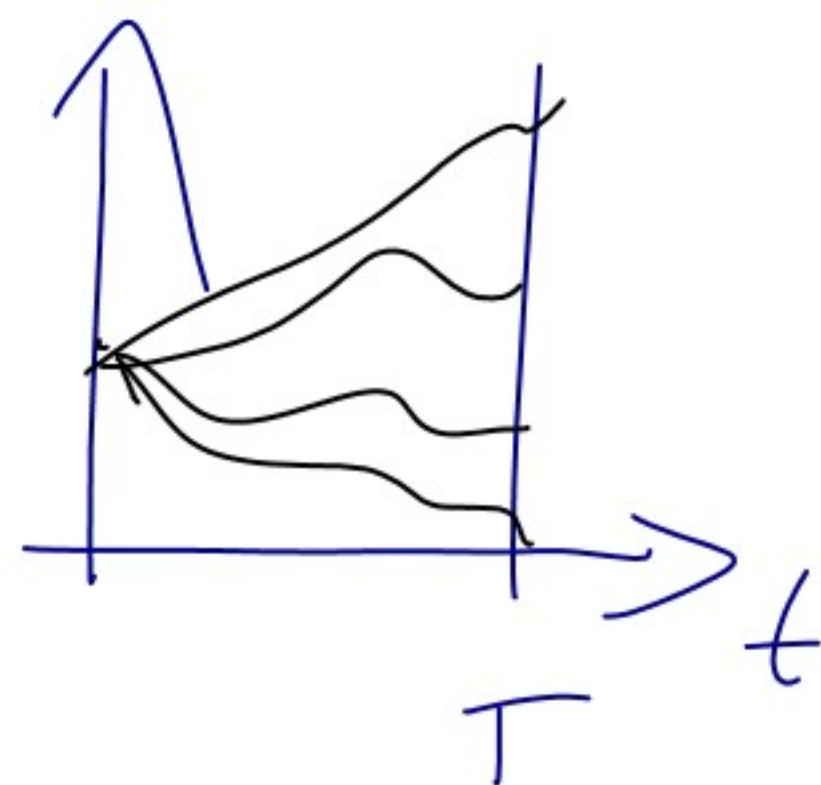
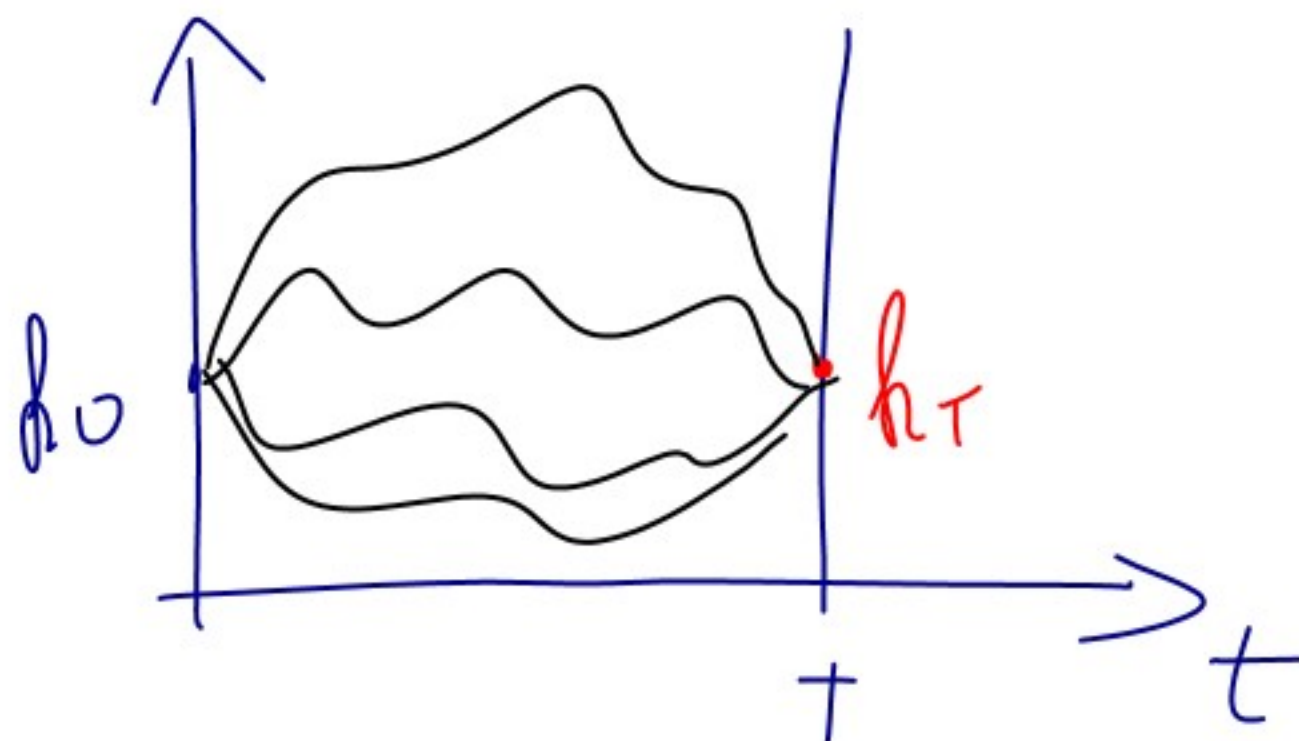
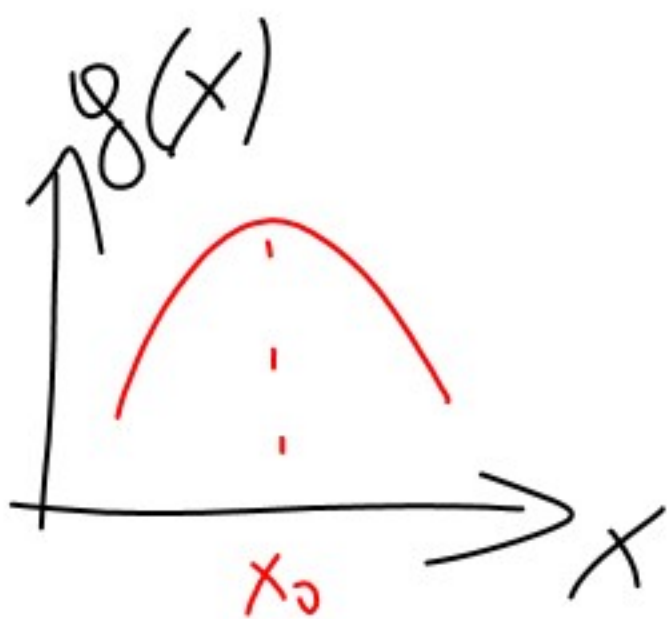


$$f(k_t) \rightarrow I_t \rightarrow k_{t+1} = k_t + I_t \rightarrow f(k_{t+1})$$

$$c_t \rightarrow u(c_t)$$

$$f(k_t) = I_t + c_t$$

$$\text{MAX}_{\{c_t\}} \sum_{t=0}^T \delta^t u(c_t)$$



$$\text{MAX}_{\{C_t\}} \sum \delta^t u(t_t)$$

$$\text{s.t.} \quad f(h_t) = C_t + r \cdot T_t$$

$$I_t + h_t = h_{t+1}$$