

Computational Phonology, class 8: Learning constraints



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Learning constraints

Three possibilities

- CON is fixed and universal (Prince and Smolensky 1993/2004)
 - Learning problem is reduced to learning URs and rankings
 - Factorial typology
- CON is constructed from universal primitives
 - *FEATURES, IDENT(feature), etc.
 - Learner must find constraints, large search space (possibly intractable? Idsardi, Heinz)
 - Factorial typology: expanded, but calculable
- CON is induced based on violation profiles, may contain arbitrary constraints (Doyle et al 2014)

Hayes and Wilson (2008)



Hayes and Wilson (2008): structure of constraints

- Negative: penalize combinations of natural classes
 - $* \begin{bmatrix} -\text{cont} \\ +\text{cor} \end{bmatrix} [+lat], *[+round][-round], \text{etc.}$
- Positive: penalize complement sets
 - $\sqrt{s[+nas]} \Rightarrow * \begin{bmatrix} ^+\text{strid} \\ +\text{cont} \\ -\text{voi} \end{bmatrix} [+nas]$
- Number is exponential in length n
 - $\sum_1^n (|\text{classes}|^i + i(|\text{complement classes}| \times |\text{classes}|^{i-1}))$
- Hayes and Wilson suggest an upper bound on n , depending on number of classes
 - Segments: $n=2$ (ish) (many segmental classes)
 - Stress: $n=4$ (few stress features)

Searching and including constraints

Two desiderata

- Accuracy: constraints should have few violations in the training data (exceptions)
- Generality: constraints should eliminate large sets of forms



Accuracy: Observed/Expected (O/E)

- Don't know what combination of constraints can match observed distribution
- Do know that if model predicts a sequence to be common, but it's rare, then we're missing a constraint
 - How many violations occur in the data? (Observed)
 - How many violations occur in the set of strings that are consistent with the current grammar? (Expected)

“when we are seeking a new constraint to add to the grammar, we generate a “sample”—that is, a set of forms drawn from the probability distribution defined by the current grammar.”

Accuracy: Observed/Expected (O/E) (*cont.*)

- Greedy search: find constraints with greatest discrepancies (O/E closest to 0)
 - If we expect many CC sequences ([pn], [kr], [st], ...) but we never observe them, *CC has very low O/E (0/many)
 - Favor large denominators: upper confidence limit on O/E
- Implementation: start at 0 and gradually increase



Two heuristics

- Shorter constraints are more general (smaller n)
- Fewer features \Rightarrow larger classes \Rightarrow more general
- Shorter constraints are categorically favored over simpler but longer constraints

Putting this together: a procedure

To find a constraint to add to the current grammar:

- Sample a large set of strings from the probability distribution assigned by the current grammar
- From length = 1 to n
 - From highest to lowest generality natural classes
 - Use classes to build a candidate constraint of current length
 - Calculate O/E for candidate constraint
 - If $O/E < \text{threshold}$, break and add to grammar
- Add to grammar: find new weights



The procedure

Example (10), p. 394

- 1 begin with an empty grammar \mathcal{G}
- 2 **for** each accuracy level a (increasing O/E)
- 3 **do**
- 4 select the most general constraint with accuracy a
 and add it to \mathcal{G}
- 5 optimize constraint weights for new grammar \mathcal{G}
- 6 **while** a constraint is selected in 4 (and size of $\mathcal{G} < \text{max}$)

You can test the model

- <http://www.linguistics.ucla.edu/people/hayes/Phonotactics/index.htm>

Results for English

- See Hayes and Wilson (2008), section 5

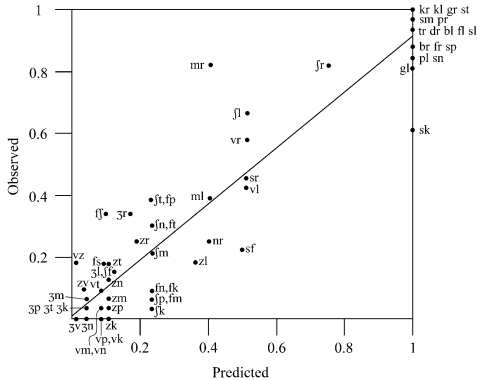


Figure 3
Performance of the model in predicting the data from Scholes 1966



Markedness only models of phonotactics?

- Hayes and Wilson (2008) model: learn markedness constraints only
 - If successful: eliminate (penalize \Rightarrow prob of 0) unobserved structures
- No commitment to repairs



Augmenting the model: variables

- The Hayes and Wilson (2008) model learns constraints over sequences of natural classes
- Many (hand-crafted) phonological constraints in the literature use an additional power: variables
 - Identity: two elements in the string share a feature
 - Distance: an element in a string can take on a range of features
- E.g., Obligatory Contour Principle (OCP) for place:
*C_[αplace]...C_[αplace]
 - 'α' encodes identity between two feature values
- Distance
 - '...' encodes any number of intervening segments (= X₀, etc.)

Identity within the string

Berent et al. (2012)

- Hebrew has consonantal roots, generally C-C-C
- OCP restrictions
 - C_1 and C_2 may not be identical
 - C_2 and C_3 may be identical
 - Non-identical consonants with same place generally avoided in both positions
- A blick test (Berent et al 2002)
 - Hebrew speakers judge novel roots with $C_1=C_2$ worse than $C_2=C_3$
 - This holds for consonants that exist in Hebrew, and also consonants that don't: /tʃ/, /dʒ/, /θ/

Modeling this generalization

- The Hayes and Wilson learner can mimic OCP constraints with specific feature matrices
 - Place: $*[+cor][+seg][+cor]$, $*[+lab][+seg][+lab]$, etc.
 - Identity: $*t[+seg]t$ ($t = [-son, -voi, +cor, \dots]$)
 - Or things in between...
- When trained on Hebrew, no reason to posit $*\theta[+seg]\theta$, $*d_3[+seg]d_3$
 - High ranking $*\theta$, $*d_3$ make expected number of $\theta V \theta$, $d_3 V d_3 = 0$
- Model fails to generalize like humans

Modeling this generalization

- Revised model: allow constraints that index a feature matrix and refer to a copy
 - $*X_i\alpha_i Y$ (repeated X followed by Y)
- Result: models learns $*#[+seg]\alpha_i$
 - No repeated consonant at beginning of word
- Revised model improves statistical fit to human judgments



Distance: Large window restrictions

- Davis (1984): $*sC_iVC_i$, where C is non-coronal
 - Reflexes across other Germanic languages (Coetzee, 2008)
 - Does not depend on syllable structure: no **spaper* words
- N-gram models with large-n
 - Smoothing, back-off
- Sparsity of the data: generally too few examples of any sequence length >4 to clearly differentiate attested from unattested



The learnability problem posed by nonlocal phonology

- When the environment is known to be local, the number of logically possible conditioning environments to explore is proportional to the number of natural classes in the language
- When environments occur at a distance, the number of logically possible environments to be explored rises exponentially with the length of the intervening string



Solving the locality problem: variables

Gouskova and Gallagher (2020): Quechua

Attested combinations				Impossible combinations			
(a) tʃʷuspi	‘fly’	(c) ritʰi	‘snow’	(e) *kupʰi	(g) *kʰupʰi	(i) *kʰupʰi	
(b) kʰutʃi	‘pig’	(d) ʎimpʰu	‘clean’	(f) *kupʰi	(h) *kʰupʰi	(j) *kʰupʰi	

Table 3: Quechua laryngeal restrictions

- “Ejectives and aspirates can only occur non-initially if preceded by fricatives or sonorant consonants”
- Two constraints
 - *[-cont, -son]...[+constricted glottis]
 - *[-cont, -son]...[-cont, +spread glottis]
- Both are non-local, refer to features of stops

Gallagher and Gouskova's approach

- Two things that hold of Quechua
 - Unbounded: *[-cont, -son]...[+constricted glottis]
 - Almost locally bounded: *[-cont, -son]V[+constricted glottis]
- Quechua also bans CCC sequences, so one other thing also holds:
 - *[-cont, -son]C[+constricted glottis]
- Stated even more generally:
 - *[-cont, -son][seg][+constricted glottis]

In fact, this is what the Hayes and Wilson model discovers for the 'almost locally bounded' constraint, since it is shorter/more general



Gallagher and Gouskova's approach

- Identify cases where the model learns constraints *X[seg]Y
 - These are cases where the identity of the intervening material didn't matter, and perhaps the amount doesn't matter, either
 - E.g., *[-cont, -son][seg][+constricted glottis]
- Posit a new tier: all of the features X and Y have in common
 - Here: a 'stops' tier
 - On this tier, the data looks like:
 - Attested tʃ'uspi, rit'i
 - Unattested kup'i, k'up'i, kʰp'i
 - Crucially assumes [+constricted glottis] defined only for stops?
- Now, the model can learn a 'tierwise local' constraint on the tier:



Gouskova and Gallagher's results

- A test: non-local restrictions in Quechua (laryngeal), Aymara (laryngeal), Shona (vowels)
- In all three cases, the 'baseline' model does indeed reliably discover $*X[\text{seg}]Y$ constraints to induce tiers
- Once the tiers are created, the model learns 'tierwise local' constraints to rule out illegal combinations at a distance
- A cloud on the horizon: baseline models do not always reliably find $*X[\text{seg}]Y$ constraints in other languages that they've tried
 - Some technical reasons in how constraint induction is done
 - Some principled reasons: local constraint is 'masked' by other constraints

References

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