Lab 7

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Section: 91973 Friday 9am

Question 1

Script

```
setwd("~/code/biometry-lab/lab7")
\#a. Read the data into R and convert them into a table
yawns <- read.csv('yawn.csv')</pre>
obs <- table(yawns)</pre>
# b. Make a mosaic plot of the results. Inspect the plot for evidence of an
# association between eye visibility and yawning contagion.
mosaicplot(obs,
           col = c("skyblue", "red"),
           xlab = "Species",
           ylab = "Feeder Color",
           main = "")
#From the plot, it appears there may be an association.
#When the eyes are covered, there are slightly less people yawning.
# c. Test for an association between eye visibility and yawning contagion. Use
# an appropriate test and clearly state the conclusions of the test. Do this
# test "by hand" in R.
#compute marginals
covered <- sum(obs[1,])</pre>
uncovered <- sum(obs[2,])
noyawn <- sum(obs[,1])</pre>
yawn \leftarrow sum(obs[,2])
grand <-sum(obs)</pre>
#compute expected values
exp_covered_noyawn <- covered * noyawn / grand</pre>
exp_covered_yawn <- covered * yawn / grand</pre>
exp_uncovered_noyawn <- uncovered * noyawn / grand
exp_uncovered_yawn <- uncovered * yawn / grand
#put expected values into table
exp <- obs
\exp[1,1] \leftarrow \exp \text{ covered noyawn}
exp[1,2] <- exp_covered_yawn</pre>
exp[2,1] <- exp_uncovered_noyawn</pre>
exp[2,2] <- exp_uncovered_yawn</pre>
```

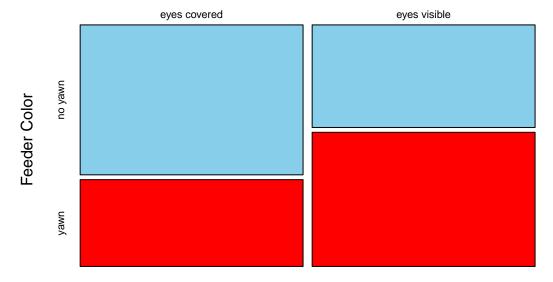
```
#calculate chi-sq
alpha <- 0.05
x2 <- sum((obs - exp)^2/exp)
df <- 1
(p <- 1 - pchisq(x2, 1))

# We fail to reject the null hypothesis that eye visibility is independent of
# yawning contagion with an alpha of 0.05 (Chi-square: X2 = 2.4107, df = 1, p =
# 0.1205)

# A chi-squared test was performed because the data satisfies Cochran's rules
# d. Repeat the test using an appropriate R function.
chisq.test(obs, correct = F)</pre>
```

Output

```
#a. Read the data into R and convert them into a table
# b. Make a mosaic plot of the results. Inspect the plot for evidence of an
# association between eye visibility and yawning contagion.
```



Species

```
#From the plot, it appears there may be an association.
#When the eyes are covered, there are slightly less people yawning.

# c. Test for an association between eye visibility and yawning contagion. Use
# an appropriate test and clearly state the conclusions of the test. Do this
# test "by hand" in R.

(p <- 1 - pchisq(x2, 1))</pre>
```

```
## [1] 0.1205074
```

```
# We fail to reject the null hypothesis that eye visibility is independent of # yawning contagion with an alpha of 0.05 (Chi-square: X2 = 2.4107, df = 1, p = 1.00
```

```
# 0.1205)

# A chi-squared test was performed because the data satisfies Cochran's rules

# d. Repeat the test using an appropriate R function.

##

## Pearson's Chi-squared test

##

## data: obs

## X-squared = 2.4107, df = 1, p-value = 0.1205
```

Answers

Question 2

Script

```
# create data frame of data
obs <- data.frame(fed = c(0,5), unfed = c(6,3),
                   row.names = c('full','hungry'))
# calculate marginals
full <- sum(obs[1,])</pre>
hungry <- sum(obs[2,])</pre>
fed <- sum(obs[,1])</pre>
unfed <- sum(obs[,2])
total <- sum(obs)
# calculate expected values
exp_full_fed <- full * fed / total</pre>
exp_hungry_fed <- hungry * fed / total</pre>
exp_full_unfed <- full * unfed / total</pre>
exp_hungry_unfed <- hungry * unfed / total</pre>
# create expected table
exp <- obs
exp[1,1] <- exp_full_fed</pre>
exp[1,2] <- exp_full_unfed</pre>
exp[2,1] <- exp_hungry_fed</pre>
exp[2,2] <- exp_hungry_unfed
# check whether Cochran's rules are satisfied by inspecting the expected values
# Since Cochran's rules are unsatisfied, a Fisher's Exact Test will be better
# than a Chi-squared test for this data.
fisher.test(obs)
# We reject the null hypothesis that regurgitative feeding is independent of
# hunger with an alpha of 0.05 (Fisher's Exact Test: p = .03097)
```

Output

```
# check whether Cochran's rules are satisfied by inspecting the expected values
              fed
                     unfed
## full 2.142857 3.857143
## hungry 2.857143 5.142857
# Since Cochran's rules are unsatisfied, a Fisher's Exact Test will be better
# than a Chi-squared test for this data.
##
## Fisher's Exact Test for Count Data
##
## data: obs
## p-value = 0.03097
## alternative hypothesis: true odds ratio is not equal to 1
## 95 percent confidence interval:
## 0.000000 1.053284
## sample estimates:
## odds ratio
##
# We reject the null hypothesis that regurgitative feeding is independent of
# hunger with an alpha of 0.05 (Fisher's Exact Test: p = .03097)
```

Answers