

```

In[28]:= n = 20; (*dimension of the matrix*)
A = RandomReal[{-1, 1}, {n, n}]; (*random n x n matrix with entries between -1 and 1*)
B = A.Transpose[A]; (*symmetric positive-definite matrix*)

In[32]:= w = RandomReal[{-1, 1}, n]
Out[32]=
{-0.444352, -0.265157, 0.513388, -0.46071, 0.815545, -0.862734,
-0.950747, 0.605277, 0.543393, 0.985777, -0.0868528, 0.0867801, 0.746262,
0.541047, -0.412004, 0.255414, 0.564723, 0.769283, 0.741201, 0.515566}

In[34]:= Bw = DiagonalMatrix[w].B.DiagonalMatrix[w];

In[35]:= eigw = Eigenvalues[Bw]
Out[35]=
{11.0584, 9.13737, 8.75294, 5.65107, 4.91739, 3.17143, 2.43112,
2.13464, 1.46681, 1.28776, 0.729771, 0.592334, 0.371445, 0.29246,
0.224183, 0.130627, 0.0976522, 0.00483116, 0.00247887, 0.0000210531}

In[36]:= 
$$\frac{\text{Total}[\text{eigw}]^2}{\text{Total}[\text{eigw}^2]}$$

Out[36]=
7.55849

In[38]:= varw = w.B.w
Out[38]=
39.8586

In[57]:= strategy = {3, 7, 8, 15, 17};

In[40]:= w[[strategy]]
Out[40]=
{-0.444352, 0.513388, -0.950747}

In[41]:= ww = w
Out[41]=
{-0.444352, -0.265157, 0.513388, -0.46071, 0.815545, -0.862734,
-0.950747, 0.605277, 0.543393, 0.985777, -0.0868528, 0.0867801, 0.746262,
0.541047, -0.412004, 0.255414, 0.564723, 0.769283, 0.741201, 0.515566}

In[42]:= ww[[strategy]] *= 0.1
Out[42]=
{-0.0444352, 0.0513388, -0.0950747}

In[44]:= MapAt[0.1 # &, w, List /@ strategy]
Out[44]=
{-0.0444352, -0.265157, 0.0513388, -0.46071, 0.815545, -0.862734,
-0.0950747, 0.605277, 0.543393, 0.985777, -0.0868528, 0.0867801, 0.746262,
0.541047, -0.412004, 0.255414, 0.564723, 0.769283, 0.741201, 0.515566}

```

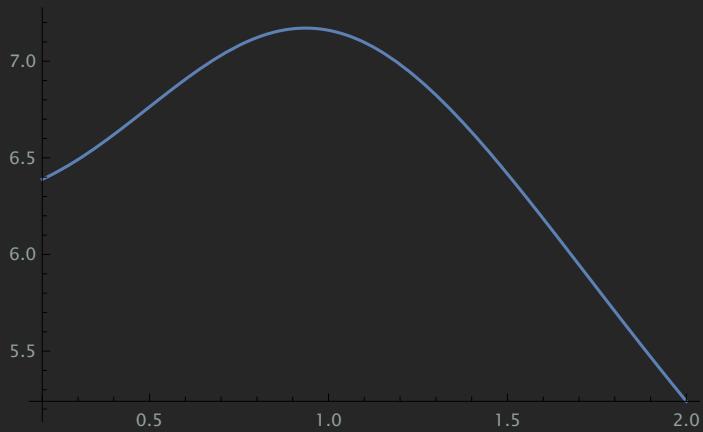
Given scaler, get value of objective function:

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In[53]:= ff[x_, g_] := Module[{ww = MapAt[x # &, w, List /@ strategy], eig},
  eig = Eigenvalues[DiagonalMatrix[ww].B.DiagonalMatrix[ww]];
  
$$\frac{\text{Total}[eig]^2}{\text{Total}[eig^2]} - g \cdot (\text{ww} \cdot \text{B} \cdot \text{ww})$$

```

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In[62]:= Plot[ff[x, 0.01], {x, 0.2, 2.}]
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Out[62]=



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In[48]:= Plot[ff[x, 0], {x, 0.2, 2.}]
```

Out[48]=

