



Thermodynamics of Life

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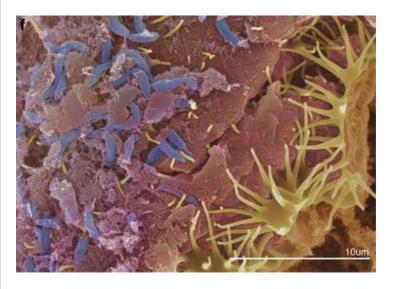
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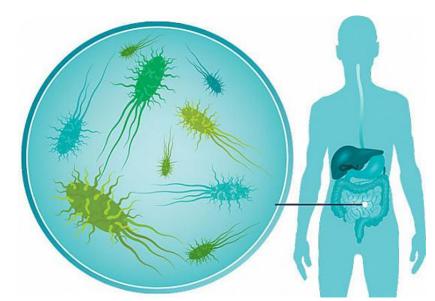














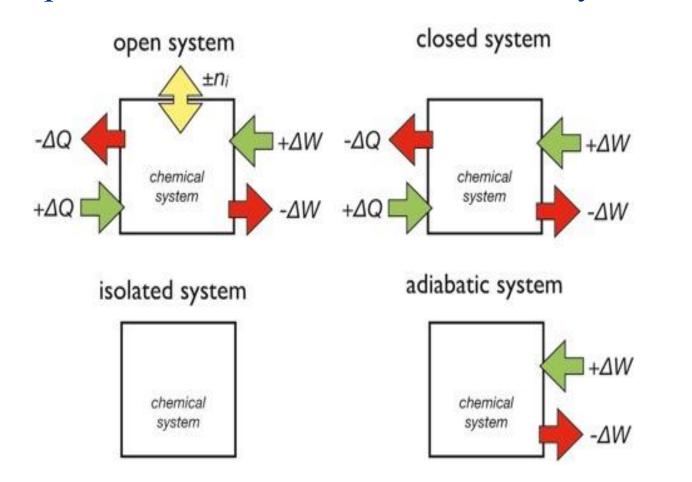


• Open, closed, adiabatic and isolated systems





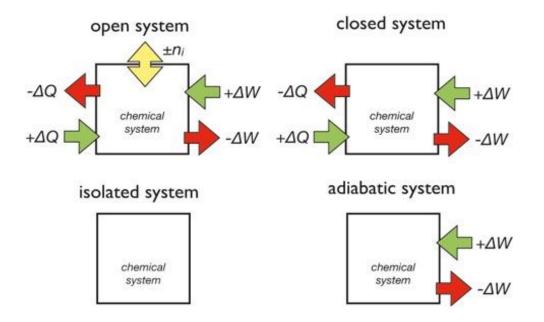
Open, closed, adiabatic and isolated systems







Open, closed, adiabatic and isolated systems

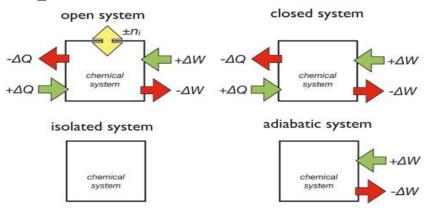


• What should be the criteria to define boundaries?





Open, closed, adiabatic and isolated systems



• What should be the criteria to define boundaries?

"Penthesilea is different. You advance for hours and it is not clear to you whether you are already in the city's midst or still outside it. Like a lake with low shores lost in swamps, so Penthesilea spreads for miles around, a soupy city diluted in the plain; pale buildings back to back in mangy fields, among plank fences and corrugated iron sheds."

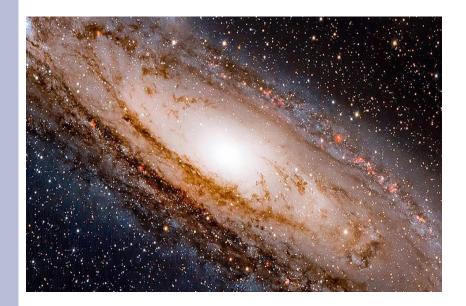
Invisible cities, Italo Calvino

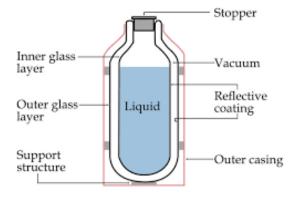




Isolated Systems











Closed Systems



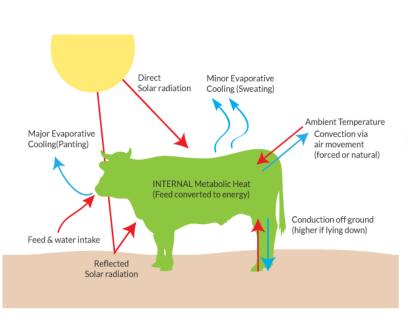


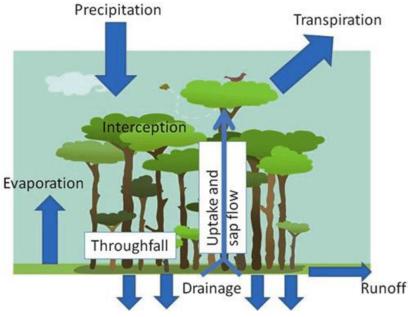




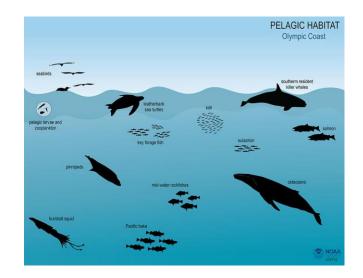
Open Systems











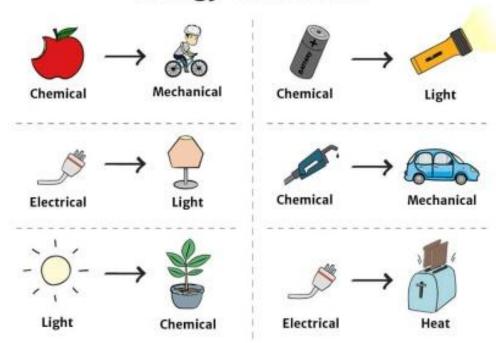


First Law of Thermodynamics



Energy is always conserved. Energy cannot be destroyed nor created. Energy can only be transformed

Energy Conversion

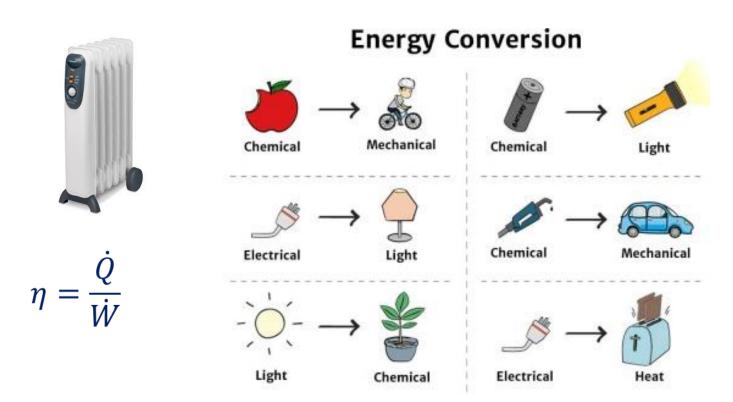




First Law of Thermodynamics



 Energy efficiency: not all input energy is transformed into useful output



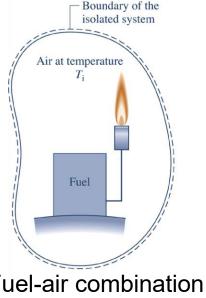


Energy Balance in Isolated Systems

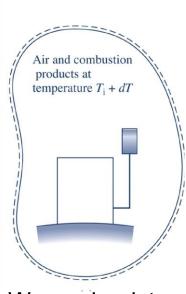


• Energy is always conserved. Energy cannot be destroyed nor created. Energy can only be transformed.

Energy change?



Fuel-air combination



Warm air mixture

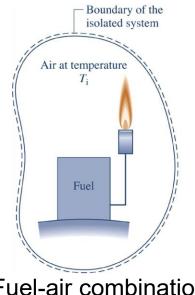




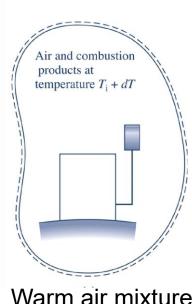
Energy Balance in Isolated Systems



- Energy is always conserved. Energy cannot be destroyed nor created. Energy can only be transformed.
- Energy change = 0



Fuel-air combination



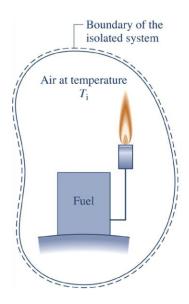
Warm air mixture



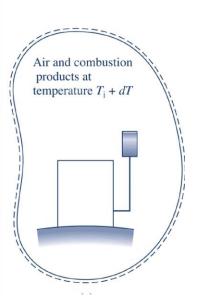
First Law of Thermodynamics



• Energy alone is not enough to distinguish two different states in this system



Fuel-air combination

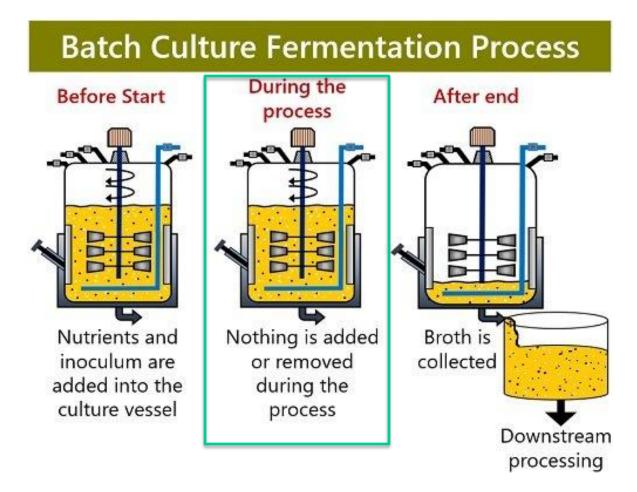


Warm air mixture





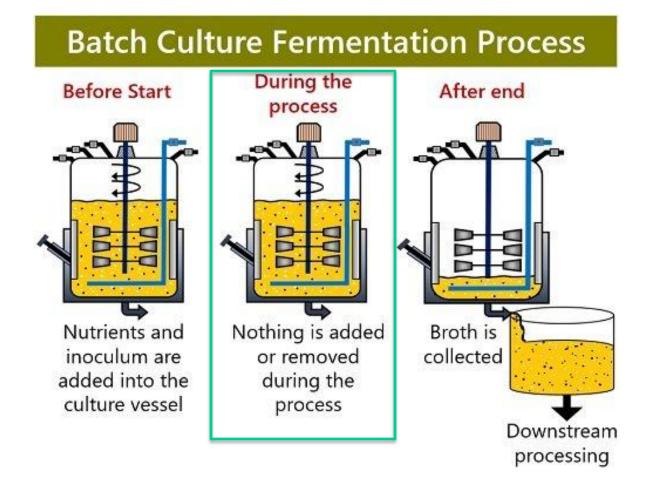
• Energy change?







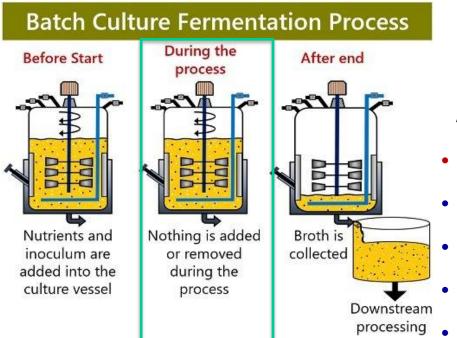
• Energy change = Heat + Work







• Energy change = Heat + Work

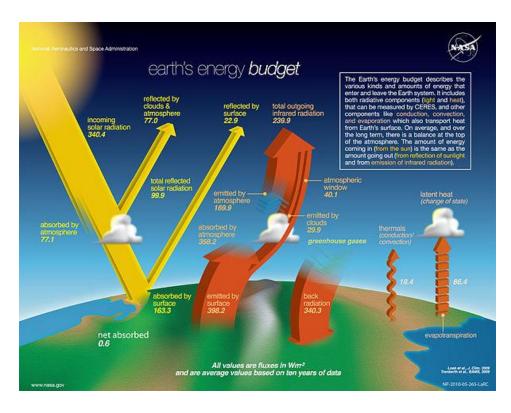


- $\Delta E = \Delta \left(U + E_p + E_c \right) = Q + W$
- 1st Law: Energy Conservation
- Forms of E: U, E_c and E_p
- Energy transfer by Q and W
- Sign of heat and work fluxes
- Steady state vs. Transient





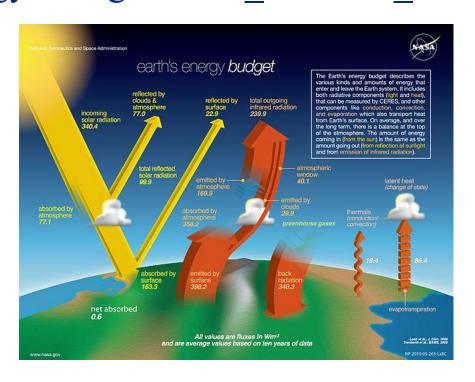
Energy balance?







• Energy change = heat in + heat out ≈ 0



T_Sun = 5778 K; Radius_Sun = 696 340 km Distance_Sun_Earth = 151 000 000 km; Albedo =30% T_Earth = 255 K





• Not all energy forms are the same. Some are better than others ©





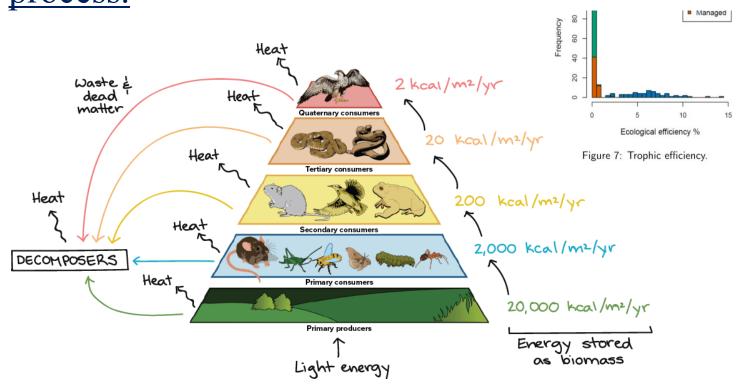








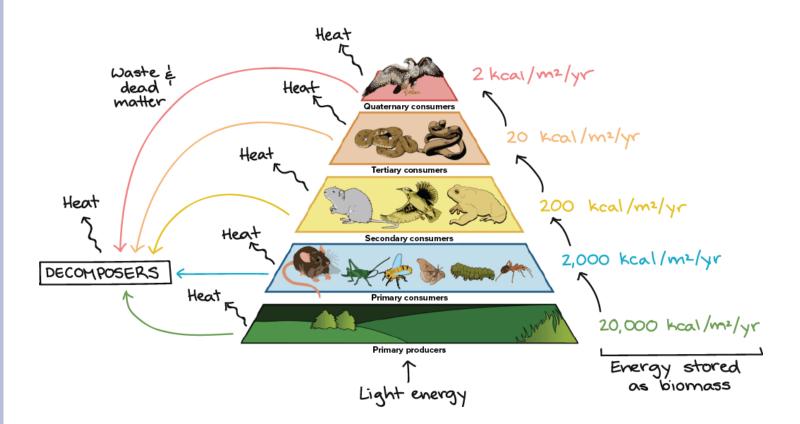
• Energy is degraded in any real transformation process.







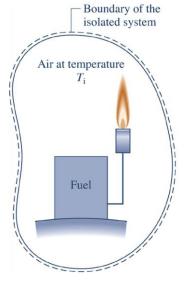
• Entropy measures energy degradation. <u>Entropy</u> cannot be destroyed; it can only be created.



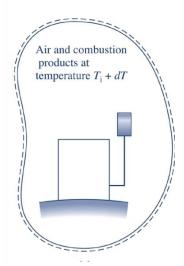


Entropy Balance in Isolated Systems

- Entropy cannot be destroyed; it can only be created.
- Entropy change?



Fuel-air combination

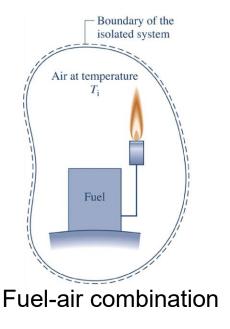


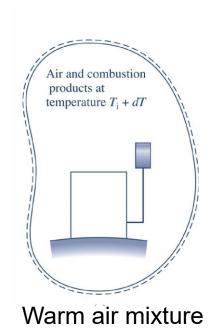
Warm air mixture



Entropy Balance in isolated Systems

- Entropy cannot be destroyed; it can only be created.
- Entropy change = entropy production > = 0

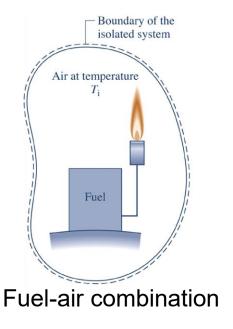


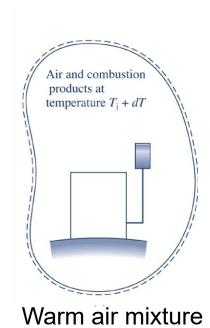






• Entropy (not energy) distinguishes these two states of the system

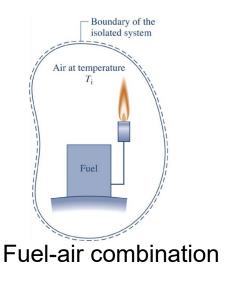


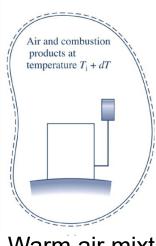




Entropy Balance in isolated Systems

- Entropy cannot be destroyed; it can only be created.
- Entropy change = entropy production > = 0
- Processes that occur naturally in isolated systems move the system to equilibrium





Warm air mixture



Spontaneous Processes

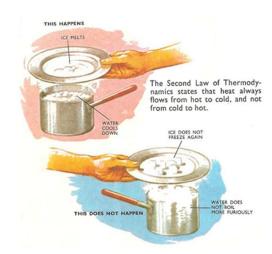


• Spontaneous process - a process that occurs "naturally" in isolated systems

 Hot coffee in a cold room gets colder and not hotter



• Ice on top of a boiling pan melts; it does not get cooler























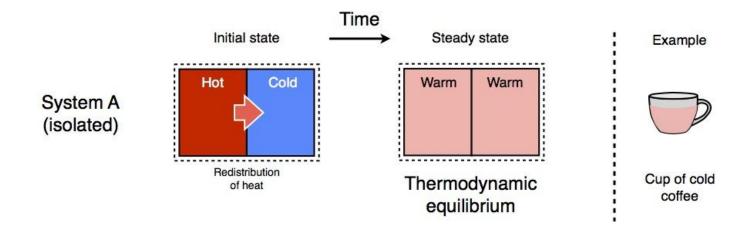








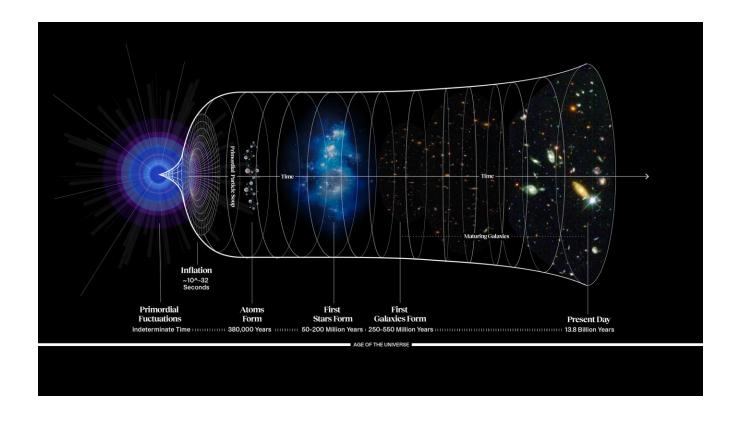
• The entropy of an isolated system increases as it tends to equilibrium, where it achieves its maximum value



https://thermodynamicearth.org/materials/chapter-1-figures/





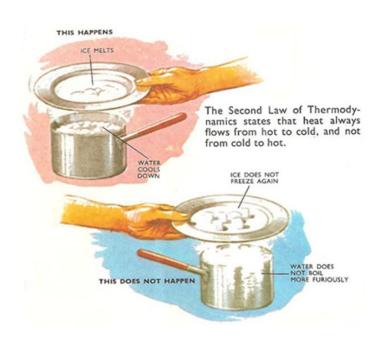




The state variable: Entropy



• Entropy is the state variable that gives unidirectionality to time in physical processes ocurring in isolated & adiabatic systems.

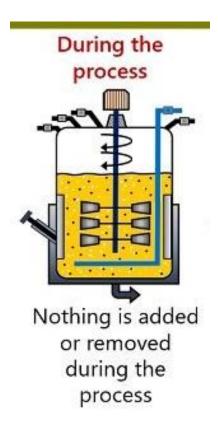








 Entropy change = Entropy transfer in the form of heat + entropy production



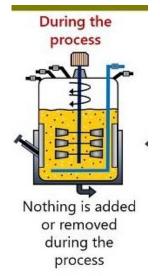






 Entropy change = Entropy transfer in the form of heat + entropy production

$$\Delta S = \frac{Q}{T} + \sigma$$





- The entropy of the heat flow decreases with increasing temperature
- Entropy flows with heat but not with work



Entropy Balance in Closed Systems



Entropy change = Entropy transfer in the form of heat + entropy production

$$\Delta S = \frac{Q}{T} + \sigma$$



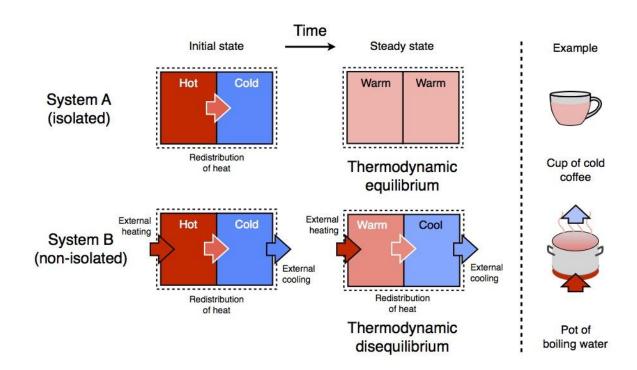
- ^{2nd} Law: Energy Degradation
- Entropy transfer by Q
- Sign of entropy flows
- Steady state vs. Transient



Second Law of Thermodynamics



• The entropy of a closed system can stay constant — a closed system can remain in non-equilibrium



https//thermodynamicearth.org/materials/chapter-1-figures/



Second Law of Thermodynamics



Why is Life possible in a closed system in steady-state?





Second Law of Thermodynamics



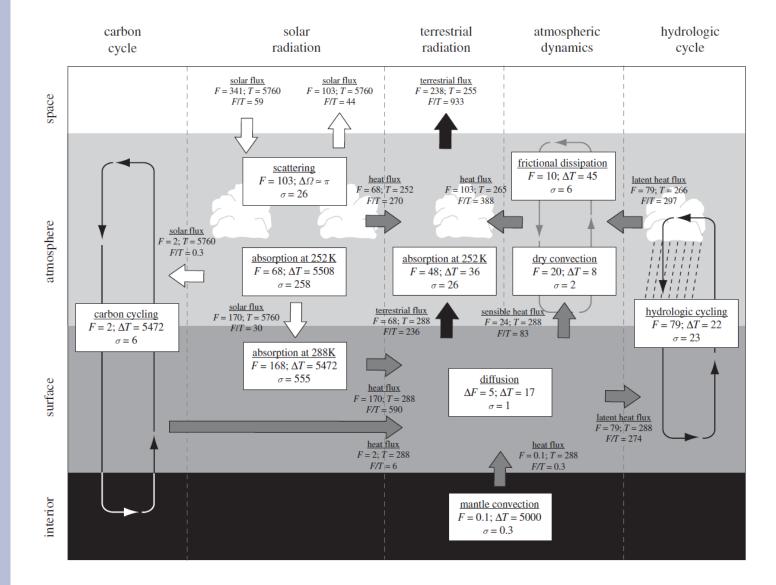


- Entropy Change = Heat_in/T_sun +
 Heat_out/T_Earth + entropy production ≈ 0
- T Sun = 5778 K; T Earth = 255 K



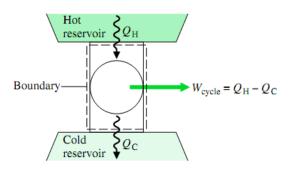
Entropy Production on Earth







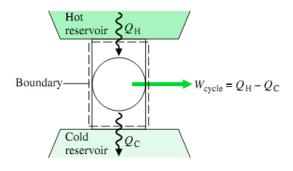










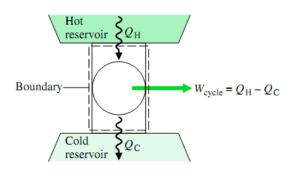




• First law?





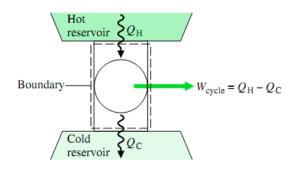




• First law: $\Delta E = Q_H - Q_C - W_{cycle} = 0 \Rightarrow W_{cycle} = Q_H - Q_C$





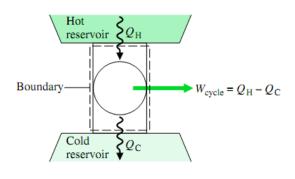




- First law: $\Delta E = Q_H Q_C W_{cycle} = 0 \Rightarrow W_{cycle} = Q_H Q_C$
- Second law?





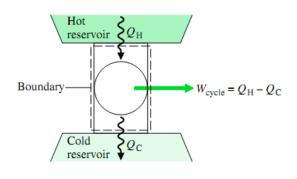




- First law: $\Delta E = Q_H Q_C W_{cycle} = 0 \Rightarrow W_{cycle} = Q_H Q_C$
- Second law: $\Delta S = \frac{Q_H}{T_H} \frac{Q_C}{T_C} + \sigma = 0 \Rightarrow Q_C \neq 0$





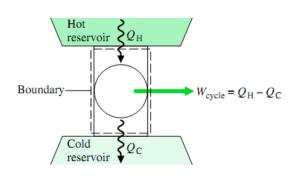




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- Not all available energy can be used to produce work







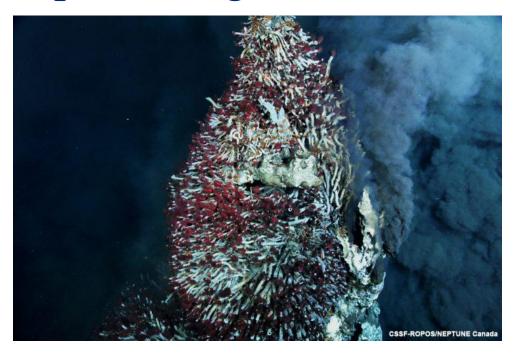


- First law: $\Delta E = Q_H Q_C W_{cycle} = 0 \Rightarrow W_{cycle} = Q_H Q_C$
- Second law: $\Delta S = \frac{Q_H}{T_H} \frac{Q_C}{T_C} + \sigma = 0 \Rightarrow Q_C \neq 0$
- Not all available energy can be used to produce work
- Amount of work decreases with entropy production



Temperature gradients in Life





- Giant tube worms in a hydrotermal vent (temperatures in water can range from 350°C to 2°C)
- Organisms do not have the apparatus to convert heat into work as closed systems



Thermodynamics in Open Systems



• First Law of Thermodynamics Mass and energy are conserved



Mass Balance in Open Systems



Mass Change = Σ Mass Flows



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$$M_V \dot{J}_V + M_E \dot{J}_E = M_X \dot{J}_X - M_P \dot{J}_P + M_O \dot{J}_O - M_C \dot{J}_C - M_H \dot{J}_H - M_N \dot{J}_N$$



• Conservation of mass (and number of moles) of carbon, oxygen, hydrogen and nitrogen

$$0 = \boldsymbol{n}_{\mathcal{M}} \dot{\boldsymbol{J}}_{\mathcal{M}} + \boldsymbol{n}_{\mathcal{O}} \dot{\boldsymbol{J}}_{\mathcal{O}}$$

• Strong homeostasis?





$$M_V \dot{J}_V + M_E \dot{J}_E = M_X \dot{J}_X - M_P \dot{J}_P + M_O \dot{J}_O - M_C \dot{J}_C - M_H \dot{J}_H - M_N \dot{J}_N$$



• Conservation of mass (and number of moles) of carbon, oxygen, hydrogen and nitrogen

$$0 = \boldsymbol{n}_{\mathcal{M}} \dot{\boldsymbol{J}}_{\mathcal{M}} + \boldsymbol{n}_{\mathcal{O}} \dot{\boldsymbol{J}}_{\mathcal{O}}$$

• Strong homeostasis: chemical compositions are constant





$$M_V \dot{J}_V + M_E \dot{J}_E = M_X \dot{J}_X - M_P \dot{J}_P + M_O \dot{J}_O - M_C \dot{J}_C - M_H \dot{J}_H - M_N \dot{J}_N$$



• Conservation of mass (and number of moles) of carbon, oxygen, hydrogen and nitrogen

$$0 = \boldsymbol{n}_{\mathcal{M}} \dot{\boldsymbol{J}}_{\mathcal{M}} + \boldsymbol{n}_{\mathcal{O}} \dot{\boldsymbol{J}}_{\mathcal{O}}$$

• Do mass balances completely specify aggregated chemical reactions?





$$M_V \dot{J}_V + M_E \dot{J}_E = M_X \dot{J}_X - M_P \dot{J}_P + M_O \dot{J}_O - M_C \dot{J}_C - M_H \dot{J}_H - M_N \dot{J}_N$$



• Conservation of mass (and number of moles) of carbon, oxygen, hydrogen and nitrogen

$$0 = \boldsymbol{n}_{\mathcal{M}} \dot{\boldsymbol{J}}_{\mathcal{M}} + \boldsymbol{n}_{\mathcal{O}} \dot{\boldsymbol{J}}_{\mathcal{O}}$$

Degrees of freedom – yEX, yVE and yPX.





$$0 = M_X \dot{J}_X - M_P \dot{J}_P + M_O \dot{J}_O - M_C \dot{J}_C - M_H \dot{J}_H - M_N \dot{J}_N$$

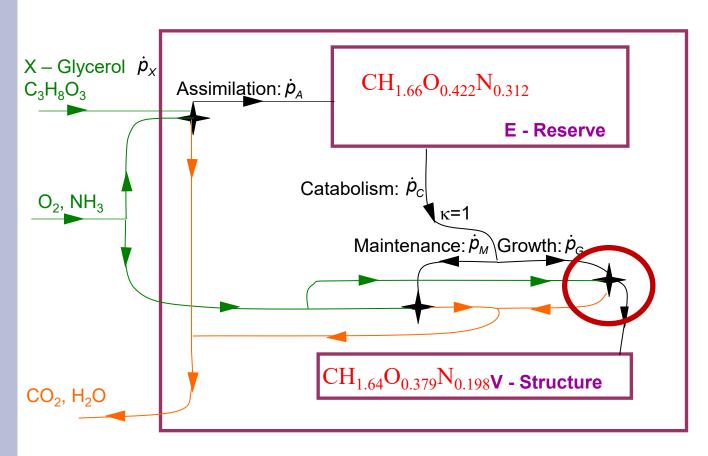


• Steady-state



Assimilation, Dissipation and Growth,

Mass Change = Σ Mass Flows = 0



T=35°C pH: 6.8

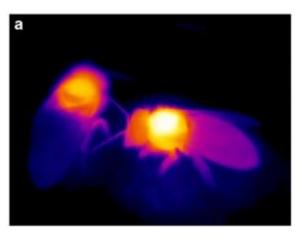
Klebsiella Aerogenes (V1-morph)





Energy Change = Heat + Work + Energy in Mass Flow

$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \dot{Q} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$



Internal energy

- State variable
- Extensive variable









Energy Change = Heat + Work + Energy in Mass Flow

$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \dot{Q} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$



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 Kinetic and potential energy



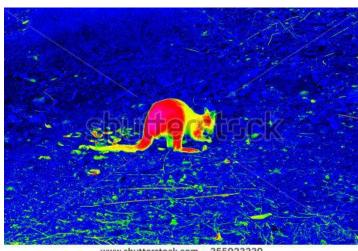
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Energy Change = Heat + Work + Energy in Mass Flow

$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \underbrace{\dot{Q}} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$



• Heat (signs)



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Energy Change = Heat + Work + Energy in Mass Flow

$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \dot{Q} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$

• Work (signs)



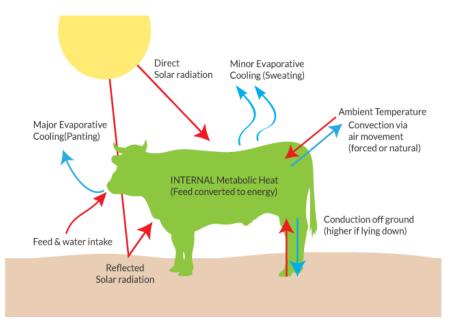
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Energy Change = Heat + Work + Energy in Mass Flow

$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \dot{Q} + \dot{W} + \left[\sum_{i} \bar{h}_{i} \frac{dM_{i}}{dt}\right|_{in} - \sum_{i} \bar{h}_{i} \frac{dM_{i}}{dt}\right|_{out}$$





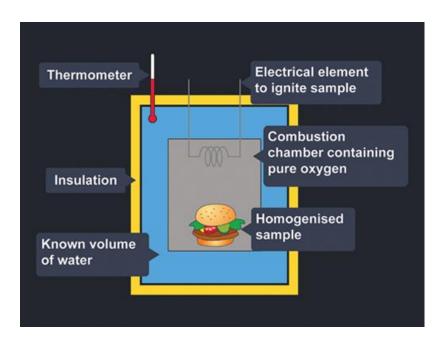
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• Enthalpy $h_i = u_i + p_i v_i$



Heating values





Amount of heat released in complete combustion



Energy Balance in DEB organisms (FB)



$$\bar{h}_V \dot{J}_V + \bar{h}_E \dot{J}_E = \dot{Q} + \dot{W} + \bar{h}_X \dot{J}_X - \bar{h}_P \dot{J}_P + \bar{h}_O \dot{J}_O - \bar{h}_C \dot{J}_C - \bar{h}_H \dot{J}_H - \bar{h}_N \dot{J}_N$$



Strong homeostasis: specific enthalpies are constant at constant T



Energy Balance in DEB organisms



$$0 = \dot{Q} + \dot{W} + \bar{h}_X \dot{J}_X - \bar{h}_P \dot{J}_P + \bar{h}_O \dot{J}_O - \bar{h}_C \dot{J}_C - \bar{h}_H \dot{J}_H - \bar{h}_N \dot{J}_N$$



- Strong homeostasis: specific enthalpies are constant at constant T
- Steady-state



Structure and Reserve Enthalpies

• The energy balance equation applied to the chemostat to many steady-states:

$$0 = \overline{h}_{\mathcal{M}}^{T} \dot{J}_{\mathcal{M}} + \overline{h}_{\mathcal{O}}^{T} \dot{J}_{\mathcal{O}} + \dot{P}_{T+}. \quad \mathcal{M} : CO_{2}, H_{2}O, O_{2}, NH_{3}$$
$$\mathcal{O} : X, E, V$$

• The formation enthalpies (at 35°C) are:

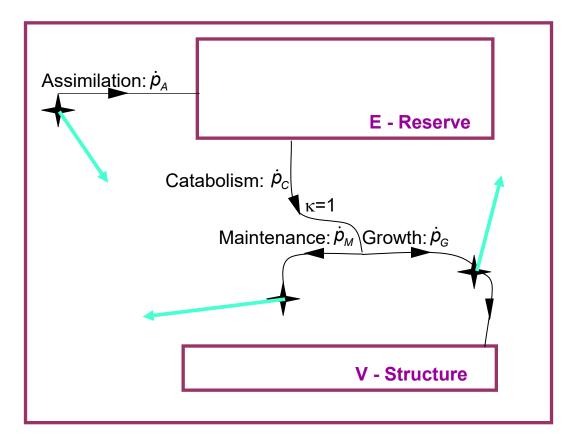
$$\overline{h}_V = -107kJ.C - mol^{-1}$$
 (structure)
 $\overline{h}_E = -33kJ.C - mol^{-1}$ (reserve)

The formation enthalpy of biomass (at 35°C) varies from:
 -76 kJ.C-mol to -105 kJ C-mol



Assimilation, Dissipation and Growth

$$0 = \dot{Q} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$



T=35°C pH: 6.8

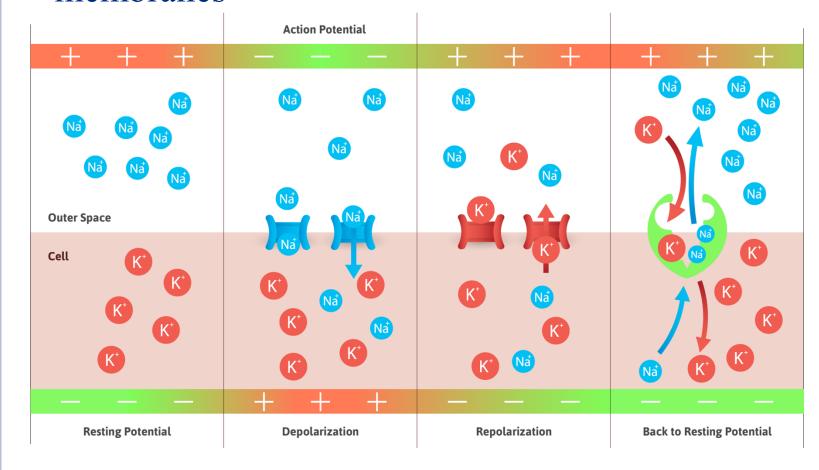
Internal Work



Internal Chemical Work



Mantaining concentration gradients across membranes

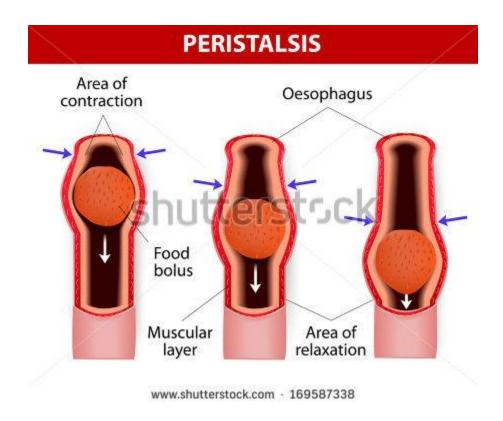




Internal Muscle Work



Peristaltic movements by the oesophagus

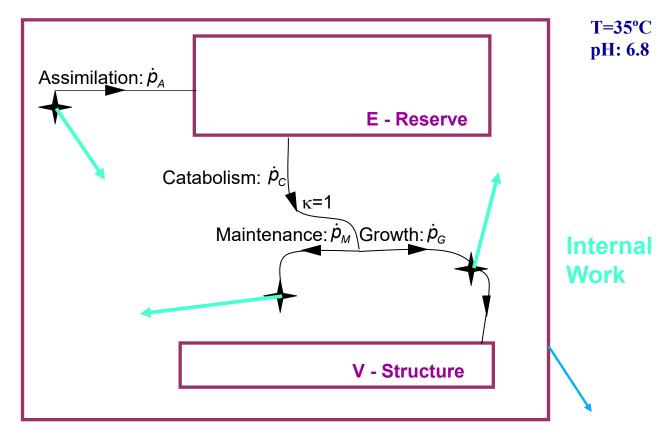




Energy Balance in DEB Organisms



$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \dot{Q} + \dot{W} + \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{h}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}.$$

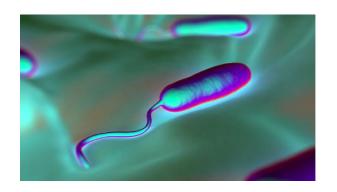


External Work



External Work

Movement





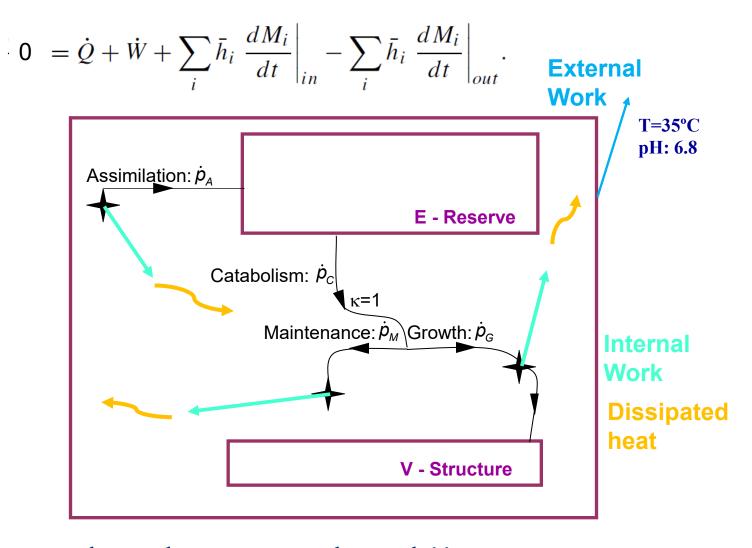




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Assimilation, Dissipation and Growth



Internal work ≠ external work!!



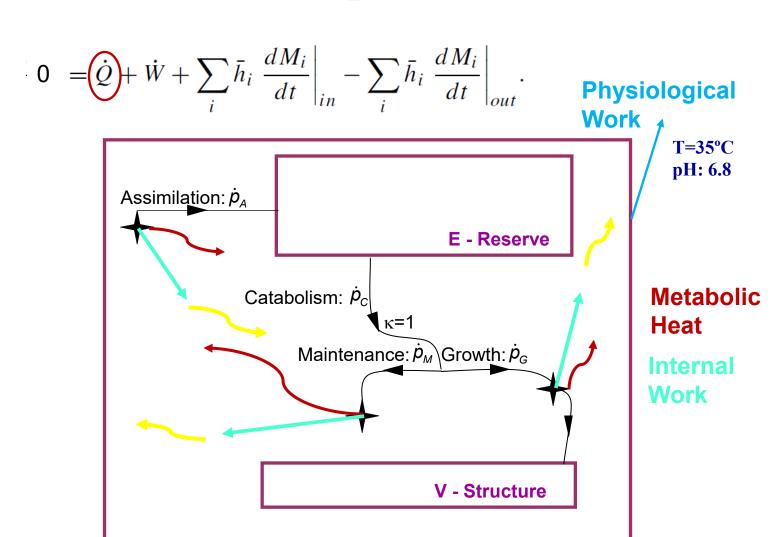
Internal Work dissipated as heat







Assimilation, Dissipation and Growth

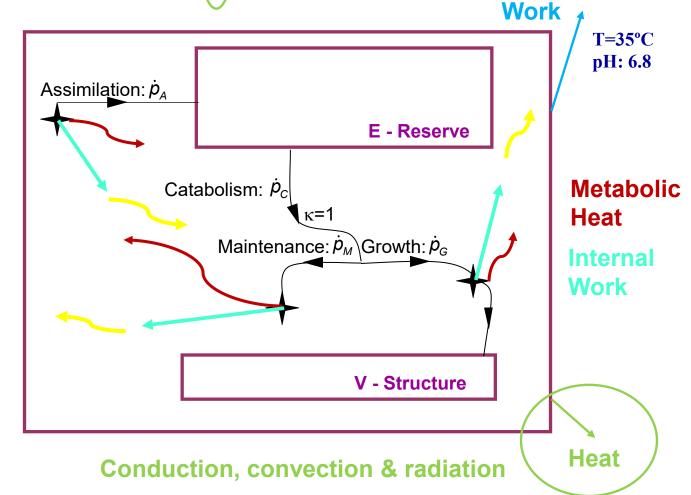




Energy Balance in DEB Organisms



$$\frac{dE}{dt} = \frac{d(U + KE + PE)}{dt} = \left(\dot{Q}\right) + \dot{W} + \sum_{i} \bar{h}_{i} \left.\frac{dM_{i}}{dt}\right|_{in} - \sum_{i} \bar{h}_{i} \left.\frac{dM_{i}}{dt}\right|_{out}.$$





Endotherms

- Thermal homeostasis
- Somatic maintenance needs (p_T)
- Behaviour
- Insulation



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Poikilotherms

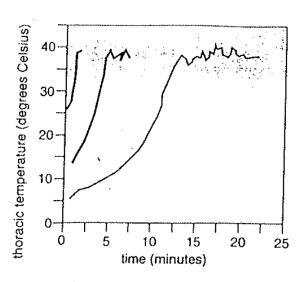


Figure 2. Bee warms up by contracting its flight muscles. A bumblebee in an ambient temperature of 24 (blue), 13 (red) or 7 (yellow) degrees Celsius can quickly increase its thoracic temperature to a flight-ready level near 40 degrees. Warm-up may take several minutes in cold temperatures.







Metabolic rates: the effect of temperature

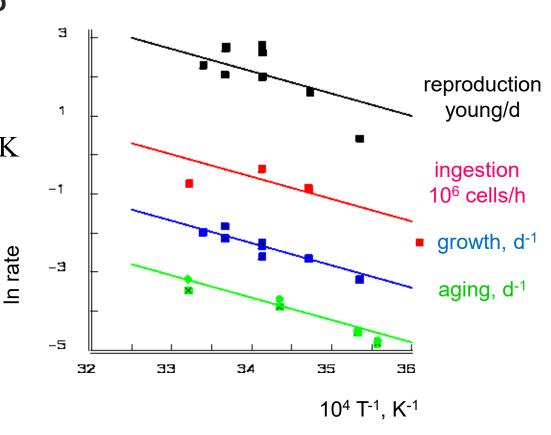
Arrhenius relationship

$$\ln k(T) = \ln k_{_{1}} + \frac{T_{_{A}}}{T_{_{1}}} - \frac{T_{_{A}}}{T}$$

$$T_{A} = 6400 \text{ K}; \quad T_{1} = 293 \text{ K}$$



Daphnia magna





Entropy Change = S in heat + S production+S in Mass Flow

$$\frac{dS}{dt} = \frac{\dot{Q}}{T} + \dot{\sigma} + \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}$$





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Entropy

- Extensive variable
- State-variable

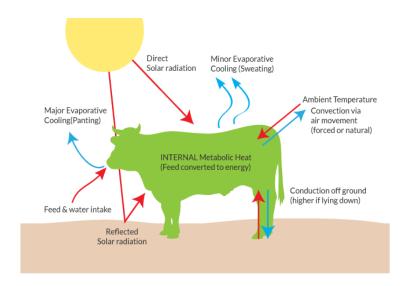




Entropy Change = S in heat + S production + S in Mass Flow

$$\frac{dS}{dt} = \frac{\dot{Q}}{T} + \dot{\sigma} + \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}$$

• "Organisms feed on negentropy" (Shrondinger)

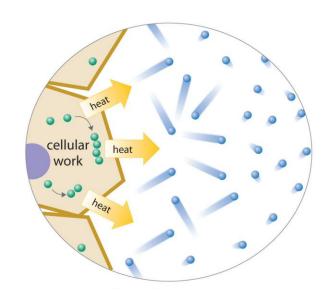




Entropy Change = S in heat + S production+S in Mass Flow

$$\frac{dS}{dt} = \left(\frac{\dot{Q}}{T}\right) + \dot{\sigma} + \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}$$





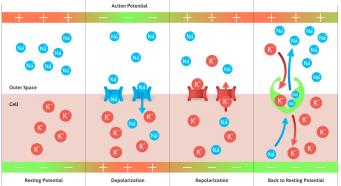
• Entropy flows with heat (but not with work)



Entropy Change = S in heat + S production + S in Mass Flow

$$\frac{dS}{dt} = \frac{\dot{Q}}{T} + \left(\dot{\sigma}\right) + \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}$$

• Energy and mass conversion leads to dissipation (or entropy production) $\dot{\sigma} \geq 0$



• For fully-grown aerobic organisms in steady-state entropy production is exported in the form of heat



Entropy Balance in DEB organisms (FB)



$$\bar{s}_V \dot{J}_V + \bar{s}_E \dot{J}_E = \frac{Q}{T} + \dot{\sigma} + \bar{s}_X \dot{J}_X + \bar{s}_O \dot{J}_O - \bar{s}_P \dot{J}_P - \bar{s}_C \dot{J}_C - \bar{s}_H \dot{J}_H - \bar{s}_N \dot{J}_N.$$



Strong homeostasis: specific entropies are constant at constant T



Entropy Balance in DEB organisms



$$0 = \frac{\dot{Q}}{T} + \dot{\sigma} + \bar{s}_X \dot{J}_X + \bar{s}_O \dot{J}_O - \bar{s}_P \dot{J}_P - \bar{s}_C \dot{J}_C - \bar{s}_H \dot{J}_H - \bar{s}_N \dot{J}_N.$$



Steady-state



Structure and Reserve Entropies

• The entropy balance equation applied to the chemostat to many dilution rates:

$$0 = \overline{s}_{\mathcal{M}}^{T} \dot{J}_{\mathcal{M}} + \overline{s}_{\mathcal{O}}^{T} \dot{J}_{\mathcal{O}} \qquad \mathcal{M} : CO_{2}, H_{2}O, O_{2}, NH_{3}$$

$$\mathcal{O} : X, E, V$$
Valid for an aerobic, ectothermic organism
$$\text{Unknowns: } \mathbf{s}_{\text{V}}, \mathbf{s}_{\text{E}} \quad \text{because } \Delta \overline{g} = \Delta \overline{h} - T \Delta \overline{s} \simeq \Delta \overline{h}$$

The entropies are:

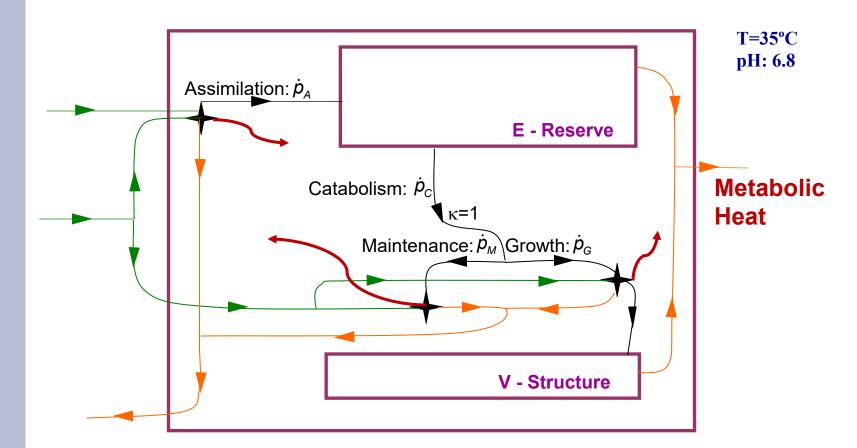
$$\overline{s}_V = 52.0 J.C - mol^{-1}.K^{-1}$$
 (reserve)
 $\overline{s}_E = 74.8 J.C - mol^{-1}.K^{-1}$

- The entropy of biomass varies from: 52.4 J.C-mol to 61.4 J C-mol
- It is different from the entropy of organic compounds with the same chemical composition



Assimilation, Dissipation and Growth

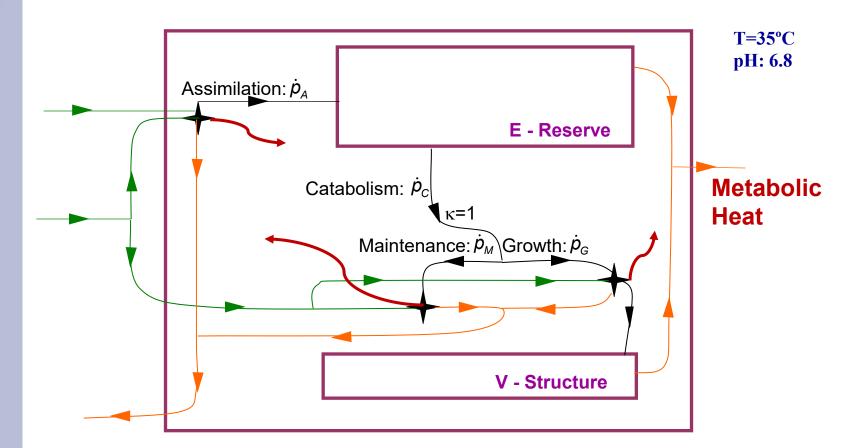
$$0 = \left| \frac{\dot{Q}}{T} \right| + \dot{\sigma} + \sum_{i} \bar{s}_{i} \left| \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left| \frac{dM_{i}}{dt} \right|_{out}$$





Assimilation, Dissipation and Growth

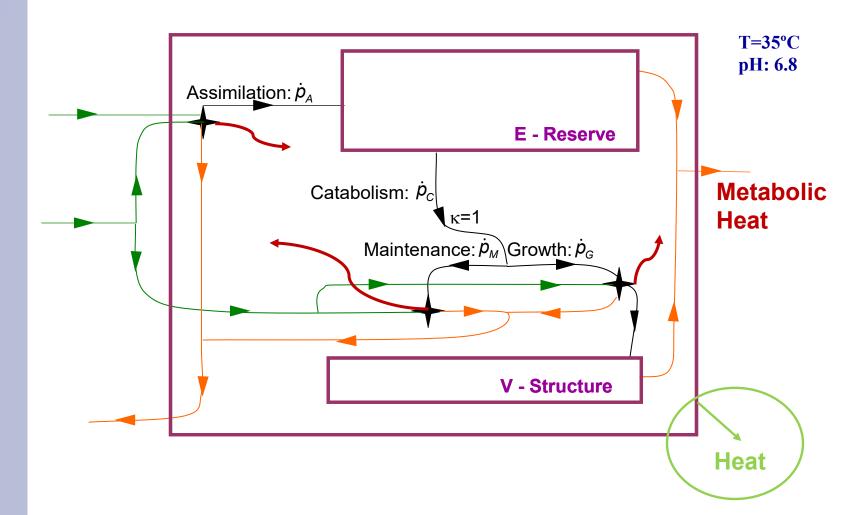
$$0 = \frac{\dot{Q}}{T} + \left| \dot{\sigma} \right| + \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left. \frac{dM_{i}}{dt} \right|_{out}$$



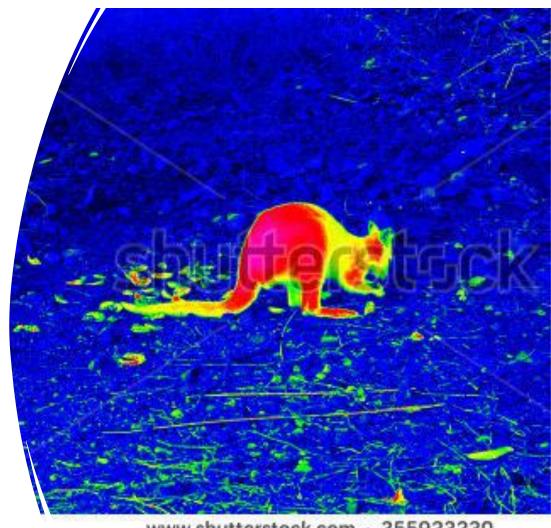


Entropy Balance in DEB Organisms

$$\frac{dS}{dt} = \left| \frac{\dot{Q}}{T} \right| + \dot{\sigma} + \sum_{i} \bar{s}_{i} \left| \frac{dM_{i}}{dt} \right|_{in} - \sum_{i} \bar{s}_{i} \left| \frac{dM_{i}}{dt} \right|_{out}$$



Activity Thermodynamics of Life

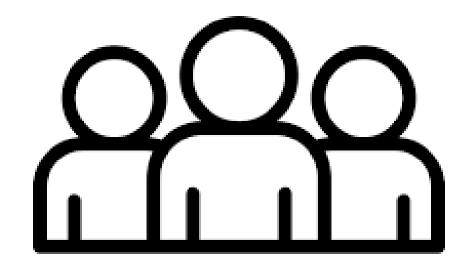


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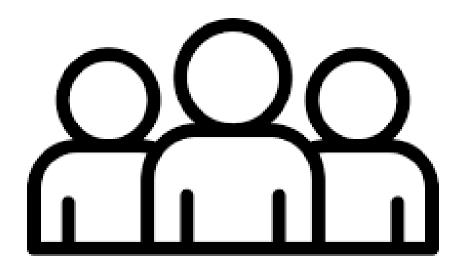
Activity Thermodynamics of Life

✓ What?	Answer some questions for your pet
### Who?	Groups of three students

Please create groups of three students



Please create groups of three students



02:00

Activity Thermodynamics of Life

✓ Wha	at?	Answer some questions for your pet
### Wh	o?	Groups of three students
™ Hov	w?	Using what you learned here 😊
[↑] Who	en?	During 15 minutes
🖺 Wh	ere?	Google slides

Activity Thermodynamics of Life

✓ What?	Answer some questions for your pet
₩ Who?	Groups of three students
► How?	Using what you learned here 😊
↑ When?	During 15:00
🗋 Where?	https://tinyurl.com/thermodynamicslife