

The following definition comes from a model  $M$  (as defined above) behaves with global preferential attachment.

Definition (global preferential attachment): Let  $M$  be a model as defined above.

We say that  $M$  satisfies the global preferential attachment effect

iff for any node  $v$ ,  $1 \leq v \leq n$ ,  $\frac{d(v)}{n} \leq \frac{d(v')}{n}$  for any node  $v'$  with  $d(v') \geq d(v)$ .

~~By Lemma 2.1~~  $p(d_i \geq n+1 | d_i = n, M)$  increases with  $n$ ,  $1 \leq n < p$ .

If  $p(d_i \geq n+1 | d_i \leq n, M)$  is independent of  $n$ , the model is said

to be neutral w.r.t the global preferential attachment effect.

## Global Text on

This definition directly translates the fact that the more links

a node has at some point in the process, the more likely

a new link will be created with that node. This is

exactly the preferential attachment effect.

~~It is easy to see that~~ For both IFT and ITHS, in model  $M$ ,

the generation of links are independent of each other. The fact that links have been created after  $p$  steps has no impact on the future

links in a given node. In  $M_g$ , as there one first needs to generate

$\Phi$  and  $\phi$  prior to generate all the links, a similar behavior is

likely to be observed. Intuitively thus, both IFT and ITHS

are neutral w.r.t the global preferential attachment effect. The following property formalizes this intuition.