Atanas Delevski ECE 407 HW #7 4/15/2020

ATANAS DELEVSKI ECE 407 HW #2 673541753 4/15/2020
$X = \begin{cases} -1, 2, 1.5, 1, 3, 4, 4.5, 5 \end{cases}$ Solution: By observation, I will initiative my first center at 2 and my second center at 4.5. The content of the center at 2 and my second center at 4.5. $X = 1 \Rightarrow 2 - 1 = 2 4.5 - 1 = 3.5$ $X = 2 \Rightarrow 2 - 2 = 0 4.5 - 2 = 2.5$ $X = 1 \Rightarrow 2 - 1 = 2 4.5 - 1 = 3.5$ $X = 1 \Rightarrow 2 - 1 = 2 4.5 - 1 = 3.5$ $X = 1 \Rightarrow 2 - 1 = 2 4.5 - 1 = 3.5$ $X = 1 \Rightarrow 3 - 2 = 2 4.5 - 1 = 3.5$ $X = 1 \Rightarrow 3 - 2 = 2 4.5 - 3 = 7.5 4.5 4.5 3 = 7.5 4.$
$x=4 \Rightarrow 4-2=2$ $y=4=0.5$ $x=4.5 \Rightarrow 4.5-2=7.5$ $y=4.5-4.5=0$ $x=5=5$ $y=5-2=3$ $y=5-4.5=0.5$ $y=5-4.5$ y

THANAS DELINENT ECE 1104 HI 44 For example, if I had picked
my first center to be x=1,
then the point x=3 would have
gone to the second cluster,
and the centers would be: Center 1 (1+1+1.5+2) = 1.375Center 2 (3+4+4.5+5) = 4.125And so the point would have stayed in the second cluster. Therefore there are two possible solutions to this question My solution was: Cluster 1: 1,1,1,5,2,3 W/ C=1.7 Cluster 2: 4, 4.5, 5 W/ C=4.5 S Scanned with CamScanner

Problem 2:

As in the previous homework, I decided to once again use Python for this problem. I used the same libraries as last time; **pandas** for data manipulation and **matplotlib** for data visualization.

At first I tried to program the K-means algorithm by myself but even after looking at multiple resources online, I found it way too complicated to turn into code even though I understood the algorithm.

Therefore, after hours of trying, I decided to just use the **scikit-learn** library in order to use it's k-means function. I wish I could have gone without using it but it turned out to be too hard for this homework assignment.

After using the k-means clustering function from scikit-learn and setting the number of clusters to 4, I got these centers: (It is worth mentioning that K-Means algorithm has a downfall of falling into local minima in terms of optimization. This means that every time I ran the program, I got different centers. This is just one out of many different solutions depending on how the program first initializes the centers.)

	X	Υ
Center 1 (red)	4.75	3.15
Center 2 (green)	6.352	2.92
Center 3 (blue)	5.2833	3.70833
Center 4 (yellow)	5.52	2.62

Part B: Given the test vector, (4.9, 6.2), this instance of the algorithm would classify that vector as <u>Class 3 (blue)</u>.

