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% Problem 1: Pakde, Bude, Paklik, and Bulik
% parent(X,Y) denotes that X is one of Y's parent
parent (anya, clara). parent (anya, edward). parent (anya, fiona).
parent (benjamin, clara). parent (benjamin, edward). parent (benjamin, fiona).
parent (clara, hannah). parent (clara, ira). parent (clara, lucas).
parent (david, hannah). parent (david, ira). parent (david, lucas).
parent (fiona, mike). parent (fiona, nancy).
parent (george, mike). parent (george, nancy).
parent (ira, peter) . parent (ira, quincy) .
parent(james, peter). parent(james, quincy).
parent (kiana, raymond) . parent (kiana, sarah) . parent (kiana, tina) .
parent (lucas, raymond). parent (lucas, sarah). parent (lucas, tina).
parent (nancy, umberto). parent (nancy, victoria).
parent (oscar, umberto). parent (oscar, victoria).
/* person(Person, Gender, Birthyear) explains that the
person Person is of gender Gender and born at Birthyear */
person (anva, female, 1938). person (benjamin, male, 1929).
person (clara, female, 1959). person (david, male, 1950).
person (edward, male, 1963).
person (fiona, female, 1965). person (george, male, 1955).
person (hannah, female, 1980).
person (ira, female, 1982). person (james, male, 1979).
person (kiana, female, 1990). person (lucas, male, 1989).
person (mike, male, 1991).
person (nancy, female, 1994). person (oscar, male, 1992).
person (peter, male, 2005). person (quincy, female, 2008).
person (raymond, male, 2013). person (sarah, female, 2015). person (tina, female, 2018).
person (umberto, male, 2016). person (victoria, female, 2019).
% male(X): X is male. female(X): X is female
male(X):-person(X, male,).
female (X): - person (X, female, ).
/*some rules and predicates from PS 1 and Hw 1*/
% married(X,Y): X is married to Y (or vice versa)
married (X, Y) : - parent (X, Z), parent (Y, Z), X = Y.
% sibling(X,Y): X is sibling of Y
% brother(X,Y): X is a brother of Y. sister(X,Y): X is a sister of Y.
sibling (X, Y): - parent (Z, X), parent (Z, Y), X = Y.
brother (X, Y) : - sibling (X, Y), male (X).
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sister (X, Y): - sibling (X, Y), female (X).
% older(X,Y) means X born before Y
% younger(X,Y) means X born after Y
older(X, Y): - person(X, , YearX), person(Y, , YearY), YearX < YearY.
younger (X, Y) := person(X, YearX), person(Y, YearY), YearX > YearY.
% older brother (X,Y): X is an older brother of Y
older brother (X, Y) : - brother (X, Y), older (X, Y).
% younger brother(X,Y): X is a younger brother of Y
younger brother (X, Y): - brother (X, Y), younger (X, Y).
% older sister(X,Y): X is an older sister of Y
older sister(X, Y) : - sister(X, Y), older(X, Y).
% younger sister(X,Y): X is a younger sister of Y
younger sister (X, Y): - sister (X, Y), younger (X, Y).
% pakde(X,Y): X is a pakde of Y
pakde(X,Y):- older brother(X,Z), parent(Z,Y). % pakde by blood
pakde(X,Y):-married(X,Z), older sister(Z,W), parent(W,Y). % pakde by marriage
% bude(X,Y):- X is a bude of Y
bude (X, Y): - older sister (X, Z), parent (Z, Y). % bude by blood
bude (X,Y): - married (X,Z), older brother (Z,W), parent (W,Y). % bude by marrige
% paklik(X,Y): X is a paklik of Y
paklik(X,Y):= younger brother (X,Z), parent (Z,Y). % paklik by blood
paklik(X,Y):- married(X,Z), younger sister(Z,W), parent(W,Y). % paklik by marriage
% bulik(X,Y):- X is a bulik of Y
bulik (X, Y) := younger sister (X, Z), parent (Z, Y). % bulik by blood
\operatorname{bulik}(X,Y):-\operatorname{married}(X,Z), younger brother (Z,W), parent (W,Y). % bulik by marriage
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% Problem 2: Perjalanan
:- op(600, xfx, langsung_ke).
jakarta langsung ke bekasi. jakarta langsung ke bogor.
bogor langsung ke bandung. bogor langsung ke sukabumi.
bekasi langsung ke bandung. bekasi langsung ke cirebon.
bandung langsung ke cirebon. bandung langsung ke tasikmalaya.
cirebon langsung ke tasikmalaya. cirebon langsung ke tegal.
tegal langsung ke pekalongan.
pekalongan langsung ke semarang. pekalongan langsung ke yogyakarta.
semarang langsung ke surakarta. semarang langsung ke surabaya.
yogyakarta langsung ke semarang. yogyakarta langsung ke surakarta.
surakarta langsung ke madiun.
madiun langsung ke kediri. madiun langsung ke surabaya.
kediri langsung ke malang.
surabaya langsung ke malang.
:- op(600, xfx, ke).
X \text{ ke } Y:-X \text{ langsung ke } Y.
X \text{ ke } Y:-X \text{ langsung ke } Z, Z \text{ ke } Y.
:- op(600, xfx, menuju).
X menuju Y:-X langsung ke Y.
X menuju Y:-
    \boldsymbol{z} langsung_ke \boldsymbol{Y}_{\boldsymbol{r}}
    X menuju Z, write(Z), write(' ').
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% Problem 3: Triangle
% star(N) generates a string of N stars, every two stars are separated by a space
star(1):- write('*'). % base case
star(N) := N > 1, write(*), write(' '), N1 is N - 1, star(N1). % recursive case
% space(N) generates a string of N blank spaces
space(0):- write('').
space (N) := N > 0, write (' '), N1 is N-1, space (N1).
/* triangle(N, MaxStars) generates a string of MaxStars lines of stars,
each line N consists of N stars preceded by MaxStars - N - 1 blank spaces */
triangle (N, MaxStars):-
   Space is N - 1, Star is MaxStars - Space,
   space (Space), star (Star), nl,
   triangle (Space, MaxStars) .
/* triangle(N) generates N lines of string, for each 1 =< \dot{\mathbf{L}} =< N, line \dot{\mathbf{L}}
contains \dot{\bot} stars, every two stars is separated by a space, every first star
of line i is preceded by N - i - 1 blank spaces */
triangle (N) : -N > 0, triangle (N, N).
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% Problem 4: Fibonacci Sequence
/* the predicate fibo(+F0,+F1,N,FN) returns the N-th
fibonacci sequence, i.e., FN, with initial condition F0 and F1,
the sequence is defined recursively: F(N) = F(N-1) + F(N-2) for N > 1 */

% base cases:
fibo(F0,_,0,F0).
fibo(_,F1,1,F1).
% recursive case:
fibo(F0,F1,N,FiboN):-
    N > 1,
    N1 is N - 1, N2 is N - 2,
    fibo(F0,F1,N1,FiboN1), fibo(F0,F1,N2,FiboN2), % calling fibo/4 recursively
    FiboN is FiboN1 + FiboN2.
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% Problem 6: Primitive Pythagorean Triangle
% the predicate from Problem 5 in Hw 3, version 2
gcd(0,0,):- write("gcd error"). % handling exception when both numbers are zero
acd(A, 0, A) :- A = = 0. % acd(A, 0) = A for nonzero A
\gcd(0, \mathbf{A}, \mathbf{A}) : - \mathbf{A} = = 0. \% \gcd(0, \mathbf{A}) = \mathbf{A} for nonzero A
gcd(A, A, A) :- A = = 0. % <math>gcd(A, A) = A for nonzero A
\gcd(A,B,Gcd):- % if 0 < A < B, then \gcd(A,B) = \gcd(A,B-A) (3rd case).
    0 < A
    A < B
    C is B-A,
    gcd(A, C, Gcd).
gcd(A,B,Gcd):- % If 0 < B < A, then gcd(A,B) = gcd(A-B,B) (4th case).
    0 < B_{I}
    B < A
    acd(B, A, Gcd).
/* gcd(A,B,C,Gcd) holds whenever Gcd is the greatest common divisor of A, B, and C,
to calculate Gcd, we use the following theorem: gcd(A,B,C) = gcd(gcd(A,B),C) */
gcd(A, B, C, Gcd) := gcd(A, B, GcdAB), gcd(GcdAB, C, Gcd).
/* primtriple(A,B,C) succeeds whenever (A,B,C) is a primitive Pythagorean triple,
i.e., A < B < C, A^2 + B^2 = C^2 and gcd(A,B,C) = gcd(A,gcd(B,C)) = 1 */
primtriple (A, B, C):-
    integer (A), integer (B), integer (C),
    0 < A, A < B, B < C,
    A^2 + B^2 = C^2
    gcd(A, B, C, 1).
/* ptriangle(A,B,C,Perimeter) succeeds whenever (A,B,C) is a Pythagorean triple and
A + B + C = Perimeter, i.e., A, B, C are the sides of a primitive Pythagorean triangle
with 0 < A < B < C whose perimeter is equal to Perimeter */
ptriangle(A, B, C, Perimeter):-
    integer(Perimeter), Perimeter > 0,
    HalfPerimeter is Perimeter // 2,
    between (1, HalfPerimeter, A), between (1, HalfPerimeter, B),
    C is Perimeter - A - B, % since A + B + C = Perimeter
    primtriple (A, B, C).
ppt((A,B,C),Min,Max):- between(Min,Max,Perimeter), ptriangle(A,B,C,Perimeter).
```