R = RootSystem("F4"); R

Root system of type ['F', 4]

L = R.ambient_space(); L

Ambient space of the Root system of type ['F', 4]

[L.simple_root(i) for i in [1,2,3,4]]

$$\left[e_1-e_2,e_2-e_3,e_3,rac{1}{2}e_0-rac{1}{2}e_1-rac{1}{2}e_2-rac{1}{2}e_3
ight]$$

DynkinDiagram("B3")

0---0=>=0

1 2 3

В3

B3 = WeylCharacterRing("B3"); B3

The Weyl Character Ring of Type B3 with Integer Ring coefficients

L = B3.space(); L

Ambient space of the Root system of type ['B', 3]

[fw1,fw2,fw3] = [L.fundamental weights()[i] for i in [1,2,3]]

[chi1,chi2,chi3] = [B3(x) for x in [fw1,fw2,fw3]]

fwl, chil, chil.degree()

 $\left(e_0,B_{e_0},7
ight)$

fw3, chi3, chi3.degree()

$$\left(rac{1}{2}e_0+rac{1}{2}e_1+rac{1}{2}e_2,B_{rac{1}{2}e_0+rac{1}{2}e_1+rac{1}{2}e_2},8
ight)$$

