

Ch. 1 & 2 HW

Exercise 2.2-1

1. Return  $C(C) \Sigma \parallel C = 0, 1, 2, \dots$

$X = C$

$y = 0$

While  $(X > 0) \Sigma$

$X = X - 1$

$y = y + 1$

$\Sigma$

return  $y$

$\Sigma$

Prove this returns  $C$ .



2.  $\text{prod}(a, b) \Sigma$

$x = a$

$y = b$

$z = 0$

$\text{While}(x > 0) \Sigma$

$z = z + y$

$x = x - 1$

$\Sigma$

$\text{return } z$

$\Sigma$

prove this returns  $a * b$ .

3. Bubble sort is a popular, but inefficient sorting Alg.

BubbleSort(A)

for  $i = 1$  to  $A.length - 1$

Swapped = false

for  $j = A.length$  down to  $i + 1$

if  $A[j] < A[j-1]$

Swap( $A[j], A[j-1]$ )

Swapped = true

if (Swapped) = false

break

a. Demonstrate how this Alg. sorts (5, 1, 4, 2, 8)

b. given  $T(n) = \sum_{i=1}^{n-1} \sum_{j=i+1}^n 1$  for the above Alg.

Find a formula for  $T(n)$  by reducing the  $\sum$  down to well known formula's. Hint use summation formula's.

c. given  $T(n) = \sum_{j=2}^n 1$  for the above

Alg. Find a formula for  $T(n)$  by reducing the  $\sum$  down to well known formula's. Hint use summation formulas



4. Selection Sort is another simple but inefficient Sorting Alg.

SelectionSort(A)		<u>Cost</u>	<u>Time</u>
①	for $i=1$ to $A.length-1$	$c_1$	$n$
②	$min=i$	$c_2$	$n-1$
③	for $j=i+1$ to $n$	$c_3$	$\sum_{i=1}^{n-1} \sum_{j=i+1}^n 1$
④	if $A[j] < A[min]$		
⑤	$min=j$		
⑥		3	
⑦		3	
⑧	Swap( $A[min], A[i]$ )		
⑨		3	

A) demonstrate how it sorts  
(64, 25, 12, 22, 11)

b) Fill in the remaining lines with the cost and time.

c) Using part "b" find a formula for  $T(n)$ . Simplify your summations.