#### IS Lab

### **Decision Tree based ID3 algorithm**

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### Decision tree using ID3 Algorithm

The decision tree splits the nodes on all available variables and then selects the split which results in most homogeneous sub-nodes. ID3 stands for Iterative Dichotomiser 3. It is one of the many algorithms used to make decision trees. The Algorithm selection is based upon the type of target variables e.g.

#C4.5(successor of ID3)

#CART(Classification And

Regression Tree)

#CHAID(Chi-square automatic interaction detection Performs multilevel splits when computing classification trees)

 $\#MARS(multivariate\ adaptive\ regression\ splines)$ 

ID3 Algorithm iteratively divides the features into two or more groups at each step

#### Steps in ID3 algorithm:

#It begins with the original set S as the root node.

 $\#On\ each\ iteration\ of\ the\ algorithm,\ it\ iterates\ through\ the\ very\ unused\ attribute$  of the set S and calculates Entropy(H) and  $Information\ gain(IG)$  of this attribute.

#It then selects the attribute which has the smallest Entropy or Largest Information gain. #The set S is then split by the selected attribute to produce a subset of the data.

#The algorithm continues to recur on each subset, considering only attributes never selected before.

# Using a sample dataset of iris flower identification.

In [89]:

**import**numpy**as**np **import**pandas**as**pd

import

asp/t

```
In [90]: input_data=pd.read_csv("Iris.csv")
```

In [91]: input\_data.head()

## Out[91]:

Species	PetalLengt PetalWidth		Id SepalLength SepalWidth			
	Cm	hCm	Ст	Ст		
Iris- setosa	0.2	1.4	3.5	5.1	0 1	0
Iris- setosa	0.2	1.4	3.0	4.9	1 2	1
Iris- setosa	0.2	1.3	3.2	4.7	2 3	2
Iris- setosa	0.2	1.5	3.1	4.6	3 4	3
Iris- setosa	0.2	1.4	3.6	5.0	<b>4</b> 5	4

In [92]: =np.finfo(float).

## Calculating Entropy of each feature

## Out[94]: {'Id': 0.0,

 $'SepalLength Cm':\ 0.7080248798300978,$ 

'SepalWidthCm': 1.0740925365975489,

'PetalLengthCm': 0.1386459770753558,

'PetalWidthCm': 0.14906466204571406}

#### Find Information Gain

In [95]: defig

In [96]:  $IG=\{k: g(entropy node, a entropy[k]) forkina_entropy\}$ 

```
In [97]: 1G
```

```
Out[97]: {'Id': 1.584962500721156,
```

'SepalLengthCm': 0.8769376208910583,

'SepalWidthCm': 0.5108699641236072,

'PetalLengthCm': 1.4463165236458002,

'PetalWidthCm': 1.435897838675442}

Find entropy of original dataset S

```
In [98]: | def
               Species=input_data.keys()[-
               1]entropy=0
               values='nput_data[Spec'es].un'que()
               forvalueinvalues:
                   fraction=input_data[Species].value_counts()[value]/len(input_data[Specen
                   tropy+=-fraction*np.log2(fraction)
```

```
In [99]: def
                         =[]
              IG=[]
             forkeyininputdata.keys()[:-1]:
                  Entropy_att.append(ent(inp utdata,key))
```

```
In [100]: defget_subtable(input_data,node,value):
    returninput_data[input_data[node] == value] _re set_i ndex(drop = )
```

```
In [101]: defbuildTree(input_data,tree=None):S
    pecies=input_data.keys()[-1]

    node=find_winner(input_acta)
    attValue=np.unique(input_data[node])

iftreeisNone:tree={}
    tree[node]={}

forvalueinattValue: subtable= (input_data,node,value)
    clValuecounts=np.unique(subtable['Species']returncounts=)

iflen(counts)==1:
    tree[node][value]=clValue[0]
```

```
In [102]:t=buildTree(input_data)
          importpprint
In [103]:
                         (t)
In [104]:
                            -setosa',
                       2:'Iris-setosa',
                       3:'Iris-setosa',
                       4:'Iris-setosa',
                       5:'Iris-setosa',
                       6:'Iris-setosa',
                       7:'Iris-setosa',
                       8:'Iris-setosa',
```

9:'Iris-setosa',