IDDFS

1. Which two classical uninformed search strategies does IDDFS combine the advantages of?

Depth-First Search (DFS) and Breadth-First Search (BFS).

- From **DFS**, it takes **low memory usage**.
- From **BFS**, it takes **completeness** and **optimality** (for uniform step costs).

So IDDFS = DFS's space efficiency + BFS's completeness/optimality.

- 2. Why does IDDFS require only O(b·d) memory?
 - At each depth-limited DFS, only the nodes along the current path (≤ d deep) and their siblings are stored.
 - Hence memory is proportional to **branching factor** \times **depth**, i.e. $O(b \cdot d)$.
 - Contrast this with BFS, which needs O(b^d) memory.
- 3. What assumption about step-costs must hold for IDDFS to guarantee an optimal (cheapest) solution?

All step costs must be equal (unit cost, e.g. cost = 1 per move).

- If costs vary, IDDFS may not return the cheapest path.
- For varying costs, we need Uniform-Cost Search (UCS) instead.
- 4. Give the big-O time complexity of IDDFS in terms of branching factor b and optimal solution depth d.

 $O(b^{\wedge}d)$

- At each iteration, IDDFS does DFS up to depth i.
- So nodes near the top are re-generated many times.
- But total overhead is at most a constant factor compared to BFS.
- Therefore, time complexity = $O(b^d)$.

5. Name one drawback of IDDFS compared with Breadth-First Search.

Repetition of nodes.

- IDDFS repeatedly expands the same shallow nodes in every iteration.
- This makes it slower in practice compared to BFS when branching factor b is large.

AIM:

Problem statement

It has set off a 3x3 board having 9 block spaces out of which 8 blocks having tiles bearing number from 1 to 8. One space is left blank. The tile adjacent to blank space can move into it. We have to arrange the tiles in a sequence for getting the goal state

Goal: Implement IDDFS to reach the goal state.

State Space:

Transition = You can move the tile Up, Down, Left and Right.

ALGORITHM:

Algorithm: Iterative Deepening Depth-First Search (IDDFS)

- 1. Start with depth limit = 0.
- 2. Repeat until solution is found or depth exceeds maximum allowed:
 - a. Perform a Depth-Limited Search (DLS) from the root node, with the current depth limit.

- b. If the goal node is found \rightarrow return solution.
- c. Otherwise, increase depth limit by 1 and repeat.
- 3. If maximum depth reached without finding the goal \rightarrow return failure.

Depth-Limited Search (DLS) sub-algorithm

- 1. If the current node is the goal, return success.
- 2. If the current depth $\lim_{t \to 0} t = 0$, stop exploring this path.
- 3. Otherwise:
 - a. Expand the current node.
 - b. Recursively apply DLS to each child with depth limit -1.
 - c. If any child returns success \rightarrow propagate success upward.

CODE:

from copy import deepcopy

Define the initial and goal states

goal_state =
$$[[1, 2, 3],$$
 $[5, 8, 6],$

```
[0, 7, 4]]
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# Define moves (Up, Down, Left, Right)
moves = {
  'Up': (-1, 0),
  'Down': (1, 0),
  'Left': (0, -1),
  'Right': (0, 1)
}
def find_blank(state):
  for i in range(3):
     for j in range(3):
       if state[i][j] == 0:
          return i, j
  return None
def is_goal(state):
  return state == goal_state
def get_possible_moves(state):
  row, col = find_blank(state)
  possible_states = []
```

```
for move_name, (dr, dc) in moves.items():
     new r, new c = row + dr, col + dc
     if 0 \le \text{new } r \le 3 \text{ and } 0 \le \text{new } c \le 3:
       new state = deepcopy(state)
       # Swap blank with the adjacent tile
       new_state[row][col], new_state[new_r][new_c] = new_state[new_r][new_c],
new state[row][col]
       possible states.append((new state, move name))
  return possible states
# Depth Limited DFS
def depth limited dfs(state, limit, path, visited):
  if is_goal(state):
     return path
  if limit \le 0:
     return None
  visited.append(state)
  for next state, move in get possible moves(state):
     if next state not in visited:
       result = depth limited dfs(next state, limit - 1, path + [move], visited)
       if result is not None:
```

```
return result
```

return None

```
# Iterative Deepening Search
def iterative_deepening_dfs(start_state, max_depth):
  for depth in range(max depth + 1):
     visited = []
     result = depth limited dfs(start state, depth, [], visited)
     if result is not None:
       return result, depth
  return None, max depth
# Solve using IDS
solution_path, depth = iterative_deepening_dfs(initial_state, 20)
# Output result
if solution path:
  print(" Goal reached!")
  print("Moves to goal:", ' -> '.join(solution_path))
  print("Total steps:", len(solution path))
  print("Depth reached:", depth)
else:
```

print(" Goal not found within depth limit.")

OUTPUT:

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Goal reached!
Moves to goal: Left -> Down -> Left
Total steps: ⅓
Depth reached: 3
```

RESULT:

The programs have been completed and the outputs have been verified.