

1a

shl R2 R1 3 ; $R2 = 8R1$

sub R2 R2 R1 ; $R2 = R2 - R1 = 8R1 - R1 = 7R1$

3 cycles Mult takes 4, so this implementation will be faster ~~if cycles cost~~ (4/3 times faster)

~~1b~~

~~shl R2 R1 2 ; $R2 = 4R1$~~

~~shl R1 R1 3 ; $R1 = 8R1$~~

~~add R2 R2 R1 ; $R2 = R2 + R1$~~

~~sl R1 R1 1~~

2b

shl R2 R1 3 ; ~~$R2 = 4R1$~~ $R2 = 8n$

shl R1 R1 2 ; $R1 = 4n$

add R2 R2 R1 ; $R2 = 12n$

shl R1 R2 2 ; $R1 = 48n$

add R2 R2 R1 ; $R2 = 60n$

~~shl~~ R1 R2 4 ; $R1 = 960n$

add R2 R2 R1 ; $R2 = 1020n$

~~10~~ 10 cycles. Mult takes 4 cycles, so this implementation is 2.5 times slower

1c

Booth's algorithm would go through C and examine pairs of adjacent bits.

$1020 = 0111111100_2$

add $10000000_2 \times n$ subtract $100_2 \times n$

shl R2 R1 10 ; $R2 = 1024n$

~~shl~~ R1 R1 2 ; $R1 = 4n$

sub R2 R2 R1 ; $R2 = 1020n$

This implementation takes 4 cycles, which is exactly as fast as simply using mult instruction.