

(1a) $\pi_{\text{abbreviation, established, name}} \sigma_{\theta} (\text{organization} \times \text{is_member} \times \text{country})$

where $\theta = \text{organization.abbreviation} = \text{is_member.organization} \wedge$
 $\text{is_member.country} = \text{country.code} \wedge \text{is_member.type} = \text{'member'}$

(1b) SELECT name, population
 FROM country
 WHERE code NOT IN (
 SELECT country1 AS non-island
 FROM borders
 UNION
 SELECT country2 AS non-island
 FROM borders)

(1c) SELECT organization,
 SUM(population) AS population
 FROM is_member JOIN country
 ON (is_member.country = country.code)
 WHERE type = 'member'
 GROUP BY organization
 HAVING COUNT(code) >= 20

(1d) The query returns the scheme (abbreviation) listing the
 abbreviation of organisations ^(ordered by the abbreviation) that, for all types of membership
 that appear in is_member, have at least a country with
 that type of membership that is part of the organisation.

types: member, observer

result: abbreviation

CERN

AL

C

CERN

CSTO

EU

NATO

PCA

WFTU

member

observer

V

V

V

V

V

V

$$(ii) \pi_{abbreviation, type} (organization \overset{\theta}{\bowtie} is_member) \div \pi_{type} is_member$$

where $\theta = organization.abbreviation = is_member.organization$

(iii) organization-with-all-types (Abbreviation):—
 organization (Abbreviation, —, —, —),
 \neg organizations-missing-types (Abbreviation).

organizations-missing-types (Abbreviation):—
 organization (Abbreviation, —, —, —),
 $\neg is_member$ (—, Abbreviation, Type),
 types (Type).

types (Type):—
 is_member (—, —, Type).

(1e) SELECT abbreviation, established,
 COUNT(CASE WHEN type = 'member' THEN type
 END) AS no_member,
 COUNT(CASE WHEN type = 'observer' THEN type
 END) AS no_observer,
 COUNT(CASE WHEN type NOT IN ('member', 'observer')
 THEN type
 END) AS no_other
 FROM organization JOIN is_member
 ON (organization.abbreviation = is_member.organization)
 GROUP BY abbreviation, established

(2c) Order in which locks are acquired:

(H1) $rl_1[C_{CZ}], wl_1[C_{CZ}], rl_1[C_R], wl_1[C_R]$

(H2) $rl_2[C_{CZ}], rl_2[C_B], rl_2[C_R], rl_2[C_{GB}]$

(H3) $rl_3[C_R], rw_3[C_R], rl_3[C_B], wl_3[C_B]$

(Highlighted the locks we want to use to create the deadlock)

$rl_3[C_R], wl_3[C_R], rl_2[C_{CZ}], rl_2[C_B], rl_3[C_B], \langle \text{deadlock} \rangle$



(2b) (i) $S = \{A \rightarrow B, A \rightarrow D, A \rightarrow E, AC \rightarrow F, BC \rightarrow F, BC \rightarrow G, D \rightarrow A, G \rightarrow F, G \rightarrow G, GF \rightarrow C\}$

Remove trivial FD $G \rightarrow G$.

$BC \rightarrow F$ can be obtained by $BC \rightarrow G, G \rightarrow F$, so it is redundant

$GF \rightarrow C$ can be simplified to $G \rightarrow C$ by using $G \rightarrow F$.

Situation so far:

$S = \{A \rightarrow B, A \rightarrow D, A \rightarrow E, AC \rightarrow F, BC \rightarrow G, D \rightarrow A, G \rightarrow F, G \rightarrow C\}$

Try to remove: $A \rightarrow B$

$A^+ = ADE$. $A \rightarrow B$ is necessary

Try to remove: $A \rightarrow D$

$A^+ = ABE$. $A \rightarrow E$ is necessary

E can be obtained only using $A \rightarrow E$, so it is a necessary FD.

Try to remove $AC \rightarrow F$:

$AC^+ = ACBDEG(F)$. $AC \rightarrow F$ is redundant

$BC \rightarrow G$ is necessary because G appears in the RHS of no other

FD. Same for $D \rightarrow A$. Same for $G \rightarrow F$. Same for $G \rightarrow C$.

So:

$S_c = \{A \rightarrow B, A \rightarrow D, A \rightarrow E, BC \rightarrow G, D \rightarrow A, G \rightarrow F, G \rightarrow C\}$

Either A or E must be in the candidate key.

(ii)

AC is a candidate key because $AC^+ = ACBDEGF = R$.

AG is a " " " $G \rightarrow C$, so we obtain

AC that is known to be a candidate key

DG is a candidate key because using $D \rightarrow A$ we obtain AG (candidate key).

Therefore: AC, AG, DG are the candidate keys.

Shouldn't DC also be a candidate key since $D \rightarrow A$?

(iii)

$R_1(ABDE)$

$SN_1 = \{A \rightarrow B, A \rightarrow D, A \rightarrow E, D \rightarrow A\}$

candidate keys: A, B so R_1 is in 3NF

$R_2(BCFG)$

$SN_2 = \{BC \rightarrow G, G \rightarrow F, G \rightarrow C\}$

candidate key: BC

R_2 is not in 3NF because of $G \rightarrow F$

Decompose $R_2(BCFG)$ using $G \rightarrow F$:

$R_3(BCG)$

$R_4(FG)$

R_1, R_3, R_4 is in 3NF

(iv)

Since R_1, R_2 are not in 3NF, then they aren't in BCNF.

R_1 is in BCNF since A and D are candidate keys.

R_2 is not in BCNF. Decompose on $G \rightarrow F$ (as before)

Situation so far: $R_1(ABDE), R_3(BCG), R_4(FG)$

R_3 is not in BCNF. Decompose on $G \rightarrow C$:

$R_1(ABDE)$

$R_5(BG)$

$R_6(CG)$

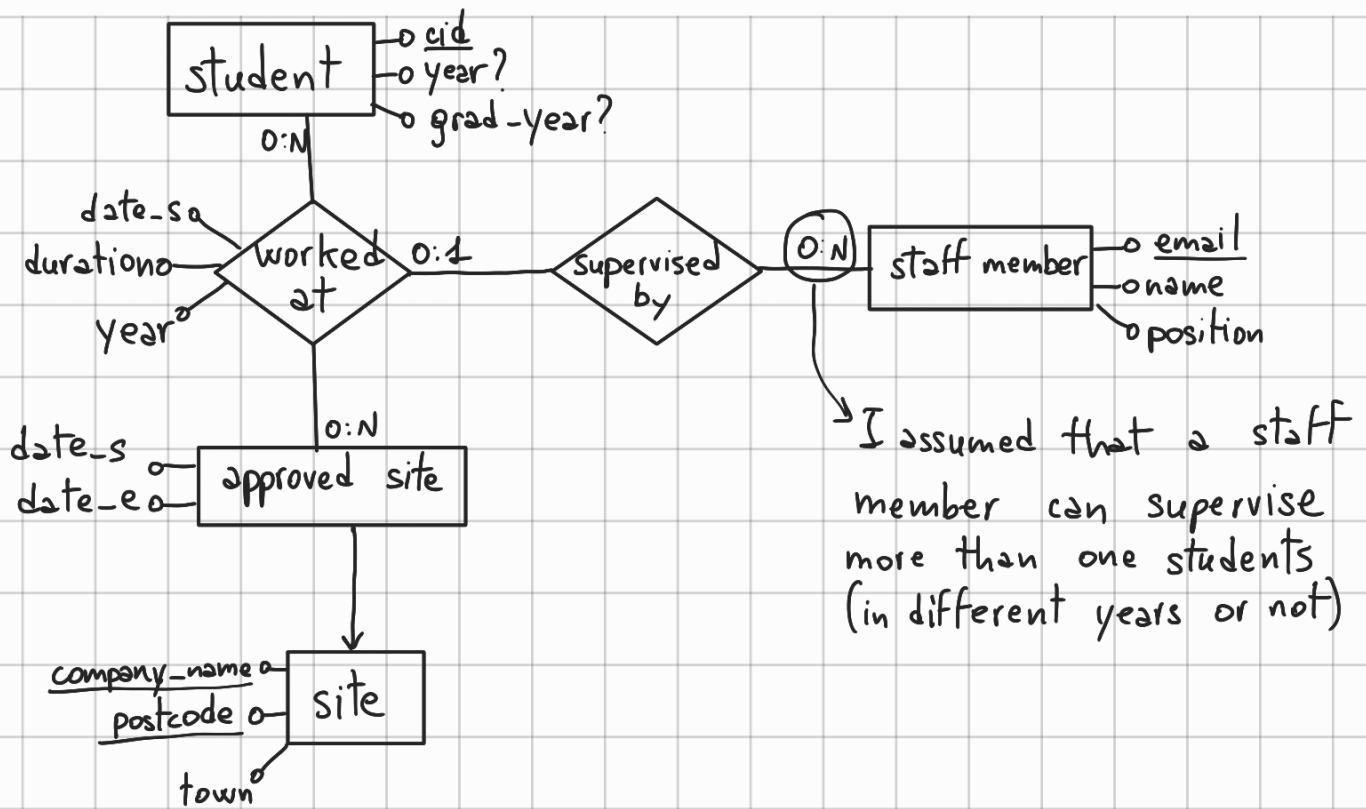
$R_4(FG)$

BCNF



N.B. the projection of S_c into R_5 is \emptyset

2a



student(cid, year?, grad-year?)

site(company-name, postcode, town)

approved-site(company-name, postcode, date-s, date-e)

approved-site(company-name, postcode) \xRightarrow{fk} site(company-name, postcode)

staff-member(email, name, position)

worked-at(cid, company-name, postcode, date-s, duration, year, supervisor-email?)

worked-at(cid) \xRightarrow{fk} student(cid)

worked-at(company-name, postcode) \xRightarrow{fk} approved-site(company-name, postcode)

worked-at(supervisor-email) \xRightarrow{fk} staff-member(email)