



**Sardar Vallabhbhai National Institute of Technology, Surat**

**Department of Physics**

**M.Sc Fourth Year**

**Computational Physics Lab (MP-407)**

**Practical No:01**

**Date-01/09/2022**

**Time: 4 hours**

$$v = \frac{gm}{c} (1 - e^{-(c/m)t})$$

1. The velocity  $v$  of a falling parachutist is given by where  $g = 9.8 \text{ m/s}^2$ . For a parachutist with a drag coefficient  $c = 15 \text{ kg/s}$ , compute the mass  $m$  so that the velocity is  $v = 35 \text{ m/s}$  at  $t = 9 \text{ s}$ . Use the false-position method to determine  $m$  to a level of  $\epsilon_s = 0.1\%$ .
2. Use bisection to determine the drag coefficient needed so that an 80-kg parachutist has a velocity of 35 m/s after 3.9 s of free fall. Note: The acceleration due to gravity is  $9.8 \text{ m/s}^2$ . Start with initial guesses of  $x_i = 3$  and  $x_u = 5$  and iterate until the approximate relative error falls below 5%. Also perform an error check by substituting your final answer into the original equation
3. According to Archimedes principle, the buoyancy force is equal to the weight of fluid displaced by the submerged portion of an object. For the sphere depicted in Fig. 1, use bisection to determine the height  $h$  of the portion that is above water. Employ the following values for your computation:  $r = 1.25 \text{ m}$ ,  $\rho_s = \text{density of sphere} = 250 \text{ kg/m}^3$ , and  $\rho_w = \text{density of water} = 1000 \text{ kg/m}^3$ . Note that the volume of the above-water portion of the

$$V = \frac{\pi h^2}{3} (3r - h)$$

sphere can be computed with

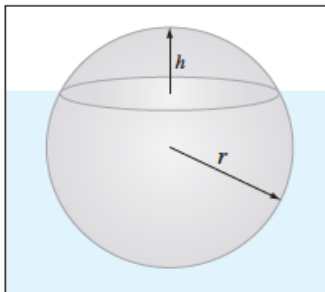


Figure 1

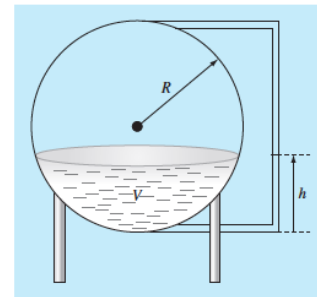


Figure 2

4. You are designing a spherical tank (Fig 2.) to hold water for a small village in a developing

$$V = \pi h^2 \frac{[3R - h]}{3}$$

country. The volume of liquid it can hold can be computed as

where  $V = \text{volume (m}^3\text{)}$ ,  $h = \text{depth of water in tank (m)}$ , and  $R = \text{the tank radius (m)}$ . If  $R = 4 \text{ m}$ , what depth must the tank be filled to so that it holds  $50 \text{ m}^3$ ? Use three iterations of the Newton-Raphson method to determine your answer. Determine the approximate relative error after each iteration. Note that an initial guess of  $R$  will always converge.

