```
[220]: import pandas as pd
       import numpy as np
       import matplotlib.pyplot as plt
       import matplotlib.dates as mdates
       import pandas as pd
       from statsmodels.tsa.seasonal import seasonal_decompose
       import warnings
       # Suppress all warnings
       warnings.filterwarnings("ignore")
       # Load the sales data file into a Pandas DataFrame
       file_path = r"C:\Users\marsh\Documents\Jupyter\final_data.csv"
       file_path2= r"C:\Users\marsh\Documents\Jupyter\external_data.
        -csv"
       # Check sheet names to decide how to load the data
       sales_data = pd.read_csv(file_path)
       external_data = pd.read_csv(file_path2)
[222]: sales_data.head()
[222]:
         Month-Year Service Parts Equipment
           Apr-2015
                            3486.9
                                      21505.1
       0
          May-2015
                            3891.3
                                      11021.8
       1
       2
           Jun-2015
                            3505.2
                                      14929.5
       3
           Jul-2015
                            4081.1
                                      27340.9
           Aug-2015
                            3141.4
                                       6405.1
       external_data.head()
[224]:
        Month-Year Print Production Volume
       0
          Apr-2015
                                     1023.33
       1
           May-2015
                                     1023.33
       2
           Jun-2015
                                     1023.33
       3
           Jul-2015
                                     1023.33
           Aug-2015
                                     1023.33
[226]:
       sales_data.set_index('Month-Year', inplace=True)
       print(sales_data.describe())
       sales_data.head()
             Service Parts
                               Equipment
                120.000000
                              120.000000
      count
      mean
               6965.528333 11903.305417
               2342.014706
                             8454.806727
      std
                                40.900000
               2959.600000
      min
      25%
               3994.050000
                            5574.375000
      50%
               7873.400000 11370.225000
      75%
               8666.100000 16679.525000
              10687.600000 32352.000000
[226]:
                   Service Parts Equipment
```

Month-Year Apr-2015

May-2015

Jun-2015

3486.9

3891.3

3505.2

21505.1

11021.8

14929.5

```
75% 872.000000
max 1023.330000
```

```
Print Production Volume

Month-Year

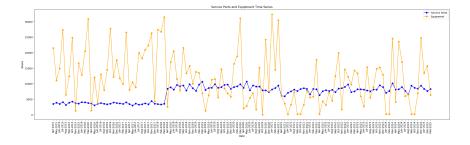
Apr-2015 1023.33

May-2015 1023.33

Jun-2015 1023.33

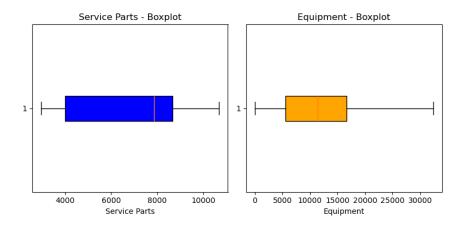
Jul-2015 1023.33

Aug-2015 1023.33
```

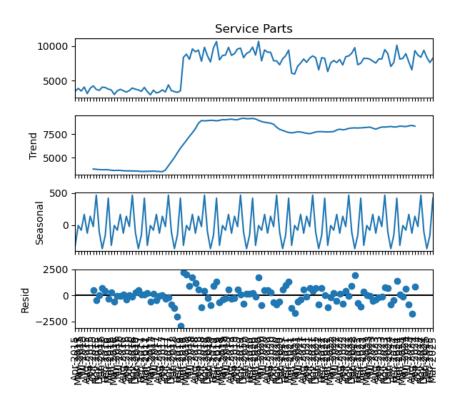


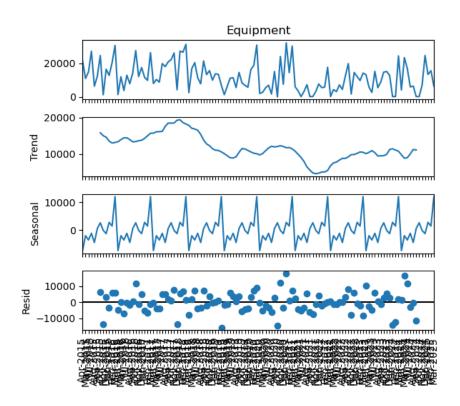
```
[231]: def detect_outliers_iqr(series):
    Q1 = series.quantile(0.25)  # First quartile
    Q3 = series.quantile(0.75)  # Third quartile
    IQR = Q3 - Q1  # Interquartile range
    lower_bound = Q1 - 1.5 * IQR
    upper_bound = Q3 + 1.5 * IQR
    return series[(series < lower_bound) | (series > □
    →upper_bound)]
```

```
outliers_service_parts =_
       outliers_equipment =_
       →detect_outliers_iqr(sales_data['Equipment'])
      print("Outliers in Service Parts:\n", outliers_service_parts)
      print("\nOutliers in Equipment:\n", outliers_equipment)
      Outliers in Service Parts:
       Series([], Name: Service Parts, dtype: float64)
      Outliers in Equipment:
       Series([], Name: Equipment, dtype: float64)
[234]: # Plot boxplots to visualize outliers
      plt.figure(figsize=(8, 4))
      # Service Parts Boxplot
      plt.subplot(1, 2, 1)
      plt.boxplot(sales_data['Service Parts'], vert=False,
       →patch_artist=True,
                  boxprops=dict(facecolor='blue', color='black'))
      plt.title('Service Parts - Boxplot')
      plt.xlabel('Service Parts')
      # Equipment Boxplot
      plt.subplot(1, 2, 2)
      plt.boxplot(sales_data['Equipment'], vert=False,
       →patch_artist=True,
                  boxprops=dict(facecolor='orange', color='black'))
      plt.title('Equipment - Boxplot')
      plt.xlabel('Equipment')
      plt.tight_layout()
      plt.show()
```



0.0.1 Decomposition





Both the Service Parts and Equipments have seasonality

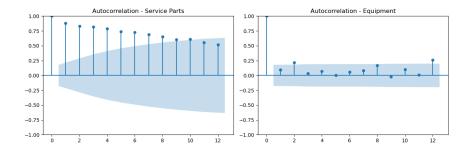
Looking for correlation

```
[241]: from statsmodels.graphics.tsaplots import plot_acf
    fig, axes = plt.subplots(1, 2, figsize=(12, 4))

# ACF for Service Parts
    plot_acf(sales_data['Service Parts'], lags=12, ax=axes[0])
    axes[0].set_title('Autocorrelation - Service Parts')

# ACF for Equipment
    plot_acf(sales_data['Equipment'], lags=12, ax=axes[1])
    axes[1].set_title('Autocorrelation - Equipment')

# Show the plots
    plt.tight_layout() # Adjust layout to prevent overlap
    plt.show()
```



```
[243]: data = sales_data
```

Checking if the data is stationary or not

```
[246]: from statsmodels.tsa.stattools import adfuller
# ADF Test
def adf_test(series):
    result = adfuller(series, autolag='AIC')
    print(f'ADF Statistic: {result[0]}')
    print(f'p-value: {result[1]}')
    print(f'Critical Values: {result[4]}')
    if result[1] <= 0.05:
        print("The data is stationary.")
    else:</pre>
```

```
print("The data is non-stationary.")
       print('Service Parts Data')
       adf_test(data['Service Parts'])
       print('\nEquipment Data')
       adf_test(data['Equipment'])
      Service Parts Data
      ADF Statistic: -1.759051719427676
      p-value: 0.4009723907208821
      Critical Values: {'1%': -3.487517288664615, '5%': -2.
       →8865777180380032, '10%':
      -2.5801239192052012}
      The data is non-stationary.
      Equipment Data
      ADF Statistic: -5.837274711750817
      p-value: 3.850206794269265e-07
      Critical Values: {'1%': -3.4870216863700767, '5%': -2.
       →8863625166643136, '10%':
      -2.580009026141913}
      The data is stationary.
      Target Variable: Service Parts
[249]: service_parts = sales_data['Service Parts']
       service_parts.describe()
[249]: count
                 120.000000
       mean
                 6965.528333
       std
                 2342.014706
                 2959.600000
       min
       25%
                 3994.050000
       50%
                 7873.400000
       75%
                 8666.100000
                10687.600000
       max
       Name: Service Parts, dtype: float64
[251]: # First-order differencing
       data_diff = sales_data['Service Parts'].diff().dropna()
       # Seasonal differencing (e.g., if seasonality is monthly,
       \rightarrow period=12)
       data_seasonal_diff = data_diff.diff(12).dropna()
       # Plot the differenced data
```

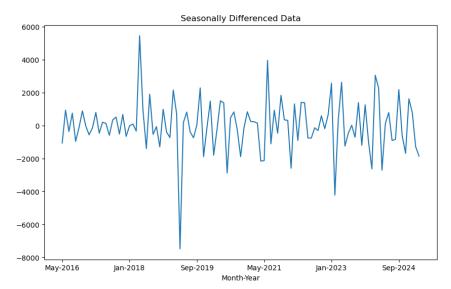
```
data_seasonal_diff.plot(title='Seasonally Differenced Data',

→figsize=(10, 6))

plt.show()

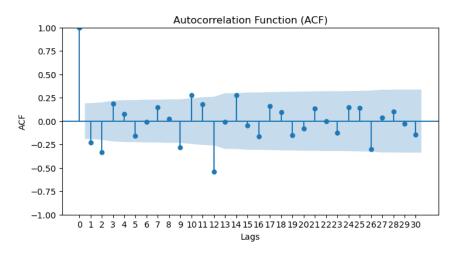
# Check stationarity again

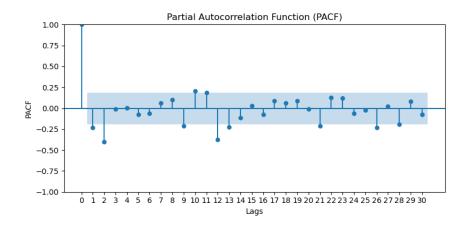
adf_test(data_seasonal_diff)
```



```
ADF Statistic: -4.012301546321255
p-value: 0.0013474490108212707
Critical Values: {'1%': -3.5019123847798657, '5%': -2.

$92815255482889, '10%':
-2.583453861475781}
The data is stationary.
```





```
[255]: data_seasonal_diff.head()

[255]: Month-Year
May-2016 -1064.2
Jun-2016 925.5
```

```
Jul-2016
                   -369.5
       Aug-2016
                   746.3
       Sep-2016
                   -967.3
       Name: Service Parts, dtype: float64
[257]: data_seasonal_diff.describe()
[257]: count
                 107.000000
       mean
                -19.140187
               1608.991918
       std
       min
             -7484.200000
       25%
               -753.750000
       50%
                 -32.000000
       75%
                 814.800000
                5440.200000
       max
       Name: Service Parts, dtype: float64
[259]: start_date = 'May-2016'
       end_date = 'Mar-2026'
       filtered_df = external_data.loc[start_date:end_date]
       sp = pd.concat([data_seasonal_diff, filtered_df], axis=1)
       exog = sp['Print Production Volume']
[261]: y = sp['Service Parts']
       # Train-test split (last 12 months for testing)
       train_size = len(sp) - 24
       y_train, y_test = y[:train_size], y[train_size:train_size+12]
       exog_train, exog_test, exog_future = exog[:train_size],__
       →exog[train_size:train_size+12], exog[train_size:]
       from statsmodels.tsa.statespace.sarimax import SARIMAX
       from sklearn.metrics import mean_squared_error
       from math import sqrt
       import matplotlib.pyplot as plt
[263]: # Fit SARIMA model
       sarima_model = SARIMAX(y_train, order=(1, 0, 1),__
       \rightarrowseasonal_order=(1, 0, 1, 12))
       sarima_result = sarima_model.fit(disp=False)
       # Make predictions
       predictions_sarima = sarima_result.predict(start=y_test.
        →index[0], end=y_test.index[-1])
```

```
# Evaluate the model
rmse = sqrt(mean_squared_error(y_test, predictions_sarima))
print(f'RMSE: {rmse}')
sarima_result.summary()
```

RMSE: 1218.7906496697528

[263]:

Dep. Variable:	Service Parts	No. Observations:	95
Model:	SARIMAX(1, 0, 1)x(1, 0, 1, 12)	Log Likelihood	-804.894
Date:	Mon, 16 Dec 2024	AIC	1619.788
Time:	13:05:55	BIC	1632.557
Sample:	05-01-2016	HQIC	1624.947
	- 03-01-2024		
Covariance Type:	opg		

	\mathbf{coef}	std err	${f z}$	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]
ar.L1	0.1869	0.244	0.764	0.445	-0.292	0.666
ma.L1	-0.5798	0.225	-2.581	0.010	-1.020	-0.139
ar.S.L12	-0.0695	0.076	-0.911	0.362	-0.219	0.080
ma.S.L12	-0.9952	0.094	-10.532	0.000	-1.180	-0.810
$\mathbf{sigma2}$	1.002 e + 06	9.57e-08	$1.05\mathrm{e}{+13}$	0.000	$1\mathrm{e}{+06}$	$1\mathrm{e}{+06}$

Ljung-Box (L1) (Q):	0.00	Jarque-Bera (JB):	45.13
Prob(Q):	0.97	Prob(JB):	0.00
Heteroskedasticity (H):	0.83	Skew:	0.26
Prob(H) (two-sided):	0.59	Kurtosis:	6.34

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 3.19e+28. Standard errors may be unstable.

```
[265]: predictions_sarima = predictions_sarima.reindex(y.index)
       print(predictions_sarima.index)
       print(y.index)
```

```
Index(['May-2016', 'Jun-2016', 'Jul-2016', 'Aug-2016',
 →'Sep-2016', 'Oct-2016',
       'Nov-2016', 'Dec-2016', 'Jan-2017', 'Feb-2017',
       'Jun-2025', 'Jul-2025', 'Aug-2025', 'Sep-2025',
\rightarrow 'Oct-2025', 'Nov-2025',
       'Dec-2025', 'Jan-2026', 'Feb-2026', 'Mar-2026'],
      dtype='object', name='Month-Year', length=119)
Index(['May-2016', 'Jun-2016', 'Jul-2016', 'Aug-2016', '
→ 'Sep-2016', 'Oct-2016',
       'Nov-2016', 'Dec-2016', 'Jan-2017', 'Feb-2017',
```

```
'Jun-2025', 'Jul-2025', 'Aug-2025', 'Sep-2025',

→'Oct-2025', 'Nov-2025',

'Dec-2025', 'Jan-2026', 'Feb-2026', 'Mar-2026'],

dtype='object', name='Month-Year', length=119)

[267]: plt.figure(figsize=(30, 6))

plt.plot(y, label='Actual')

plt.plot(predictions_sarima, label='Predicted', color='red')

plt.legend()

plt.xticks(rotation=90)

plt.show()
```



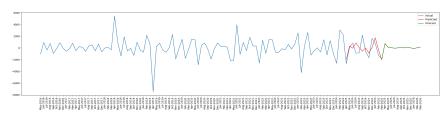
```
predictions_sarima = sarima_result.predict(start=y_test.

→index[0], end=exog_future.index[-1])

predictions_sarima = predictions_sarima.reindex(y.index)

plt.figure(figsize=(30, 6))
plt.plot(y, label='Actual')
plt.plot(predictions_sarima, label='Predicted', color='red')
plt.plot(predictions_sarima[-13:], label='Forecast', _____

→color='green')
plt.legend()
plt.xticks(rotation=90)
plt.show()
```



```
[269]: predictions_df = pd.DataFrame({'Forecast':
        →predictions_sarima[-13:]})
       predictions_df['Forecast'] = predictions_df['Forecast'].
        \rightarrowmap(lambda x: '{:.2f}'.format(x))
       predictions_df
[269]:
                   Forecast
       Month-Year
       Mar-2025
                   -2006.89
       Apr-2025
                     733.40
       May-2025
                      90.09
       Jun-2025
                       25.21
       Jul-2025
                      -54.91
       Aug-2025
                      -2.26
       Sep-2025
                       39.51
       Oct-2025
                       0.13
       Nov-2025
                       61.95
       Dec-2025
                       -5.53
       Jan-2026
                     -120.21
       Feb-2026
                       24.66
       Mar-2026
                      139.53
[273]: #predictions_df.to_csv("Service_Parts_SARIMA.csv")
[275]: # Fit SARIMA-X model
       sarima_x_model = SARIMAX(y_train, exog=exog_train, order=(1,__
        \rightarrow 0, 1), seasonal_order=(1, 0, 1, 12))
       sarima_x_result = sarima_x_model.fit(disp=False)
       # Make predictions
       predictions_sarima_x = sarima_x_result.predict(start=y_test.
       →index[0], end=y_test.index[-1], exog=exog_test)
       # Evaluate the model
       rmse = sqrt(mean_squared_error(y_test, predictions_sarima_x))
       print(f'RMSE: {rmse}')
       sarima_x_result.summary()
      RMSE: 1215.3859200239535
[275]:
```

13

Dep. Variable:	Service Parts	No. Observations:	95
Model:	SARIMAX(1, 0, 1)x(1, 0, 1, 12)	Log Likelihood	-804.839
Date:	Mon, 16 Dec 2024	\mathbf{AIC}	1621.677
Time:	13:06:10	BIC	1637.000
Sample:	05-01-2016	HQIC	1627.869
	- 03-01-2024		
Covariance Type:	opg		

	coef	std err	Z	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]
Print Production Volume	-0.0094	0.026	-0.355	0.722	-0.061	0.042
ar.L1	0.1861	0.236	0.787	0.431	-0.277	0.649
ma.L1	-0.5846	0.217	-2.694	0.007	-1.010	-0.159
ar.S.L12	-0.0770	0.080	-0.960	0.337	-0.234	0.080
${ m ma.S.L12}$	-0.9691	0.101	-9.630	0.000	-1.166	-0.772
$\mathbf{sigma2}$	1.022e + 06	1.09e-07	$9.39e{+}12$	0.000	$1.02\mathrm{e}{+06}$	1.02e + 06

Ljung-Box $(L1)$ (Q) :	0.00	Jarque-Bera (JB):	43.64
Prob(Q):	0.98	Prob(JB):	0.00
Heteroskedasticity (H):	0.82	Skew:	0.26
Prob(H) (two-sided):	0.57	Kurtosis:	6.28

Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 1.76e+29. Standard errors may be unstable.

```
[277]: predictions_sarima_x = predictions_sarima_x.reindex(y.index)
    print(predictions_sarima_x.index)
    print(y.index)
```

```
[279]: plt.figure(figsize=(30, 6))
   plt.plot(y, label='Actual')
   plt.plot(predictions_sarima_x, label='Predicted', color='red')
   plt.legend()
   plt.xticks(rotation=90)
   plt.show()
```

```
[281]: predictions_sarima_x_df = pd.DataFrame({'Forecast':⊔

→predictions_sarima_x[-13:]})

predictions_sarima_x_df['Forecast'] = 
→predictions_sarima_x_df['Forecast'].map(lambda x: '{:.2f}'.

→format(x))

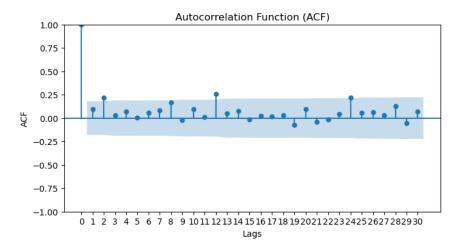
predictions_sarima_x_df
```

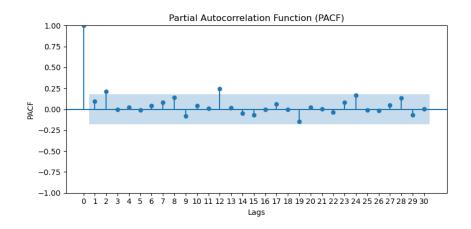
```
[281]:
                   Forecast
       Month-Year
       Mar-2025
                   -2051.72
       Apr-2025
                     778.73
       May-2025
                      90.30
       Jun-2025
                      23.95
       Jul-2025
                      -63.96
       Aug-2025
                      -5.48
       Sep-2025
                      41.59
       Oct-2025
                      -2.71
       Nov-2025
                      66.31
       Dec-2025
                      -8.93
       Jan-2026
                     -136.36
       Feb-2026
                      25.02
       Mar-2026
                     152.52
[285]: | #predictions_sarima_x_df.to_csv("Service_Parts_SARIMAX.csv")
      Target Variable: Equipments
[288]: Equipment = sales_data['Equipment']
       Equipment.head()
[288]: Month-Year
       Apr-2015
                   21505.1
       May-2015
                   11021.8
       Jun-2015
                   14929.5
       Jul-2015
                   27340.9
       Aug-2015
                    6405.1
       Name: Equipment, dtype: float64
[290]: adf_test(Equipment)
      ADF Statistic: -5.837274711750817
      p-value: 3.850206794269265e-07
      Critical Values: {'1%': -3.4870216863700767, '5%': -2.
       →8863625166643136, '10%':
      -2.580009026141913}
      The data is stationary.
[292]: fig, ax = plt.subplots(figsize=(8, 4))
       plot_acf(Equipment, lags=30, ax=ax)
       ax.set_title('Autocorrelation Function (ACF)')
       ax.set_xlabel('Lags')
       ax.set_ylabel('ACF')
       ax.set_xticks(range(0, 31)) # Set the x-ticks to range from_
        \rightarrow 0 to 30 (lags)
```

```
ax.set_xticklabels(range(0, 31)) # Set the labels for each_
→ lag

from statsmodels.graphics.tsaplots import plot_pacf
fig, ax = plt.subplots(figsize=(8, 4))
plot_pacf(Equipment, lags=30, ax=ax)
ax.set_title('Partial Autocorrelation Function (PACF)')
ax.set_xlabel('Lags')
ax.set_ylabel('PACF')
ax.set_xticks(range(0, 31)) # Set the x-ticks to range from_
→ 0 to 30 (lags)
ax.set_xticklabels(range(0, 31)) # Set the labels for each_
→ lag

# Show plots
plt.tight_layout()
plt.show()
```





```
[293]: Equipment.head()
[293]: Month-Year
       Apr-2015
                   21505.1
       May-2015
                   11021.8
       Jun-2015
                   14929.5
       Jul-2015
                   27340.9
       Aug-2015
                    6405.1
       Name: Equipment, dtype: float64
[294]: Equipment.describe()
[294]: count
                  120.000000
                11903.305417
       mean
       std
                8454.806727
       min
                   40.900000
       25%
                 5574.375000
       50%
                11370.225000
       75%
                16679.525000
       max
                32352.000000
       Name: Equipment, dtype: float64
[298]: start_date = 'Apr-2015'
       end_date = 'Mar-2026'
       filtered_df = external_data.loc[start_date:end_date]
       sp = pd.concat([Equipment, filtered_df], axis=1)
       exog = sp['Print Production Volume']
[300]: y = sp['Equipment']
       # Train-test split (last 12 months for testing)
       train_size = len(sp) - 24
       y_train, y_test = y[:train_size], y[train_size:train_size+12]
       exog_train, exog_test, exog_future = exog[:train_size],__
        →exog[train_size:train_size+12], exog[train_size:]
       from statsmodels.tsa.statespace.sarimax import SARIMAX
       from sklearn.metrics import mean_squared_error
       from math import sqrt
       import matplotlib.pyplot as plt
[302]: # Fit SARIMA model
       sarima_model = SARIMAX(y_train, order=(1, 0, 1),__
        \rightarrowseasonal_order=(1, 0, 1, 12))
```

RMSE: 9756.453282283997

[302]:

Dep. Variable:	Equipment	No. Observations:	108
Model:	SARIMAX(1, 0, 1)x(1, 0, 1, 12)	Log Likelihood	-1120.308
Date:	Mon, 16 Dec 2024	AIC	2250.616
Time:	13:06:29	BIC	2264.027
Sample:	04-01-2015	HQIC	2256.054
	- 03-01-2024		

Covariance Type:

opg	
928	

	\mathbf{coef}	std err	${f z}$	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]
ar.L1	0.9832	0.019	51.588	0.000	0.946	1.021
ma.L1	-0.8550	0.075	-11.335	0.000	-1.003	-0.707
ar.S.L12	0.9974	0.019	52.032	0.000	0.960	1.035
ma.S.L12	-0.9537	0.173	-5.522	0.000	-1.292	-0.615
$\mathbf{sigma2}$	$5.165\mathrm{e}{+07}$	3.43e-09	$1.51\mathrm{e}{+16}$	0.000	$5.17\mathrm{e}{+07}$	$5.17\mathrm{e}{+07}$

Ljung-Box $(L1)$ (Q) :	0.78	Jarque-Bera (JB):	0.89
Prob(Q):	0.38	Prob(JB):	0.64
Heteroskedasticity (H):	0.69	Skew:	0.19
Prob(H) (two-sided):	0.28	Kurtosis:	2.76

Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 4.76e+31. Standard errors may be unstable.

```
[303]: predictions_sarima = predictions_sarima.reindex(y.index)
print(predictions_sarima.index)
print(y.index)
```

```
'Jun-2025', 'Jul-2025', 'Aug-2025', 'Sep-2025',
       \rightarrow 'Oct-2025', 'Nov-2025',
              'Dec-2025', 'Jan-2026', 'Feb-2026', 'Mar-2026'],
             dtype='object', name='Month-Year', length=132)
      Index(['Apr-2015', 'May-2015', 'Jun-2015', 'Jul-2015', L
       \rightarrow 'Aug-2015', 'Sep-2015',
              'Oct-2015', 'Nov-2015', 'Dec-2015', 'Jan-2016',
              'Jun-2025', 'Jul-2025', 'Aug-2025', 'Sep-2025',
       \rightarrow 'Oct-2025', 'Nov-2025',
              'Dec-2025', 'Jan-2026', 'Feb-2026', 'Mar-2026'],
             dtype='object', name='Month-Year', length=132)
[306]: plt.figure(figsize=(30, 6))
       plt.plot(y, label='Actual')
       plt.plot(predictions_sarima, label='Predicted', color='red')
       plt.legend()
       plt.xticks(rotation=90)
       plt.show()
```

```
[307]: predictions_sarima = sarima_result.predict(start=y_test.

→index[0], end=exog_future.index[-1])

predictions_sarima = predictions_sarima.reindex(y.index)

plt.figure(figsize=(30, 6))
plt.plot(y, label='Actual')
plt.plot(predictions_sarima, label='Predicted', color='red')
plt.plot(predictions_sarima[-13:], label='Forecast', 

→color='green')
plt.legend()
plt.xticks(rotation=90)
plt.show()
```

```
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```

```
[309]: predictions_df = pd.DataFrame({'Forecast':
        →predictions_sarima[-13:]})
       predictions_df['Forecast'] = predictions_df['Forecast'].
       \rightarrowmap(lambda x: '{:.2f}'.format(x))
       predictions_df
[309]:
                   Forecast
       Month-Year
       Mar-2025
                   18878.47
       Apr-2025
                    4536.67
       May-2025
                    6046.39
       Jun-2025
                    5863.42
       Jul-2025
                    9902.58
       Aug-2025
                    5535.96
       Sep-2025
                   10471.25
       Oct-2025
                   11478.58
       Nov-2025
                    9448.44
       Dec-2025
                    8694.75
       Jan-2026
                   11765.32
       Feb-2026
                   10679.06
       Mar-2026
                   19076.63
[314]: #predictions_df.to_csv("Equipments_SARIMA.csv")
[316]: # Fit SARIMA-X model
       sarima_x_model = SARIMAX(y_train, exog=exog_train, order=(1,__
        \rightarrow 0, 1), seasonal_order=(3, 0, 3, 12))
       sarima_x_result = sarima_x_model.fit(disp=False)
       # Make predictions
       predictions_sarima_x = sarima_x_result.predict(start=y_test.
       →index[0], end=y_test.index[-1], exog=exog_test)
       # Evaluate the model
       rmse = sqrt(mean_squared_error(y_test, predictions_sarima_x))
       print(f'RMSE: {rmse}')
       sarima_x_result.summary()
```

RMSE: 9418.762307841782

[316]:

Dep. Variable:	Equipment			No. Obser	rvations:	108
Model:	SARIMAX(1, 0, 1)x	$\mathbf{x}(3, 0, [1, 2, 3])$	[3], 12)	Log Likeli	\mathbf{hood}	-1117.233
Date:	Mon, 16 Dec 2024			AIC		2254.465
Time:	13:06:51			BIC		2281.286
Sample:	04-01-2015			HQIC		2265.340
	- 03-01-2024					
Covariance Type:	opg					
	coef	std err	${f z}$	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]

	\mathbf{coef}	std err	${f z}$	$\mathbf{P}> \mathbf{z} $	[0.025]	0.975]
Print Production Volume	14.9288	2.674	5.582	0.000	9.687	20.171
ar.L1	0.7611	0.381	1.998	0.046	0.014	1.508
ma.L1	-0.6559	0.447	-1.467	0.142	-1.532	0.220
ar.S.L12	0.5870	1.444	0.407	0.684	-2.243	3.417
ar.S.L24	-0.7045	2.007	-0.351	0.726	-4.638	3.229
ar.S.L36	0.4498	1.234	0.365	0.715	-1.968	2.867
ma.S.L12	-0.3539	1.468	-0.241	0.810	-3.231	2.524
${ m ma.S.L24}$	0.8016	1.894	0.423	0.672	-2.910	4.513
ma.S.L36	-0.1922	1.088	-0.177	0.860	-2.324	1.940
sigma2	$6.531\mathrm{e}{+07}$	5.56e-07	1.17e + 14	0.000	6.53e + 07	6.53e + 07

Ljung-Box (L1) (Q):	0.64	Jarque-Bera (JB):	2.43
Prob(Q):	0.42	Prob(JB):	0.30
Heteroskedasticity (H):	0.62	Skew:	0.32
Prob(H) (two-sided):	0.15	Kurtosis:	2.63

Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 6.25e+30. Standard errors may be unstable.

[317]: predictions_sarima_x = predictions_sarima_x.reindex(y.index) print(predictions_sarima_x.index) print(y.index)

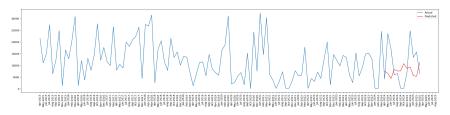
```
'Jun-2025', 'Jul-2025', 'Aug-2025', 'Sep-2025', 

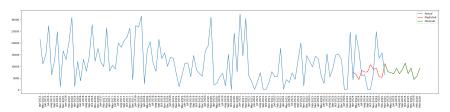
→'Oct-2025', 'Nov-2025',

'Dec-2025', 'Jan-2026', 'Feb-2026', 'Mar-2026'],

dtype='object', name='Month-Year', length=132)
```

```
[318]: plt.figure(figsize=(30, 6))
   plt.plot(y, label='Actual')
   plt.plot(predictions_sarima_x, label='Predicted', color='red')
   plt.legend()
   plt.xticks(rotation=90)
   plt.show()
```





```
[320]: predictions_sarima_x_df = pd.DataFrame({'Forecast':___
        →predictions_sarima_x[-13:]})
       predictions_sarima_x_df['Forecast'] =
        →predictions_sarima_x_df['Forecast'].map(lambda x: '{:.2f}'.
        \rightarrowformat(x))
       predictions_sarima_x_df
[320]:
                   Forecast
       Month-Year
       Mar-2025
                   11180.25
       Apr-2025
                    7716.19
       May-2025
                    7350.67
       Jun-2025
                     6853.01
       Jul-2025
                     9148.29
       Aug-2025
                     6896.77
       Sep-2025
                    8609.13
       Oct-2025
                   11389.45
       Nov-2025
                     6954.25
       Dec-2025
                     9270.08
       Jan-2026
                    4388.11
       Feb-2026
                    5806.75
       Mar-2026
                    9137.56
[328]: #predictions_sarima_x_df.to_csv("Equipments_SARIMAX.csv")
  []:
```