

(Unit: 2)

floating point representation:

$512 \Rightarrow 5.12 \times 10^2$ or 0.512×10^3

Magnitude = 3
Exponent = 2

$18.50 \Rightarrow 10010.10$

$\Rightarrow 1.001010 \times 2^5$

$\Rightarrow 1.001010 \times 2^4$ (Normalized form)

recommended by IEEE

Magnitude = 001010

Exponent = 4

IEEE floating point representation

(SINGLE PRECISION)

16 bit

- * 1-bit : Sign
- * 23-bit : Mantissa
- * 8-bit : Exponent

(DOUBLE PRECISION)

64 bit

- * 1-bit : Sign
- * 52-bit : Mantissa
- * 11-bit : Exponent

(SINGLE PRECISION)

$(18.50)_{10} \Rightarrow (10010.10)_2$

$\Rightarrow 1.001010 \times 2^4$ (NORMALIZED FORM)

biased Exponent = Exponent + 127

B.E = $4 + 127 = (131)_{10} = (10000011)_2$

MAXIMUM POWER UP TO WHICH THIS IS APPLICABLE IS 128

1-bit	8-bit	23-bit
sign	Exponent	Mantissa

Sign bit to be Right 0 for +ve and 1 for -ve.

1-bit	8-bit	23-bit
sign	Exponent	Mantissa
0	1000011	001010

(SINGLE PRECISION)

For (DOUBLE PRECISION)

B.E = $4 + 1023 = (1027)_{10} = (1000000011)_2$

1-bit	11-bit	52-bit
sign	Exponent	Mantissa
0	1000000011	001010

(DOUBLE PRECISION)

-37.125

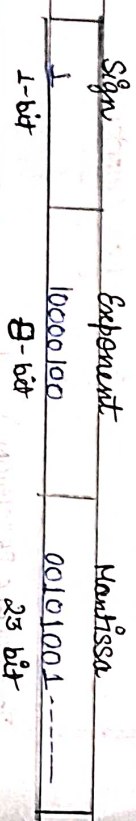
$(37)_{10} = (100101)_2$ and $0.125 \times 2 = 0.250 = 0$
 $0.25 \times 2 = 0.50 = 0$
 $0.5 \times 2 = 1.00 = 1$

$80, -37.125)_{10} = (100101.001)_2$

$= 1.00101001 \times 2^5$ (NORMALIZED FORM)

For single precision;

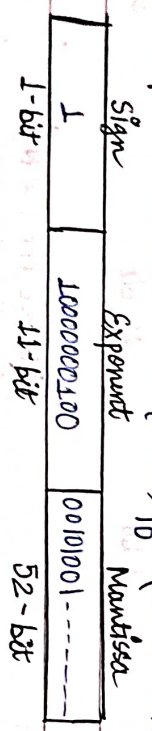
biased exponent = $5 + 127 = (132)_{10} = (10000100)_2$



(SINGLE PRECISION)

For double precision;

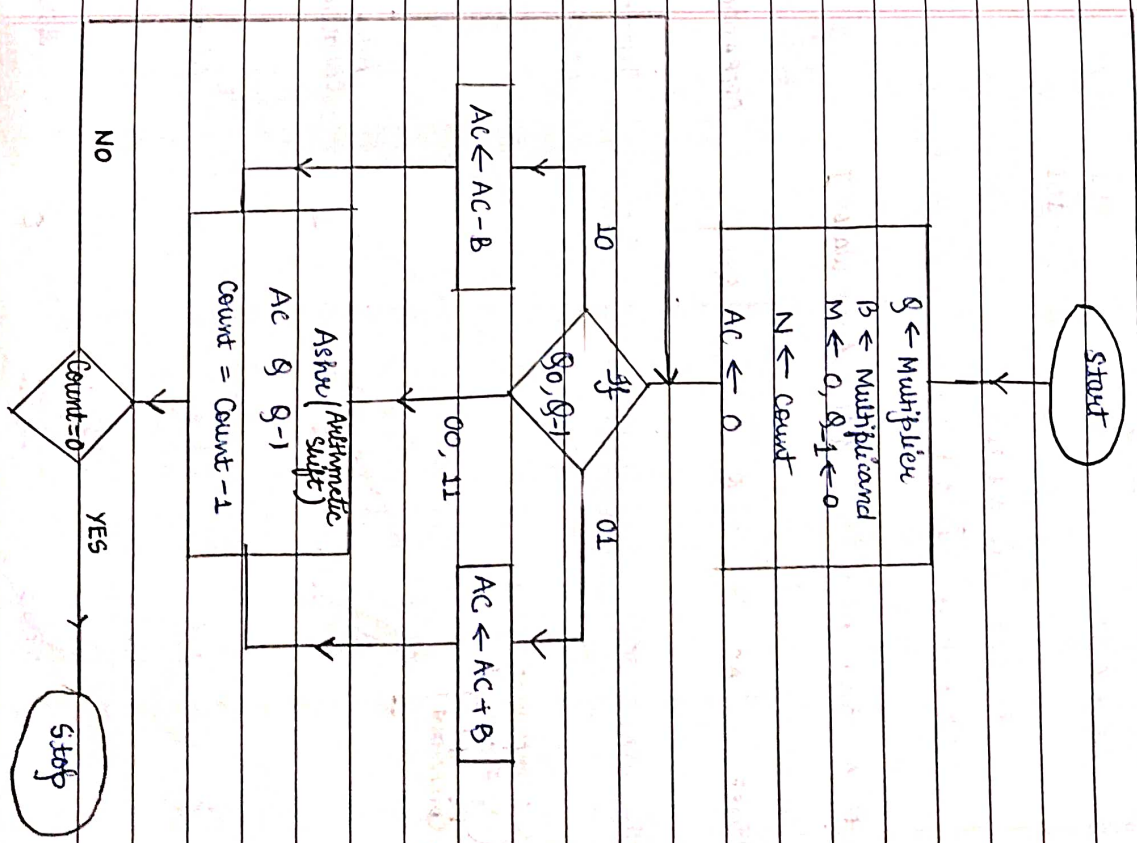
biased exponent = $5 + 1023 = (1028)_{10} = (1000000100)_2$



(DOUBLE PRECISION)

Signed Number's Multiplication:

Booth's Multiplication Algorithm:



Example: $7 \times (-3) \leftarrow$ Multiplier

Multiplier

$$7 = 111 \quad \text{2's Complement of } 3 = 100$$

$$3 = 011 \quad \begin{array}{r} +1 \\ \hline 101 \end{array}$$

$$7 = 0111 \text{ (in 4 bits)}$$

$$-3 = 1101 \text{ (in 4 bits)}$$

$N=4$ and $AC \leftarrow 0000$ [AC: Accumulator]

STEP	AC	Q	Q-1	OPERATION
INITIAL	0000	1101	0	INITIAL
	0000	1101	0	$AC \leftarrow AC - B$
	1001			
	1100	1110	1	After Arithmetic shift
3	1100	1110	1	$AC \leftarrow AC + B$
	0111			
	0011	1110	1	
	0001	1111	0	After

2's Complement of 7 = 0111
Complement = 1100

2	0001	1111	0	$AC \leftarrow AC - B$
	1010	1111	0	After
	1101	0111		
1	1101	0111	1	After
	1110	1011		

Represents $\leftarrow 11101011$
-ve sign.
 \downarrow 2's complement

Final Answer: $\boxed{-21}$
Represents 21 in Binary Form.