

Bagging

WORLD START

Data:
Page:

- Ensemble method
 - ① → Bagging (RF) ~~→~~ Base model Decision Tree
 - ② → Boosting (AB, GB, XG, CG) \rightarrow Additive
 - ③ → Stacking ↑ ↑ ↑
 - Bottom (in bag) → Cascading Adder Gradiend Cut Buffering
 - Stacking (one top of other)
- Bagging \Rightarrow In a parallel way we are creating a model
 - (Homogeneous \rightarrow Similar model we are going to use)
- Boosting \Rightarrow In a sequential way we are create a model
 - (Homogeneous model) \rightarrow ("Above Reason") ↑
- Parameter :- n_estimators \Rightarrow The number of trees. (or) Number of DT models
- Random forest Regressor \Rightarrow criterion = "squared error", "absolute error", "Poisson", "friedman_mse"
- Random forest classifier \Rightarrow criterion = "gini"

Task # Dataset :- U.S. Healthcare Data (Kaggle)

① collect data

② store somewhere database.

↳ Cassandra (or) switch to noSQL database

↳ mongoDB (or) as well as MySQL

↳ MySQL

③ fetch data

④ EDA

⑤ model building

Bagging \Rightarrow (Parallel)

↳ We are using Homogeneous model (Similar)

① LR, ② LR, ③ SVM, ④ KNN, ⑤ DT \leftarrow RF

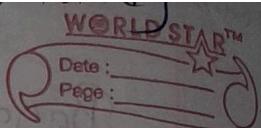
Data \longrightarrow Sample of Data

Sample
Sample row

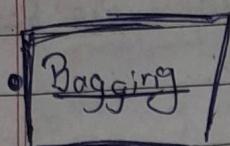
Bootstrap (with Replaced)
with Aggregation cutting

→ Pasting (without Replaced)

Bagging) * In Regression 2) Avg(OIP of the houses)
 (value is in continuous) mean
 Random Forest



You type

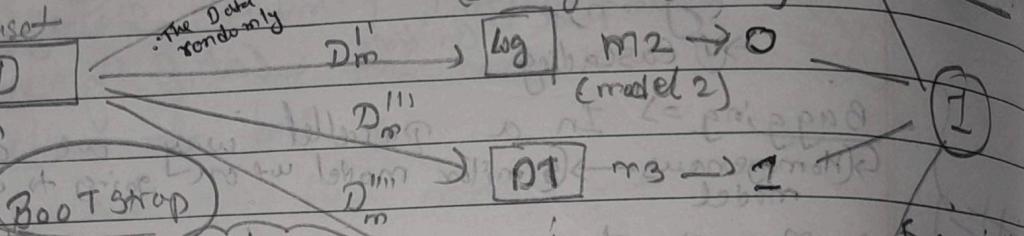


• Bagging is also called \rightarrow Boot strap Aggregation
 Row Sampling with Replacement
 for each and every model
 we will provide a sample
 of dataset $\rightarrow D'$
 (Model 1) $m_1 \rightarrow 1$
 (It can be any base learning model)

Note:- $m < n$

e.g. Classification

Suppose i consider
 this model as
 Binary classification
 i.e. 1 or 0



$D' \rightarrow \log m_2 \rightarrow 0$

(Model 2)

$D''' \rightarrow DT m_3 \rightarrow 1$

Aggregation

Majority

"Row Sampling with Replacement" this step
 is called "Bootstrap")

$m_1 + m_2 + m_3$

Voting

→ Every model we are providing our data will be using ~~the~~
 "Row Sampling with Replacement" this techniques.

* There is no relationship between $m_1, m_2, m_3, \dots, m_n$ in Bagging

Random Forest

→ Basic Principles of Random Forest

→ It develops lots of Decision Tree based on

random selection of data and random selection of variables (is called as Bootstrap)

{ → As the trees are based on random selection of data as well as variables, these are random tree
 → Many such random trees leads to a random forest

Bootstrap / Pasting Loop

Sampling WORLD STAR™

Date: _____
Page: _____

	(weight)	(Height)	o/p Co/Nlo	obisef not obise	extending Dataset
①	45	170	0		$x_3 \ x_4 \ x_5$
②	45.5	170.2	0		
③	46	180	NO		
④	47	185	0		
⑤	47.2	190	0		
⑥	48	190.2	NO		
⑦	48.5	190	0		
⑧	48.9	190.5	0		
⑨	50	190.8	NO		
⑩	60	150	NO		
⑪	65	155	0		
⑫	69	156	0		
⑬	67	162	0		
⑭	71	189	NO		
⑮	75	190	0		

Bootstrap → It is just Data selection
 ↗ Row Sampling and Column Sampling
 (Randomly we are selecting row + column)
 ↗ with Replacement (Repetition) is allowed

Creating 3-model RF (D1)

Base model

This is called Bootstrap
Pasting ⇒ we are not going to do repetition data (without repetition)

Dataset sample

D'
 (RS + CS)
 (Row) (Col)
 ① $x_1 x_2 x_3$

D''
 (RS+CS)
 (Row) (Col)
 ① $x_2 x_3 x_4$

D'''
 (RS+CS)
 (Row) (Col)
 ⑧ $x_2 x_4 x_1$

D₁ D₂ D₃
 ① ② ③
 (1 to 5) (6 to 10) (11 to 15)

↑ without repetition

②
 ③
 ④
 ⑨
 ⑩
 ⑯

②
 ⑤
 ⑥
 ⑦
 ⑩
 ⑯

⑨
 ⑮
 ⑪
 ⑫
 ⑭
 ⑯

DT1

DT2

DT3

This data is Oob

Oob data

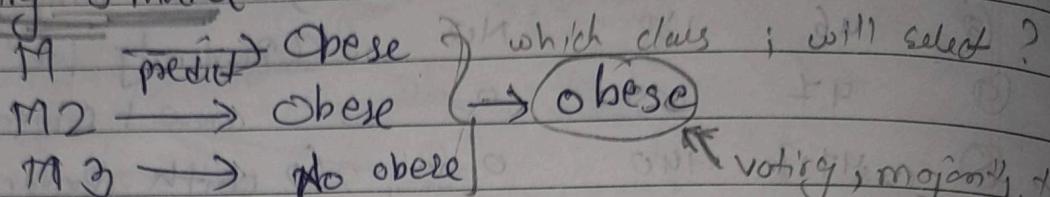
{⑤, ⑥, ⑦, ⑧, ⑯, ⑪, ⑫, ⑭, ⑯}

* Oob ⇒ The rows that we are not selecting in D' that is called

* Aggregation

\hookrightarrow (together), (voting), (majority class)

Considering 3 model



~~finding P~~ $\# \left\{ \begin{array}{l} \text{Hard classifier} = 2 \text{ obese} \xrightarrow{\text{P}} \text{pr} = \frac{2}{3} \\ \text{Soft classifier} = 1 \text{ no obese} \xrightarrow{\text{P}} \text{pr} = \frac{1}{3} \end{array} \right.$

* Extra Tree classifier

More Randomization

• we are not going to check each and every probability in a sequence w.r.t target variable.

• Here, Randomly we are taking a variable and checking Gini-impurity and based on that we are going to fix root variable or child variable.

* Stacking ~~we are using Heterogeneous model inside~~
Stacking

→ Stacking of the model

(~~This~~ we are using in 2 mode)

→ first mode (first level) ~~This is called~~ → 3 levels of model
→ Second mode (second level) → Meta model

1 different - different model
we are going to use

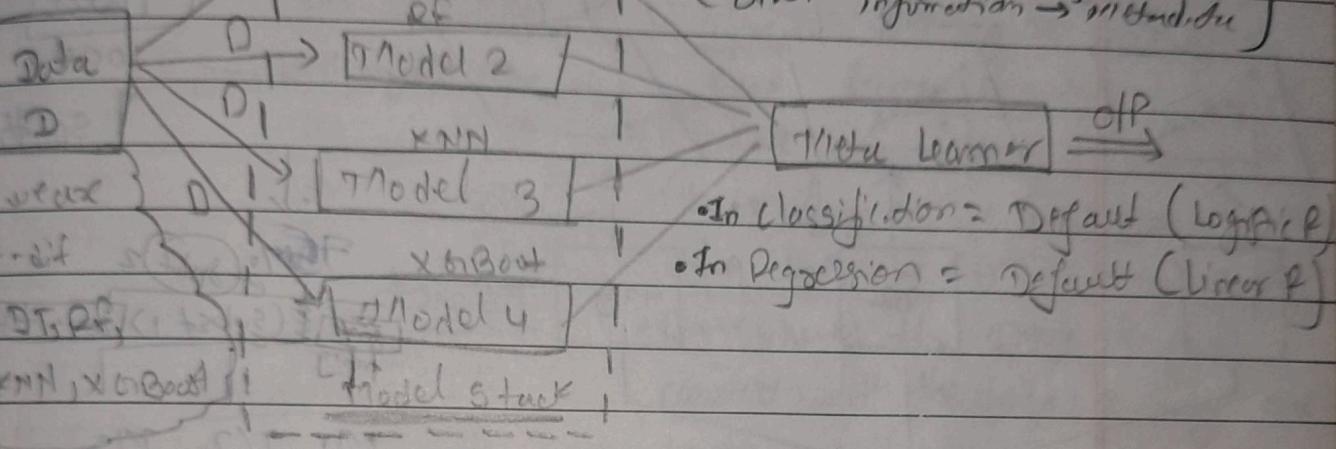
we can use \rightarrow SVM, RNN, NN, DT, LOR
diff model \rightarrow SVM, RNN, NN, DT, LOR

3 levels of model

Meta model

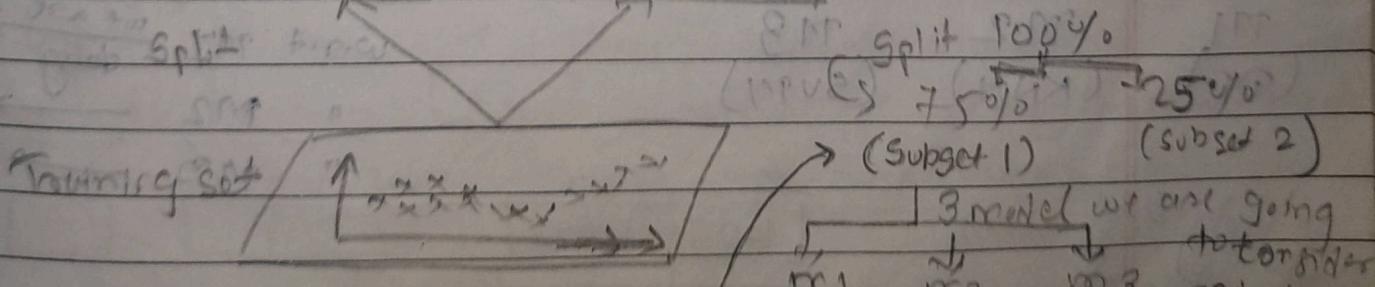
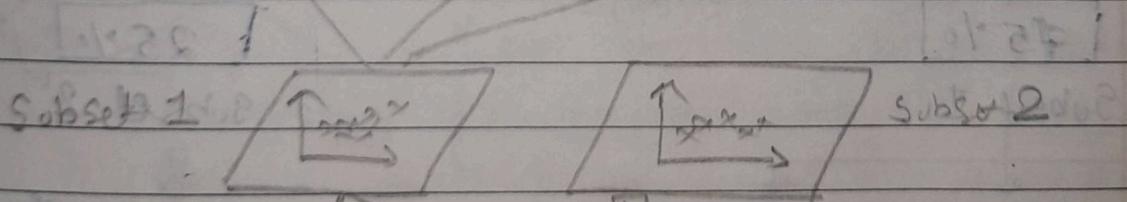
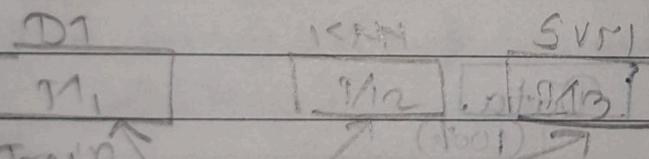
we are creating a model with metamodel

(we obtain information from other
other information \rightarrow meta-model)



- In classification = Default (Logistic)
- In Regression = Default (Linear R)

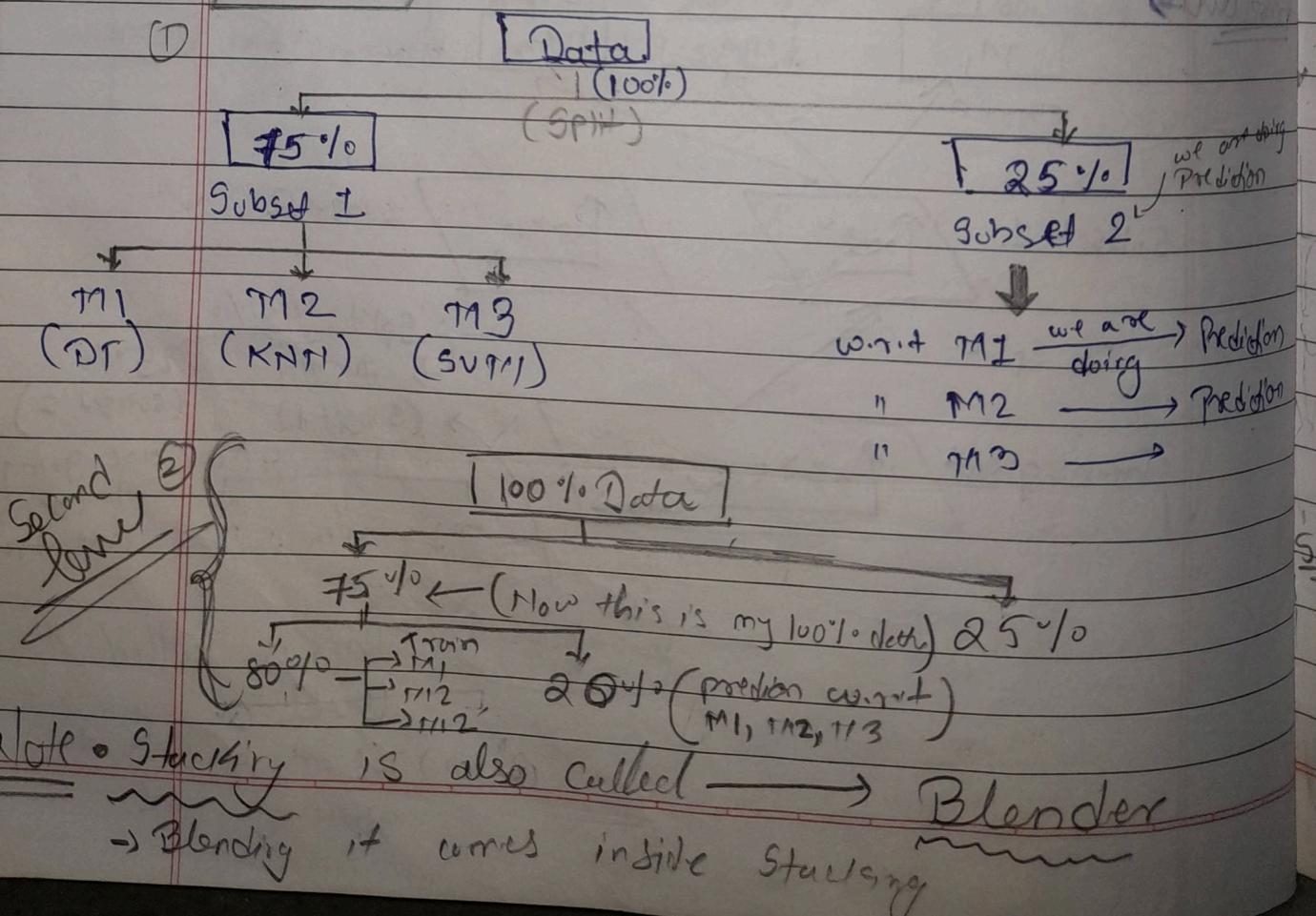
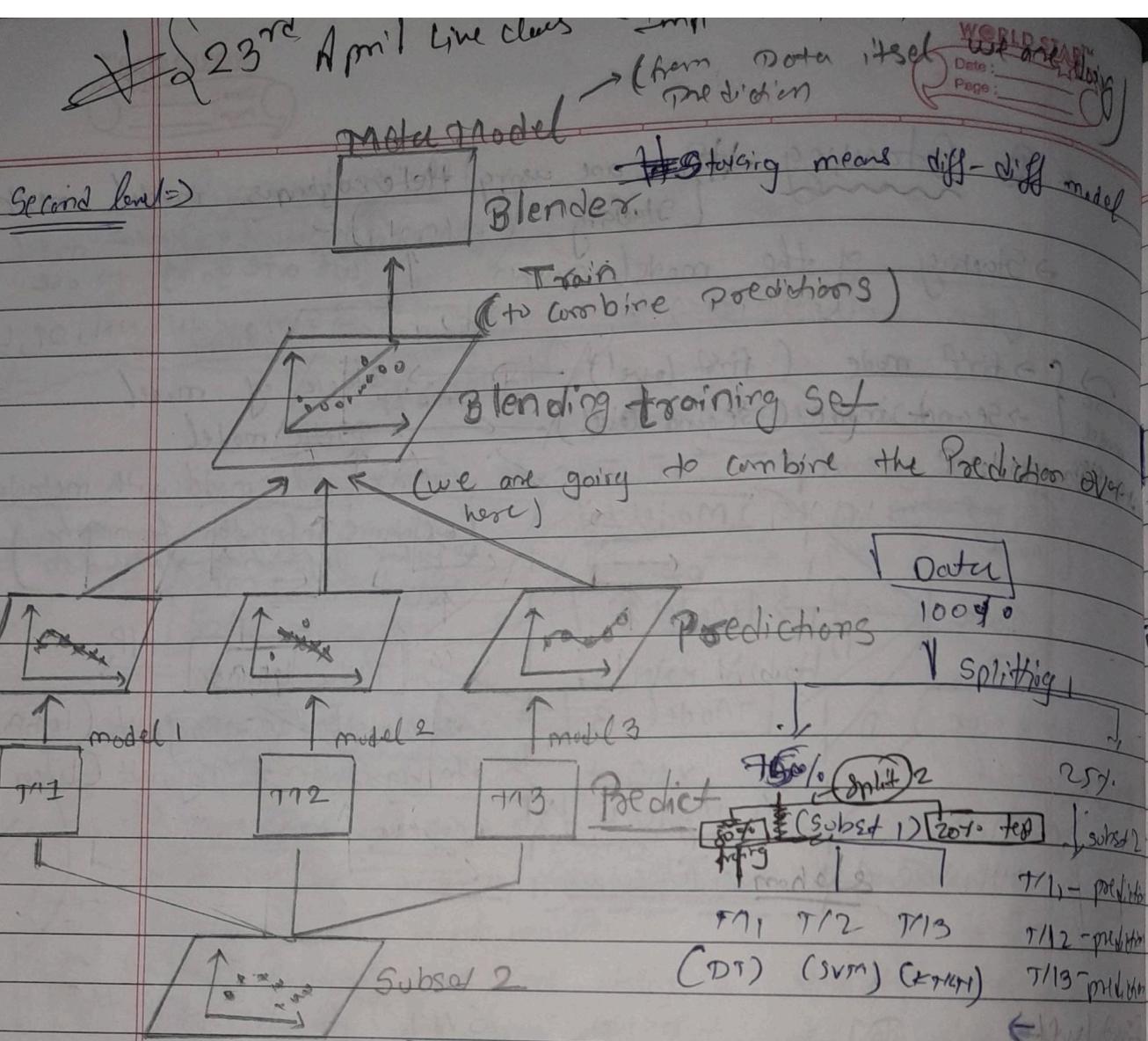
left build \Rightarrow



For now consider subset 1

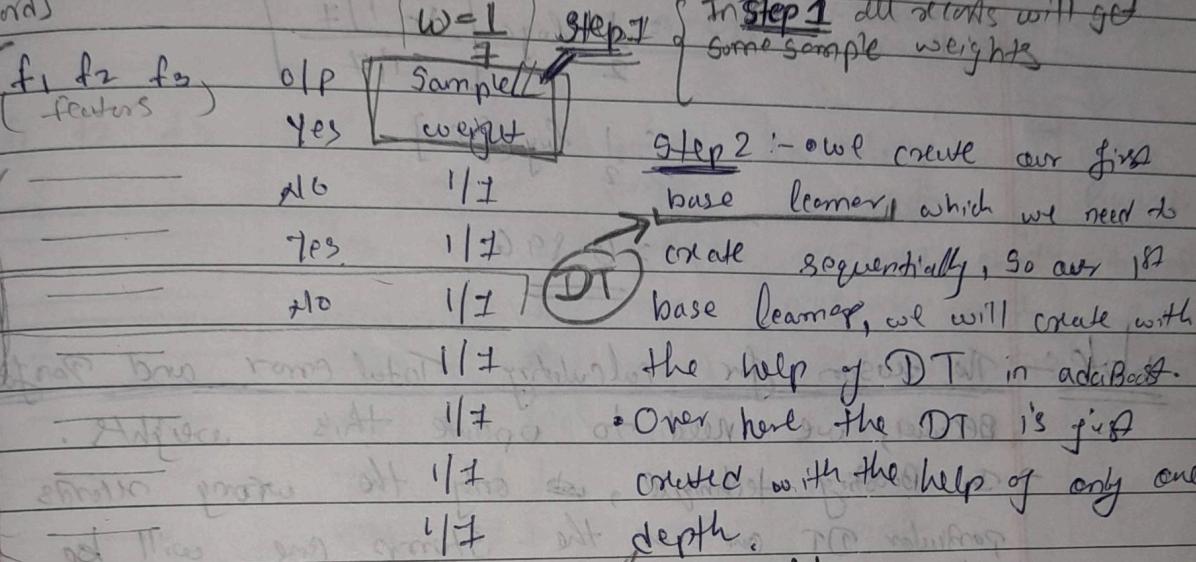
This is called
level "0"

(or) we are going to do
stacking of model

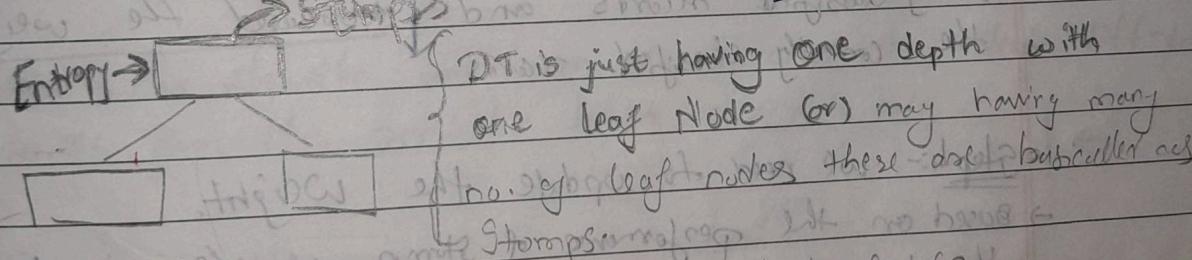


- ~~Boosting~~ → Additive learning (continues learning)
 My next Model will be learning from previous
 Sequential learning
- AdaBoost Classifier (Adaptive Boosting)
 - Gradient Boosting (GBDT) (Additive learning)
 - XGBoost (Extreme gradient boosting)

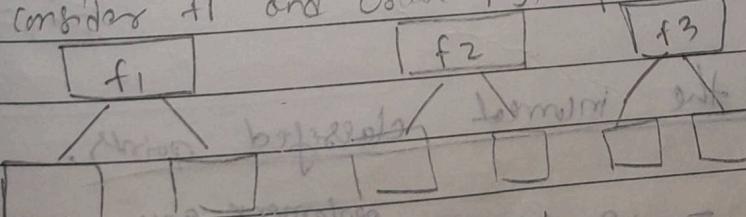
~~AdaBoost~~ YouTube Kris Sj



This DT is basically called as Stumps [we are not creating a full depth i.e. max. depth]



we consider f₁ and create 1 stump similarly f₂, f₃.



Entropy and Gini (constant) for selecting.

Compare the Entropy of Stump 1, 2, 3. whichever will be having the lesser Entropy that DT as my base learning model.

↑ for this Incorrect classification
 we need to find out total error

$$\text{Total Error} = \frac{1}{7}$$

- Step 3:- we try to find out the performance of the stump i.e how the stump is basically classified.

$$\therefore \text{Performance of Stump} = \frac{1}{2} \log_e \left(\frac{1 - TE}{TE} \right)$$

$$= \frac{1}{2} \log_e \left[\frac{1 - 1/7}{1/7} \right]$$

$$= \frac{1}{2} \log_e [6]$$

$$= 0.89611$$

Note:- The reason for calculating Total error and Performance Stump because, we need to update this weights.

- In Boosting technique, only the wrong records from this particular DT one or the Stump one will be passed to the next DT or next stump.
- for that, I have to \uparrow increase the weights of the wrong classified records and \downarrow decrease the weights for the correctly classified records

- Step 4:- we need to update the weight.

- Based on the performance of Stump we are going to update the weights.

→ \uparrow we update the incorrect classified points.

$$\rightarrow \text{New weight} = \text{old weight} \times e^{\text{performance gain}}$$

$$= \frac{1}{7} \times e^{0.895}$$

$$= 0.349 \quad (\text{Now my weight is } 0.349 \text{ which is basically increased})$$

\Rightarrow 2nd for updating the correctly classified points

$$\text{New sample weight} = \text{original weight} \times e^{\text{Performance score}}$$

$$\frac{\text{New weight}}{\text{Old weight}} = \frac{1}{\text{Old weight}} \times e^{-0.895}$$

$$= 0.05$$

Based on normalized weight
we will try to divide them
into Buckets

f1	f2	f3	O/P	Sample weight	Updated weight	Normalized weight	Create Bucket
Yes	11	11	1	0.05	0.05	0.05 / 0.68 = 0.07	0 to 0.007
No	11	11	0	0.05	0.05	0.05 / 0.68 = 0.07	0.007 to 0.01
Yes	11	11	1	0.349	0.349	0.349 / 0.68 = 0.513	(and) = 0.14
No	11	11	0	0.05	0.05	0.05 / 0.68 = 0.07	0.14 to 0.51
Yes	11	11	1	0.05	0.05	0.05 / 0.68 = 0.07	(and) = 0.65
Yes	11	11	0	0.05	0.05	0.05 / 0.68 = 0.07	:
No	11	11	0	0.05	0.05	0.05 / 0.68 = 0.07	:

$$\sum = 0.68$$

\Rightarrow Now our algorithm will run 2 iterations to select diff-diff records from this particular holder ~~of~~ data set.

Installation of XGBoost

WORLD STAR™

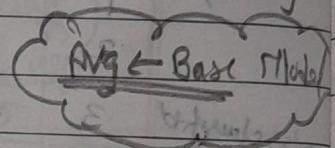
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~~Gradient Boosting~~ Gradient Boosting (Additive Learning)

Data →	Height	Gender	weight	
	160	M	75	$75 + 60 + 65 + 78 + 80$
	170	M	60	$= 35$
	180	F	65	$= 70$
	190	F	78	
	195	M	80	

$$Res2 = y - (\text{Avg} - Res1)$$

$$Res3 = y - (\text{Avg} + Res1 + Res2)$$



Both can be solved using Gradient Boosting

Regression :- target column is numerical

Classification :- target column is categorical

Last Result of Gradient Boosting :

First we have Base model \rightarrow learning Rule into Decision Tree then...

$$\text{Base model} + h_1 \times DT_1 + h_2 \times DT_2 + h_3 \times DT_3 + \dots + h_N$$

These multiple DT we are going to train over

So, we are going to arrange all the ~~Decision Tree~~ ~~Decision Frontier~~ weak learner ~~and we are going~~ make a strong learner, this is called a Additive learning

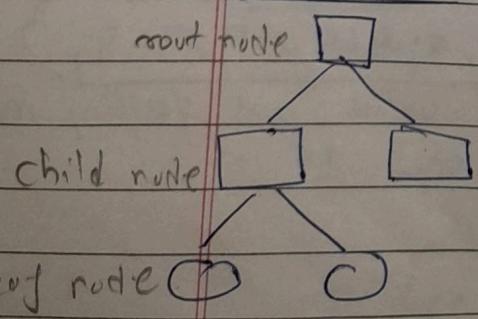
1st we have to create a base model

Base Model :-

Initialize our data with some constant static Value

This is full depth DT

Decision Tree \rightarrow At initial point we are creating only 1 leaf node



leaf \rightarrow having some value

\rightarrow Initially we are trying to take Average value of our Dataset

- 1st we initialize Average Value
 → Then we will find Residual w.r.t Avg value

↓ Due To b^p ⇒

Exp	Degree	Salary	\hat{y}	$(y - \hat{y})$	R_1	R_2	$\dots R_n$
2	BE	50K	75	-25	-23	-3	
3	Masters	70K	75	-5	-3		Very very long P value than 3 hours
5	Masters	80K	75	5	3		gap
6	PHD	100K	75	25	23		

$R \rightarrow$ Residual

→ Steps in DT

Step 1:- Compute the base model, which will give me 1 o/p i.e Average of Salary.

$$\frac{50 + 70 + 80 + 100}{4} \approx 75 \quad (\text{This is my } 1^{\text{st}} \text{ base model})$$

Step 2:- Compute Residuals, i.e (Errors, Pseudo Residual)
 o/p function ($y - \hat{y}$)

Step 3:- After base model, i will add one by DT sequentially, Construct

in DT.

⇒ I/p → Exp and Degree (x_i)

⇒ O/p → R_1 (Here o/p will not be target variable it will be)

$\{x_i, R_1\}$

$$|\alpha = 0 + 1|$$

Base model

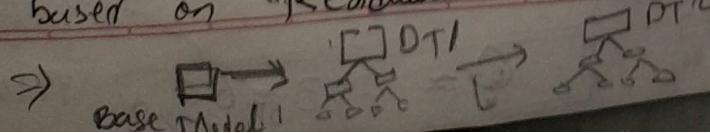
Learning Rate

$$f(x) = h_0(\alpha)^T + \frac{h_1(x)}{DT_1} + \frac{\alpha_2 h_2(x)}{DT_2} + \dots + \frac{\alpha_n h_n(x)}{DT_N}$$

$$= \sum_{i=1}^n \alpha_i h_i(x)$$

Note:-

→ Here we are adding after one base model, (creatively sequential)
 DT based on Residuals that we are getting.)



Gradient Boosting Maths

Exp	Degree	Salary	y	\hat{y}	Residual
2	B.E	50k	60	-10	
3	Ph.D	70k	60	10	
4	Masters	60k	60	0	

• \rightarrow Initial requirement for this ML algorithm

\rightarrow I/P we need to provide I/P

$\{x_i, y_i\}$ $x_i \rightarrow$ Exp, Degree and $y_i \rightarrow$ Salary
Independent Dependent

\rightarrow 2nd thing I have to provide in I/P is my loss function
in can different for both i.e. Regression and classification.

$$L(y, f(x))$$

y Actual value $f(x)$ Predicted value

\rightarrow 3rd \rightarrow No. of Tree

Wikipedia

Pseudo Algo \Rightarrow (1) Initialize Model with Constant Value

$$f_0(x) = \arg \min_{Y(\text{Gauss})} \left(\sum_{i=1}^n L(y_i, Y) \right)$$

(It is predicted value)
(any min of this Gauss value) (Y) \leftarrow Residual

$$\text{Loss} = \sum_{i=1}^n \frac{1}{2} L(y_i - \hat{y})^2 \downarrow \text{minimize } \{\text{the loss}\}$$

$$= \frac{1}{2} (50 - \hat{y})^2 + \frac{1}{2} (70 - \hat{y})^2 + \frac{1}{2} (60 - \hat{y})^2$$

\Downarrow To minimize the loss, doing 1st order
Derivatives $\Rightarrow \frac{\partial C}{\partial \hat{y}} = \frac{\partial}{\partial \hat{y}} \sum_{i=1}^n \frac{1}{2} (y_i - \hat{y})^2$

$$= \frac{1}{2} (50 - \hat{y})(-1) + \frac{1}{2} (70 - \hat{y})(-1) + \frac{1}{2} (60 - \hat{y})(-1)$$

$$= -50 + \hat{y} - 70 + \hat{y} - 60 + \hat{y}$$

$$= -180 + 3\hat{y}$$

$$= 3\hat{y} = 180$$

$$\therefore \hat{y} = 180/3 = 60$$

\hat{y} for the model

(2) Iterate

$m = 1 \text{ to } M$

$\left\{ \begin{array}{l} M = \text{no. of D.trees} \\ M = 2, 3, 4, 5, 6, 7, 8 \end{array} \right.$

(i) \rightarrow Compute pseudo residual

Actual

y_i

Predicted

$f_{m-1}(x_i)$

y_i

$$\left\{ \begin{array}{l} r_{11} = y_1 - 50 = -10 \\ r_{12} = y_2 - 60 = 10 \\ r_{13} = y_3 - 60 = 0 \end{array} \right.$$

for $i=1, \dots, n$

$$r_{im} = - \left[\frac{\partial L(y_i, f(x_i))}{\partial F(x_i)} \right]$$

$$f(x) = f_{m-1}(x)$$

(ii) \rightarrow fit the Base Learner $h_m(x)$

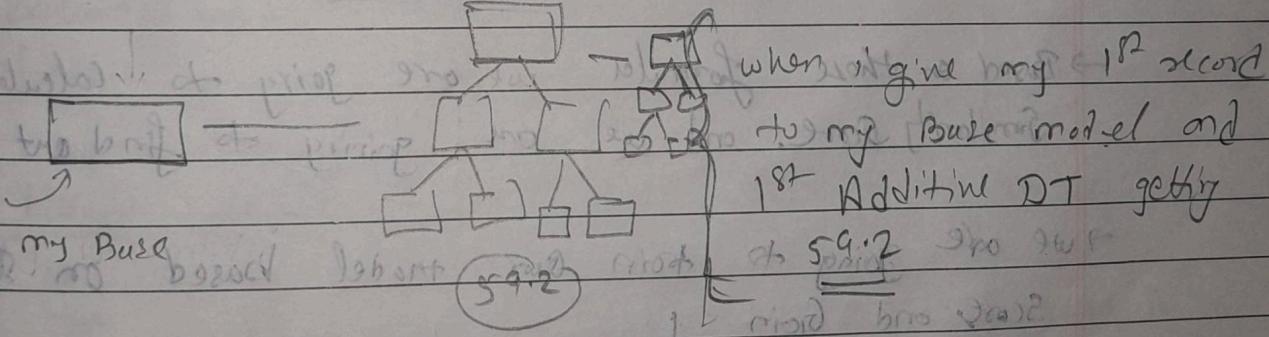
$$\left\{ \begin{array}{l} \text{I/P: } \{ (x_i, r_{im}) \} \\ \text{Now } \Rightarrow \text{Independent feature} = \text{Exp, Reg} \\ \text{Dependent feature} = r_{im} \end{array} \right.$$

(iii) $\rightarrow Y_m = \text{arg min}_{\gamma} \sum_{i=1}^n L(y_i, f_{m-1}(x_i), + \gamma)$

$$\sum_{i=1}^n \frac{1}{2} (y_i - (60 - \gamma))^2 \leftarrow \left\{ \begin{array}{l} \text{Again I have to minimize} \\ \text{this, Similar to Step 1} \end{array} \right\}$$

(iv) \rightarrow Update Model

$$f_m(x) = f_{m-1}(x) + \gamma h_m(x) \quad \text{Learning rate } 0.1$$



Based on my Base model residuals and the I/P value i.e. a DT always pass the 1st record to the base model the o/p will be 60.

$$① = 60 + (-10) \leftarrow \alpha = 0.1$$

$$DT = 60 - 0.1$$

$$= 59.2$$

$$= \alpha x$$

{ the Difference is $50 - 59.2$ }
Now, we will try to add one more model i.e. (DT)

$$② 60 + (0.1)(10) \quad \text{additive}$$

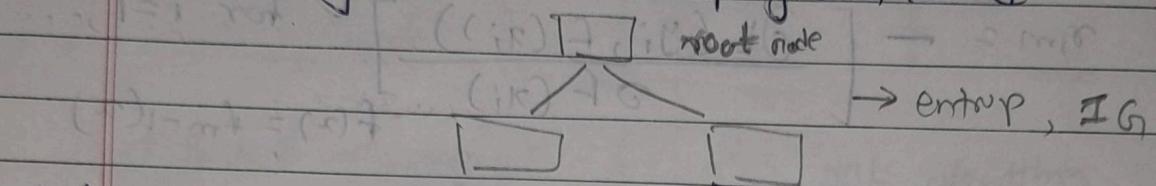
$$DT = 61$$

* XG Boosting

↓ Duty Randomization
w/it Data

- In XGBoost there will be 1st Base model, then DT₁, then DT₂...
- Base model + h₁DT₁ + h₂DT₂ + + h_nDT_n

- for calculating DT we have Specific method



→ Here, we are going to calculate **Similarity Score**

Base on this we are going to calculate
Information Gain

$$\text{Regression} = \frac{\sum_i (\text{Residual})^2}{\text{No. of total residual} + \lambda}$$

Classification =

$$\frac{\sum_i (\text{Residual})^2}{\sum_i (1-P) \times P}$$

P ← Probability

→ Based on these formula we are going to calculate
Similarity Score, and we are going to find out Gain

→ We are going to train our model based on Similarity
Score and Gain

↓ Based on this

"We are going to do Pruning of this
tree"