

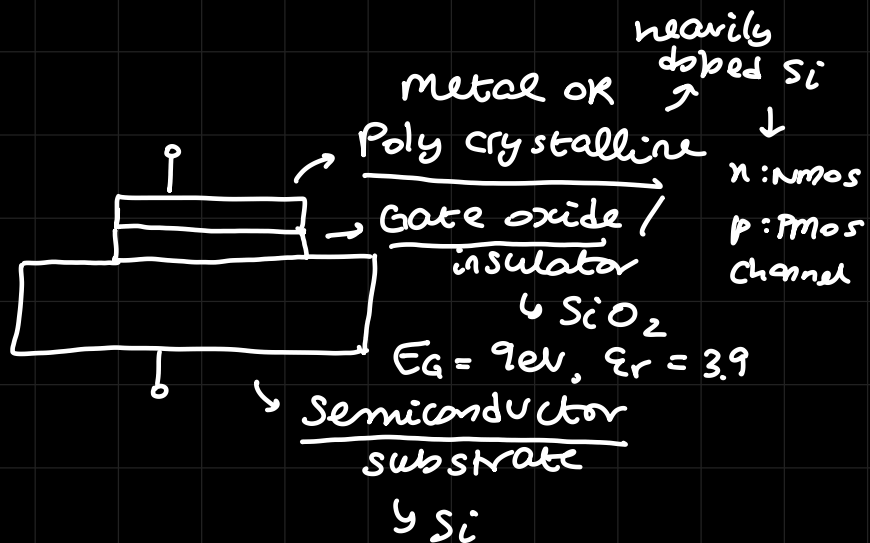
lecture

MOSCAP \rightarrow MOSFET w/o s and D

output characteristics $\rightarrow I_D$ vs V_{DS}

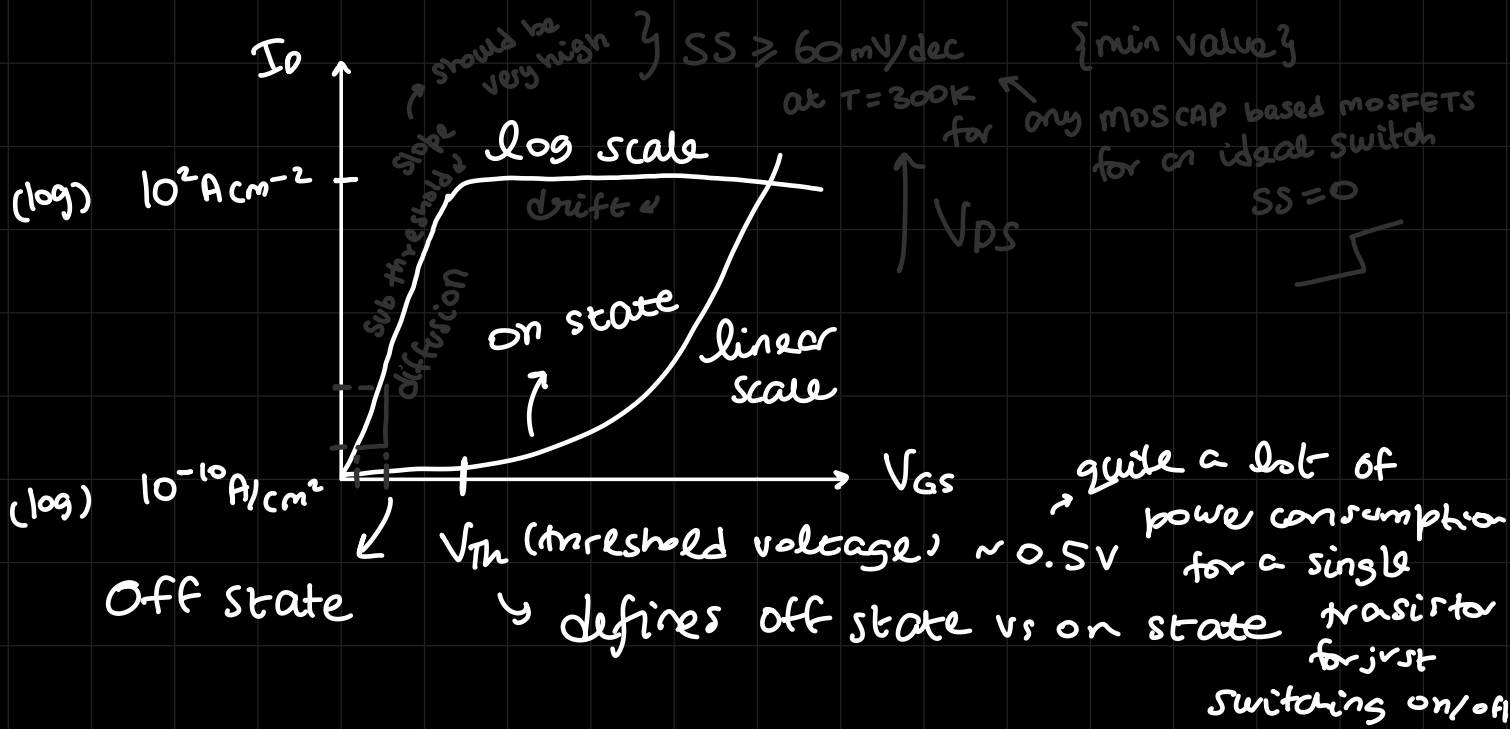
transfer characteristic $\rightarrow I_D$ vs V_{GS}

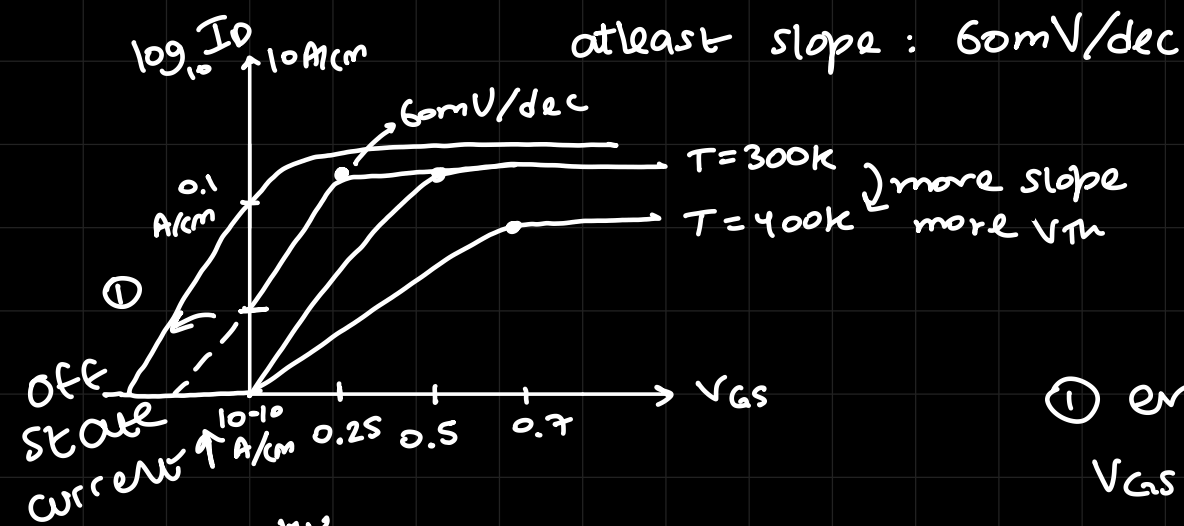
MOSCAP



P type for Nmos
N type for Pmos

Remember \rightarrow





difference btw on & off ↓

if we go even left, the off state current ↑ and hence difficult to differentiate between HIGH & LOW
↳ Not good

I_D
i.e. charge movement

ENHANCEMENT MODE MOSFET :

no channel formed at no V_G

↳ off state without any gate voltage

DEPLETION MODE MOSFET :

-ve potential required for off state

there is some current even for no V_G

channel already formed without V_G

depletion of charge carrier

depletion of holes in the n channel (n_{maj})

because of +ve \bar{E} , the holes move down

from the channel hence depletion

M

O

S

we consider \rightarrow ϕ_m

—

 χ_e \downarrow ϕ_s

Why not
considering
stuff like

Fermi level?

even though $E_g = 8-9\text{eV}$ (big)

because $n_i = \sqrt{N_c N_v} e^{-E_g / k_B T}$

with so high E_g , $n_i \sim$ negligible

here E_F, ϕ, χ is not relevant

also, we observed potential drop across
the oxide and hence \sim resistance

depletion
of e^-

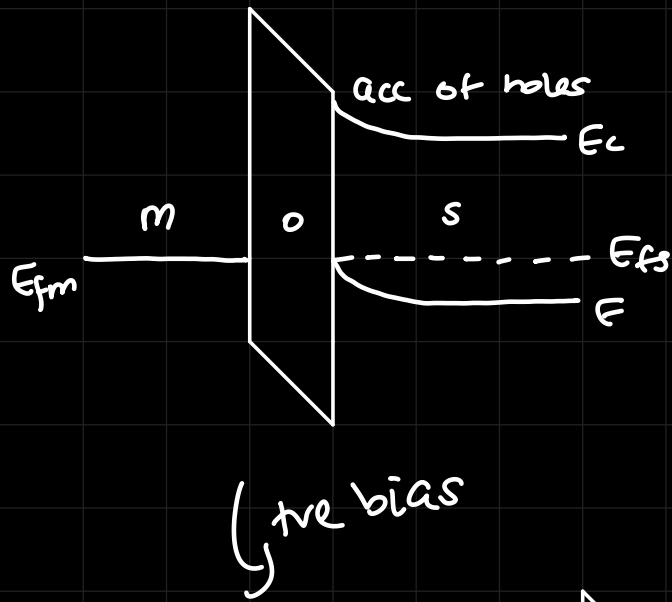
CB

accumulation
of holes

VB

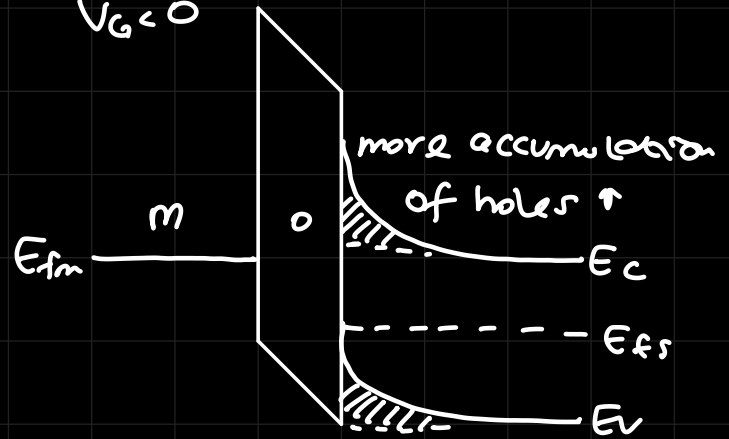
MPS

equilibrium

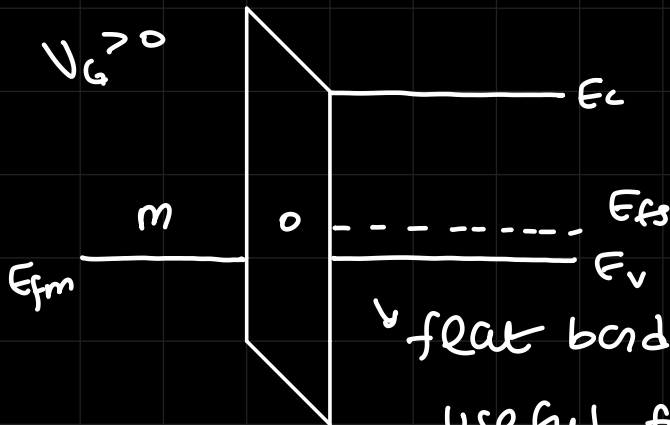


negative bias

$V_G < 0$

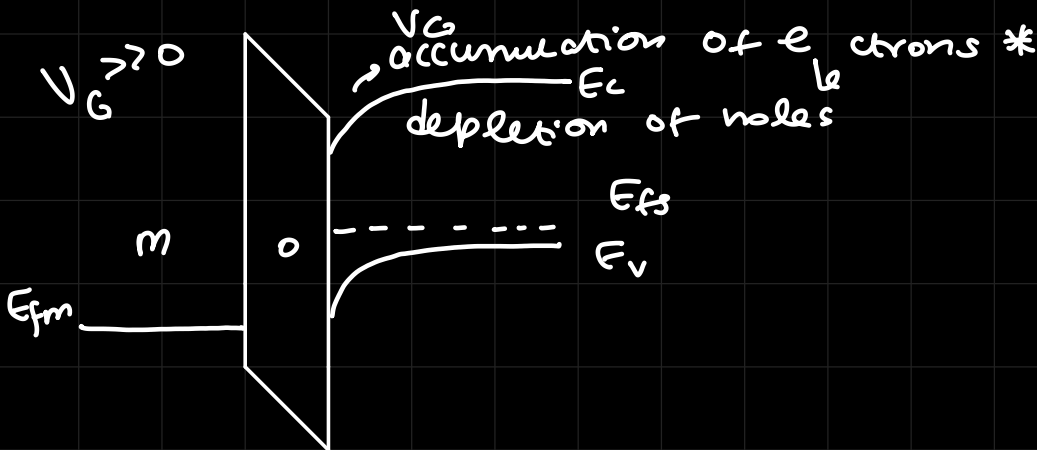


$V_G > 0$

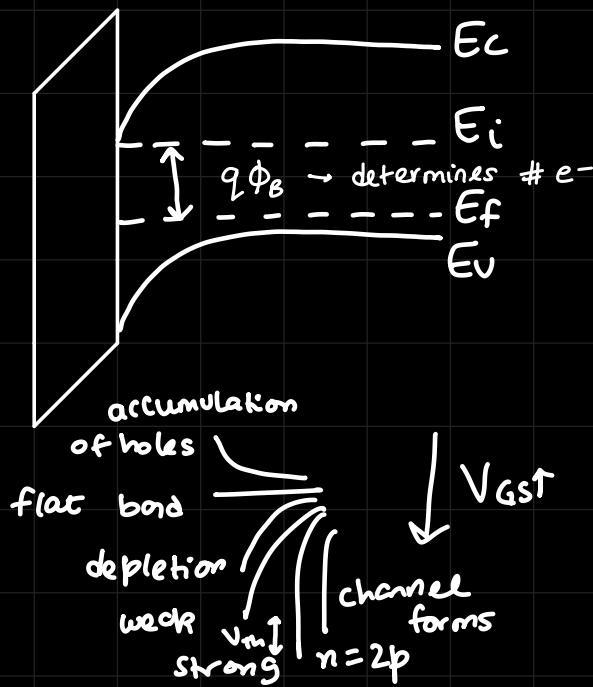


Useful for determining threshold voltage

move the



acc of holes \rightarrow \rightarrow depletion of holes



numbers of e^-
on the surface
is greater than the
hole concentration
 \equiv Inversion

e^- get inverted
at $V_{GS} \gg 0$

after weak inversion

when $\#e^- \approx 2 \#holes$

\equiv strong inversion

i.e. very strong \bar{E}

then channel forming
takes place

V at which inversion
goes from weak to
strong $\equiv V_{th}$
(threshold voltage)

$$\phi_B = V_{th} \ln\left(\frac{N_A}{N_i}\right)$$

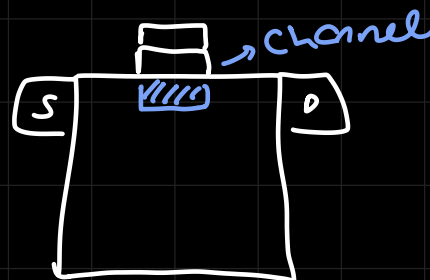
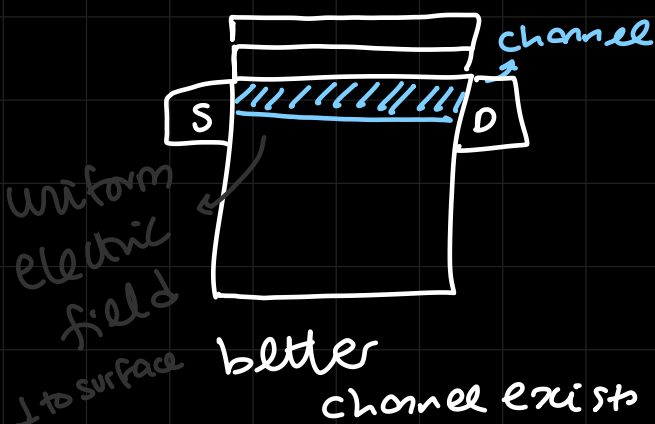
flat band: $\phi_s = 0$

hole accumulation: $\phi_s < 0$

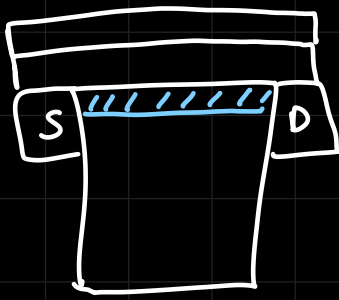
e^- accumulation: $\phi_s > 0$

inversion: $\phi_s > \phi_B$

$q\phi_s \rightarrow$ band bending
at the
surface

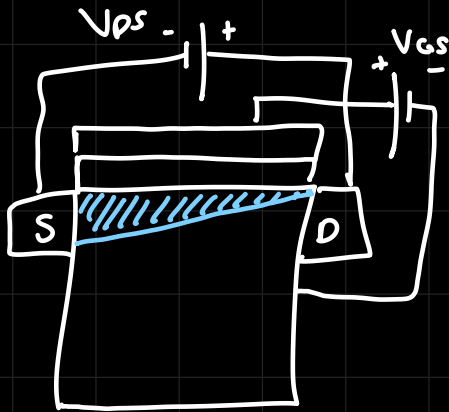
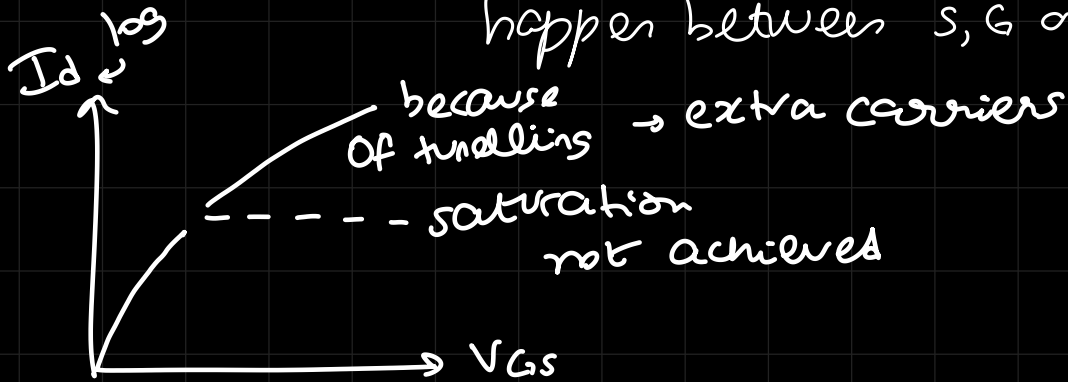


less charge carriers
charge cannot $S \rightarrow D$



This is also not optimum because of parasitic capacitance

and also some tunnelling can happen between S, G and G, D



Pinch off condition when the corner touches the end point

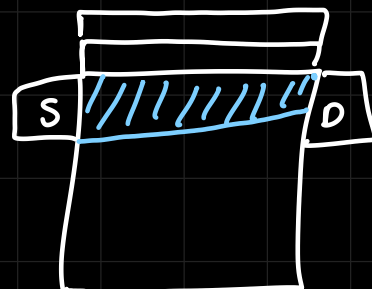
happens at the threshold voltage

$$V_{GS} = V_T$$

below threshold voltage

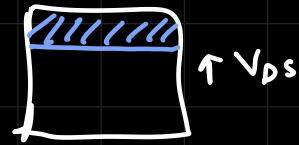
no need for latitudinal \vec{E} to push charges, the carrier concentration drives the carriers hence the linear property

#e $\uparrow \uparrow$ diffusion \rightarrow



at $V_{DS} = 0$, uniform channel

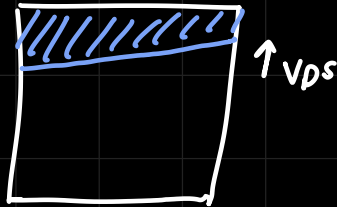
for $V_{DS} = 0.1 - 0.5V$ (eq)



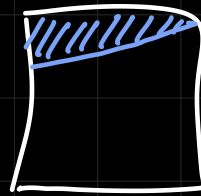
linear

$e^- \uparrow \uparrow$

$\bar{E} \sim 0$



for $V_{DS} > V_{GS} - V_T$



$e^- \rightarrow \text{const}$
very high \bar{E} due to
 V_{DS} & V_{GS}
so, I_D saturates

Delay

↳ Intrinsic : within device

↳ Extrinsic : within circuits

TRANS CONDUCTANCE

$$g_m = \left. \frac{\partial I_D}{\partial V_{GS}} \right|_{V_{DS}}$$

dependent on
temp

\equiv idea of speed of "switching"

Channel conductance

$$g_d = \left. \frac{\partial I_D}{\partial V_{DS}} \right|_{V_{GS}}$$

Used for finding drive current
for small bias input