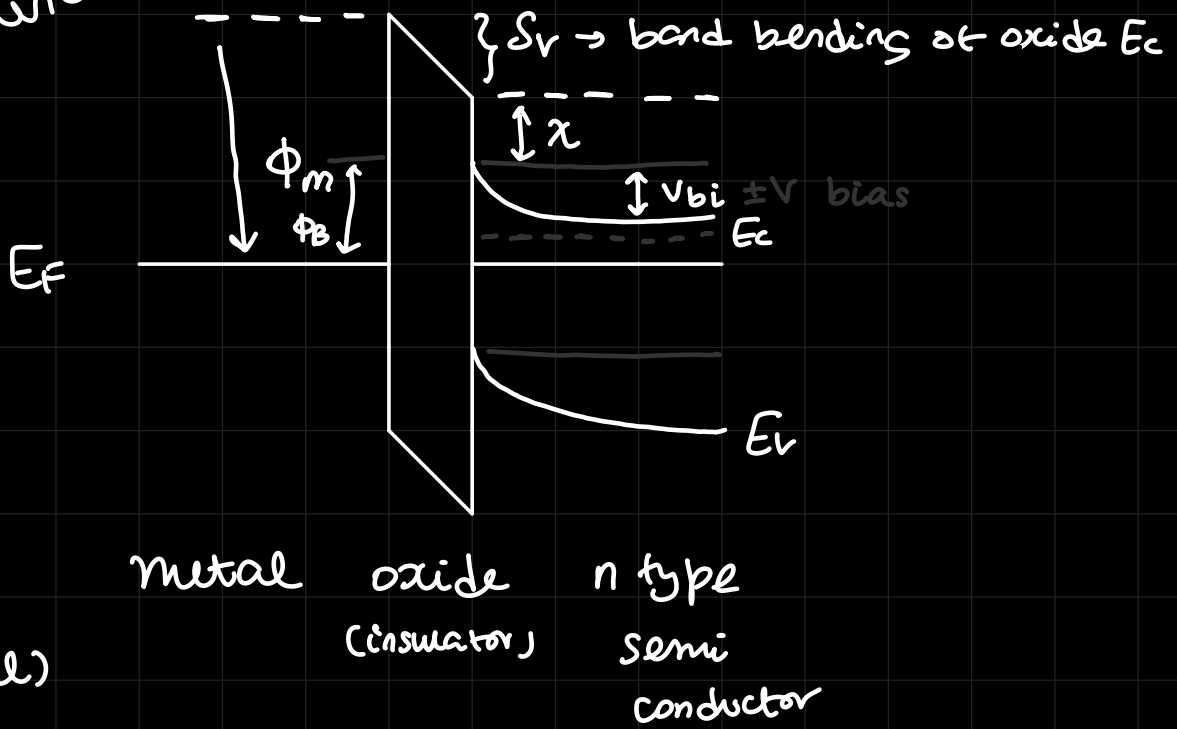


# MOS Junction

lowers  
schottky  
barrier  
height  
(not ideal)



## # Fermi Level Pinning

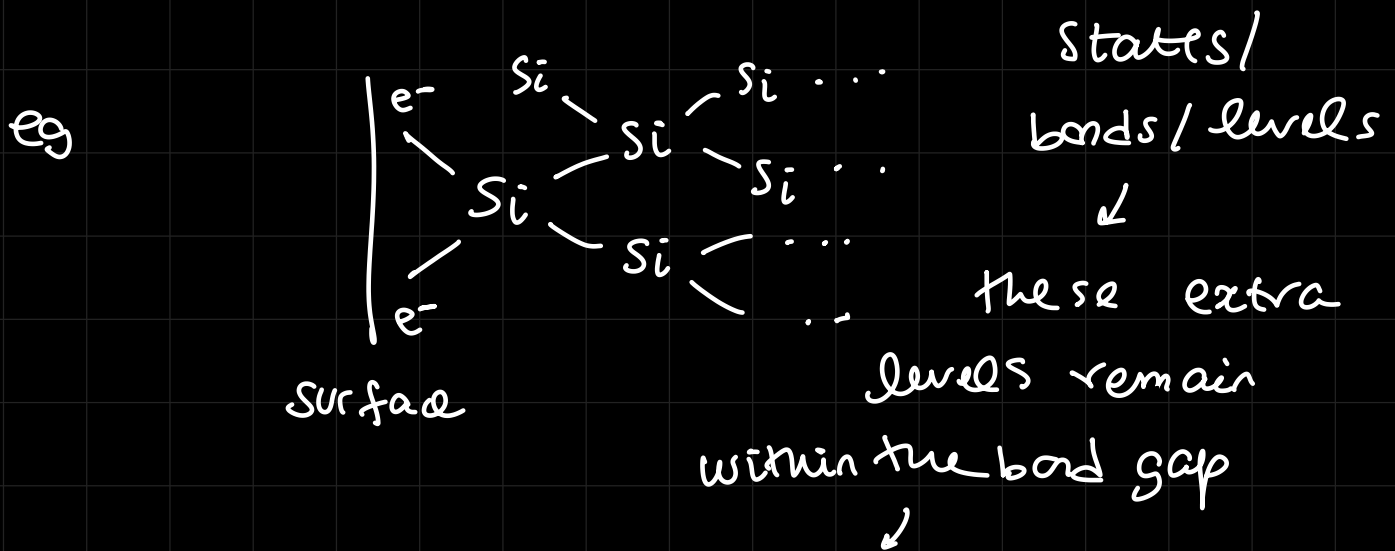
metal induced gap states ( $\approx$  impurities)

$\hookrightarrow$  another origin of interface states that results in "metallic" screening

$\hookrightarrow$  FERMION LEVEL PINNING

Interface unsaturated bonds

possibility of dangling bonds at the surface  $\rightarrow$  excess  $e^- \rightarrow$  results in extra

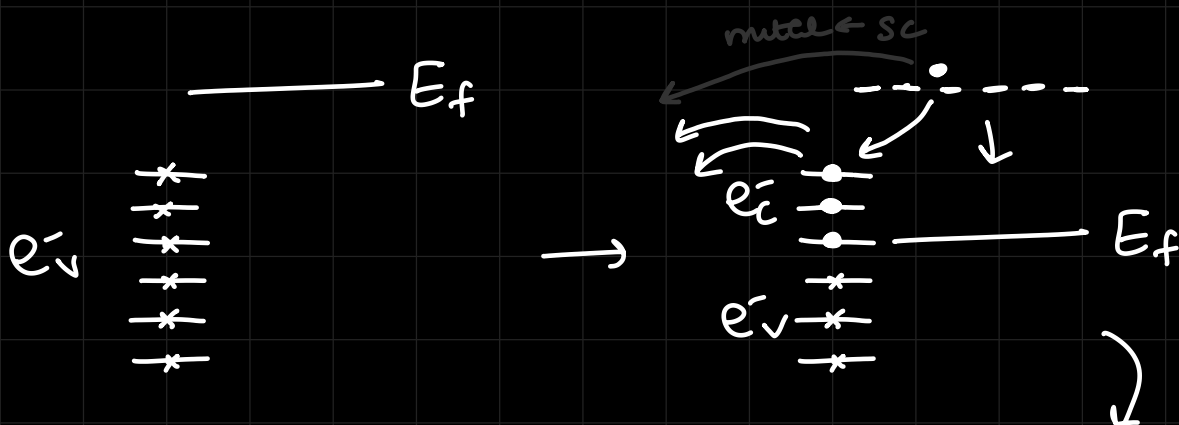


it is observed that the impurity states take up  $\frac{1}{3}$ rd of the band gap

We have the fermi level at the mid band of band gap  $\rightarrow$  at  $\frac{E_g}{2}$

and we are shifting this  $E_f$

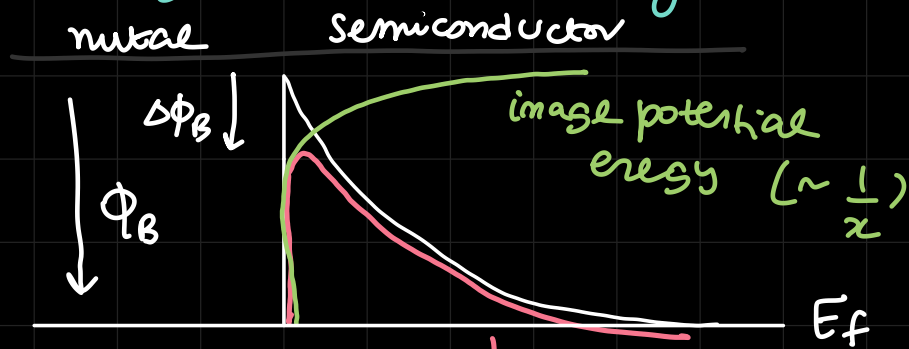
at equilibrium in the m-s Junction, the system must maintain charge neutrality and hence some of the conduction  $e^-$  (free  $e^-$ ) go to the metal side after the fermi level converts the valence  $e^-$  to conduction  $e^-$  when coming down.



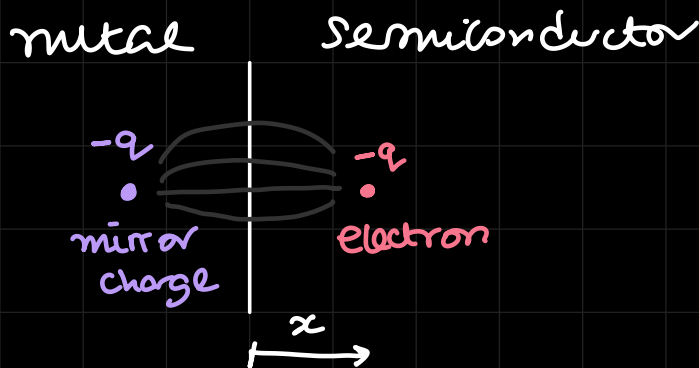
those  $e^-$  that leave  $E_f$  and fill the upper positions, due to them the  $E_f$  thinks it is filled and hence  $E_f$  goes up  $\uparrow$

Due to this, the fermi level is restricted

# # modification to the Barrier Potential due to Image Force Lowering



instead of this  
we observe this  
in the Schottky barrier

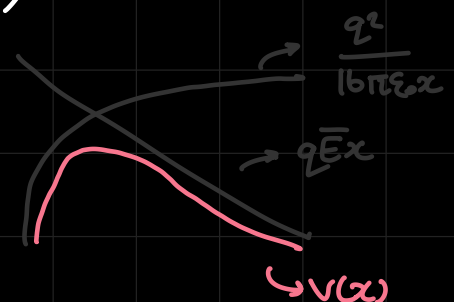


$$F = \frac{1}{4\pi\epsilon_0} \times \frac{q^2}{(2x)^2} = \frac{q^2}{16\pi\epsilon_0 x^2}$$

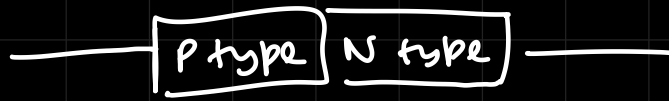
$$V = -\int \vec{F} \cdot d\vec{x}$$

$$V(x) = \left( \frac{q^2}{16\pi\epsilon_0 \cdot x} - q\bar{E}x \right)$$

under an Electric Field

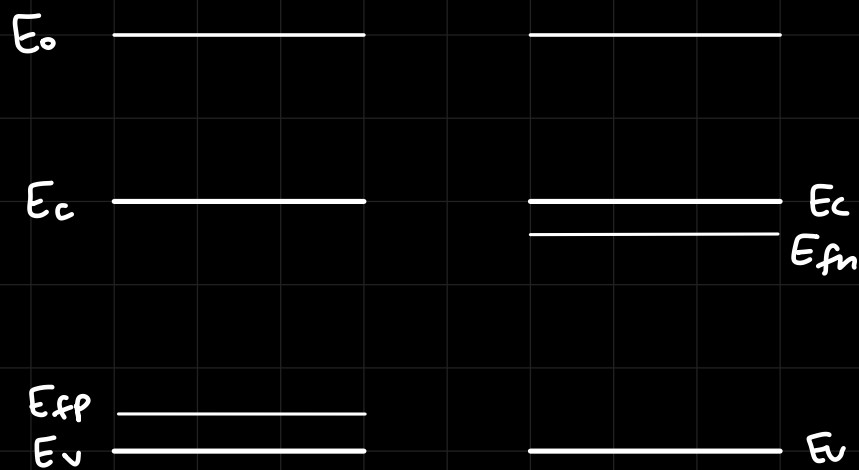


# Homojunction

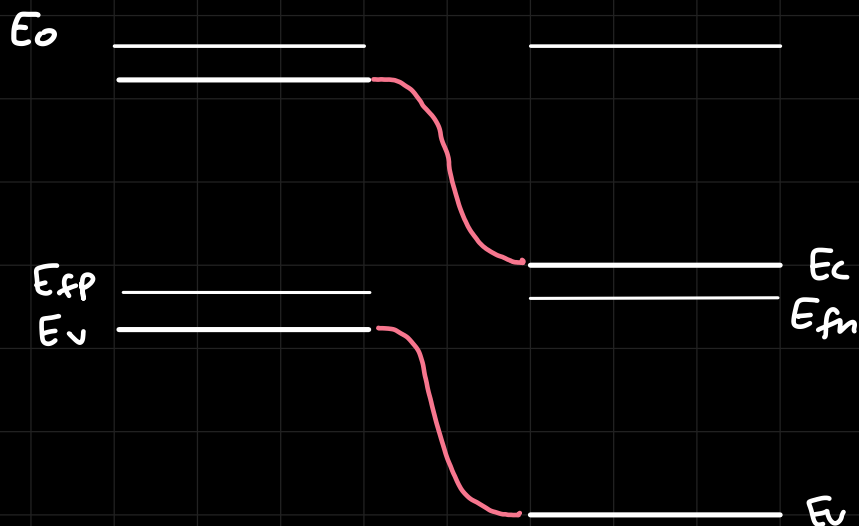


Heavily Doped Case

NON EQUILIBRIUM

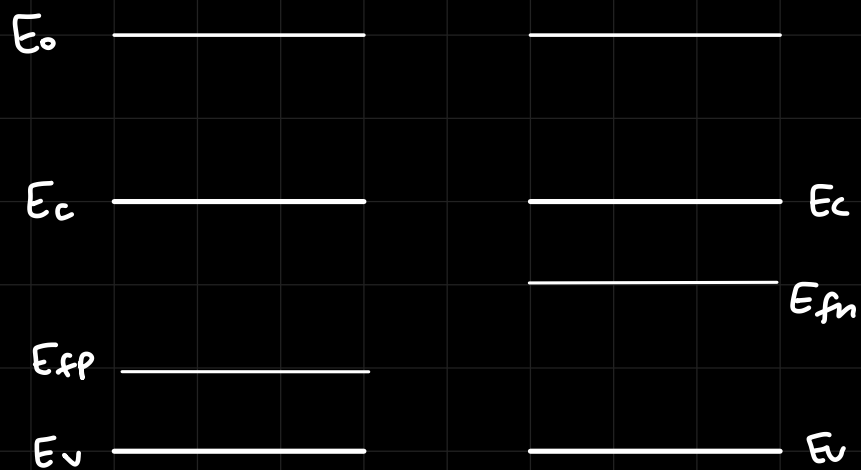


EQUILIBRIUM

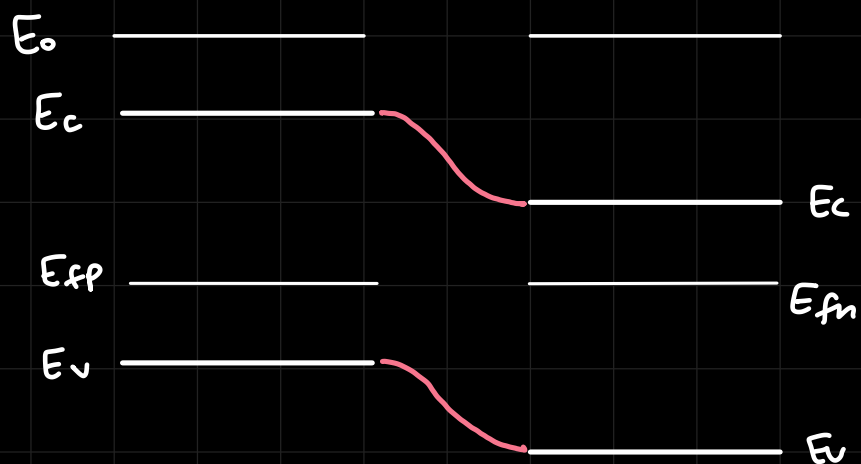


# moderately doped case

## NON EQUILIBRIUM



## EQUILIBRIUM



The heavily doped one will have a higher  $\bar{E}$  and drift current because of more band bending

In the case of MS Junction, heavily doped  $\rightarrow$  band bending  $\uparrow \rightarrow \bar{E} \uparrow \rightarrow$  drift current  $\uparrow$  (easier to drift to the SC side)  
 $\hookrightarrow$  high amount of force on  $e^-$  on metal side  
 $\downarrow$

Instead of all  $e^-$  passing the potential barrier from above, some "tunnel" through barrier



Homojunctions usually don't have dangling bonds and hence <sup>(less)</sup> no impurity  
 $\hookrightarrow$  lesser probability of observing fermi level pinning

\$ GaAs  $\rightarrow$  3,5 system

$\hookrightarrow$  too much impurity levels  
 $\hookrightarrow$  not ideal

$e^-$  movement

↳ drift

↳ diffusion

↳ tunnelling

Zener diode: reverse bias

heavily doped

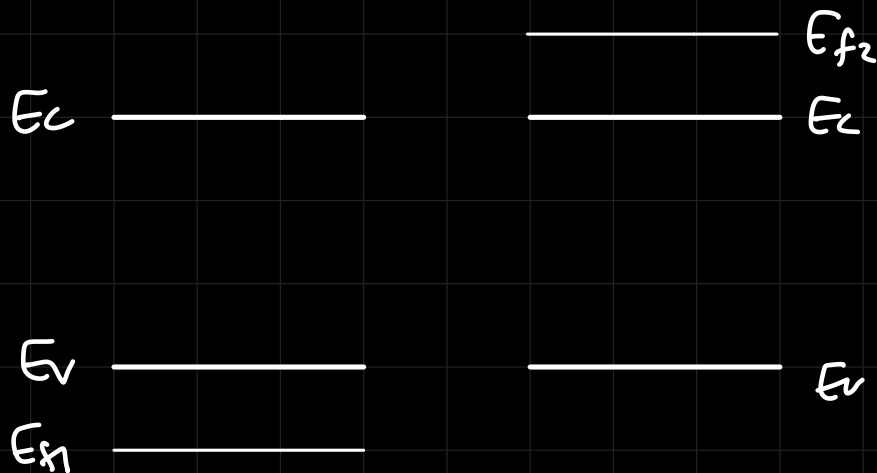
very high band bending

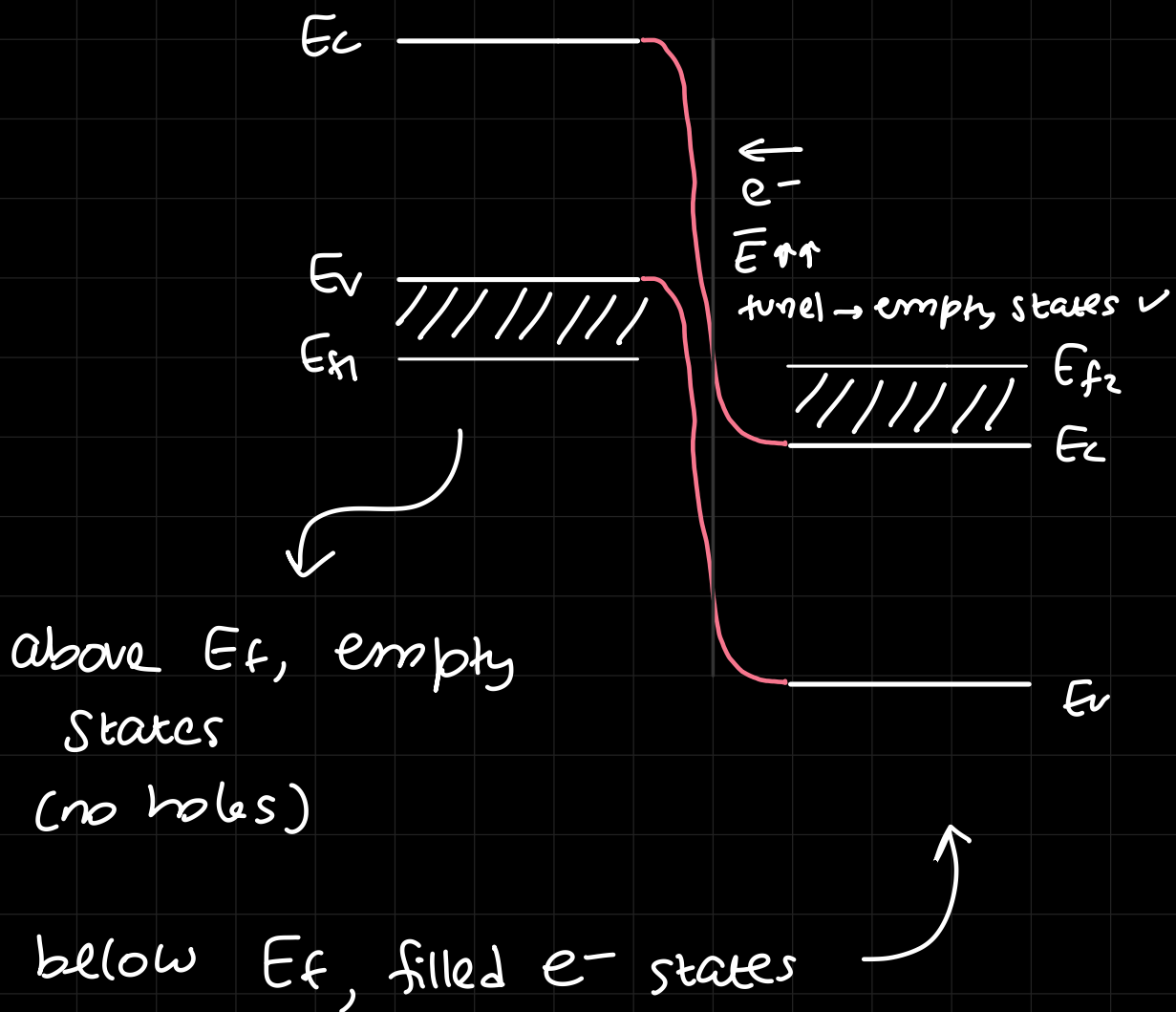
very high  $\bar{E}$

tunneling ✓

in break down region

non equilibrium





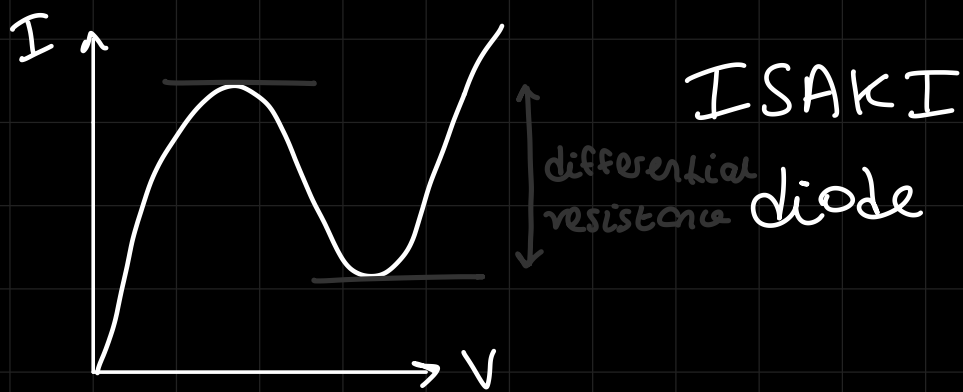
barrier height is very high ( $V_{bi}$ )  
 $\hookrightarrow \sim$  no drift current

Apply a small amount of forward bias,  
 $E_f$  at the n side goes up along with it  
 $E_c$  and  $E_v$  to maintain band gap

or with n type at reference, p type  
 goes down

due to the high  $\bar{E}$  the free  $e^-$  go toward  
 the p types' empty states





non linear characteristics

$$\text{absolute Resistance} = \frac{V}{I}$$

$$\text{differential Resistance} = \frac{dV}{dI}$$

for the above characteristic, we have a region where current is reducing with increase in potential

$$\text{SO, we get } R = \frac{dV (+)}{dI (-)}$$

$\equiv$  Negative Differential Resistance  
 $\equiv$  NDR diode

useful for amplifiers