4. Ps & 12 (E-Ex)

By Taylor - Series Expansion

8m + 1820

= IL(E) e-BED

Since Pod D(E-ED),

ProdocE) e-BEN => Prode-BEN

No. of microstates = (No. of combinations of N rooks placed in a straight live with 21 spaces) x (permutations of all there rooks in a st line of 24 spaces = 24CN x 24 PN $= \frac{(2N-N)!}{((2N-N)!)^2} N!$

for each to, 3 only one microstate (due to the glass constraint)

$$= \sum_{n=0}^{\infty} \frac{e^{-n\pi n}}{n} \times n$$

$$Q(n) = e^{-\Delta \beta} + 2e^{-2\Delta \beta} + 3e^{-3\Delta \beta} + \dots + Ne^{-N\Delta \beta}$$

 $e^{-\Delta \beta}Q(n) = e^{-\Delta \beta} + 2e^{-3\Delta \beta} + \dots + (N-1)e^{-N\Delta \beta} + Ne^{-(N+1)}$

$$(1 - e^{-\Delta R})Q(n) = 1 - e^{-B\Delta(N+1)} + Ne^{-(N+1)B\Delta}$$

$$(n) = \frac{1}{Q} \left[\frac{(1 - e^{-B\Delta}(n+1))}{(1 - e^{-B\Delta})^2} + \frac{Ne^{-(N+1)B\Omega}}{1 - e^{-\Delta R}} \right]$$

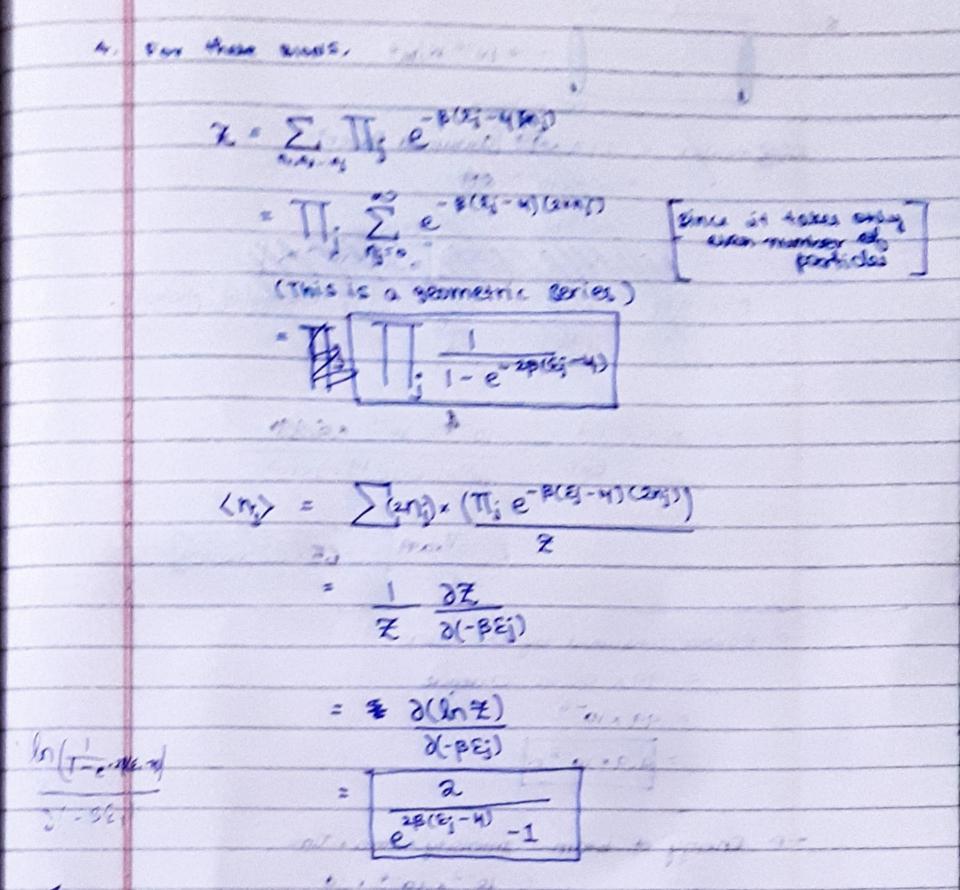
$$\langle n \rangle = 1$$
 $1 - e^{-\beta A}$
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 $1 - e^{-(n+1)\beta A}$

At very large N,

 $Ne^{-(n+1)\beta A} \rightarrow 0$
 $e^{-(n+1)\beta A} \rightarrow 0$

$$1 - e^{\beta A}$$

$$1 -$$



5. (N) = 1 + e B(E,-4) = 38.683eV-1 (0.5 - 0. 1) x 38.68 3 1.0004345533 0.9995636372 partide 9.1212 × 10 -6 particles (n2) = 1+ e(0.3)B 1.09634×105

$$\frac{\partial}{\partial t} \left(\frac{1-\frac{1}{T_c}}{T_c} \right)^2 + \frac{\partial}{\partial t} \left(\frac{1-\frac{1}{T_c}}{T_c} \right)^2 + \frac{\partial}$$

$$\frac{3^{3}G}{373} \stackrel{?}{=} \begin{cases}
0 & 7 < T_{c} \\
-\frac{5}{T_{c}^{3}} & 7 > T_{c}
\end{cases}$$

$$\frac{\partial^3 G}{\partial \tau^3}$$
 is discontinuous at $\tau = \tau_c$.

(ii) We know an span

$$A = \frac{1}{10^{10}} = \frac{10^{10}}{10^{10}} = \frac{1.9627 \text{ eV}}{632.8}$$

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