Linear Regression Coding Assignment-1

```
# Load essential libraries
library(ggplot2)
library(dplyr)
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
      filter, lag
## The following objects are masked from 'package:base':
##
##
       intersect, setdiff, setequal, union
# Load the house price dataset
hData = read.csv('houseprices_cleaned.csv')
str(hData)
## 'data.frame':
                   225 obs. of 8 variables:
## $ locality : chr "BTM Layout" "BTM Layout" "BTM Layout" "BTM Layout" ...
## $ area
                   : num 565 1837 1280 2220 1113 ...
## $ rent
                   : num 20060 97434 54448 117000 34388 ...
## $ price_per_sqft: num 6195 9254 7422 9234 5391 ...
                          "North-West" "East" "East" "North" ...
## $ facing
                   : chr
## $ BHK
                   : int 1 3 2 3 2 2 3 2 4 3 ...
## $ bathrooms
                   : int 1 3 2 3 2 2 2 2 5 2 ...
                   : chr "Bike" "Bike and Car" "Car" "Bike and Car" ...
## $ parking
# Convert 'locality', 'facing' and 'parking' columns to factors
categorical_cols = c('locality','facing','parking')
hData[categorical_cols] = lapply(hData[categorical_cols],as.factor)
str(hData)
## 'data.frame':
                   225 obs. of 8 variables:
## $ locality
                   : Factor w/ 9 levels "Attibele", "BTM Layout",..: 2 2 2 2 2 2 2 2 2 ...
## $ area
                   : num 565 1837 1280 2220 1113 ...
## $ rent
                   : num 20060 97434 54448 117000 34388 ...
## $ price_per_sqft: num 6195 9254 7422 9234 5391 ...
## $ facing
                 : Factor w/ 8 levels "", "East", "North", ...: 5 2 2 3 2 8 4 7 2 6 ...
## $ BHK
                   : int 1 3 2 3 2 2 3 2 4 3 ...
## $ bathrooms
                   : int 1 3 2 3 2 2 2 2 5 2 ...
## $ parking
                   : Factor w/ 4 levels "", "Bike", "Bike and Car", ...: 2 3 4 3 3 3 4 3 3 3 ...
```

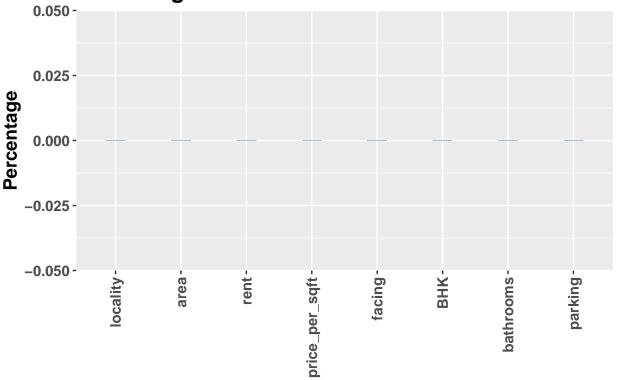
```
# Continuous columns
continuous_cols = setdiff(colnames(hData),categorical_cols)

# Plot percentage of NAs in each column of the data frame
hData_NA = setNames(stack(sapply(hData, function(x){(sum(is.na(x))/length(x))*100}))[2:1], c('Feature',
p = ggplot(data = hData_NA, aes(x = Feature, y = Value)) +
    geom_bar(stat = 'identity', fill = 'steelblue', width = 0.3) +
    theme(text = element_text(size = 14, face = 'bold'),
    axis.text.x = element_text(angle = 90, hjust = 1, vjust = 0.5)) +
    xlab('') + ylab('Percentage') +
```

Percentage of NAs across all features

ggtitle('Percentage of NAs across all features')

р

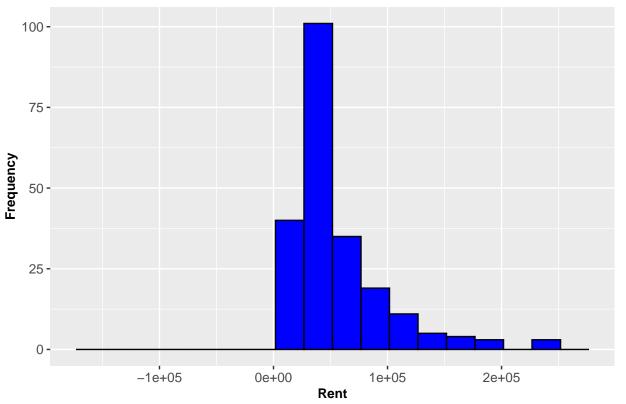


```
# Add NA as a factor level for categorical columns
hData[categorical_cols] = lapply(hData[categorical_cols],addNA)
str(hData)
```

```
## $ bathrooms : int 1 3 2 3 2 2 2 2 5 2 ...
## $ parking : Factor w/ 5 levels "", "Bike", "Bike and Car", ...: 2 3 4 3 3 3 4 3 3 3 ...

# Make a histogram of rent values
p = ggplot(data = hData) +
geom_histogram(aes(x = rent, y = after_stat(count)), breaks = seq(mean(hData$rent)-4*sd(hData$rent), albs(x = 'Rent', y = 'Frequency') +
theme(axis.text = element_text(size = 8),
axis.text.x = element_text(size = 10),
axis.text.y = element_text(size = 10),
axis.title = element_text(size = 10, face = "bold")) +
ggtitle('Histogram of house rents')
p
```

Histogram of house rents



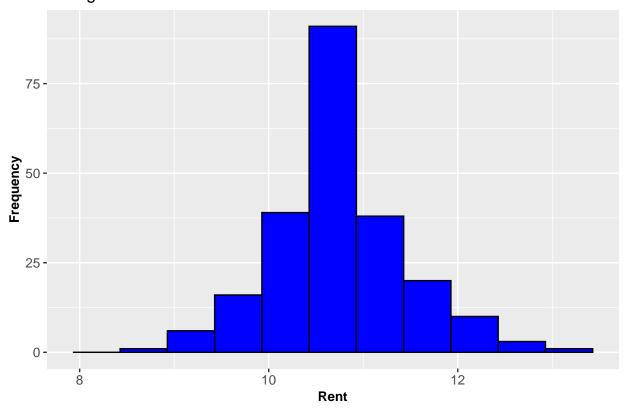
Build a linear model to predict price per square feet as a function of rent. How accurate is the mode
model = lm(data = hData,price_per_sqft ~ rent)
summary(model)

```
##
## Call:
## lm(formula = price_per_sqft ~ rent, data = hData)
##
## Residuals:
## Min    1Q Median   3Q Max
## -6415.5 -1116.9 -340.6 1193.6 5270.1
```

```
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 4.591e+03 1.960e+02
                                     23.42
                                             <2e-16 ***
## rent
              3.844e-02 2.305e-03
                                     16.68
                                             <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 2026 on 223 degrees of freedom
## Multiple R-squared: 0.5551, Adjusted R-squared: 0.5531
## F-statistic: 278.2 on 1 and 223 DF, p-value: < 2.2e-16
# Make a histogram of log-transform
hData['logrent'] = log(hData['rent'])
p = ggplot(data = hData) +
  geom_histogram(aes(x = logrent, y = after_stat(count)), breaks = seq(mean(hData$logrent)-4*sd(hData$l
  labs(x = 'Rent', y = 'Frequency') +
  theme(axis.text = element_text(size = 8),
   axis.text.x = element_text(size = 10),
   axis.text.y = element_text(size = 10),
   axis.title = element_text(size = 10, face = "bold")) +
  ggtitle('Histogram of house rents')
p
```

Histogram of house rents

##



```
# Build a linear model to predict price per square feet as a function of logrent. Did log-transforming
model = lm(data = hData,price_per_sqft ~ logrent)
summary(model)
##
## lm(formula = price_per_sqft ~ logrent, data = hData)
## Residuals:
##
       Min
                1Q Median
                                3Q
                                      Max
## -7406.1 -966.0 -325.3
                            968.0 5970.3
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) -31058.9
                           1752.8 -17.72
                                            <2e-16 ***
                 3535.5
                            162.6
                                     21.74
                                            <2e-16 ***
## logrent
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 1720 on 223 degrees of freedom
## Multiple R-squared: 0.6794, Adjusted R-squared: 0.6779
## F-statistic: 472.5 on 1 and 223 DF, p-value: < 2.2e-16
print('accuracy increases')
## [1] "accuracy increases"
# Build a linear model to predict log of price per square feet as a function of logrent. Did log-transf
hData['logprice per sqft'] = log(hData['price per sqft'])
model = lm(data = hData,logprice_per_sqft ~ logrent)
summary(model)
##
## lm(formula = logprice_per_sqft ~ logrent, data = hData)
##
## Residuals:
                  1Q
                      Median
                                    3Q
## -1.21981 -0.12244 -0.00241 0.17319 0.56131
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 3.49328
                          0.24805
                                     14.08
                                            <2e-16 ***
## logrent
               0.48973
                           0.02302
                                     21.28
                                            <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 0.2434 on 223 degrees of freedom
## Multiple R-squared:
                        0.67, Adjusted R-squared: 0.6685
## F-statistic: 452.7 on 1 and 223 DF, p-value: < 2.2e-16
```

```
#accuracy decreases but barely
```

```
# Build a linear model to predict sqrt of price per square feet as a function of logrent. Did sqrt-tran
hData['sqrtprice_per_sqft'] = sqrt(hData['price_per_sqft'])
model = lm(data = hData,sqrtprice_per_sqft ~ logrent)
summary(model)
##
## lm(formula = sqrtprice_per_sqft ~ logrent, data = hData)
##
## Residuals:
##
      Min
               1Q Median
                               3Q
                                      Max
## -46.536 -5.489 -1.030
                            6.830 24.025
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
##
## (Intercept) -137.769
                            9.882 -13.94
                                            <2e-16 ***
## logrent
                20.401
                            0.917
                                    22.25
                                            <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
## Residual standard error: 9.696 on 223 degrees of freedom
## Multiple R-squared: 0.6894, Adjusted R-squared: 0.688
## F-statistic: 494.9 on 1 and 223 DF, p-value: < 2.2e-16
# Build a linear model to predict price per sqft as a function of area and rent. Did adding area as an
model = lm(data = hData, price_per_sqft ~ area + rent )
summary(model)
##
## Call:
## lm(formula = price_per_sqft ~ area + rent, data = hData)
##
## Residuals:
      Min
               1Q Median
                               3Q
                                      Max
## -7500.7 -751.5 -221.9
                            849.9 6367.8
##
## Coefficients:
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 6.455e+03 2.164e+02
                                      29.82
                                              <2e-16 ***
              -2.521e+00 2.079e-01 -12.13
                                              <2e-16 ***
## rent
               6.653e-02 2.928e-03
                                      22.72
                                              <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 1575 on 222 degrees of freedom
## Multiple R-squared: 0.7324, Adjusted R-squared:
## F-statistic: 303.8 on 2 and 222 DF, p-value: < 2.2e-16
```

```
#the coefficents for rent and area mean that for unint increase in rent or area keeping everying else c #the model is more accurate comapred to only rent as a predictor
```

```
# Build a linear model to predict sqrt of price per sqft as a function of area and logrent. Did adding
model = lm(data = hData,sqrtprice_per_sqft ~ area + logrent)
summary(model)
##
## Call:
## lm(formula = sqrtprice_per_sqft ~ area + logrent, data = hData)
## Residuals:
                1Q Median
       Min
                               3Q
                                       Max
## -10.297 -4.238 -1.777
                            3.361 17.935
##
## Coefficients:
                 Estimate Std. Error t value Pr(>|t|)
## (Intercept) -2.382e+02 8.414e+00 -28.31
                                              <2e-16 ***
              -1.307e-02 7.243e-04 -18.04
                                              <2e-16 ***
## logrent
               3.147e+01 8.482e-01
                                      37.11
                                              <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 6.189 on 222 degrees of freedom
## Multiple R-squared: 0.874, Adjusted R-squared: 0.8729
## F-statistic: 770.2 on 2 and 222 DF, p-value: < 2.2e-16
#the model is more accurate
# Build a linear model to predict sqrt of price per sqft as a function of logarea and logrent. Did log-
hData['logarea'] = log(hData['area'])
model = lm(data = hData,sqrtprice_per_sqft ~ logarea + logrent )
summary(model)
##
## Call:
## lm(formula = sqrtprice_per_sqft ~ logarea + logrent, data = hData)
## Residuals:
##
       Min
                1Q Median
                                3Q
## -2.8882 -1.4545 -0.9082 0.7440 19.6434
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -73.5869
                            2.8088 -26.20
                                            <2e-16 ***
               -38.4642
                            0.6911
                                   -55.66
                                             <2e-16 ***
## logarea
                                            <2e-16 ***
## logrent
                40.0275
                            0.4252
                                    94.13
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
## Residual standard error: 2.513 on 222 degrees of freedom
## Multiple R-squared: 0.9792, Adjusted R-squared: 0.979
## F-statistic: 5233 on 2 and 222 DF, p-value: < 2.2e-16
```

```
#the model is the most accurate among the rest
# Build a linear model to predict price per sqft as a function of area, rent, and parking (compared to
model = lm(data = hData,price_per_sqft ~ area + rent + parking )
summary(model)
##
## Call:
## lm(formula = price_per_sqft ~ area + rent + parking, data = hData)
## Residuals:
      Min
##
                1Q Median
                                3Q
                                       Max
## -7465.5 -752.6 -208.9
                            842.4 6565.3
##
## Coefficients:
                        Estimate Std. Error t value Pr(>|t|)
##
## (Intercept)
                       6.133e+03 6.251e+02
                                             9.810
                                                      <2e-16 ***
## area
                      -2.453e+00 2.170e-01 -11.301
                                                      <2e-16 ***
## rent
                       6.578e-02 3.008e-03 21.867
                                                      <2e-16 ***
## parkingBike
                      -2.724e+02 7.223e+02 -0.377
                                                       0.706
                                                       0.654
## parkingBike and Car 2.595e+02 5.780e+02 0.449
## parkingCar
                       6.139e+02 6.305e+02 0.974
                                                       0.331
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
##
## Residual standard error: 1575 on 219 degrees of freedom
## Multiple R-squared: 0.736, Adjusted R-squared:
## F-statistic: 122.1 on 5 and 219 DF, p-value: < 2.2e-16
#the model is just as accurate even after adding parking
# Build a linear model to predict sqrt of price per sqft as a function of logarea, logrent, and localit
model = lm(data = hData,sqrtprice_per_sqft ~ logarea + logrent + locality )
summary(model)
##
## Call:
## lm(formula = sqrtprice_per_sqft ~ logarea + logrent + locality,
##
      data = hData)
##
## Residuals:
##
      Min
               1Q Median
                                3Q
                                      Max
## -4.5577 -1.1073 -0.2527 0.4398 16.6760
##
## Coefficients:
##
                           Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                          -70.01549
                                       2.95936 -23.659 < 2e-16 ***
                                       0.74724 -50.451 < 2e-16 ***
## logarea
                          -37.69954
## logrent
                           39.35270
                                       0.56700 69.405 < 2e-16 ***
```

0.71814 -4.076 6.47e-05 ***

0.67493 -4.111 5.61e-05 ***

0.80139 -1.465 0.14449

-2.92678

-1.17372

localityBTM Layout

localityIndiranagar

localityElectronic City -2.77473

```
## localityJayanagar
                           0.02791
                                      0.87628
                                               0.032 0.97462
                                      0.67817 -4.898 1.90e-06 ***
## localityK R Puram
                           -3.32188
                                      0.83368 -1.163 0.24606
## localityMalleshwaram
                          -0.96970
## localityMarathahalli
                           -3.09626
                                      0.67094 -4.615 6.78e-06 ***
## localityYalahanka
                           -1.84366
                                      0.66641 -2.767 0.00616 **
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 2.238 on 214 degrees of freedom
## Multiple R-squared: 0.9841, Adjusted R-squared: 0.9834
## F-statistic: 1326 on 10 and 214 DF, p-value: < 2.2e-16
#the model is slightly more accuarate than just using logrent and logarea
# Build a linear model to predict price per sqft as a function of area, rent, and parking. How many lev
model = lm(data = hData,price_per_sqft ~ area + rent + parking )
summary(model)
##
## Call:
## lm(formula = price_per_sqft ~ area + rent + parking, data = hData)
## Residuals:
##
               1Q Median
                               ЗQ
      Min
## -7465.5 -752.6 -208.9
                            842.4 6565.3
## Coefficients:
                        Estimate Std. Error t value Pr(>|t|)
##
                       6.133e+03 6.251e+02 9.810 <2e-16 ***
## (Intercept)
                      -2.453e+00 2.170e-01 -11.301
## area
                                                     <2e-16 ***
## rent
                       6.578e-02 3.008e-03 21.867
                                                    <2e-16 ***
## parkingBike
                      -2.724e+02 7.223e+02 -0.377
                                                      0.706
## parkingBike and Car 2.595e+02 5.780e+02 0.449
                                                      0.654
                                            0.974
## parkingCar
                       6.139e+02 6.305e+02
                                                      0.331
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 1575 on 219 degrees of freedom
## Multiple R-squared: 0.736, Adjusted R-squared:
## F-statistic: 122.1 on 5 and 219 DF, p-value: < 2.2e-16
#there are 3 levels
#since the ep values are not close to 0 it might indicate non linear relationship
# Create new columns corresponding to scaled versions of the continuous columns
hData[paste0('scaled_', continuous_cols)] = lapply(hData[continuous_cols], scale)
str(hData)
## 'data.frame':
                   225 obs. of 17 variables:
## $ locality
                          : Factor w/ 10 levels "Attibele", "BTM Layout", ...: 2 2 2 2 2 2 2 2 2 ...
                          : num 565 1837 1280 2220 1113 ...
## $ area
                          : num 20060 97434 54448 117000 34388 ...
## $ rent
```

```
## $ price_per_sqft
                          : num 6195 9254 7422 9234 5391 ...
## $ facing
                          : Factor w/ 9 levels "", "East", "North", ...: 5 2 2 3 2 8 4 7 2 6 ...
## $ BHK
                          : int 1 3 2 3 2 2 3 2 4 3 ...
                          : int 1 3 2 3 2 2 2 2 5 2 ...
## $ bathrooms
## $ parking
                          : Factor w/ 5 levels "", "Bike", "Bike and Car", ...: 2 3 4 3 3 3 4 3 3 3 ...
## $ logrent
                         : num 9.91 11.49 10.91 11.67 10.45 ...
## $ logprice_per_sqft : num 8.73 9.13 8.91 9.13 8.59 ...
## $ sqrtprice_per_sqft : num 78.7 96.2 86.2 96.1 73.4 ...
## $ logarea
                          : num 6.34 7.52 7.15 7.71 7.01 ...
## $ scaled_area
                          : num [1:225, 1] -1.041 0.496 -0.177 0.959 -0.379 ...
    ..- attr(*, "scaled:center")= num 1426
    ..- attr(*, "scaled:scale")= num 827
## $ scaled rent
                          : num [1:225, 1] -0.708 0.609 -0.123 0.942 -0.464 ...
   ..- attr(*, "scaled:center")= num 61652
##
    ..- attr(*, "scaled:scale")= num 58729
##
   $ scaled_price_per_sqft: num [1:225, 1] -0.253 0.757 0.152 0.75 -0.518 ...
##
   ..- attr(*, "scaled:center")= num 6961
    ..- attr(*, "scaled:scale")= num 3030
##
                          : num [1:225, 1] -1.993 0.741 -0.626 0.741 -0.626 ...
## $ scaled BHK
    ..- attr(*, "scaled:center")= num 2.46
##
    ..- attr(*, "scaled:scale")= num 0.731
## $ scaled bathrooms
                          : num [1:225, 1] -0.686 0.209 -0.239 0.209 -0.239 ...
    ..- attr(*, "scaled:center")= num 2.53
##
    ..- attr(*, "scaled:scale")= num 2.23
# Build a linear model to predict scaled price per sqft as a function of scaled area and scaled rent. C
model_scaled = lm(data = hData, scaled_price_per_sqft ~ scaled_area + scaled_rent)
summary(model scaled)
##
## Call:
## lm(formula = scaled_price_per_sqft ~ scaled_area + scaled_rent,
##
      data = hData)
## Residuals:
                 1Q
                     Median
                                           Max
                                   30
## -2.47520 -0.24798 -0.07323 0.28045 2.10132
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) 1.421e-16 3.464e-02
                                       0.00
## scaled_area -6.882e-01 5.674e-02 -12.13
                                              <2e-16 ***
## scaled_rent 1.289e+00 5.674e-02
                                     22.72
                                             <2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.5196 on 222 degrees of freedom
## Multiple R-squared: 0.7324, Adjusted R-squared:
## F-statistic: 303.8 on 2 and 222 DF, p-value: < 2.2e-16
```

```
# Rebuild a linear model to predict sqrt of price per sqft as a function of logarea, logrent, and local
model = lm(data = hData, sqrt(price_per_sqft) ~ logarea + logrent + locality)
summary(model)
##
## lm(formula = sqrt(price_per_sqft) ~ logarea + logrent + locality,
##
      data = hData)
##
## Residuals:
##
      Min
               1Q Median
## -4.5577 -1.1073 -0.2527 0.4398 16.6760
##
## Coefficients:
##
                           Estimate Std. Error t value Pr(>|t|)
                                      2.95936 -23.659 < 2e-16 ***
## (Intercept)
                          -70.01549
## logarea
                          -37.69954
                                      0.74724 -50.451 < 2e-16 ***
                                      0.56700 69.405 < 2e-16 ***
## logrent
                           39.35270
## localityBTM Layout
                           -2.92678
                                      0.71814 -4.076 6.47e-05 ***
## localityElectronic City -2.77473 0.67493 -4.111 5.61e-05 ***
## localityIndiranagar -1.17372 0.80139 -1.465 0.14449
                          0.02791 0.87628 0.032 0.97462
## localityJayanagar
                          -3.32188 0.67817 -4.898 1.90e-06 ***
## localityK R Puram
## localityMalleshwaram -0.96970 0.83368 -1.163 0.24606
## localityMarathahalli
                          -3.09626
                                      0.67094 -4.615 6.78e-06 ***
## localityYalahanka
                                      0.66641 -2.767 0.00616 **
                           -1.84366
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 2.238 on 214 degrees of freedom
## Multiple R-squared: 0.9841, Adjusted R-squared: 0.9834
## F-statistic: 1326 on 10 and 214 DF, p-value: < 2.2e-16
# Split data into train (80%) and test (20%) sets and evaluate model performance on train and test sets
set.seed(123)
ind = sample(nrow(hData), size = floor(0.8*nrow(hData)), replace = FALSE)
hData_train = hData[ind, ]
hData test = hData[-ind, ]
# Calculate RMSE (root-mean-squared-error) on train data
train_error = sqrt(mean((hData_train$price_per_sqft - predict(model, hData_train))^2))
# Calculate RMSE (root-mean-squared-error) on test data
test_error = sqrt(mean((hData_test$price_per_sqft - predict(model, hData_test))^2))
print(train_error)
## [1] 7531.232
print(test error)
```

[1] 7412.905

#there isnt overfitting both the train and test modelperfom close to the same