

EXPERIMENT NO. 03

AIM: To implement midpoint circle generation algorithm circle algorithm for drawing a circle of given center (x, y) and radius r.

SOFTWARE REQUIRED: TurboC.

THEORY:

The Midpoint circle drawing algorithm considers the eight way symmetry of the circle to generate it. To achieve best approximation to the true circle we have to select these pixels in the Raster that fall the least distance from the true circle. Let us assume point P as a last Scan converted pixel. Now, we have two options either to choose pixel A or pixel B.

The distance of pixels A and B from the origin are,

$$DA = \sqrt{(X_{i+1})^2 + (Y_i)^2}$$

$$DB = \sqrt{(X_{i+1})^2 + (Y_{i-1})^2}$$

$$\delta A = DA - r \quad \delta B = DB - r.$$

For more efficient δA and δB are defined as

$$\delta A = DA^2 - r^2$$

$$\delta B = DB^2 - r^2$$

From fig(b) we notice that δA is always the positive & δB is always negative.

Thus δ_i can be defined as following $\delta_i = \delta A + \delta B$

we can say that if $\delta_i < 0$, i.e. $\delta A < \delta B$ then only x is incremented, otherwise x is incremented in positive direction & y is incremented in negative direction i.e.

For $\delta_i < 0$, $X_{i+1} = X_i + 1$ and

For $\delta_i \geq 0$, $X_{i+1} = X_i + 1$ and $Y_{i+1} = Y_i - 1$

The equation for δ_i at starting point can be simplified as

$$\begin{aligned} \delta_i = \delta A + \delta B &= (X_i + 1)^2 + (Y_i)^2 - r^2 + (X_i + 1)^2 + (Y_i - 1)^2 - r^2 \\ &= (0 + 1)^2 + (r)^2 - r^2 + (0 + 1)^2 + (r - 1)^2 - r^2 = 3 - 2r \end{aligned}$$

Similarly, the equation for δ_{i+1} for both the options are given as

For $\delta < 0$, $d = d + 4x + 6$ and

For $\delta \geq 0$, $d = d + 4(x + y) + 10$

ALGORITHM:

1. Read radius and centre of circle
2. Initially current x=0 current y=radius
3. Initialize decision variable

$$d = 3 - 2r$$

4. Draw circle.

5. If $d < 0$

Then $d = d + 4(\text{current } x) + 6$

Else

$d = d + 4(\text{current } x - y) + 10$

$(\text{current } y) = (\text{current } y) - 1$

end if

6. Calculate $(\text{current } x) < (\text{current } y)$

Go to step 4

Else

Go to step 8

7. Draw circle

8. Stop.

Draw cir ()

Putpixel $(x + xc, y + yc)$

Putpixel $(y + xc, x + yc)$

Putpixel $(-x + xc, y + yc)$

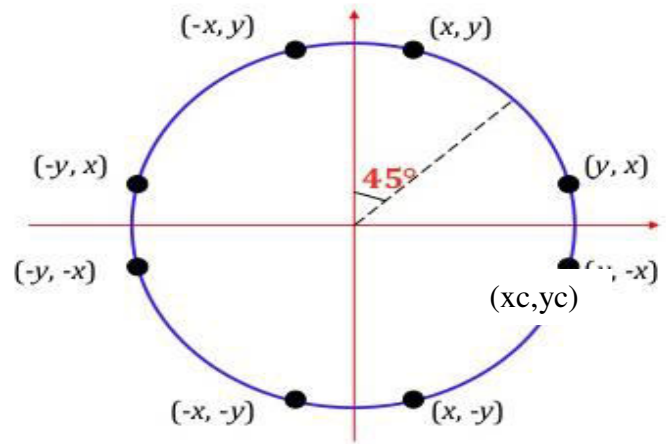
Putpixel $(x + xc, -y + yc)$

Putpixel $(x + xc, -x + yc)$

Putpixel $(-x + xc, -y + yc)$

Putpixel $(-y + xc, -x + yc)$

Return



CONCLUSION: Thus successfully Implemented the Midpoint Circle drawing algorithm which is able to find a path through the pixel grid using pixels which are as close as possible to solutions of $x^2 + y^2 = r^2$

SIGN

GRADE

DATE