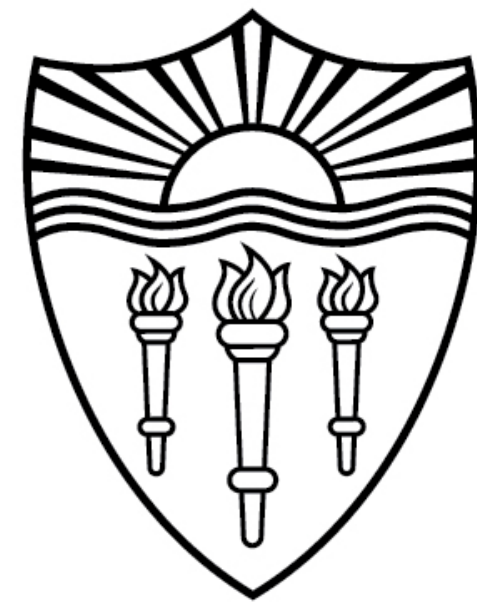


CSCI 544: Applied Natural Language Processing

Constituency Parsing

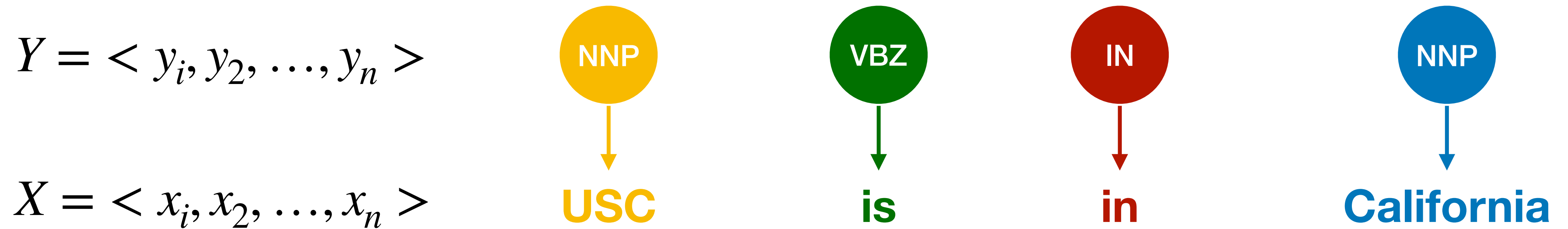
Xuezhe Ma (Max)



USC University of
Southern California

Recap: Sequence Labeling

A type of structured prediction tasks



Assigning each token of X , e.g. x_i a corresponding label y_i

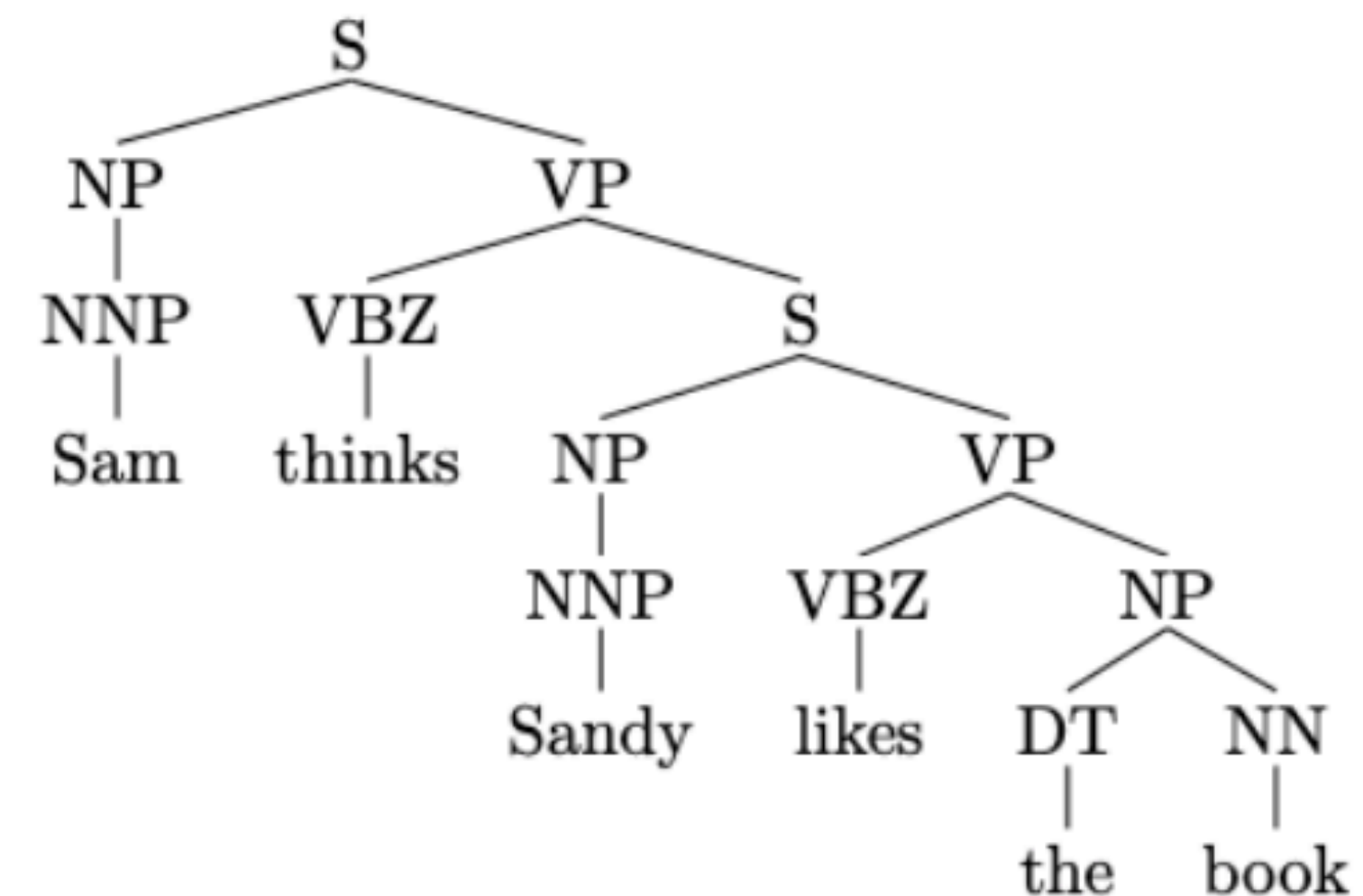
Syntactic Structure: Constituency vs. Dependency

Theme: How to represent the structure of sentences using (syntax) **trees**?

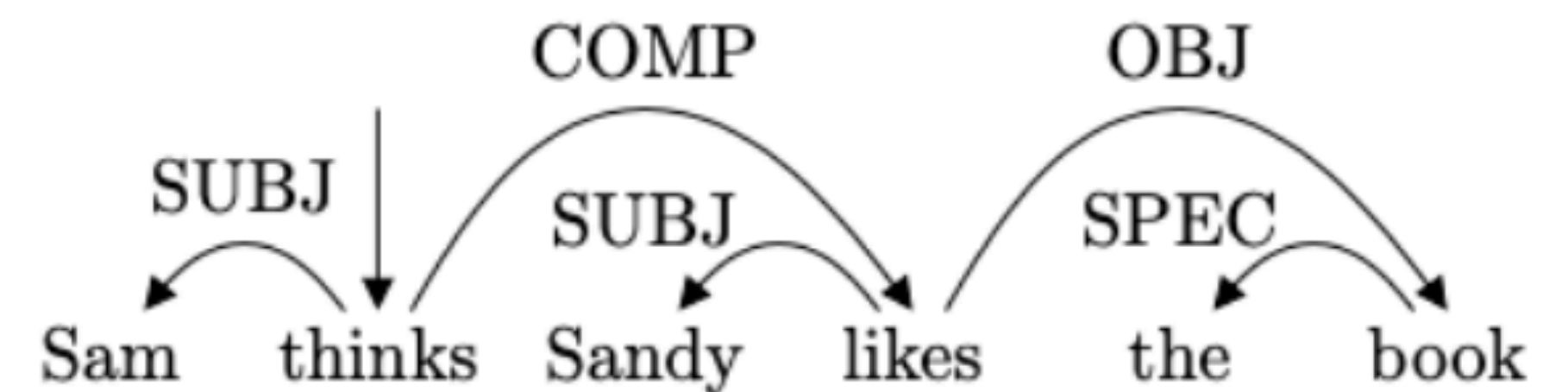
Two views of linguistic structures

- **Constituency** (this lecture)

- = phrase structure grammar
- Based on context-free grammars (CFGs)



- **Dependency** (next lecture)



Why Syntactic Structures?

I saw a girl with a telescope



Why Syntactic Structures?

Kids

Watching a
Model Train

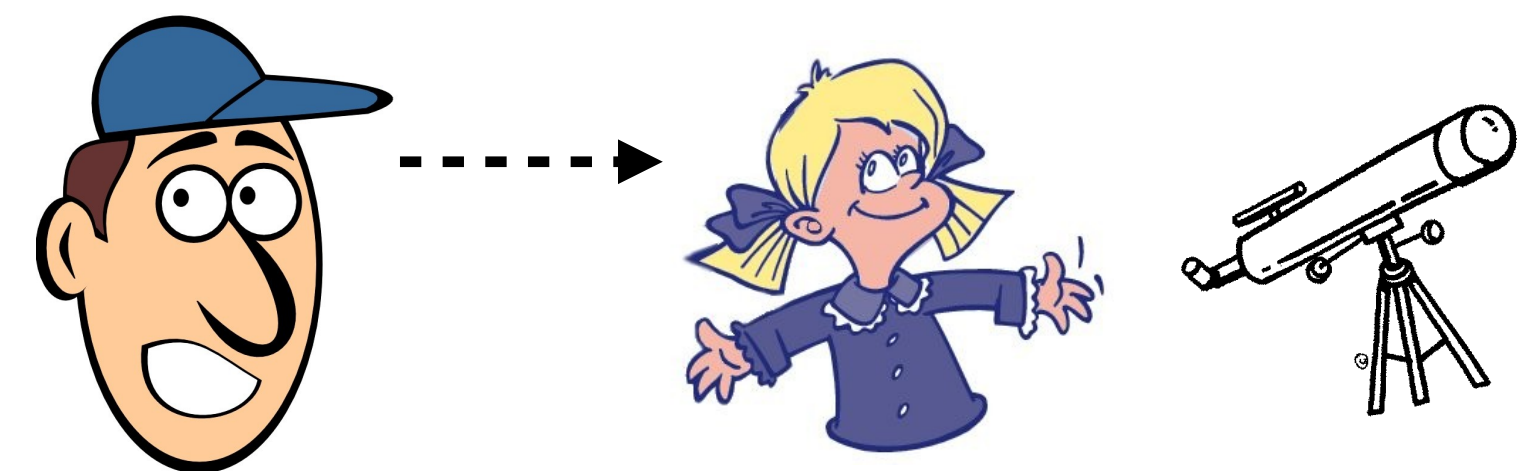
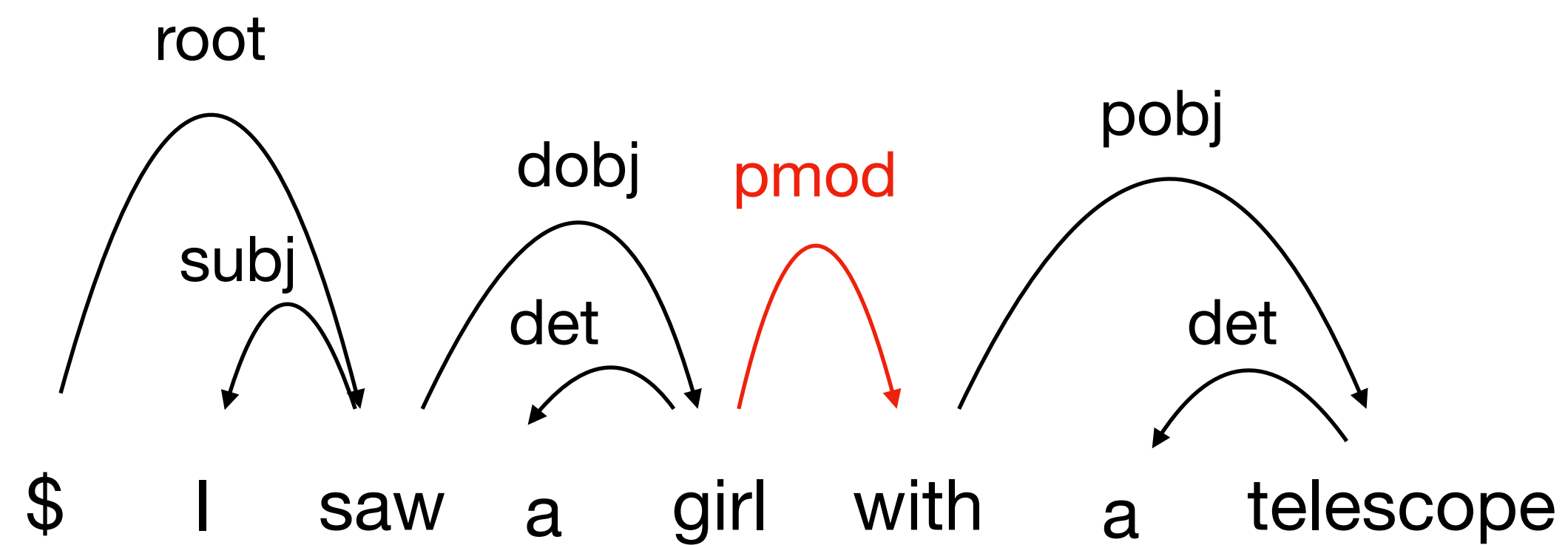
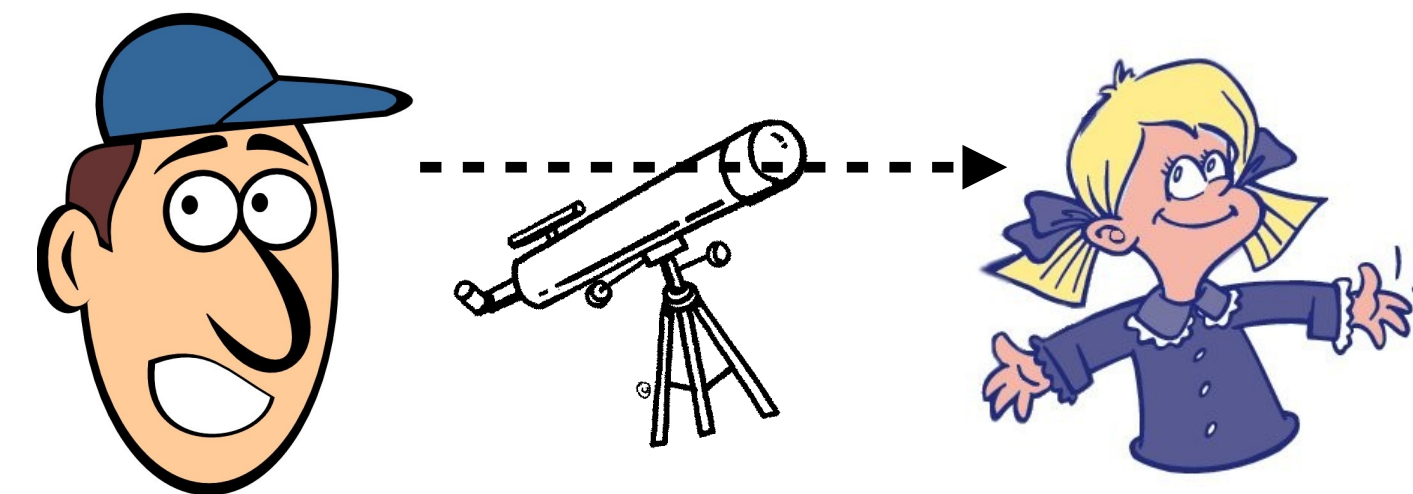
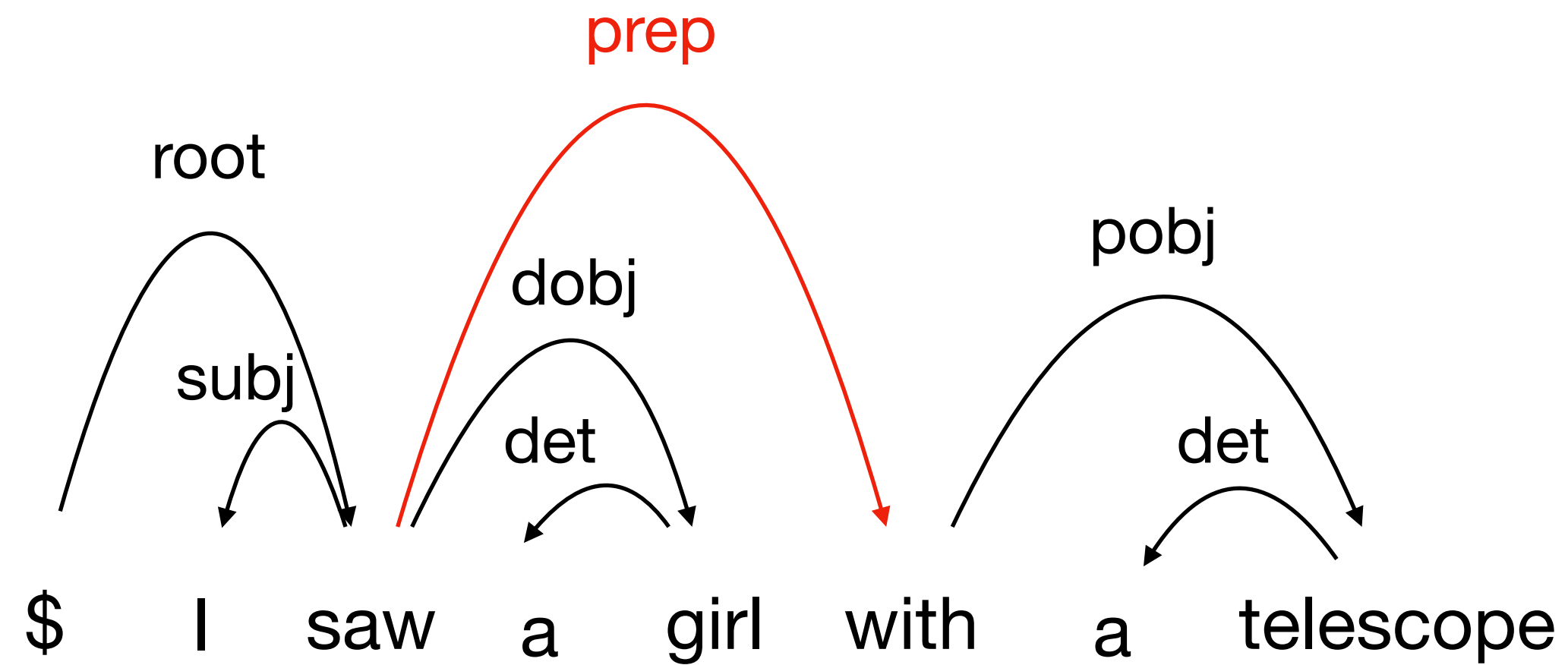


Normal People

Watching a
Model Train



Syntactic Structures Resolve Ambiguity



Limitation of Syntactic Structures

Syntax structures cannot resolve semantic ambiguities

Normal People

Software Engineers

Watching a
Model Train



Watching a
model Train



The same syntactic structures
Different semantic meaning of “*model*”

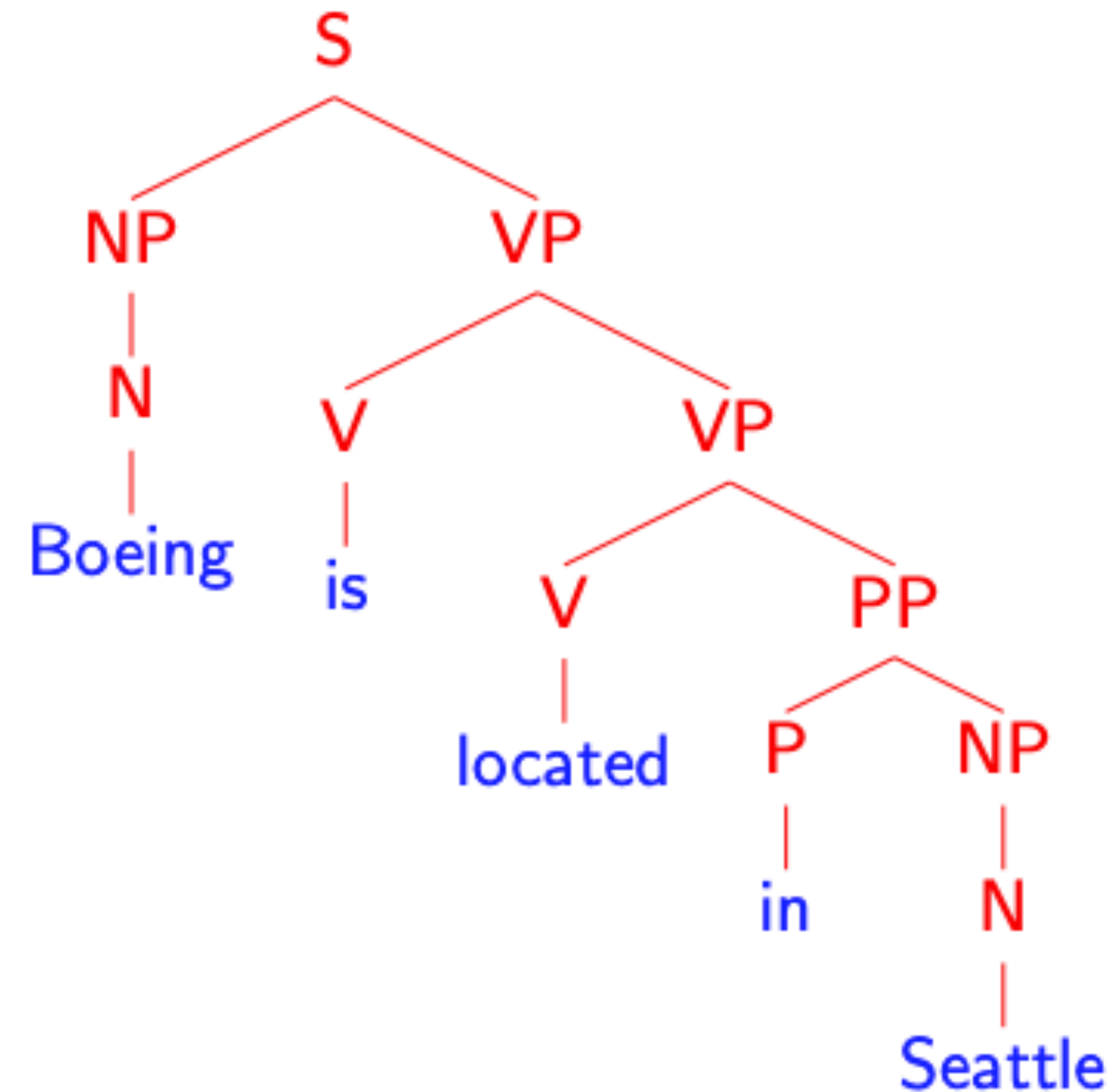
Syntactic Tree Parsing

A type of structured prediction tasks

Input X : a sentence

Boeing is located in Seattle.

Output Y : a parsing tree



Syntactic Formalisms

- Work in formal syntax goes back to Chomsky's PhD thesis in the 1950s
- Examples of current formalisms:
 - Minimalism
 - Lexical Function Grammar (LFG)
 - Head-driven Phrase-structure Grammar (HPSG)
 - Tree Adjoining Grammar (TAG)
 - Categorical Grammars
 -

Syntactic Parsing: Application

- Grammar Checking

- If a sentence cannot be parsed, it may have grammatical errors (or at least hard to read)

- Machine Translation

- ▶ English word order is *subject – verb – object*

- ▶ Japanese word order is *subject – object – verb*

English: IBM bought Lotus

Japanese: *IBM Lotus bought*

English: Sources said that IBM bought Lotus yesterday

Japanese: *Sources yesterday IBM Lotus bought that said*

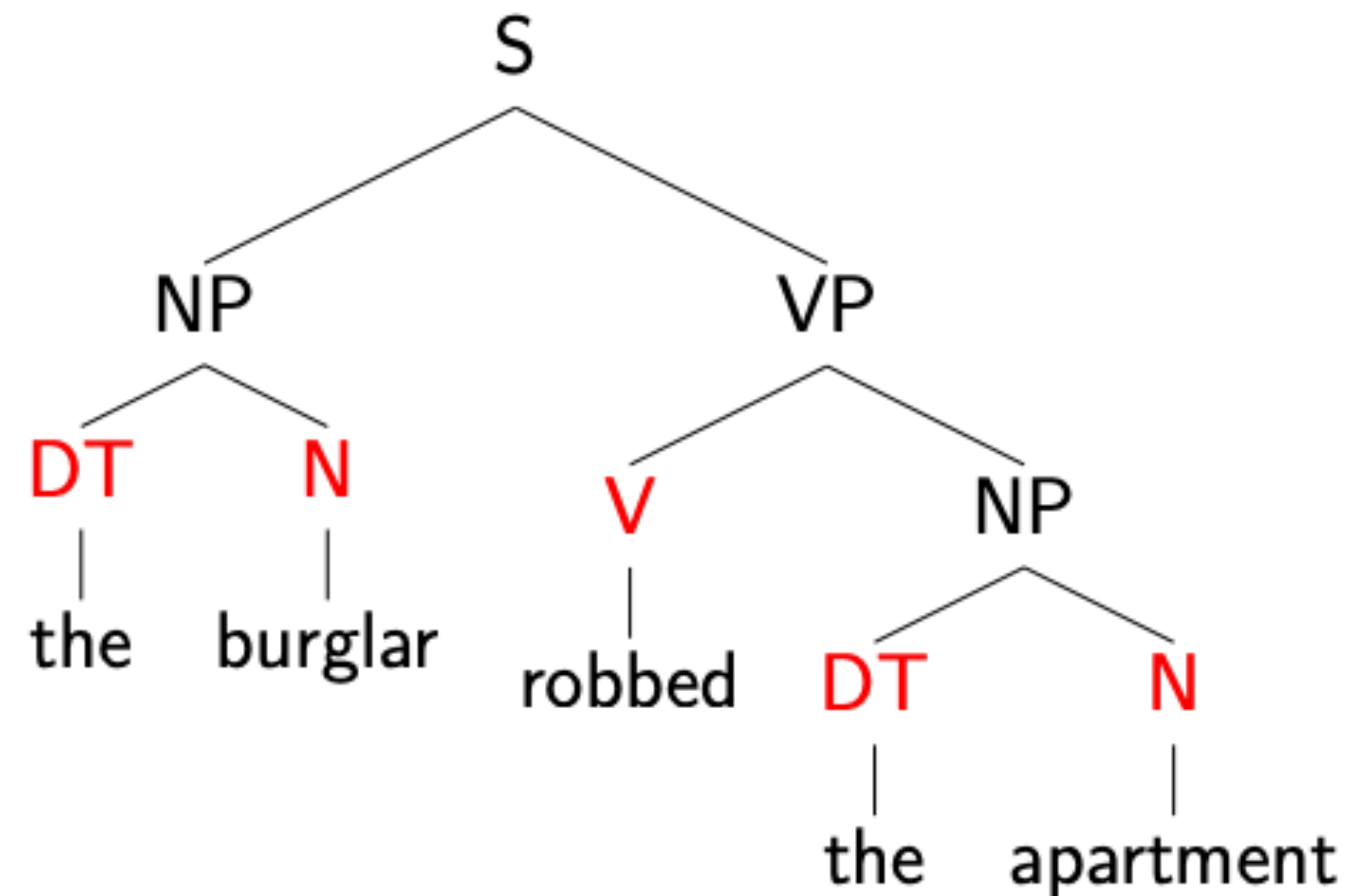
Overview

- **Constituency Parsing**
 - Constituency Structure
 - Context-free Grammar (CFG) & Probabilistic Context-free Grammar (PCFG)
 - The CKY algorithm
 - Lexicalized PCFGs
- **Dependency Parsing**
 - Dependency Structure
 - Graph-based Dependency Parsing
 - Transition-based Dependency Parsing

Constituency Parsing

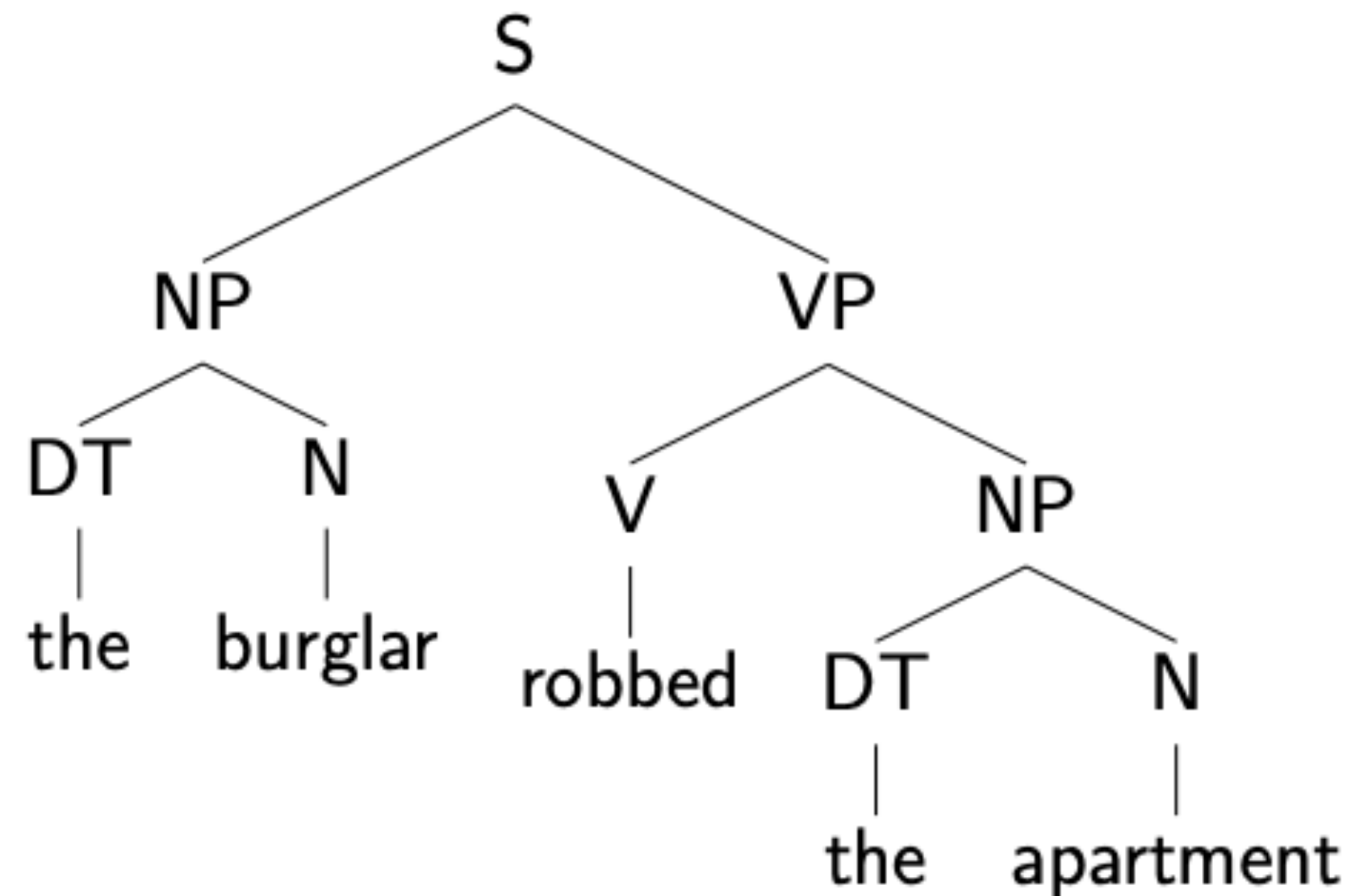
Constituency Structure

- **Starting units:** words are given a category: part-of-speech tags
 - N = noun, V = verb, DT = determiner



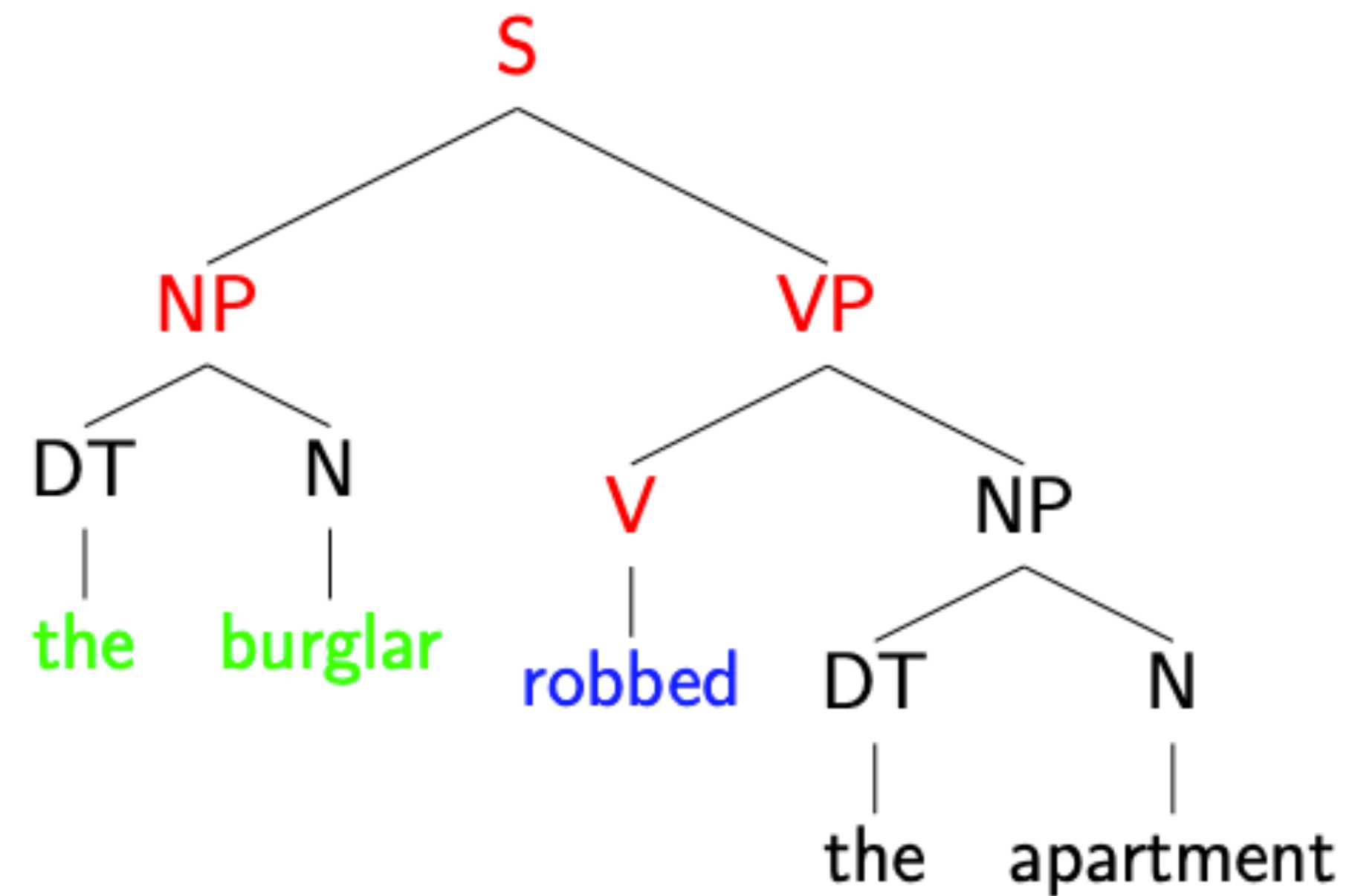
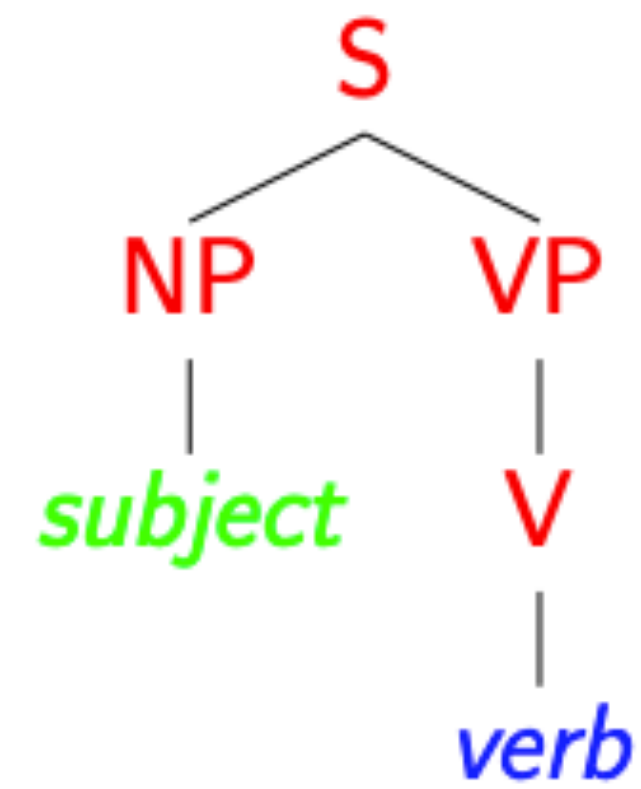
Constituency Structure

- **Starting units:** words are given a category: part-of-speech tags
 - N = noun, V = verb, DT = determiner
- **Phrases:** words combine into phrases with categories
 - NP = noun phrase, VP = verb phrase, S = sentence
 - Phrases can combine into bigger phrases recursively



Constituency Structure

- Useful Relationships

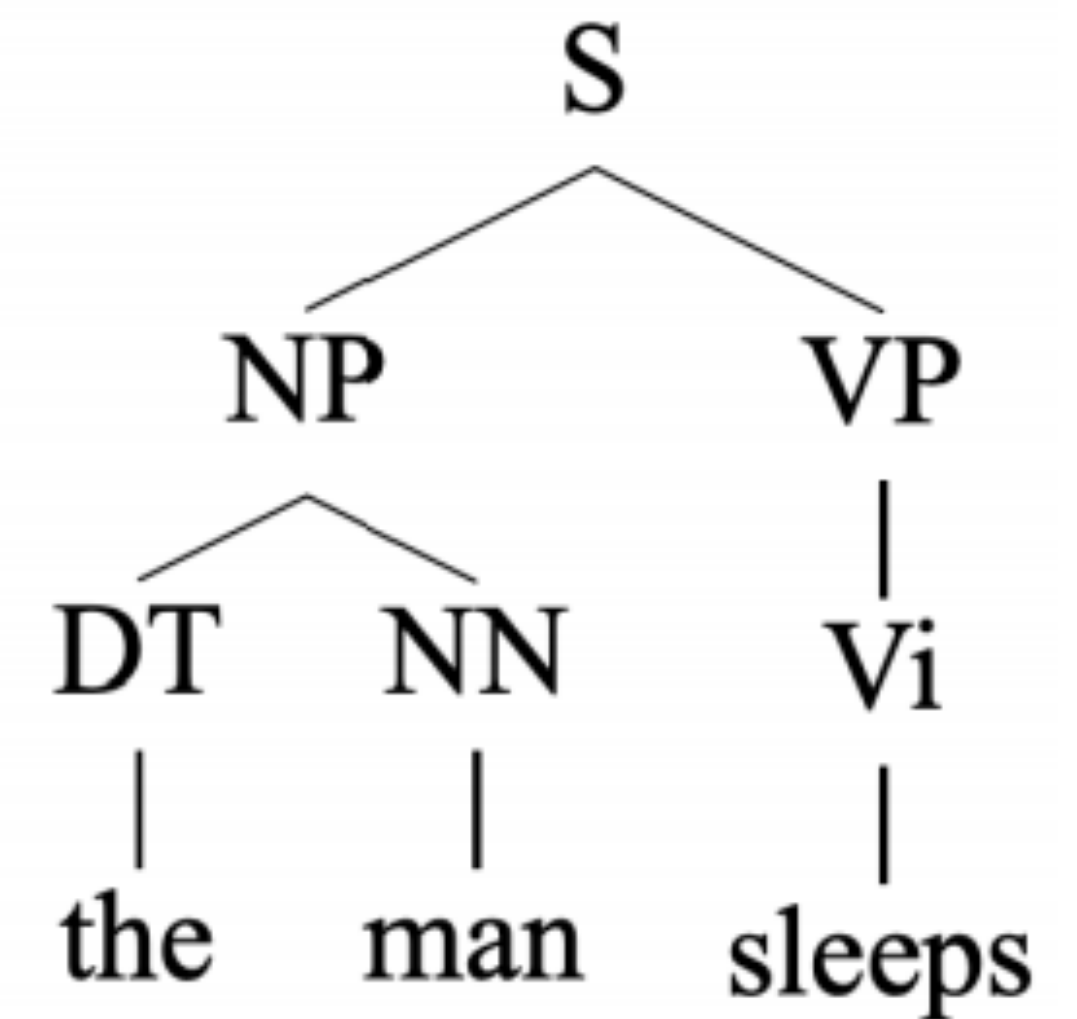


⇒ “the burglar” is the subject of “robbed”

Context-free Grammar (CFG)

Context-free Grammars (CFGs)

- The most widely used formal system for modeling constituency structure in English and other natural languages
 - Hopcroft and Ullman, 1979
- A context free grammar (CFG) $G = (N, \Sigma, R, S)$ where:
 - N is a set of non-terminal symbols
 - ◆ Phrasal categories: S, NP, VP, ...
 - ◆ Part-of-speech: DT, NN, Vi, ... (pre-terminals)
 - Σ is a set of terminal symbols: the, man, sleeps, ...
 - R is a set of rules of the form $X \rightarrow Y_1 Y_2 \dots Y_n$, for $n \geq 0$, $X \in N, Y_i \in (N \cup \Sigma)$
 - ◆ Examples: $S \rightarrow NP VP$, $NP \rightarrow DT NN$, $NN \rightarrow man$
 - $S \in N$ is a distinguished start symbol



A Context-free Grammar for English

$N = \{S, NP, VP, PP, DT, Vi, Vt, NN, IN\}$

$S = S$

$\Sigma = \{\text{sleeps, saw, man, woman, telescope, the, with, in}\}$

$R =$

S	→	NP	VP
VP	→	Vi	
VP	→	Vt	NP
VP	→	VP	PP
NP	→	DT	NN
NP	→	NP	PP
PP	→	IN	NP

Grammar

Vi	→	sleeps
Vt	→	saw
NN	→	man
NN	→	woman
NN	→	telescope
DT	→	the
IN	→	with
IN	→	in

Lexicon

Note: S=sentence, VP=verb phrase, NP=noun phrase,
PP=prepositional phrase, DT=determiner, Vi=intransitive verb,
Vt=transitive verb, NN=noun, IN=preposition

Slide credit: Michael Collins COMS W4705

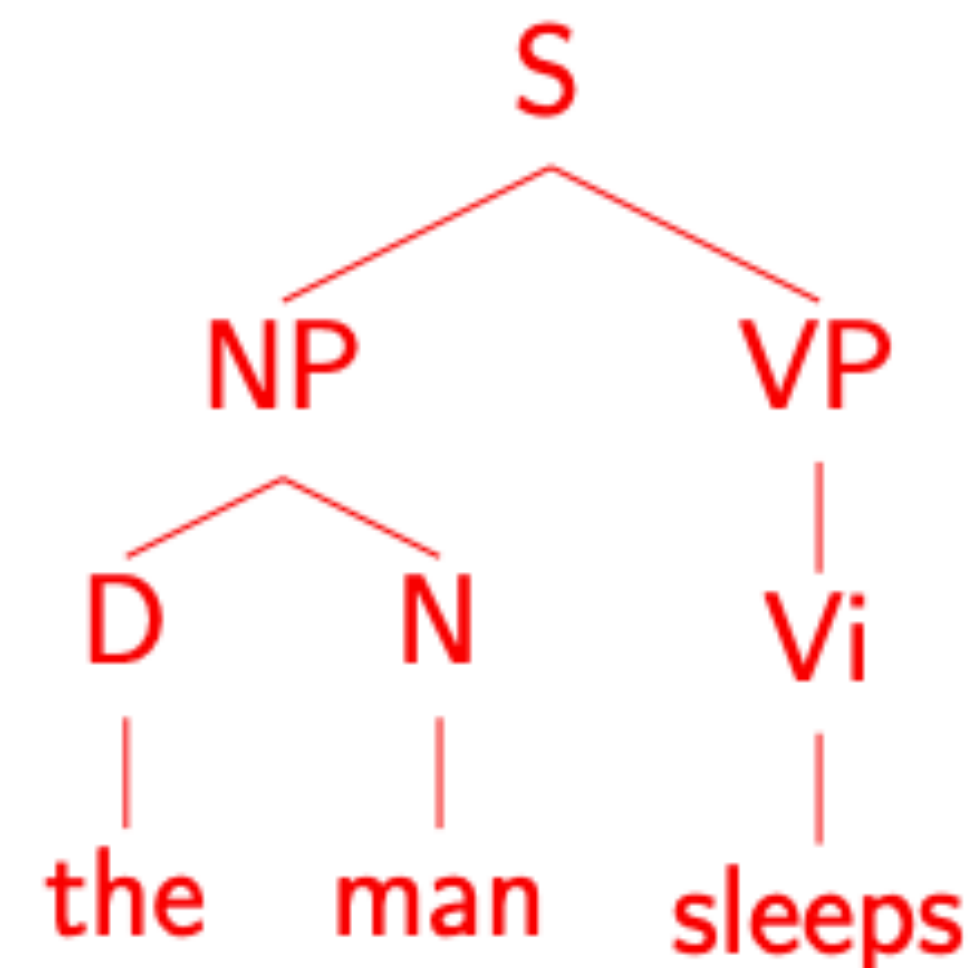
CFG: Left-Most Derivations

A left-most derivation is a sequence of strings $s_1 \dots s_n$, where

- ▶ $s_1 = S$, the start symbol
- ▶ $s_n \in \Sigma^*$, i.e. s_n is made up of terminal symbols only
- ▶ Each s_i for $i = 2 \dots n$ is derived from s_{i-1} by picking the left-most non-terminal X in s_{i-1} and replacing it by some β where $X \rightarrow \beta$ is a rule in R

For example: $[S]$, $[NP \ VP]$, $[D \ N \ VP]$, $[the \ N \ VP]$, $[the \ man \ VP]$, $[the \ man \ Vi]$, $[the \ man \ sleeps]$

Representation of a derivation as a tree:



CFG: An Example

DERIVATION

S

RULES USED

CFG: An Example

DERIVATION

S

NP VP

RULES USED

$S \rightarrow NP VP$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

RULES USED

$S \rightarrow NP VP$

$NP \rightarrow DT N$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

the N VP

RULES USED

$S \rightarrow NP VP$

$NP \rightarrow DT N$

$DT \rightarrow \text{the}$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

the N VP

the dog VP

RULES USED

$S \rightarrow NP VP$

$NP \rightarrow DT N$

$DT \rightarrow \text{the}$

$N \rightarrow \text{dog}$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

the N VP

the dog VP

the dog VB

RULES USED

$S \rightarrow NP VP$

$NP \rightarrow DT N$

$DT \rightarrow \text{the}$

$N \rightarrow \text{dog}$

$VP \rightarrow VB$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

the N VP

the dog VP

the dog VB

the dog laughs

RULES USED

$S \rightarrow NP VP$

$NP \rightarrow DT N$

$DT \rightarrow \text{the}$

$N \rightarrow \text{dog}$

$VP \rightarrow VB$

$VB \rightarrow \text{laughs}$

CFG: An Example

DERIVATION

S

NP VP

DT N VP

the N VP

the dog VP

the dog VB

the dog laughs

RULES USED

$S \rightarrow NP VP$

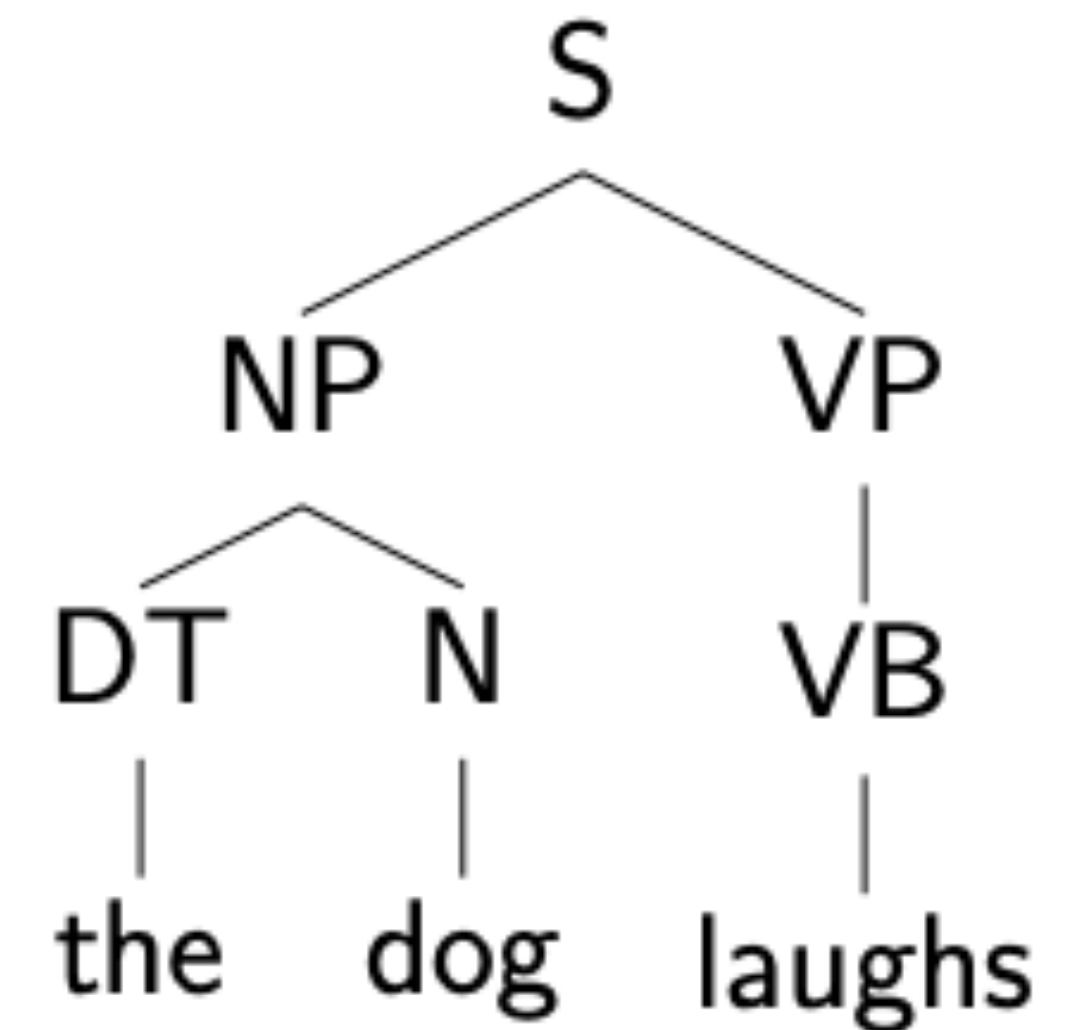
$NP \rightarrow DT N$

$DT \rightarrow \text{the}$

$N \rightarrow \text{dog}$

$VP \rightarrow VB$

$VB \rightarrow \text{laughs}$



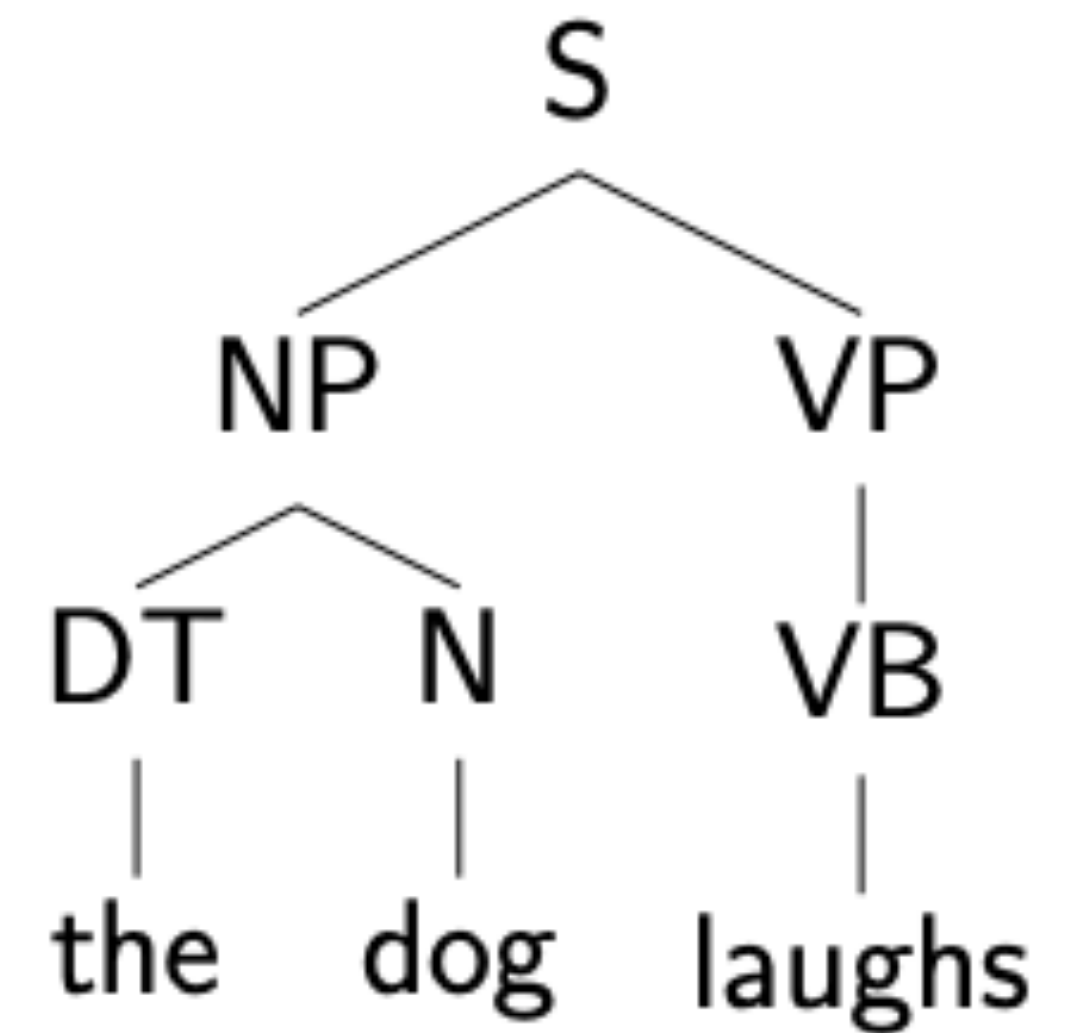
A derivation can be represented
as a constituency tree

Properties of CFGs

- ▶ A CFG defines a set of possible derivations
- ▶ A string $s \in \Sigma^*$ is in the *language* defined by the CFG if there is at least one derivation that yields s
- ▶ Each string in the language generated by the CFG may have more than one derivation (“ambiguity”)

A derivation -> a sentence

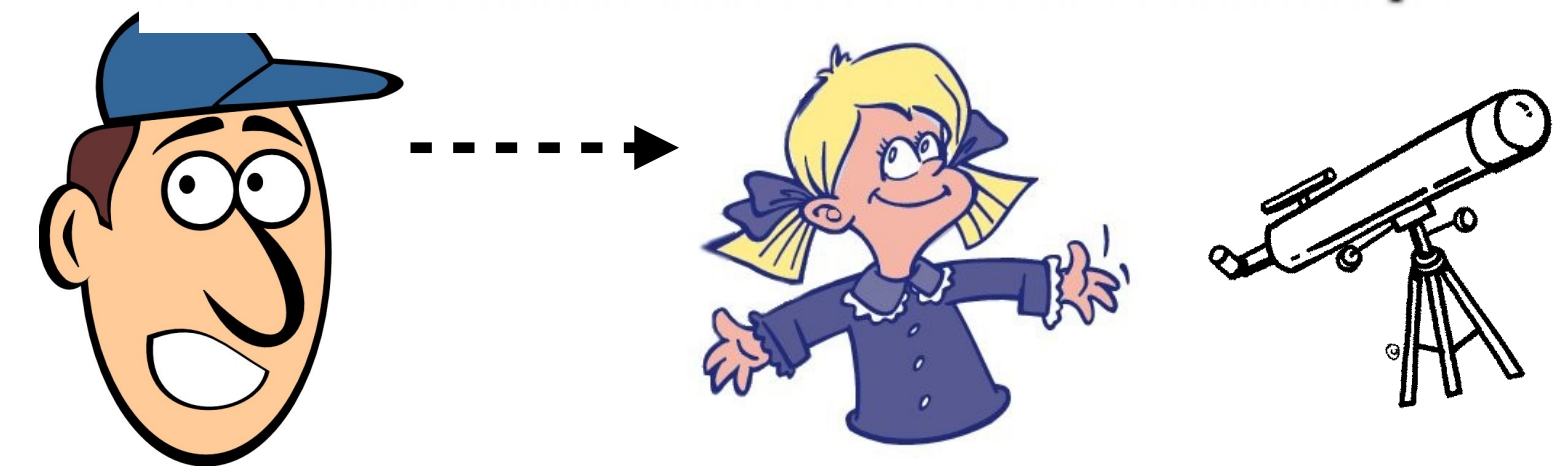
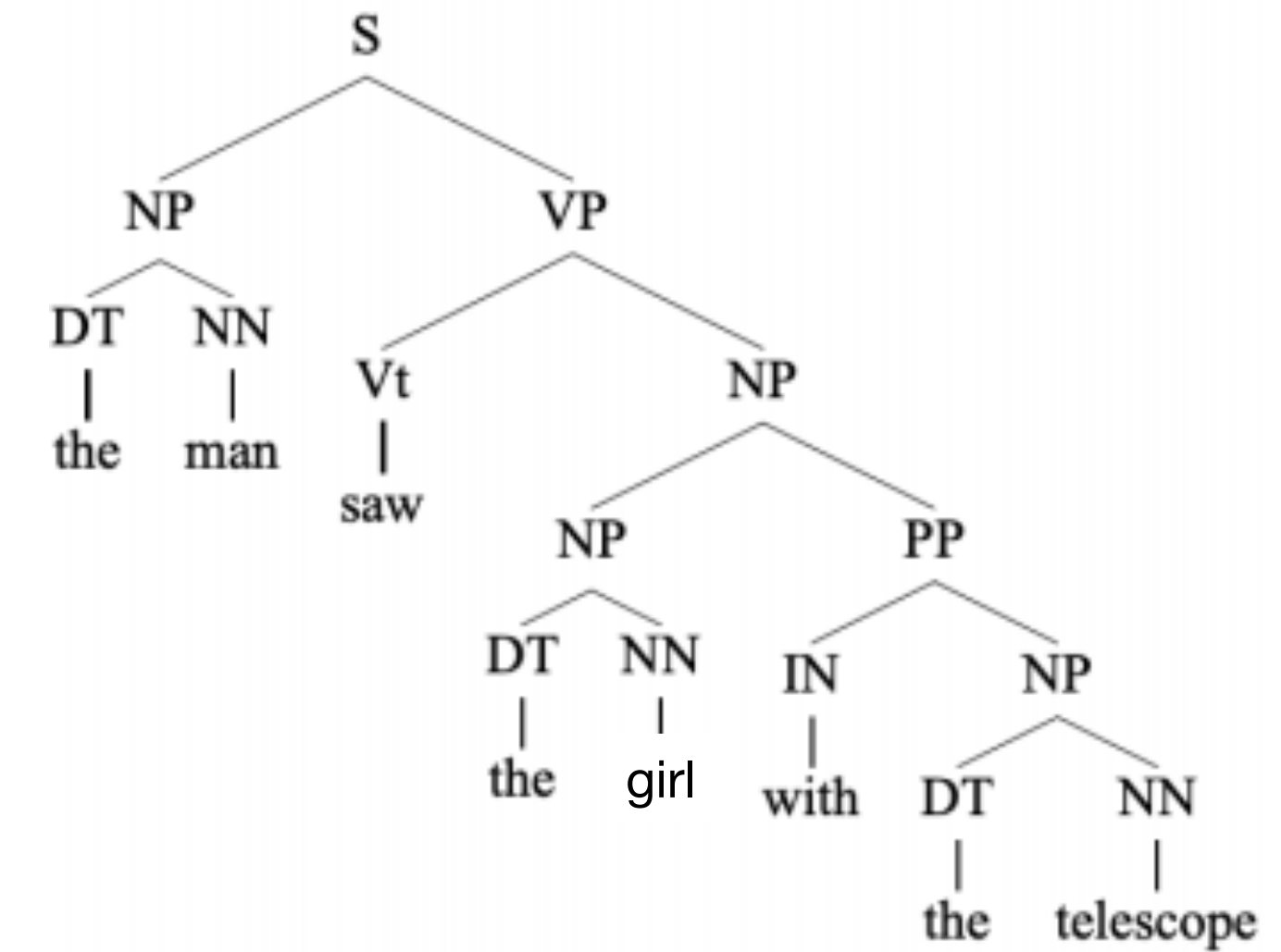
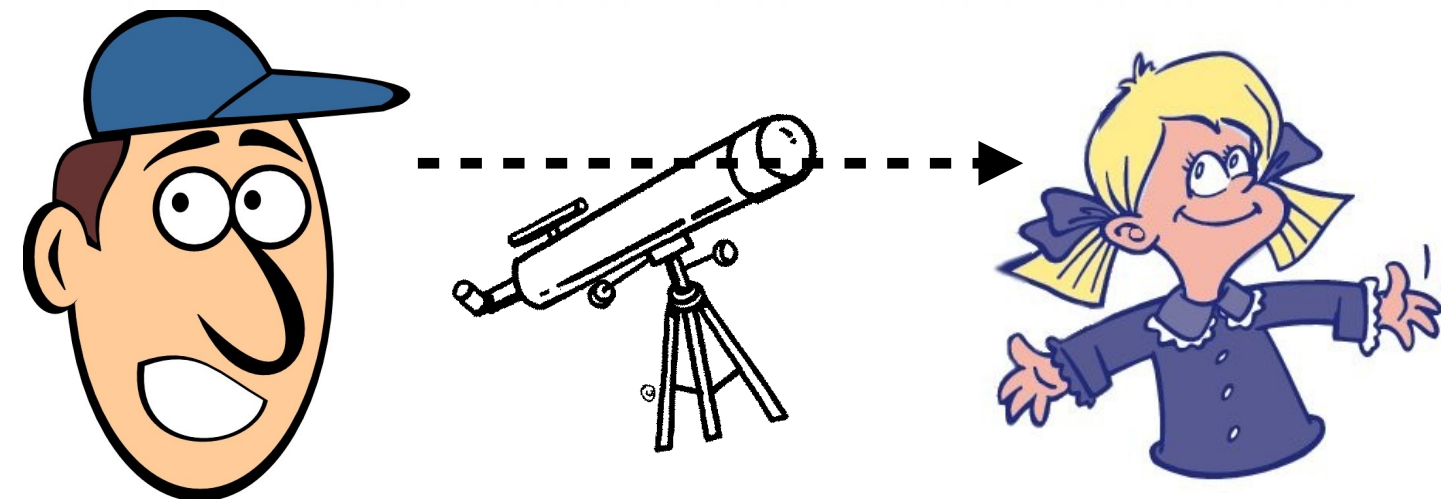
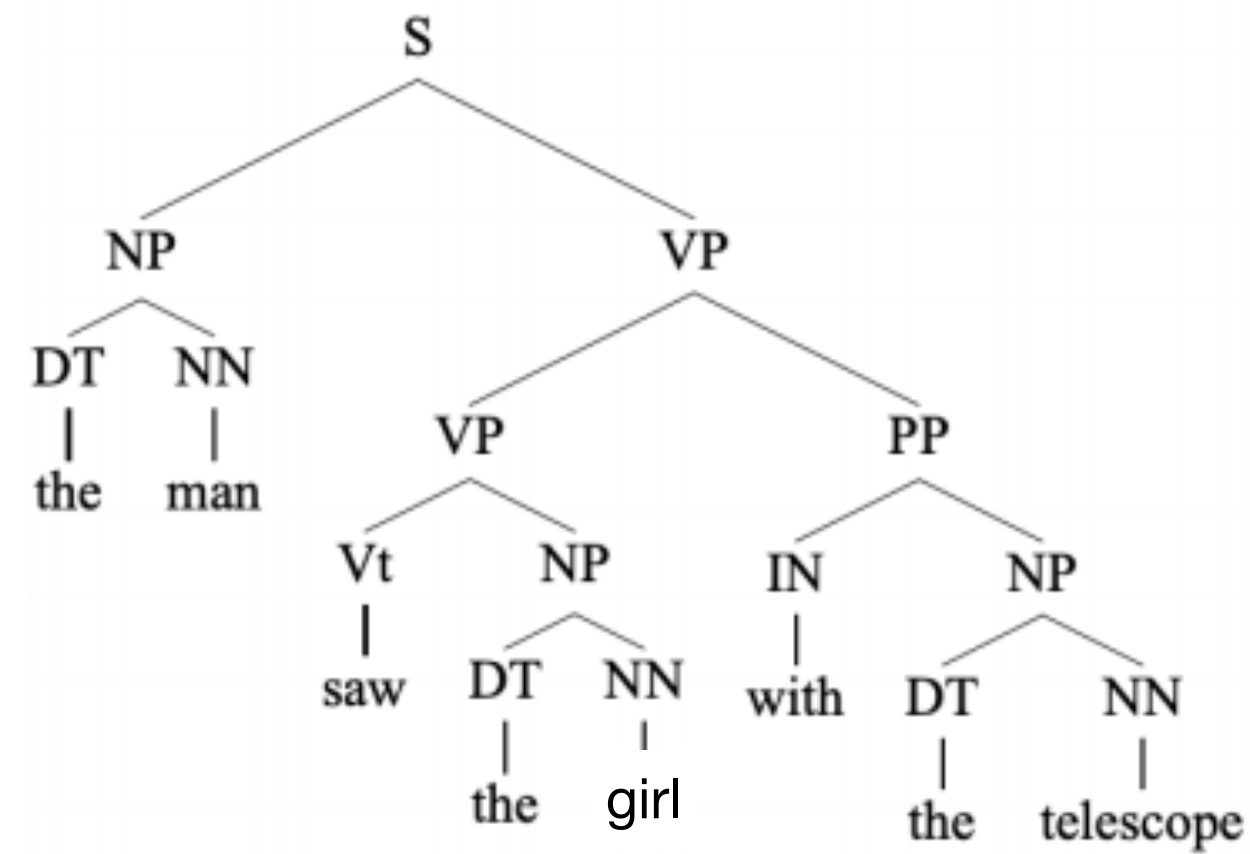
A sentence -> multiple derivations



A derivation can be represented
as a constituency tree

The Problem with Parsing: Ambiguity

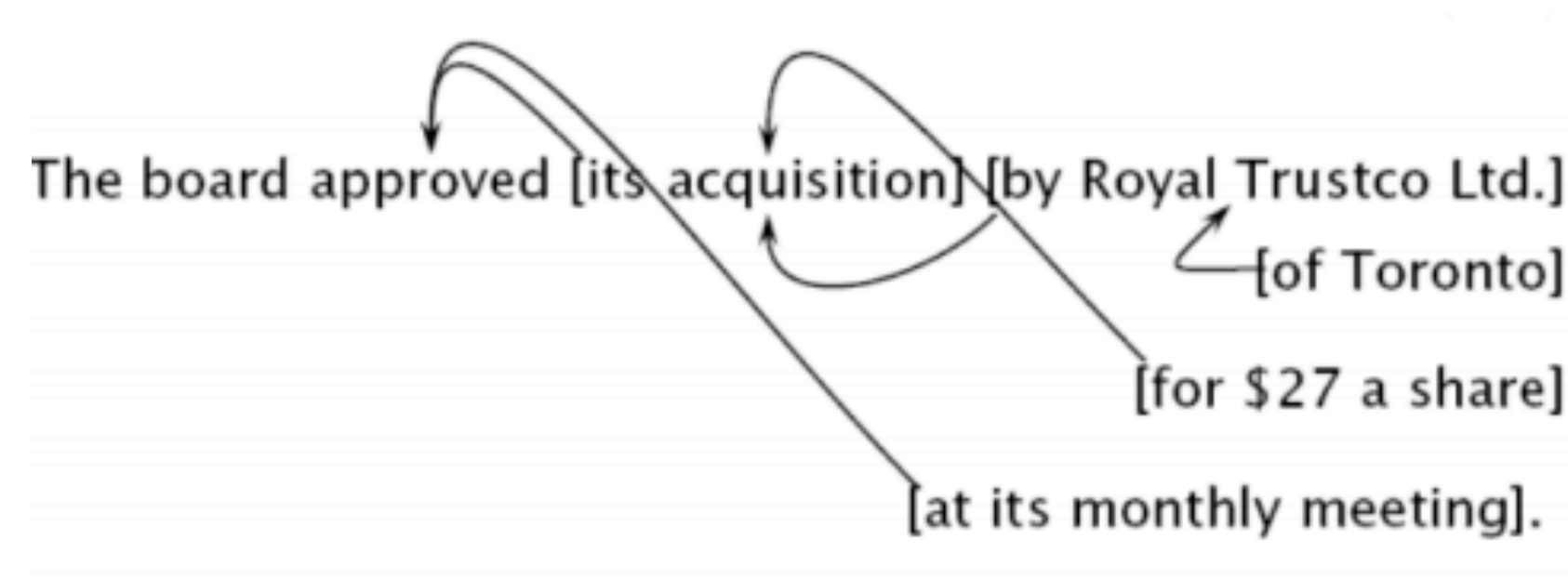
The man saw the girl with the telescope



The Problem with Parsing: Ambiguity

- In fact, a sentences can have a very large number of possible parses

The board approved [its acquisition] [by Royal Trustco Ltd.] [of Toronto]
[for \$27 a share] [at its monthly meeting].



$((ab)c)d$ $(a(bc))d$ $(ab)(cd)$ $a((bc)d)$ $a(b(cd))$

Catalan number: $C_n = \frac{1}{n+1} \binom{2n}{n}$

- There is no way to choose the right one!
- Constructing a grammar is difficult — a less constrained grammar can parse more sentences but result in more parses for even simple sentences

Since it is hard to avoid ambiguity in grammars, is it possible to **model** ambiguity?

Probabilistic Context-free Grammars (PCFGs)

Probabilistic Context-free Grammars (PCFGs)

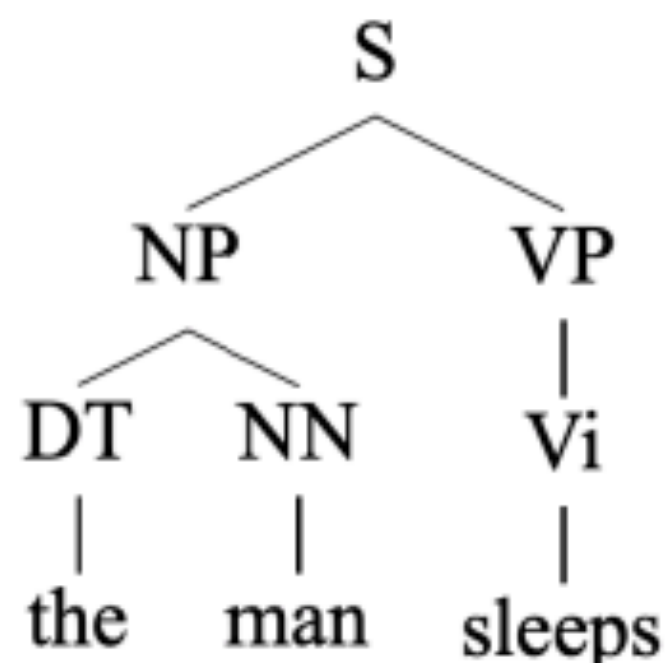
- A PCFG consists of
 - A context free grammar (CFG) $G = (N, \Sigma, R, S)$
 - For each rule $X \rightarrow Y$, there is a parameter $q(X \rightarrow Y) \geq 0$:

$$\sum_{Y \in N \cup \Sigma} q(X \rightarrow Y) = 1$$

- For any derivation (parse tree) containing rules: $X_1 \rightarrow Y_1, \dots, X_n \rightarrow Y_n$

$$P(t) = \prod_{i=1}^n q(X_i \rightarrow Y_i)$$

PCFG: An Example



$R, q =$

S	→	NP	VP	1.0
VP	→	Vi		0.3
VP	→	Vt	NP	0.5
VP	→	VP	PP	0.2
NP	→	DT	NN	0.8
NP	→	NP	PP	0.2
PP	→	IN	NP	1.0

Vi	→	sleeps	1.0
Vt	→	saw	1.0
NN	→	man	0.1
NN	→	woman	0.1
NN	→	telescope	0.3
NN	→	dog	0.5
DT	→	the	1.0
IN	→	with	0.6
IN	→	in	0.4

$$\begin{aligned}
 P(t) &= q(S \rightarrow NP \ VP) \times q(NP \rightarrow DT \ NN) \times q(DT \rightarrow \text{the}) \\
 &\quad \times q(NN \rightarrow \text{man}) \times q(VP \rightarrow Vi) \times q(Vi \rightarrow \text{sleeps}) \\
 &= 1.0 \times 0.8 \times 1.0 \times 0.1 \times 0.3 \times 1.0 = 0.024
 \end{aligned}$$

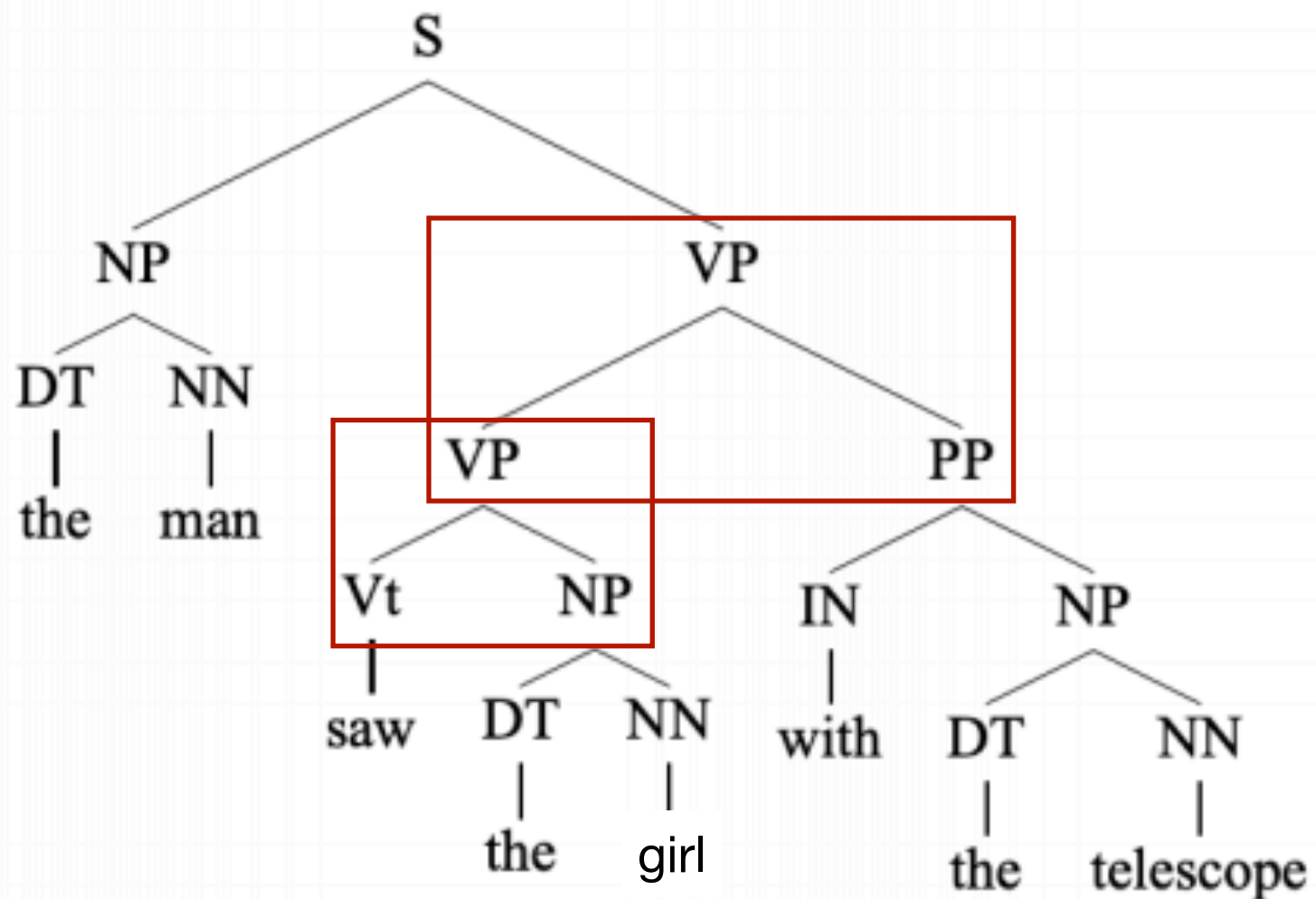
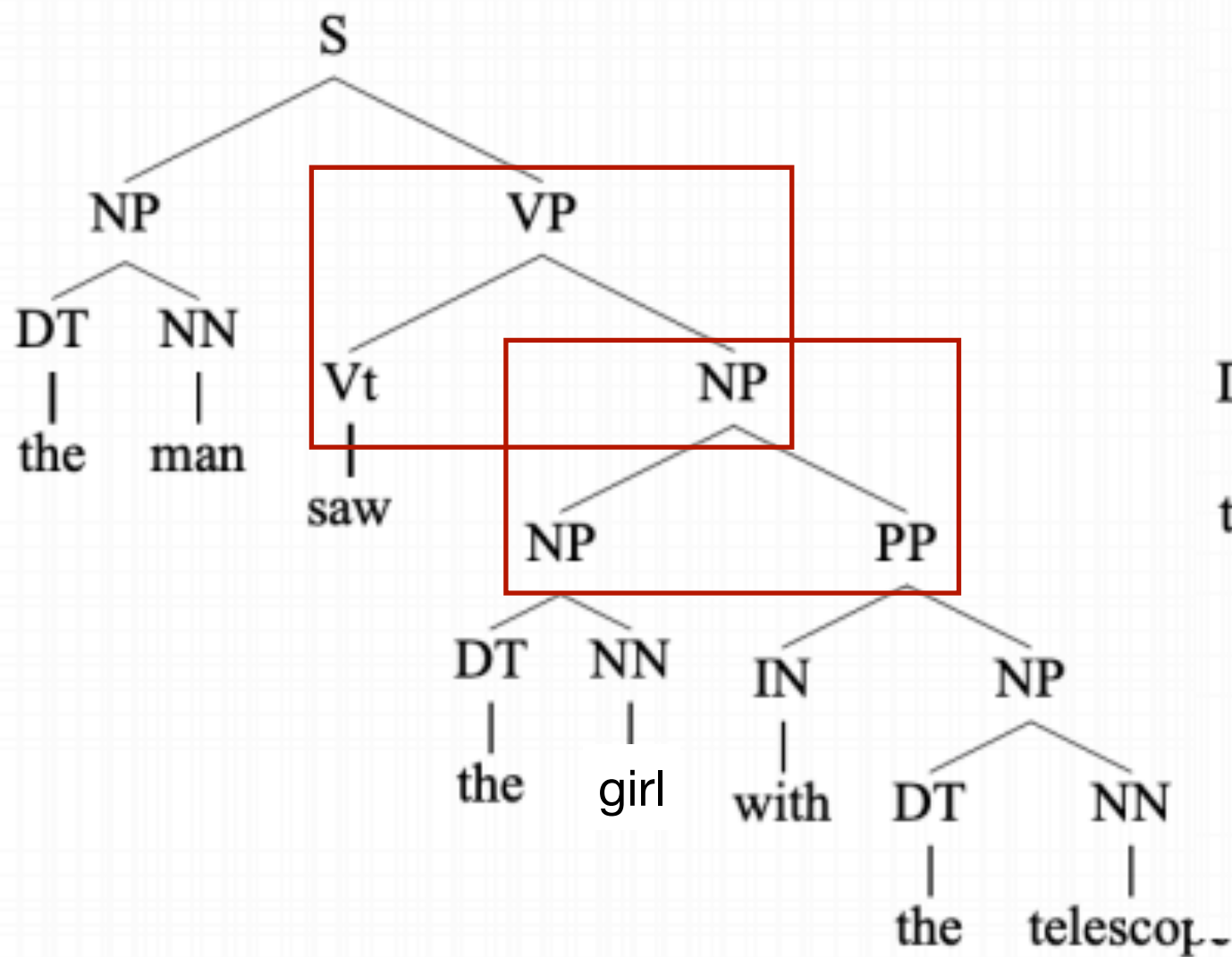
Q: Why do we want $\sum_{Y \in N \cup \Sigma} q(X \rightarrow Y) = 1$?

Handling Ambiguity with Probability

$R, q =$

S	→	NP	VP	1.0
VP	→	Vi		0.3
VP	→	Vt	NP	0.5
VP	→	VP	PP	0.2
NP	→	DT	NN	0.8
NP	→	NP	PP	0.2
PP	→	IN	NP	1.0

Vi	→	sleeps	1.0
Vt	→	saw	1.0
NN	→	man	0.1
NN	→	woman	0.1
NN	→	telescope	0.3
NN	→	girl	0.5
DT	→	the	1.0
IN	→	with	0.6
IN	→	in	0.4



$$q(\text{VP} \rightarrow \text{Vt NP}) \times q(\text{NP} \rightarrow \text{NP PP}) = 0.5 \times 0.2 = 0.1$$

$$q(\text{VP} \rightarrow \text{VP PP}) \times q(\text{VP} \rightarrow \text{Vt NP}) = 0.2 \times 0.5 = 0.1$$

Properties of PCFGs

- ▶ Assigns a probability to each *left-most derivation*, or parse-tree, allowed by the underlying CFG
- ▶ Say we have a sentence s , set of derivations for that sentence is $\mathcal{T}(s)$. Then a PCFG assigns a probability $p(t)$ to each member of $\mathcal{T}(s)$. i.e., *we now have a ranking in order of probability*.
- ▶ The most likely parse tree for a sentence s is

$$\arg \max_{t \in \mathcal{T}(s)} p(t)$$

The Rise of Annotated Data

- Learning from data: treebanks
- Adding probabilities to the rules: probabilistic CFGs

Treebanks: a collection of sentences paired with their annotated parse trees

```
((S
  (NP-SBJ (DT That)
    (JJ cold) (, ,)
    (JJ empty) (NN sky) )
  (VP (VBD was)
    (ADJP-PRD (JJ full)
      (PP (IN of)
        (NP (NN fire)
          (CC and)
          (NN light) ))))
  (. .) ))
```

(a)

```
((S
  (NP-SBJ The/DT flight/NN )
  (VP should/MD
    (VP arrive/VB
      (PP-TMP at/IN
        (NP eleven/CD a.m/RB ))
      (NP-TMP tomorrow/NN )))))
```

(b)

The Penn Treebank Project (Marcus et al, 1993)

Penn Treebank

Standard setup

- 40,000 sentences for training
- 1,700 for development
- 2,400 for testing

Phrasal categories

ADJP	Adjective phrase
ADVP	Adverb phrase
NP	Noun phrase
PP	Prepositional phrase
S	Simple declarative clause
SBAR	Subordinate clause
SBARQ	Direct question introduced by <i>wh</i> -element
SINV	Declarative sentence with subject-aux inversion
SQ	Yes/no questions and subconstituent of SBARQ excluding <i>wh</i> -element
VP	Verb phrase
WHADVP	Wh-adverb phrase
WHNP	Wh-noun phrase
WHPP	Wh-prepositional phrase
X	Constituent of unknown or uncertain category
*	“Understood” subject of infinitive or imperative
0	Zero variant of <i>that</i> in subordinate clauses
T	Trace of <i>wh</i> -Constituent

Penn Treebank

Part-of-speech tagset

CC	Coordinating conj.	TO	infinitival <i>to</i>
CD	Cardinal number	UH	Interjection
DT	Determiner	VB	Verb, base form
EX	Existential there	VBD	Verb, past tense
FW	Foreign word	VBG	Verb, gerund/present pple
IN	Preposition	VCN	Verb, past participle
JJ	Adjective	VBP	Verb, non-3rd ps. sg. present
JJR	Adjective, comparative	VBZ	Verb, 3rd ps. sg. present
JJS	Adjective, superlative	WDT	Wh-determiner
LS	List item marker	WP	Wh-pronoun
MD	Modal	WP\$	Possessive <i>wh</i> -pronoun
NN	Noun, singular or mass	WRB	Wh-adverb
NNS	Noun, plural	#	Pound sign
NNP	Proper noun, singular	\$	Dollar sign
NNPS	Proper noun, plural	.	Sentence-final punctuation
PDT	Predeterminer	,	Comma
POS	Possessive ending	:	Colon, semi-colon
PRP	Personal pronoun	(Left bracket character
PP\$	Possessive pronoun)	Right bracket character
RB	Adverb	"	Straight double quote
RBR	Adverb, comparative	'	Left open single quote
RBS	Adverb, superlative	"	Left open double quote
RP	Particle	'	Right close single quote
SYM	Symbol	"	Right close double quote

Learning a PCFG from a Treebank

- ▶ Given a set of example trees (a treebank), the underlying CFG can simply be **all rules seen in the corpus**
- ▶ Maximum Likelihood estimates:

$$q_{ML}(\alpha \rightarrow \beta) = \frac{\text{Count}(\alpha \rightarrow \beta)}{\text{Count}(\alpha)}$$

where the counts are taken from a training set of example trees.

If we have seen the rule $VP \rightarrow Vt \ NP$ 105 times, and the the non-terminal VP 1000 times, $q(VP \rightarrow Vt \ NP) = 0.105$

Learning a PCFG: An Example

```
((S
  (NP-SBJ (DT That)
    (JJ cold) (, ,)
    (JJ empty) (NN sky) )
  (VP (VBD was)
    (ADJP-PRD (JJ full)
      (PP (IN of)
        (NP (NN fire)
          (CC and)
          (NN light) ))))
  (. .) ))
(a)
```

```
((S
  (NP-SBJ The/DT flight/NN )
  (VP should/MD
    (VP arrive/VB
      (PP-TMP at/IN
        (NP eleven/CD a.m/RB ))
      (NP-TMP tomorrow/NN )))))
(b)
```

```
( ( S ('' '')
  (S-TPC-2
    (NP-SBJ-1 (PRP We) )
    (VP (MD would)
      (VP (VB have)
        (S
          (NP-SBJ (-NONE- *-1) )
          (VP (TO to)
            (VP (VB wait)
              (SBAR-TMP (IN until)
                (S
                  (NP-SBJ (PRP we) )
                  (VP (VBP have)
                    (VP (VBN collected)
                      (PP-CLR (IN on)
                        (NP (DT those)(NNS assets))))))))))
          (, ,) ('' ''')
          (NP-SBJ (PRP he) )
          (VP (VBD said)
            (S (-NONE- *T*-2) ))
          (. .) ))
    (, ,) ('' ''')
    (NP-SBJ (PRP he) )
    (VP (VBD said)
      (S (-NONE- *T*-2) ))
    (. .) ))
  (, ,) ('' ''')
  (NP-SBJ (PRP he) )
  (VP (VBD said)
    (S (-NONE- *T*-2) ))
  (. .) ))
(c)
```


Learning a PCFG: An Example

```
((S
  (NP-SBJ (DT That)
    (JJ cold) (, ,)
    (JJ empty) (NN sky) )
  (VP (VBD was)
    (ADJP-PRD (JJ full)
      (PP (IN of)
        (NP (NN fire)
          (CC and)
          (NN light) ))))
  (. .) ))
(a)
```

```
((S
  (NP-SBJ The/DT flight/NN )
  (VP should/MD
    (VP arrive/VB
      (PP-TMP at/IN
        (NP eleven/CD a.m/RB ))
      (NP-TMP tomorrow/NN )))))
(b)
```

```
( (S ('' ''')
  (S-TPC-2
    (NP-SBJ-1 (PRP We) )
    (VP (MD would)
      (VP (VB have)
        (S
          (NP-SBJ (-NONE- *-1) )
```

Grammar	Lexicon
$S \rightarrow NP VP .$	$PRP \rightarrow we \mid he$
$S \rightarrow NP VP$	$DT \rightarrow the \mid that \mid those$
$S \rightarrow "S", NP VP .$	$JJ \rightarrow cold \mid empty \mid full$
$S \rightarrow -NONE-$	$NN \rightarrow sky \mid fire \mid light \mid flight \mid tomorrow$
$NP \rightarrow DT NN$	$NNS \rightarrow assets$
$NP \rightarrow DT NNS$	$CC \rightarrow and$
$NP \rightarrow NN CC NN$	$IN \rightarrow of \mid at \mid until \mid on$
$NP \rightarrow CD RB$	$CD \rightarrow eleven$
$NP \rightarrow DT JJ, JJ NN$	$RB \rightarrow a.m.$
$NP \rightarrow PRP$	$VB \rightarrow arrive \mid have \mid wait$
$NP \rightarrow -NONE-$	$VBD \rightarrow was \mid said$
$VP \rightarrow MD VP$	$VBP \rightarrow have$
$VP \rightarrow VBD ADJP$	$VBN \rightarrow collected$
$VP \rightarrow VBD S$	$MD \rightarrow should \mid would$
$VP \rightarrow VBN PP$	$TO \rightarrow to$
$VP \rightarrow VB S$	
$VP \rightarrow VB SBAR$	
$VP \rightarrow VBP VP$	
$VP \rightarrow VBN PP$	
$VP \rightarrow TO VP$	
$SBAR \rightarrow IN S$	
$ADJP \rightarrow JJ PP$	
$PP \rightarrow IN NP$	

Parsing with PCFGs: CKY Algorithm

Parsing with a PCFG

- ▶ Given a PCFG and a sentence s , define $\mathcal{T}(s)$ to be the set of trees with s as the yield.
- ▶ Given a PCFG and a sentence s , how do we find

$$\arg \max_{t \in \mathcal{T}(s)} p(t)$$

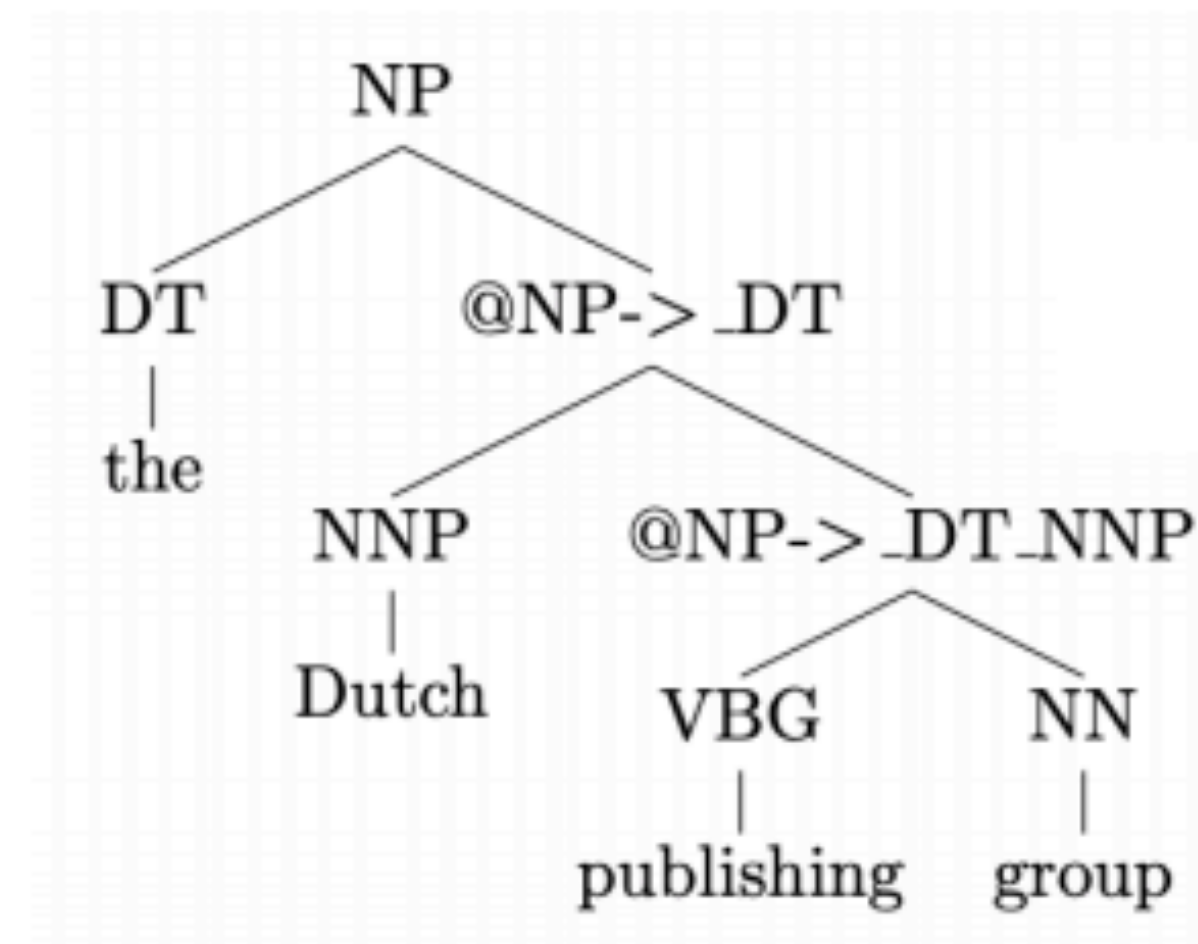
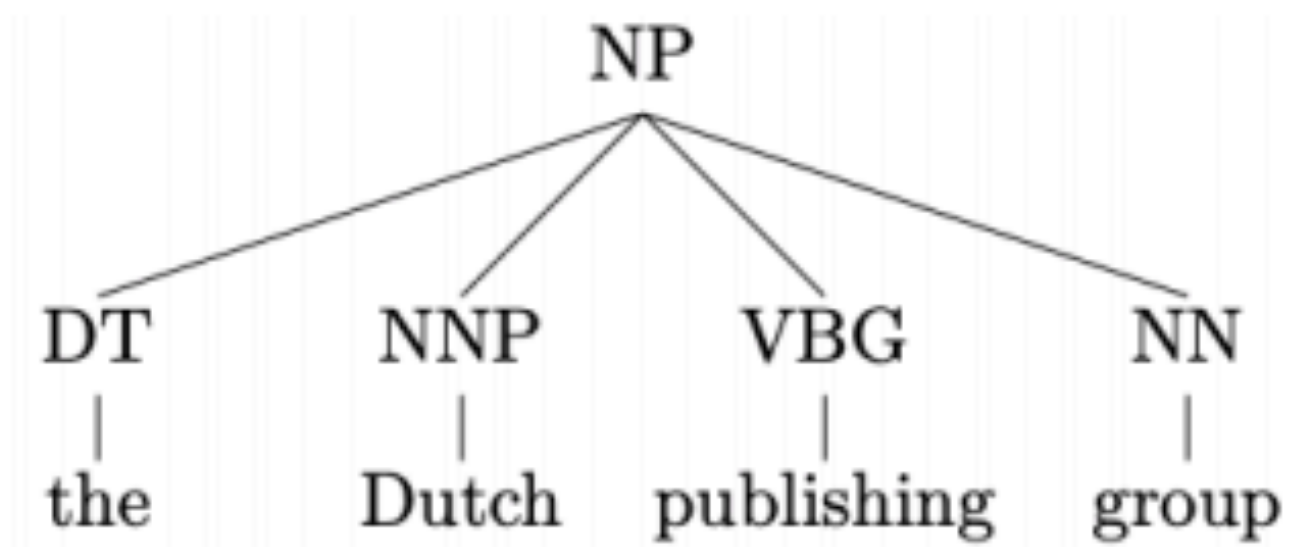
Chomsky Normal Form (CNF)

A context free grammar $G = (N, \Sigma, R, S)$ in Chomsky Normal Form is as follows

- ▶ N is a set of non-terminal symbols
- ▶ Σ is a set of terminal symbols
- ▶ R is a set of rules which take one of two forms:
 - ▶ $X \rightarrow Y_1 Y_2$ for $X \in N$, and $Y_1, Y_2 \in N$
 - ▶ $X \rightarrow Y$ for $X \in N$, and $Y \in \Sigma$
- ▶ $S \in N$ is a distinguished start symbol

Converting PCFGs into CNFs

- n -ary rules ($n > 2$): $NP \rightarrow DT \ NNP \ VBG \ NN$



The CKY Algorithm

- ▶ Notation:

n = number of words in the sentence

w_i = i 'th word in the sentence

N = the set of non-terminals in the grammar

S = the start symbol in the grammar

- ▶ Define a dynamic programming table

$\pi[i, j, X]$ = maximum probability of a constituent with non-terminal X
spanning words $i \dots j$ inclusive

- ▶ Our goal is to calculate $\max_{t \in \mathcal{T}(s)} p(t) = \pi[1, n, S]$

The CKY Algorithm

- ▶ Base case definition: for all $i = 1 \dots n$, for $X \in N$

$$\pi[i, i, X] = q(X \rightarrow w_i)$$

(note: define $q(X \rightarrow w_i) = 0$ if $X \rightarrow w_i$ is not in the grammar)

- ▶ Recursive definition: for all $i = 1 \dots n$, $j = (i + 1) \dots n$, $X \in N$,

$$\pi(i, j, X) = \max_{\substack{X \rightarrow YZ \in R, \\ s \in \{i \dots (j-1)\}}} (q(X \rightarrow YZ) \times \pi(i, s, Y) \times \pi(s + 1, j, Z))$$

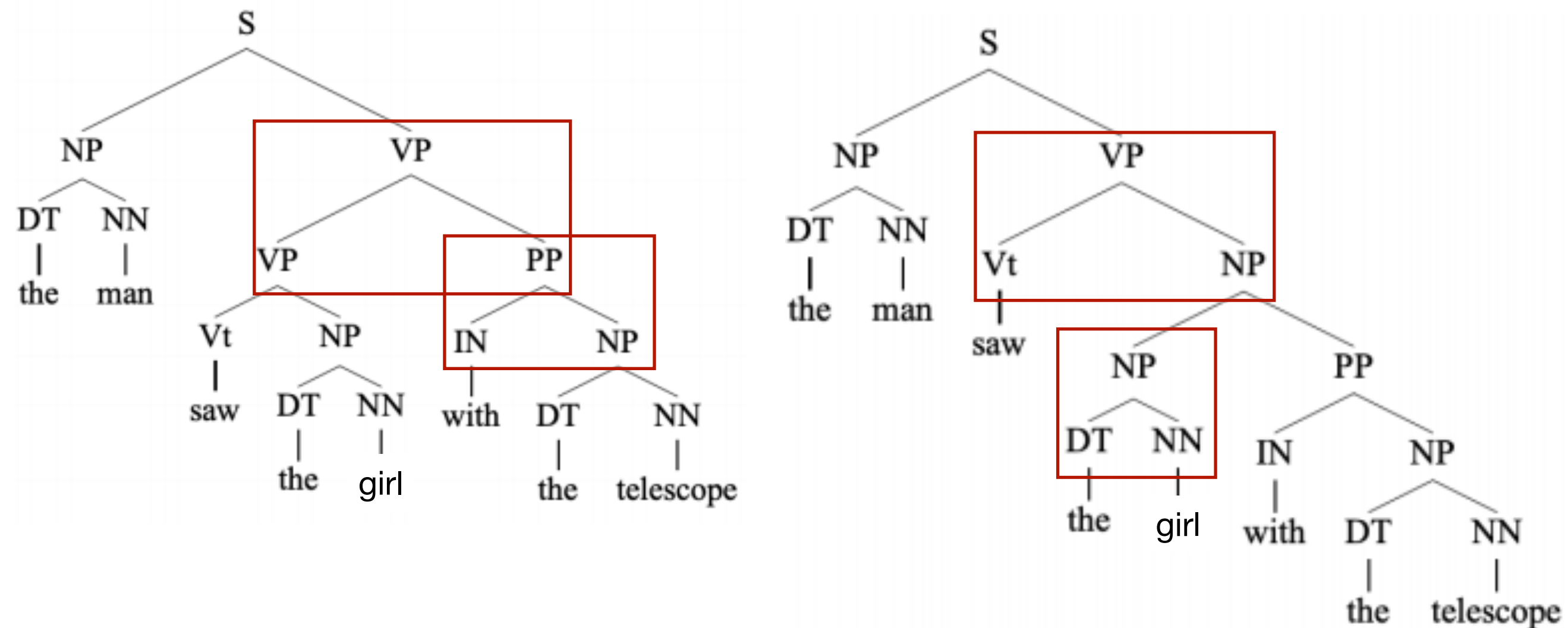
Q: Running time?

$$O(n^3 |R|)$$

Weaknesses of PCFGs

- Lack of sensitivity to lexical information (words)

The man saw the girl with the telescope



The only difference between these two parses:

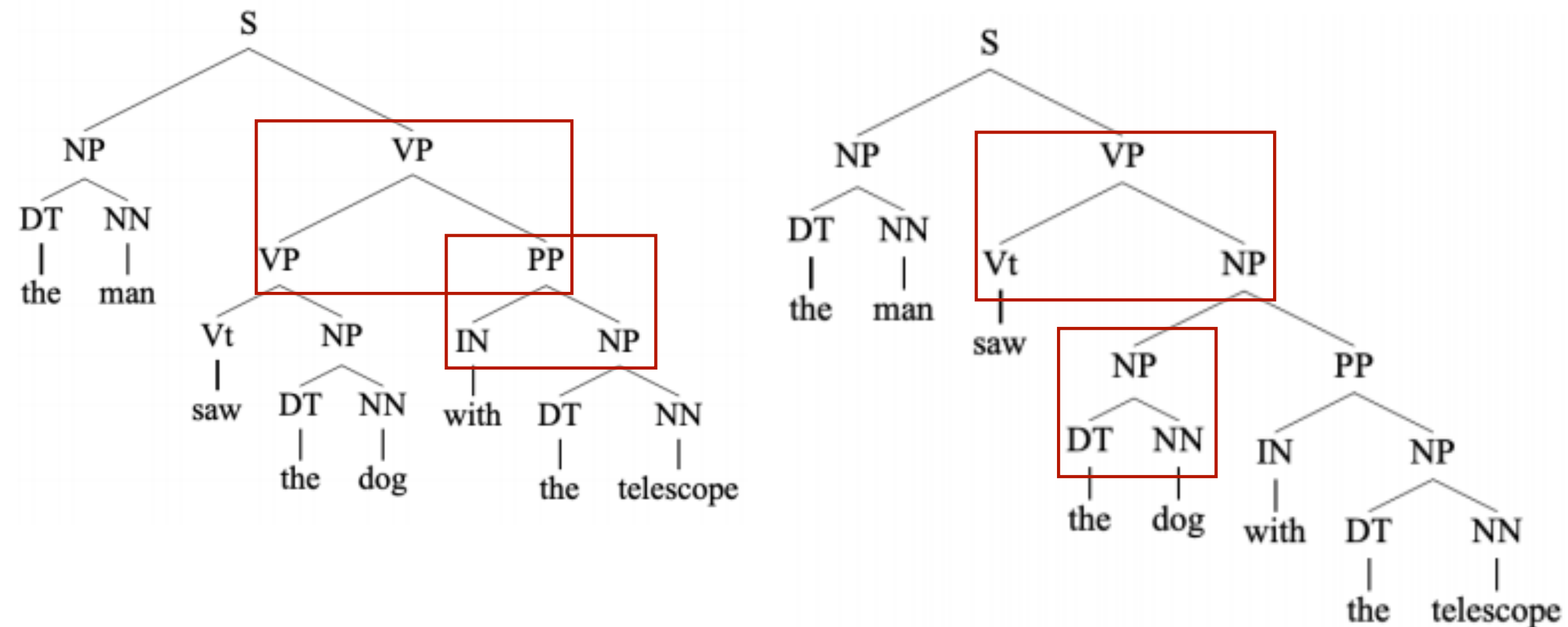
$q(\text{VP} \rightarrow \text{VP PP})$ vs $q(\text{NP} \rightarrow \text{NP PP})$

... without looking at the words!

Weaknesses of PCFGs

- Lack of sensitivity to lexical information (words)

The man saw the **dog** with the telescope



The only difference between these two parses:

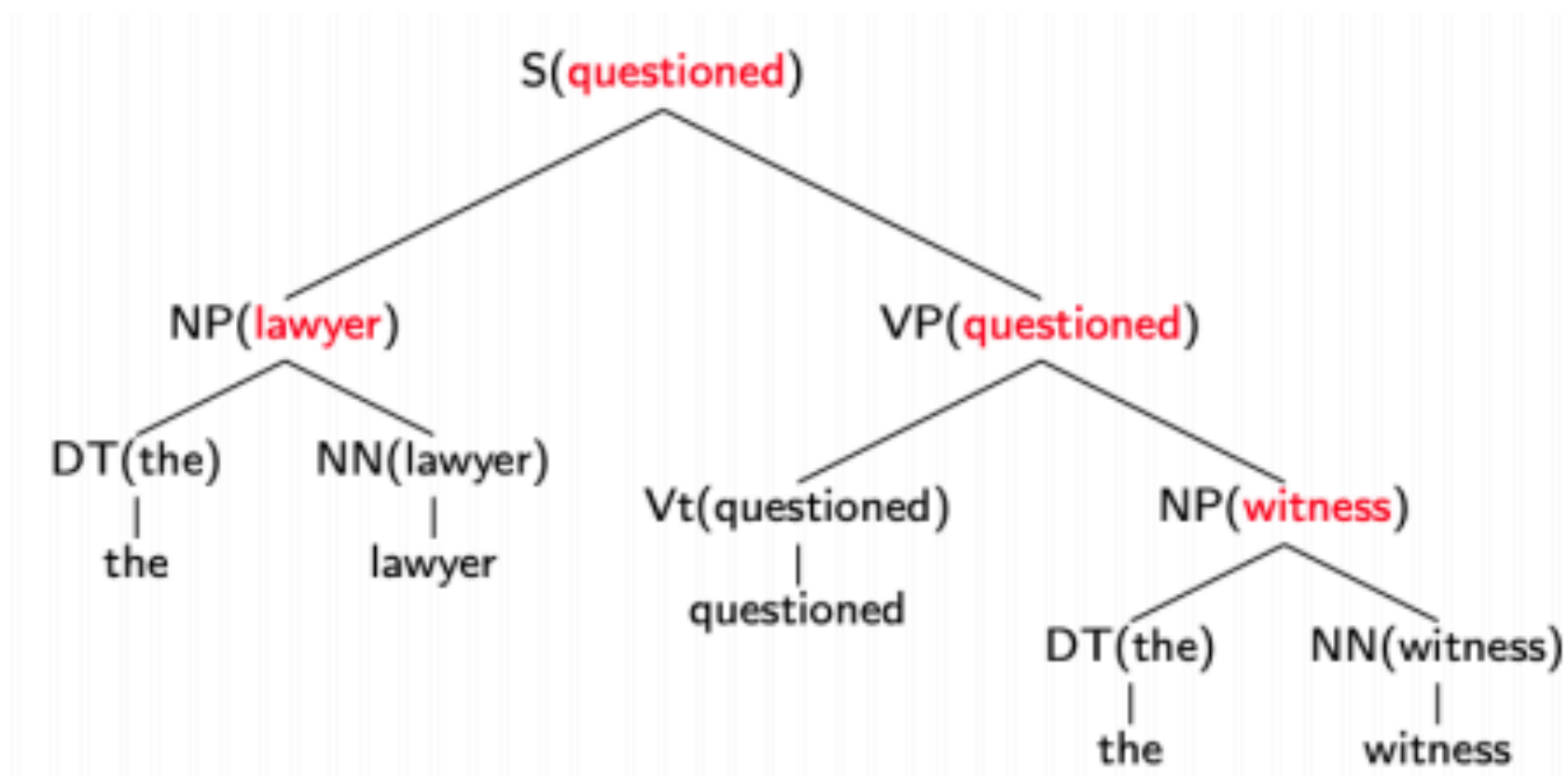
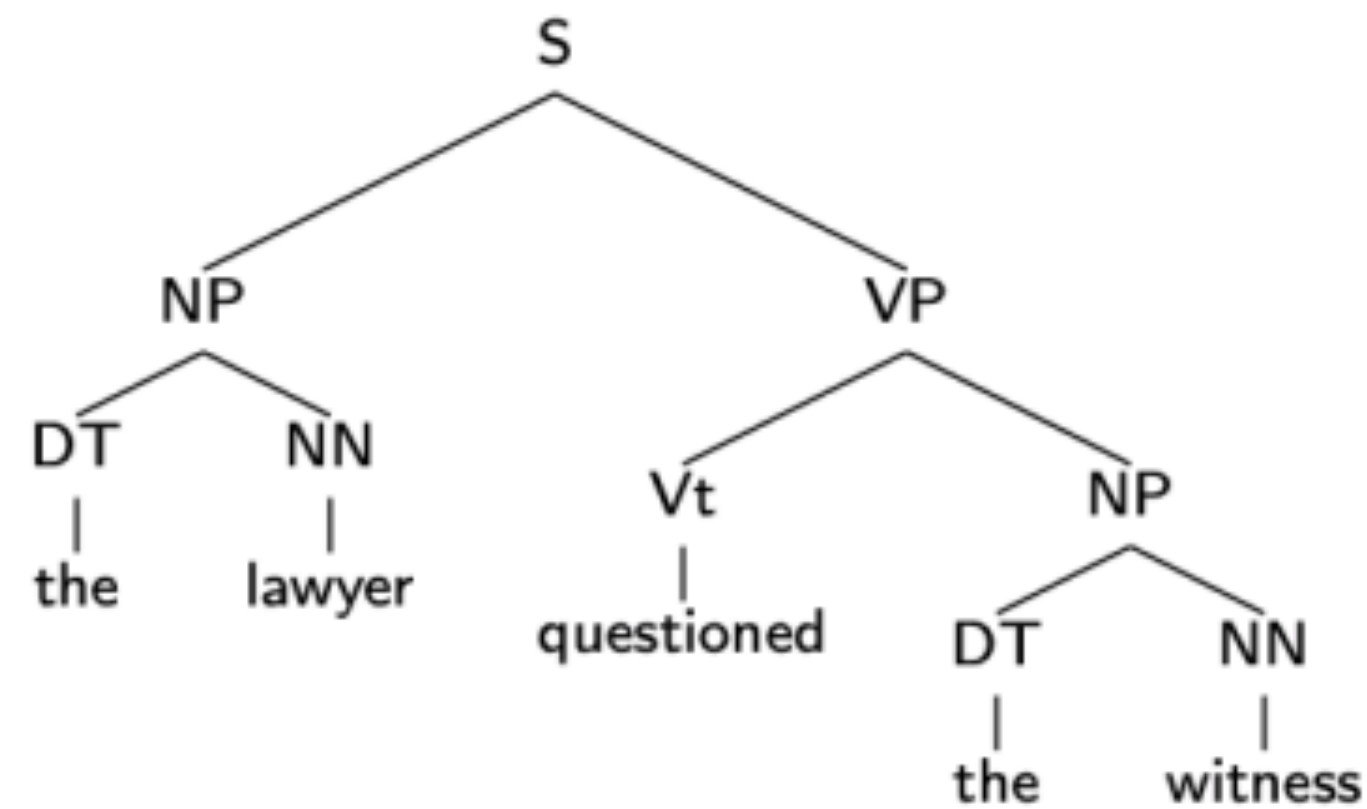
$q(VP \rightarrow VP PP)$ vs $q(NP \rightarrow NP PP)$

... without looking at the words!

Lexicalized PCFGs

Lexicalized PCFGs

- Key idea: add **headwords** to trees



- Each context-free rule has one special child that is the head of the rule

S	⇒	NP	VP	(VP is the head)
VP	⇒	Vt	NP	(Vt is the head)
NP	⇒	DT	NN	NN (NN is the head)

Lexicalized PCFGs

The heads are decided by rules:

If the rule contains NN, NNS, or NNP:
 Choose the rightmost NN, NNS, or NNP

Else If the rule contains an NP: Choose the leftmost NP

Else If the rule contains a JJ: Choose the rightmost JJ

Else If the rule contains a CD: Choose the rightmost CD

Else Choose the rightmost child

If the rule contains Vi or Vt: Choose the leftmost Vi or Vt

Else If the rule contains a VP: Choose the leftmost VP

Else Choose the leftmost child

Lexicalized PCFGs

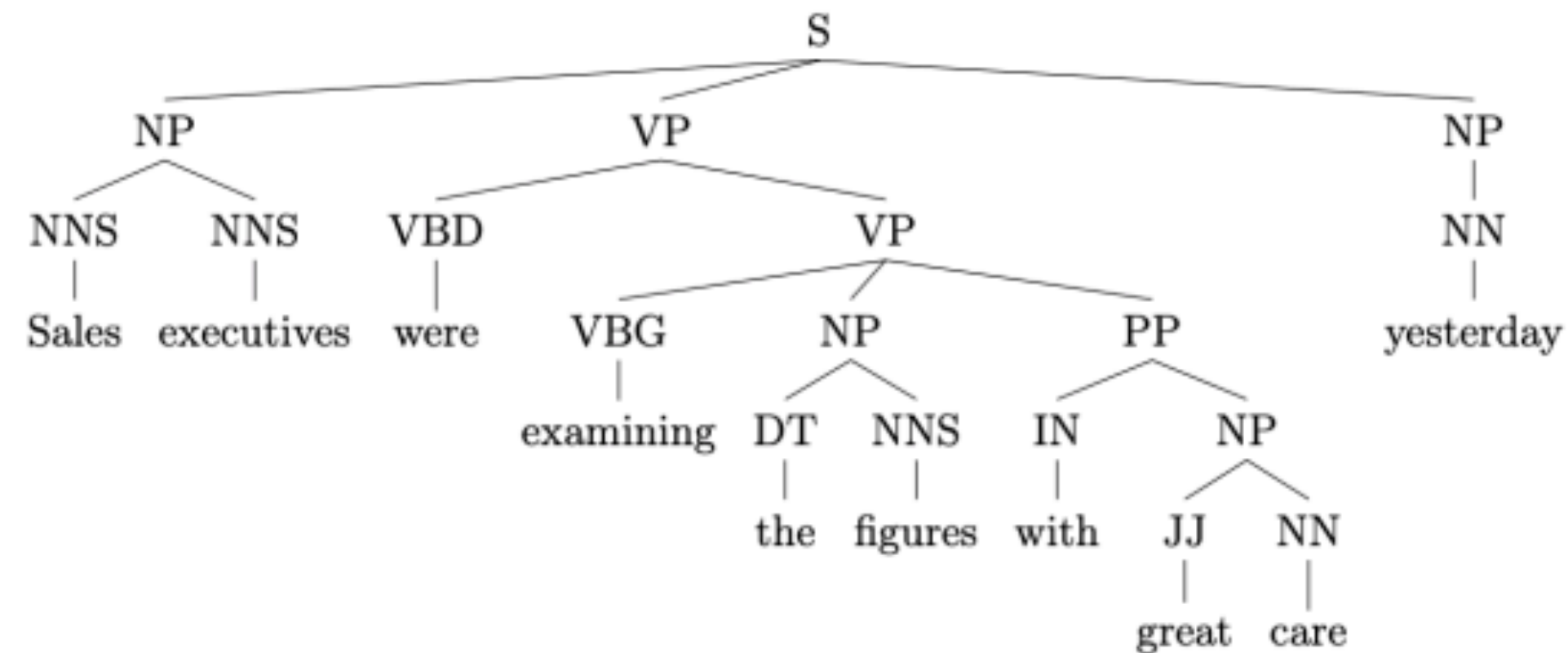
S(saw)	→ ₂	NP(man)	VP(saw)
VP(saw)	→ ₁	Vt(saw)	NP(dog)
NP(man)	→ ₂	DT(the)	NN(man)
NP(dog)	→ ₂	DT(the)	NN(dog)
Vt(saw)	→	saw	
DT(the)	→	the	
NN(man)	→	man	
NN(dog)	→	dog	

- Further reading: *Michael Collins. 2003. Head-Driven Statistical Models for Natural Language Parsing.*
- Results for a PCFG: 70.6% recall, 74.8% precision
- Results for a lexicalized PCFG: 88.1% recall, 88.3% precision

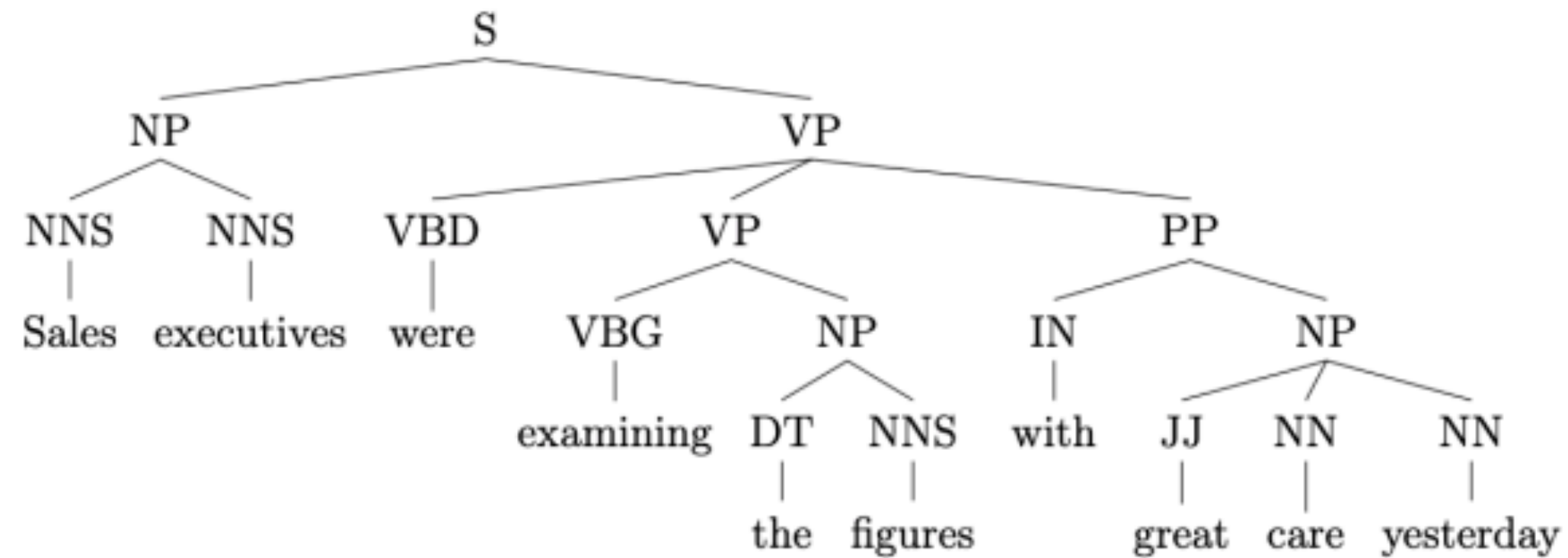
Evaluating Constituency Parsing

- Comparing the **predicted** tree against the **gold-stand** one

Gold: (1, 10, S), (1, 2, NP), (3, 9, VP), (4, 9, VP), (5, 6, NP), (7, 9, PP), (8, 9, NP), (10, 10, NP)



Predicted: (1, 10, S), (1, 2, NP), (3, 10, VP), (4, 6, VP), (5, 6, NP), (7, 10, PP), (8, 10, NP)



Evaluating Constituency Parsing

- Recall: $(\# \text{ correct constituents in candidate}) / (\# \text{ constituents in gold tree})$
- Precision: $(\# \text{ correct constituents in candidate}) / (\# \text{ constituents in candidate})$
- Labeled precision/recall require getting the non-terminal label correct
- F1 is the harmonic mean of precision and recall $= (2 * \text{precision} * \text{recall}) / (\text{precision} + \text{recall})$
- Part-of-speech tagging accuracy is evaluated separately

Reading Materials

- **Notes from Michael Collins:**
 - Probabilistic Context-free Grammars (PCFGs)
 - Lexicalized PCFGs