

Lab 9 (23 Mar 2019)

Problem 1: Given two strings $x[1..n]$ and $y[1..m]$ we want to calculate the edit distance (the cost of the optimal alignment) of x and y . We are allowed three operations: insert a character, delete a character & replace a character, each operation having cost 1.

For e.g. for input strings $x = \text{'TYPES'}$ and $y = \text{'STYLE'}$ the edit distance is 3, since an optimal alignment is

—	T	Y	P	E	S
S	T	Y	L	E	—

whose cost (edit distance) is 3.

- a) Write a top-down dynamic programming algorithm to solve this problem.
- b) Write an iterative (bottom-up) version of the above algorithm
- c) Print the optimal alignment of the two strings along with the cost of each matching. For the above input your program should print:

—	S	1
T	T	0
Y	Y	0
P	L	1
E	E	0
S	—	1

Problem 2 : Implement the dynamic programming algorithm for computing the longest increasing subsequence. Read as input a sequence of numbers for e.g. 5 2 8 6 3 6 9 7 & print a longest increasing subsequence: for this example 2 3 6 9 (or 2 3 6 7).