Aditya Mhaske

MUSKE	
٥٠١>	Dormitory Space: 95
	Applicant: 1000
	Applicant: 1000 Accepted (n): 225
	- out of accepted 36% accepts the admission
	<u> </u>
	n = 225 $p = (0.36)$
a)	
	Expected Value: n.p
	- 225 X D.36
	<u>F</u> = 81

b) Only if more than 95 Students accepts, then will be off-campus arrangement

$$P(Y > 95) = 1 - P(Y \le 95)$$

 $P(Y > 95) = 1 - F(95)$
 $P(Y > 95) = 1 - pbionom (95,225,0.36)$
 $= 0.0229$

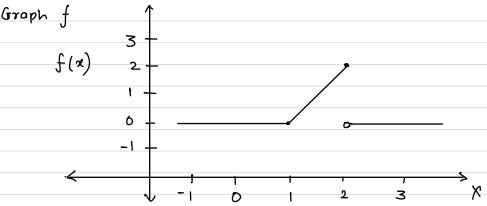
* All the calculations in R provided at the end.

D.2	plus Square Stor Circle Wave
0.2	15 1/5 1/5 1/5
	p (correct symbol) = 1/5 = 0.2
	y (co. 100 841111001) 1/3 0 2
	This process followed for 25 times : n=25
	25 - independent binomial trials
	25 maependent binomai mais
a১	Expected Value = n.P
/	
	= 25 x o · 2 = 5
ь)	Esp score 77
	$P(Y>7) = I - P(Y \leqslant 7)$
	= 1 - pbinom (7,25, 0.2)(R) = 0.1091
	<u> </u>
د)	Atleast one of 20 receivers will attain score of ESP
/	ESP, p(receiver indicating ESP) = 0.1091
	∴ P(Y≥1)
	$P(Y \ge 1) = 1 - P(Y = 0)$
	520
	$P(Y=0) = \frac{20}{5} c_0 (0.1091)^0 (1-0.1091)^{20}$
	Binomial Distribution
	$P(Y>1) = 1 - \left[\frac{20}{20} \times 1 \times (0.8909)^{20}\right]$
	= 0.90

```
2 section of stats
            - For 35 years
          - 1500 total students
       1500 X 89 -> & counts head
          p(heads) = 0.3
          p(tails) = 0.7 = p(no heads)
           n - 89
                             X ~ Binomial (n=89, p=0.3)
      p ( No more than 2 heads)
= p(x=0) + p(x=1) + p(x=2)
        = 89 (0.3)^{\circ} (0.7)^{89} + 89 (0.3)^{\circ} (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8} + 80 (0.7)^{8
        = (0.7)^{89} + 89 (0.3) (0.7)^{88}
          = 89 \times 88 (0.3)^{2} (0.7)^{27}
      = dbinom (x = 0, size = 89, prob = 0.3) +

dbinom (x = 1, size = 89, prob = 0.3) +

dbinom (x = 2, size = 89, prob = 0.3)
            = 1.24 \times 10^{-11}
p (at least 1 observing no more than 2 heads)
                      = 1 - p ('0' students observing > 2 heads)
                     = 1 - (1 - (1.24 \times 10^{-11}))^{1500}
          Probability = 1.8608 x 10-8
```



Verify that
$$f$$
 is PDF.

PDF is a Function of $f: R \rightarrow R$ such that

1. $f(x) \ge 0$ for every $x \in R$

2. Area $(-\infty, \infty)(f) = \int_{-\infty}^{\infty} f(x) dx = 1$

here $f(x) \geq 0 \quad \text{for every } x \in \mathbb{R}$ $Area_{[1,2]} (f) = \int_{1}^{2} f(x) \cdot dx$ $= \int_{1}^{2} (2(x-1)) dx$ $= \left(\frac{2x^{2}}{2}\right)^{2} - \left(2x\right)^{2}$ = 3 - 2 $= 1 \quad \therefore f \text{ is PDF}$

C) Compute
$$P(1.50 < x < 1.75)$$
= $P(X \in (1.50, 1.75))$
= Area $(1.50, 1.75) (f)$

$$\int_{1.75}^{1.75} f(x) \cdot dx$$

$$1.50$$

$$= \left[x^{2} \right]_{1.50}^{1.75} - \left[2x \right]_{1.50}^{1.75}$$

$$= [(1.75)^{2} - (1.50)^{2}] - [2(1.75) - 2(1.50)]$$

$$= 0.3125$$

2/6/23, 11:28 PM Question 5

Question 5

Aditya Sanjay Mhaske

2023-02-06

```
library(dplyr)
##
## Attaching package: 'dplyr'
  The following objects are masked from 'package:stats':
##
##
##
       filter, lag
##
  The following objects are masked from 'package:base':
##
##
       intersect, setdiff, setequal, union
library(ggplot2)
library(fivethirtyeight)
?bechdel
```

Mean and Standard deviation

```
std <- bechdel %>%
  group_by(binary) %>%
  summarize(mean = mean(domgross, na.rm = TRUE),
    std_dev = sd(domgross, na.rm = TRUE))
std
```

```
## # A tibble: 2 × 3

## binary mean std_dev

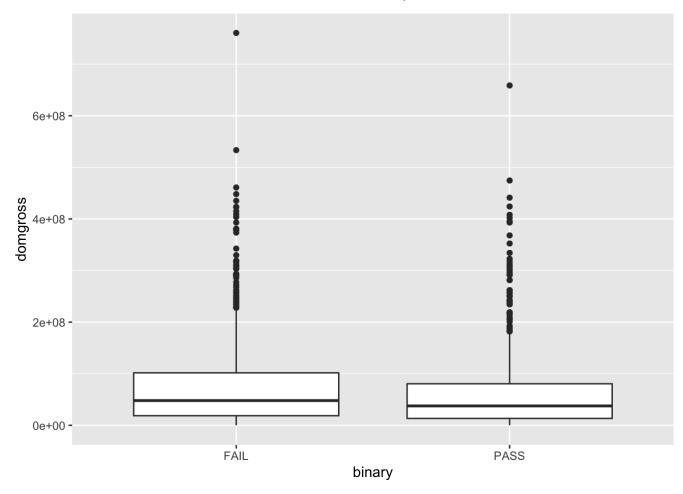
## <chr> <dbl> <dbl>
## 1 FAIL 74985189. 83484962.

## 2 PASS 61885653. 75758965.
```

Box plots

```
ggplot(data = bechdel, mapping = aes(x= binary, y = domgross)) + geom_boxplot()
## Warning: Removed 17 rows containing non-finite values (`stat_boxplot()`).
```

2/6/23, 11:28 PM Question 5



Total number of films for different periods

```
count <- bechdel %>%
  group_by(period_code) %>%
  summarize(count = n())
count
```

```
## # A tibble: 6 × 2
##
     period_code count
            <int> <int>
##
## 1
                1
                     438
## 2
                2
                     488
                3
                     352
                4
                     247
## 4
                5
                      90
## 5
## 6
               NA
                     179
```