CT1

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& (p→2)^2?→P

ans. c) contingency.

 $\frac{\partial 2}{\partial x}$  ans. a)  $(P \leftrightarrow Q) \leftrightarrow (P \rightarrow Q) \land (Q \rightarrow P)$ 

93 am. a) Mathematical induction

 $q_n = (2.4)^{3^n} + 0.6(-2^n)$ .

Direct pools is a sequence of statements which one either givens on deductions from previous the conclusion statements, & whose last statement is the conclusion to be proved.

if xy, max(xy) = x, man(xy) = y: max(xy) + min(xy) = x+yif xy, max(xy) = y, min(xy) = x1. max(xy) + min(xy) = y

96 Ef Pis a set of indegers such that

i) a is in P, ii) if all integers K, 95K < 10, an in P,

then n+1 is also in P.

then  $P = 2 \times E \times 1 \times 2 a^2$  that is, P is the set of all integeons greater than or equal to a.

Let M(n) > "You can steen non mile",

Bains Step: m=1, n=2,

M(1) and M(2) are true, according to question.

Inductive:

Assume M(1), M(2) -- M(K) are all fine, thus you can A sun first N nigles.

Ince, M(x-1) is tone, then M(x+1) is tome, as you can run 2 miles more after a separitie mile.

archining:

by the primiple of strong induction,

M(n) is true for all positive n integers.

97. Proof with example.

 $a_n = 6a_{n-1} - 9a_{n-2}$ ,  $a_0 = 1, a_1 = 6$ .

:. 22-68+9=0 has only 3 as root.

solutu format: of 3"+ o(213")

 $q_0 = 1 = \alpha_1$ ,  $q_1 = 6 = \alpha_1 3 + \alpha_3$ 

 $a_n = 3^n + m 3^n$