RL ASSIGNMENT-3

Question L

The code (Append G to list R.) is highly empficient.

Scott (&Cs6, Ape ang (R))

This stores all returns in a lut. And the let muchs to be stored for every iteration and the Action - Value function of (5t, At) is updated by taking an average of all returns & loved in the lust: We update the update rule for OLSt, At) as follows.

$$\theta_{n}\left(S_{t},A_{t}\right)=\frac{1}{n}\sum_{i=1}^{n}G_{i}(S_{t},A_{t})$$
 — (i)

= We split it as follows

$$= \frac{1}{m} \left(G_n \left(S_t, A_t \right) + \sum_{i=1}^{n-1} \left(g_i \left(S_t, A_t \right) \right) \right)$$

$$= \frac{1}{n} \left[G_n(S_{t_1}A_t) + \frac{(n-1)}{(n-1)}, \sum_{i=1}^{n-1} G_i(S_{t_1}A_t) \right]$$

$$= \frac{1}{n} \left[C_{n} \left(S_{t}, A_{t} \right) + (n-1) \otimes_{n-1} \left(S_{t}, A_{t} \right) \right]$$

$$= g_{n-1}(S_t, A_t) + \frac{1}{n} \left[(g_n(S_t, A_t) - g_{n-1}(S_t, A_t)) \right]$$
The update rule is finally as follows:
$$g_n(S_t, A_t) = g_{n-1}(S_t, A_t) + \frac{1}{n} \left[(g_n(S_t, A_t) - g_{n-1}(S_t, A_t)) \right]$$

= 1 (St,At) + n 8n-1(St,At) - 9n-1 (St,At)]

updated The nuo and equivalnt psudo-vode W: According to the only change is in the epdate which is equivaled to the one rule used before we can claim shot the code is equivaled. MSO of been sen Calculate, n -> tre court of occurrences for all (s) as (Guerry Vicit MC) Code'. Me Inteligation Steps Q(s,a), T(s) e orbitraily EA EA (s) 7 5. housed n & O · Cohile (True) . Select So, Ao & S, A randomly with PCET 70. , Generate cepudes ' Reven < 0for every times texp in Episode . Return & gamm & Return + Rtt1 Unlast (s,a) not en (epsode pains): " M = N+) $\circ Q = Q + \frac{1}{N} C G - Q$ 6 x (s) < ang man &

| Suestion 2 | |
|-----------------------------------|---|
| The backup | chiagram for Qx is. |
| (D) gals,a) | The (I) i.e. the topmost node Shows the initial (State-action) |
| $\int_{\mathcal{M}} \mathcal{M}'$ | poir. The rest of the nodes represent all intermediate |
| (s', a') | nodes Inden |
| | cstate - action) Nodes. |
| (Terminal 8 | (ate) |

Let J(S,a) represent the set of all State action pair (S,a) which have been Visited by an agent.

Given du equation (5.6)

$$V(s) = \underbrace{\xi}_{t \in J(s)} \underbrace{e_{t} : T(t) - 1}_{t} G_{t}$$

 ξ $t \in J(s)$ $t \in J(s)$

we revièle d(s) as follows

$$\frac{\partial}{\partial s}(s,a) = \frac{\mathcal{E}_{t+1} \cdot T(t) - 1}{\mathcal{E}_{t+1} \cdot T(t) - 1} \cdot \frac{\mathcal{E}_{t+1} \cdot T(t) - 1}{\mathcal{E}_{t+1} \cdot T(t) - 1}$$

cohere Eq is em reterm at steps to T(t)

2 Ct: T(t)-1 2 Ct+1:T(t)-1 are the imp.

Sampling ratios.

Justion 5

The mutioned enample scenario in the sent would show significantly better performance of a TD based approach, as many of the initial states in the problem remain uncharged, i.e. For the route to home while the home itself is changed the highway somain the same.

- The learning would be able to make quicker updates and as the number of optimal common stales is comparatively higher time use's reach an optimal solution in quicker time
- -> MC. melhods on the other hand would have bo wait for an whole expisate to finish as truly are not bookskepped and would truly are not bookskepped and would have being enficient as compared to TD methods.

Alton

Suestion 8

Even if the action selection policy is greedy. I bearing is not enactly as some as SAKSA learning of learning algorithms first update the values and over the next action is picked on the basis of but updated values.

On the other hand Sarsa having algorithms first select an action and letter exploite the grahus for energy state - action) pair.

X A V

De Enercise accompanying the generaled graphs in the Toode.

Graph 2: Esternate d'Values Graph Graph 2: Empirical RMS Exox.

We start from the middle le-chate 'C'. We also know that transition to any state has a reward 'O', except to for terminating right.

We follow the following update rule for updating our state value finetion

 $V(s) = V(s) + \Delta \left(R + V(V(s_{t+1})) - V(s) \right)$

A coording to our initialization V(B) = 0.5, V(0) = 0.5

RED for B2D V(c) = 0.5 + 0.1(0+0.8-0.5)=0.5 (remains unevarged) Now we can either go to E or A (in the duction of). Since V(t) is unchanged ene agné must have yone towards 'A'. as a result of which rest all values are unchanged. As left termind steate's value function is O by definition. V(A) = 0.5 + 0.1 (0.3 + 0 - 0.5)z 0.45 Change = 0.05 1.2. a 101/. deduction, The conclusions about the performance of algorithms would somewhat depend on the range of alpha that we Choose. To harming would always pegarm bette the MC methods given

d is reasonably small.

However taking larger values of Longhe affect the TD approaches as they may built in more sudden and large jumps 1 oscillations which omight stop the algorithm from converging.

Larger values of X' can cause such oscillations, in the error of TD leaving algorithms. As the algorithm tries to reach an Optimal State, a larger value of X' may stop the algorithm from converging completely.

This is true for all larger values of X' independent of the how line value function is intialised.