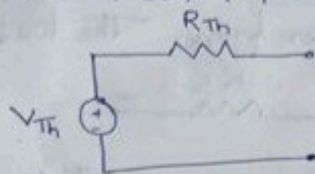
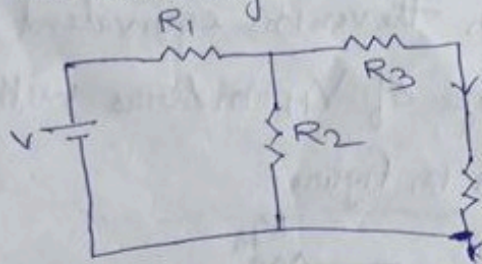


Thevenin's Theorem. In any linear bittor bilateral n/w. consisting of any number of independent sources or dependent source can be replaced by simple equivalent network of Voltage source in series with an internal resistance

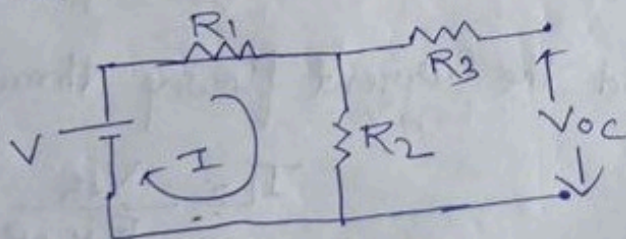


Step 1. To find V_{th} or V_{oc}

Steps to Solve the n/w using Thevenin's theorem



Step 1. To Find V_{th} or V_{oc} : \rightarrow Remove R_L (Load resistor) and find open circuit voltage (V_{oc} or V_{th}) by using mesh or nodal or KCL or KVL analysis

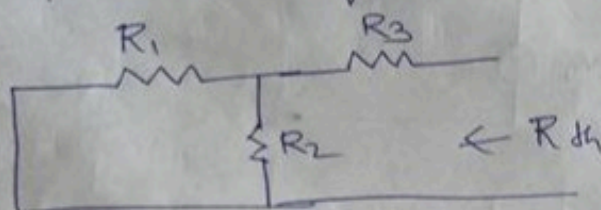


$$I = \frac{V}{R_1 + R_2}$$

$$V_{oc} = V_{th} = IR_2$$

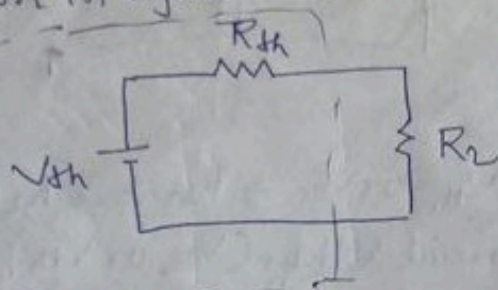
Step 2. To find R_{th} :

Remove load resistor R_L and deactivate all indep. source (Voltage source is removed by short circuiting. Current source removed by open ckt) and thevenin's equivalent resistance seen from the load terminals



$$R_{th} \rightarrow R_1 \parallel R_2 + R_3$$

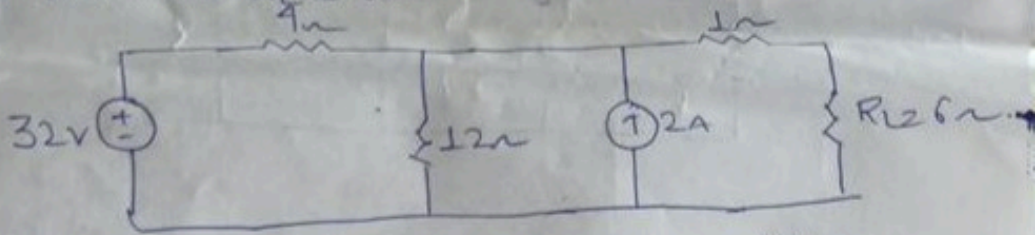
Step 3. Obtain thevenin's equivalent ckt by connecting voltage source of V_{th} in series with internal resistance of R_{th} shown in figure



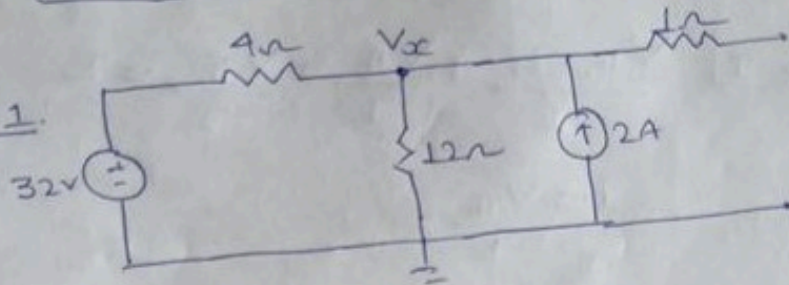
Step 4. Find the current flowing through load resistor

$$I_{L2} = \frac{V_{th}}{R_{th} + R_L}$$

Q) In the below given n/w find Current flowing through load resistance R_L is 6Ω .



Sol. Step 1.



$$\frac{V_x - 32}{4} + \frac{V_x}{12} = 2$$

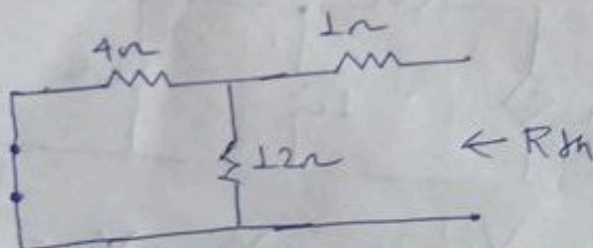
$$3V_x - 96 + V_x = 24$$

$$4V_x = 120$$

$$V_x = 30$$

$$V_{Th} = V_x = 30V$$

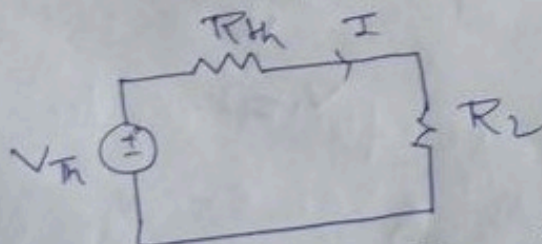
Step 2



$$R_{Th} = 1 + (12 \parallel 4)$$

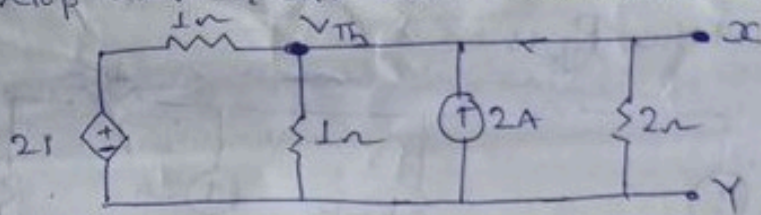
$$\Rightarrow 4\Omega$$

Step 3.



$$I = \frac{V_{Th}}{R_{Th} + R_L} \quad \therefore I = \frac{30}{4 + 6} \Rightarrow 10A$$

(Q) Develop Thevenin ckt b/w terminal x and y



Case I. $\frac{V_{Th} - 2i}{1} + \frac{V_{Th}}{1} + \frac{V_{Th}}{2} = 2$

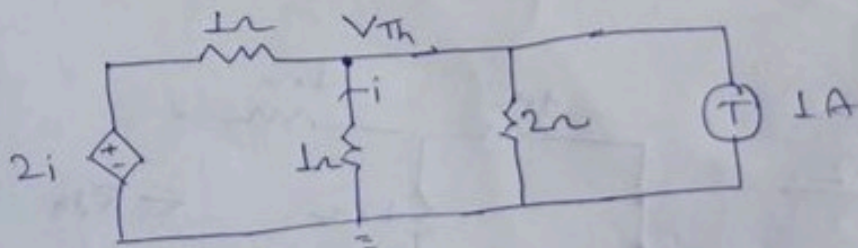
$$i = \frac{V_{Th}}{1}$$

$$2V_{Th} - 2i + \frac{V_{Th}}{2} = 2$$

$$2V_{Th} - 2V_{Th} + \frac{V_{Th}}{2} = 2$$

$$\boxed{V_{Th} = 4V}$$

Case 2

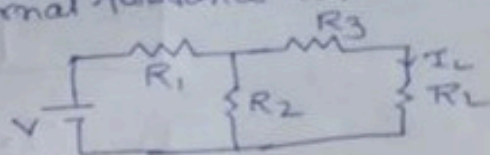


$$\frac{V_i - 2i}{1} + \frac{V_i}{1} + \frac{V_i}{2} = 1$$

$$i = \frac{V_i}{1}$$

$$V_i = 2$$

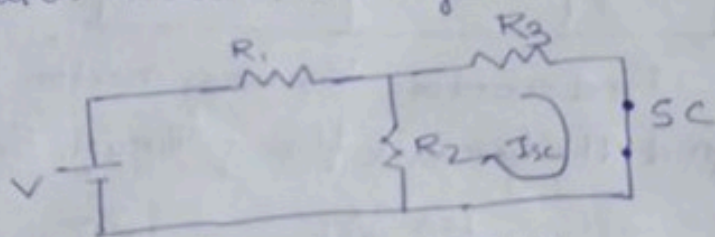
Norton's theorem \rightarrow In any linear bilateral network consisting of any number of independent or dependent sources can be replaced by an equivalent network of dependent source (I_N or I_{SC}) and parallel internal resistance R_{th}



Step.

Step 1. To Find I_N or I_{SC}

Remove R_L and short circuit the terminal further, find out short circuit current i.e. $I_N = I_{SC}$ using mesh or nodal or KCL or KVL analysis

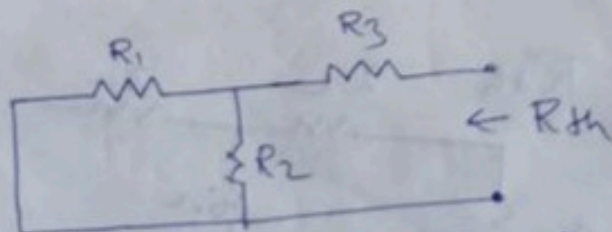


$$R_T = R_1 + R_2 \parallel R_3$$

$$I_T = \frac{V}{R_T}$$

$$I_N = I_{SC} = I_T \left(\frac{R_2}{R_2 + R_3} \right)$$

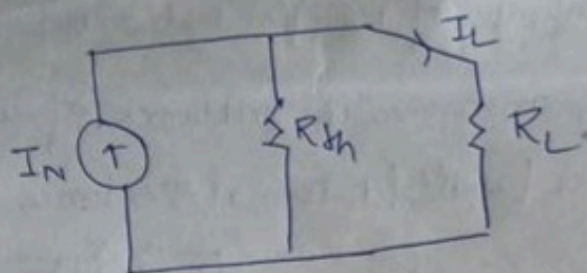
Step 2. To find R_{th}



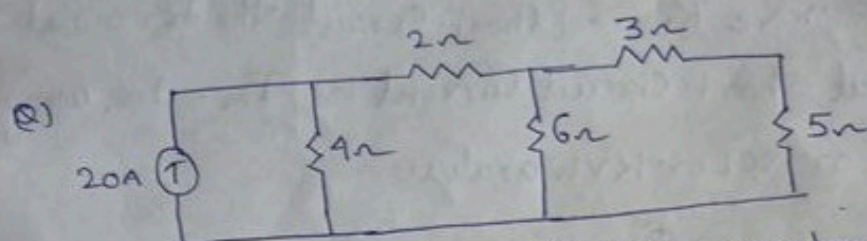
Remove load resistor R_L and deactivate all independent source, find internal resistance seen from load terminal

$$R_{th} = R_3 + \frac{R_1 R_2}{R_1 + R_2}$$

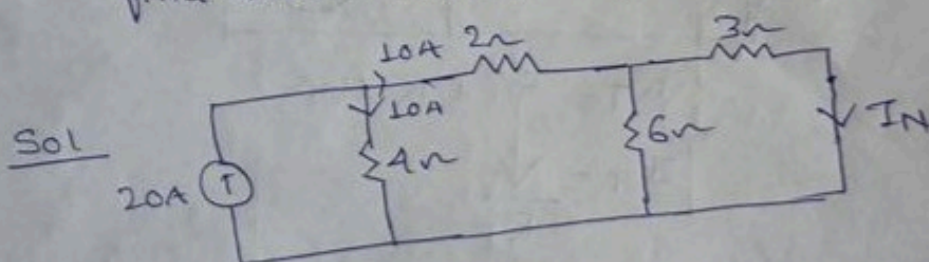
Step 3. Draw norton's equivalent ckt



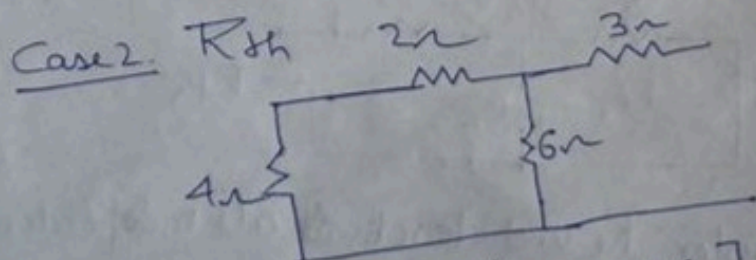
$$I_L = I_N \left(\frac{R_{th}}{R_{th} + R_L} \right)$$



~~Find current~~ By using norton theorem find the current flowing through 5Ω resistor?

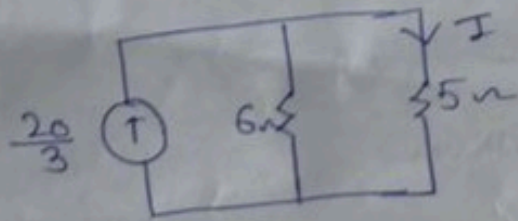


Case 1. $I_N = \frac{10}{3+6} \times 6 = \frac{60}{9} = \frac{20}{3} A$



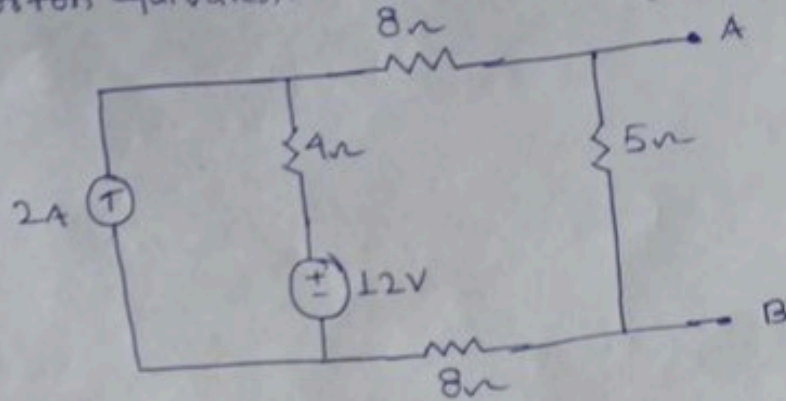
$$R_{th} = (4 + 2 \parallel 6) + 3$$

$$R_{th} = 6\Omega$$

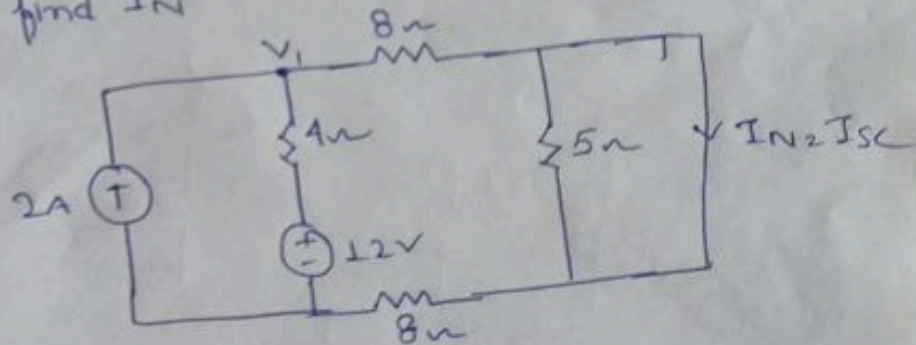


$$I = \frac{40}{11} \text{ A}$$

(Q) Find norton equivalent circuit through ~~$R_1 = 5\Omega$~~ $R_2 = 6\Omega$



Step 1. To find I_N



$$\frac{V_1 - 12}{4} + \frac{V_1}{16} = 2$$

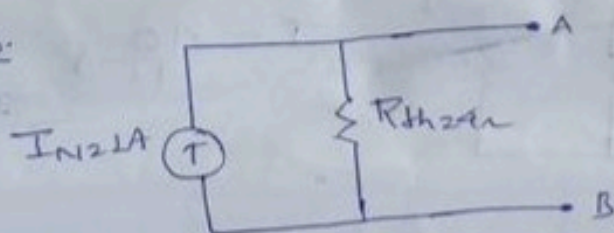
$$V_1 = 16 \text{ V}$$

$$I_N = \frac{V_1}{16} = 1 \text{ A}$$

Step 2

$$R_{th} = 25 \parallel 20 = \frac{200}{7} \approx 28.57 \Omega$$

Step 3:



$$I_N = \frac{V_{th}}{R_{th} + R_L}$$

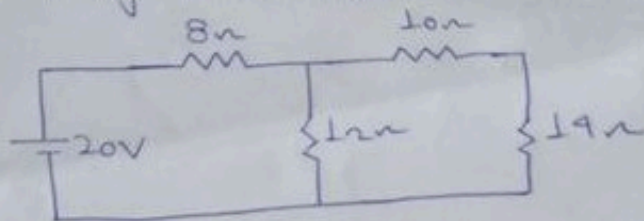
$$V_{th} = I_N (R_{th} + R_L)$$

$$I_N = \frac{V_{th}}{R_{th} + R_L}$$

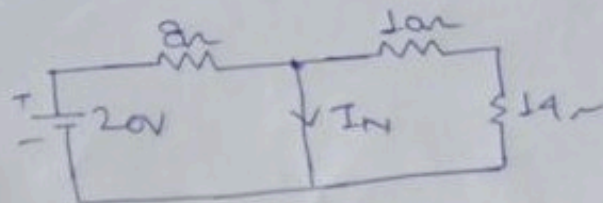
Step 4:



(Q) Find 'I' through $12\ \Omega$ resistor

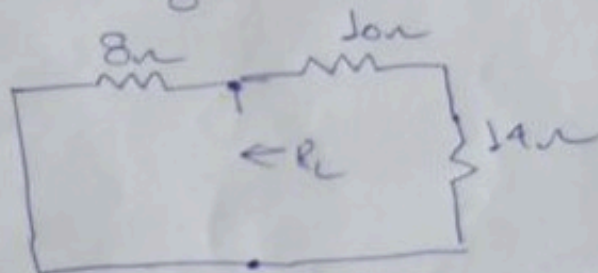


Step 1.



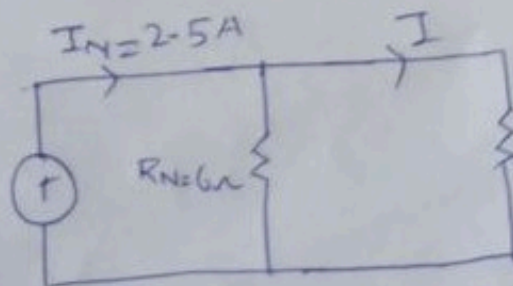
$$I_N = \frac{20}{8} \Rightarrow 2.5\text{ A}$$

Step 2



$$R_L = \frac{8 \times (10 + 14)}{8 + (10 + 14)} = 6\ \Omega$$

Step 3.



$$I = I_N \times \frac{R_N}{R_N + R_L}$$

$$\Rightarrow 2.5 \times \frac{6}{6 + 12}$$

$$\underline{\underline{= 0.833\text{ A.}}}$$