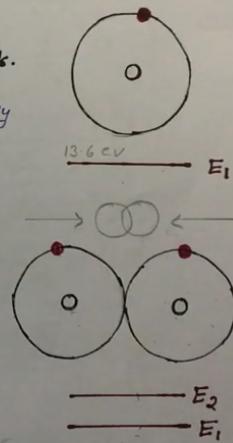


### Formation of Energy Bands in a Solid

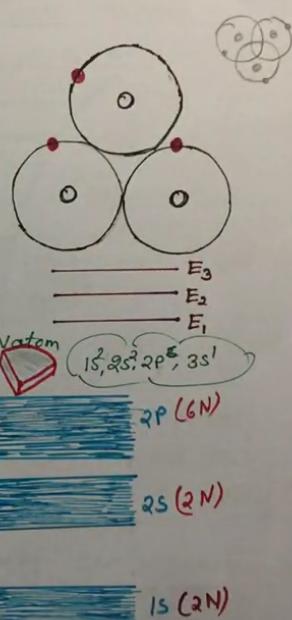
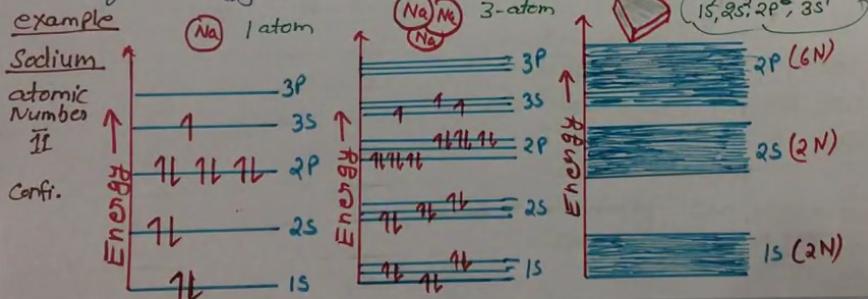
- According to Quantum mechanics the energies of electrons in a free atom can not have arbitrary values but only some (quantized) values.
- In an isolated atom the electrons are tightly bound & have discrete, sharp energy levels.
- If an atom belongs to a crystal, then the energy levels are modified.
- This modification is not in the case of energy levels of electrons in the inner shells.
- But in the outermost shells, modification is appreciable.
- When two identical atoms are brought closer the outermost orbits of these atoms overlap & interact. When the wave functions of the electrons of the different atoms begin to overlap considerably, the energy levels corresponding to these wave functions split into two.

Hydrogen - atomic no. 1  
 $H \rightarrow 1S^1$

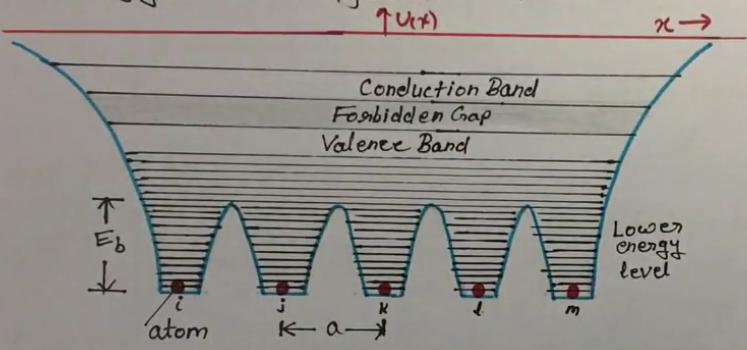


- If more atoms are brought together more levels of an atom splits into  $N$  levels of Energy.
- The width of energy band depends on the energy level of each isolated atom and on the separation between the atoms of the crystal.
- The width of energy band of low energy level is less & that of high energy level is more.

example



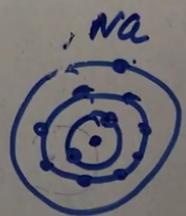
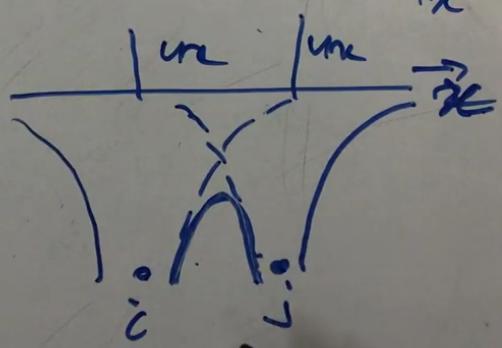
### Energy Level Diagram (1-D) Pot<sup>n</sup> well (Periodic)



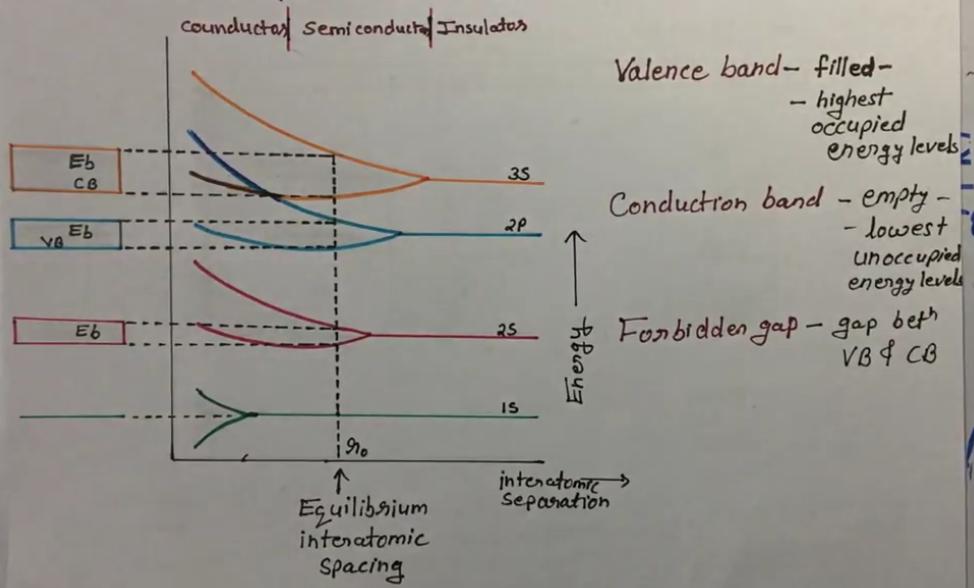
- Electron in a completely filled band can not move since all states occupied (Pauli principle)
- Similarly can not move in completely empty band.



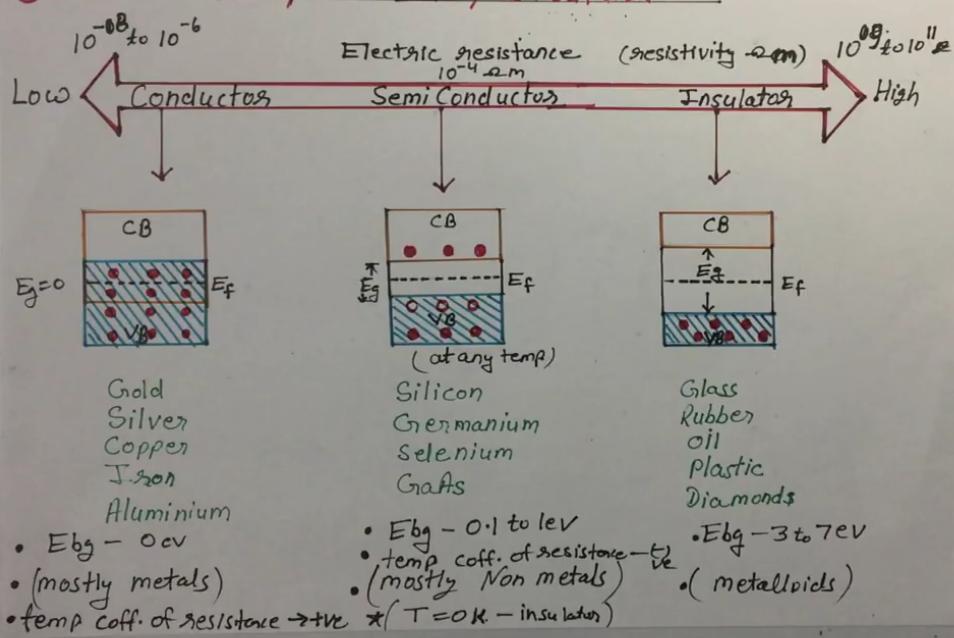
$$Q_x = \frac{-2e^2}{4\pi\epsilon_0 R}$$



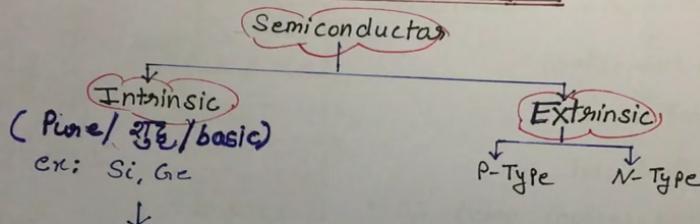
### Formation of energy levels and energy band in a solid



## Solids : Metals / Non metals / Insulators →

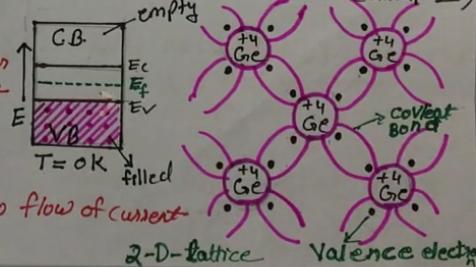


## INTRINSIC SEMICONDUCTOR

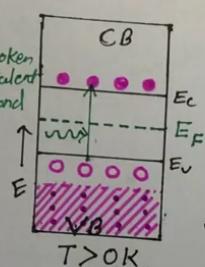
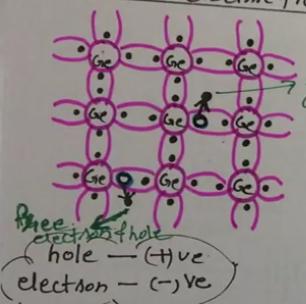


Si - atomic no.  $\rightarrow (Z=14)$   $\rightarrow$  electronic config  $\rightarrow 2, 8, 4 \rightarrow$  Valence electrons  
Ge - atomic no.  $\rightarrow (Z=32)$   $\rightarrow$  electronic config  $\rightarrow 2, 8, 18, 4 \rightarrow$  Valence electrons  
(Group IV)

- Each atom shares its four valence electrons with its four immediate neighbours, so that each atom is involved in four covalent bonds
- At normal temp. there is no flow of current
- $\nexists T=0K$ , — insulator



### Absence of electric field



- temp.  $\uparrow \rightarrow$  K.E.  $\uparrow \rightarrow$  Thermal agitations

$\downarrow$   
break Covalent bond  
 $\downarrow$   
electron free  
 $\downarrow$   
hole produce

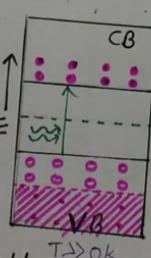
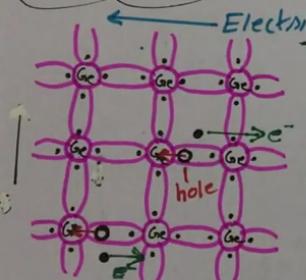
- as temp. increases  $\downarrow$   
produce electron-hole pairs

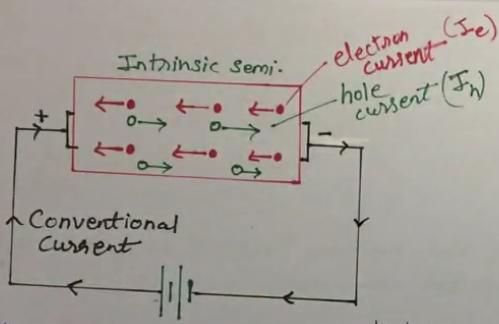
- electron and hole both  
participate in electric conduction

- apply external electric field (A)  
vacancy of electron produced due  
to breaking of covalent bond  
is filled up by the electron of  
neighbouring covalent bond &  
create hole in their position

$$n_e = n_h = n_i$$

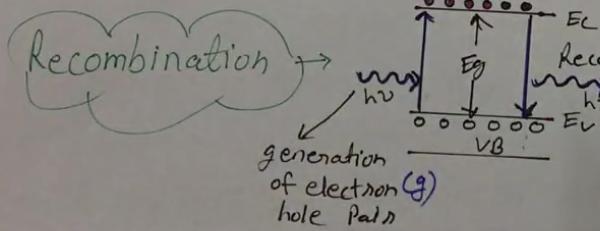
### Presence of electric field





Concentration  $n_e = n_h = n_i \rightarrow$  (intrinsic carrier density)

$$I_c > I_h$$



At  $T > 0K$  - along with generation of electron-hole pairs, recombination process also take place.

at equilibrium state  
rate of generation  
= rate of recombination

- When electric field apply the conduction electrons start moving with certain velocity opposite to field direction  
This is called drift velocity (अनुगमन वेग)
- In an electric conduction the substance remains electrically neutral because  $n_e = n_h$
- $300k \rightarrow Ge \rightarrow 2.5 \times 10^{19}$  electron-hole pairs per meter<sup>3</sup>  
 $0.5 \text{ cm} \rightarrow$  resistivity  
 $\rightarrow Si \rightarrow 1.6 \times 10^{16}$  electron-hole pairs per meter<sup>3</sup>  
 $2300 \text{ cm} \rightarrow$  resistivity
- A small amount of energy needs to make electrons free  
for Ge  $\rightarrow 0.7 \text{ eV}$  & for Si  $\rightarrow 1.1 \text{ eV}$
- Depends on temperature only.
- Electrical conductivity  $\propto$  T<sup>3</sup>
- At OK fermi level exactly lies betn VB & CB

### Fermi Level in an Intrinsic Semiconductors

- The spin of electron is  $\frac{1}{2}$ . (अन्तर्व अद्युक्तमें कार्मिक्स)
- Not more than one electron can be in the same state. (Pauli's)
- Electron has two state of spin ( $m_s = \pm \frac{1}{2}$ ).
- Degeneracy due to spin ( $g_s = 2$ ) (उपस्थिति)
- Electrons Obey the "Fermi Dirac Statistics" inside the semiconductor.
- If total no. of electron is constant then total energy of sys is also constant.

So function according to "Fermi Dirac Statistics" (फर्मी डिरैक्सिटीज)

$$f(E) = \frac{1}{1 + e^{(E - E_F)/kT}} \quad (1)$$

fermi function / energy of any state. fermi level  
 (The quantum difference which arises from the fact that particles are indistinguishable)  
 energy of Boltzmann's cons.

At  $T=0$

1) if  $E > E_f$

$$\frac{E - E_f}{kT} = +\infty$$

so  $f_E = \frac{1}{1 + e^{+\infty}} = 0$

\* There is no probability of finding an occupied quantum state of energy greater than  $E_f$  at  $T=0$

2) if  $E < E_f$

$$\frac{E - E_f}{kT} = -\infty$$

so  $f_E = \frac{1}{1 + e^{-\infty}} = 1$

\* We conclude that all quantum states with energies less than  $E_f$  will be occupied at absolute zero

At any temp. "T" ( $kT \ll E_f$ )

1)  $E > E_f$

$$f_E = 0$$

2)  $E = E_f$

$$f_E = \frac{1}{1 + e^{(E - E_f)/kT}} = \frac{1}{1 + e^0} = \frac{1}{1+1} = \frac{1}{2}$$

3)  $E < E_f$   
 $f_E < 1$

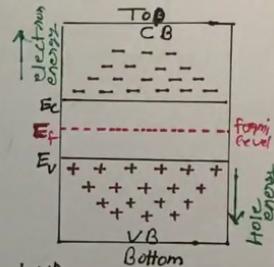
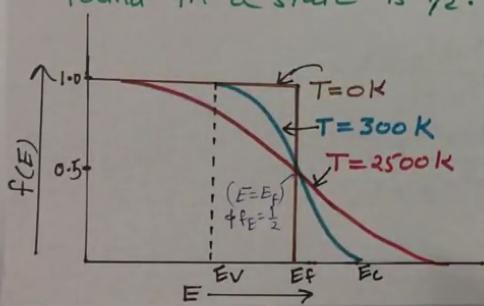
$$f_E = \frac{1}{2}$$

### Fermi Level

"Fermi level is the energy that corresponds to the centre of gravity of the conduction electrons & holes weighted according to their energies."

फर्मी लेवल वह अंतर्गत हो जो सारे बिन्दुओं के मध्यवर्ती और समान वितरण के साथ होता है।

- "The energy level corresponding to  $E = E_f$  is called fermi level."
- "Fermi energy is the energy corresponding to which the probability for electron to be found in a state is  $1/2$ ."



At  $T=0$ ,  $E_f$  lies between  $E_V$  &  $E_C$  in forbidden gap

because  $E = E_V < E_f \therefore f_{(E)} = 1$   
VB is completely filled

&  $E = E_C > E_f \therefore f_{(E)} = 0$   
CB is completely empty.

Let fermi function in CB  $\rightarrow f_{(E_c)}$   
 & VB  $\rightarrow f_{(E_v)}$

the

$$f_{(E_c)} = \frac{1}{1 + e^{(E_c - E_f)/kT}}$$

$$f_{(E_v)} = \frac{1}{1 + e^{(E_v - E_f)/kT}}$$

—②

But sum of probability of hole in VB & electron in CB is always = 1

$$f_{(E_v)} + f_{(E_c)} = 1$$

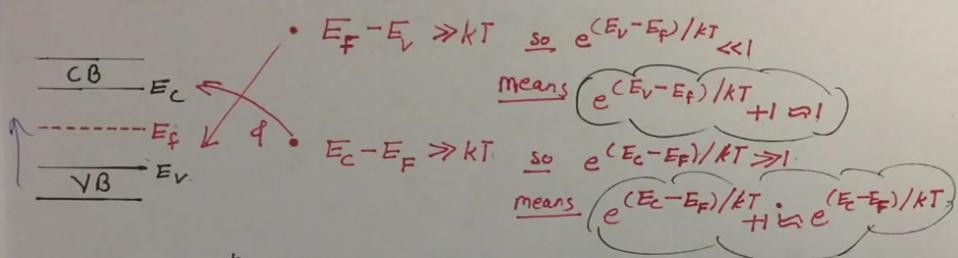
$$\therefore f_{(E_c)} = 1 - f_{(E_v)}$$

so

$$\begin{aligned} \frac{1}{1 + e^{(E_c - E_f)/kT}} &= 1 - \frac{1}{1 + e^{(E_v - E_f)/kT}} \\ &= \frac{1 + e^{(E_v - E_f)/kT}}{1 + e^{(E_v - E_f)/kT}} \\ &= \frac{e^{(E_v - E_f)/kT}}{1 + e^{(E_v - E_f)/kT}} \end{aligned}$$

—③

at ordinary temp.



Using  $e^x \approx 1 + x$

$$\frac{1}{e^{(E_C - E_F)/kT}} \approx e^{-(E_V - E_F)/kT}$$

$$\therefore e^{-(E_C - E_F)/kT} \approx e^{(E_V - E_F)/kT}$$

$$\therefore e^{(E_F - E_C)/kT} \approx e^{(E_V - E_F)/kT}$$

$$\therefore \frac{E_F - E_C}{kT} \approx \frac{E_V - E_F}{kT} \quad \left| \begin{array}{l} E_F = \frac{E_V + E_C}{2} \\ \text{- } E_V \text{ is energy level (upper) of} \\ \text{electron in VB} \end{array} \right.$$

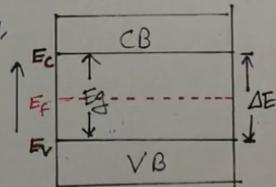
$$\therefore E_F - E_C \approx E_V - E_F$$

Now

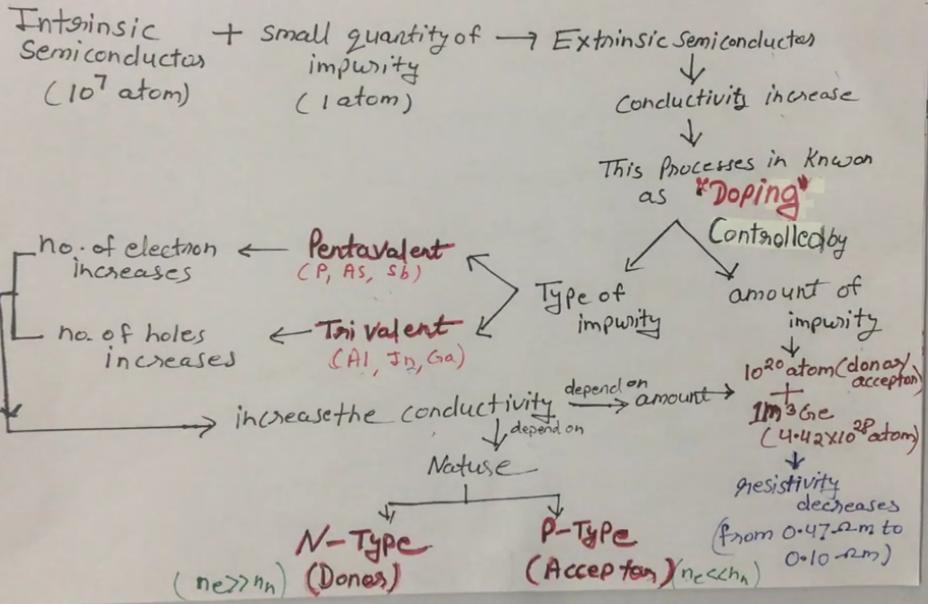
$$\begin{aligned}E_F &= \frac{E_C + E_V + E_V - E_V}{2} \\&= \frac{E_C - E_V}{2} + \frac{2E_V}{2} \\&= \frac{E_C - E_V}{2} + E_V \\&= \frac{\Delta E}{2} + 0 \quad (\because \text{suppose } E_V \text{ is taken as zero level})\end{aligned}$$

$$E_F = \frac{Eg}{2} \quad (\Delta E = E_C - E_V)$$

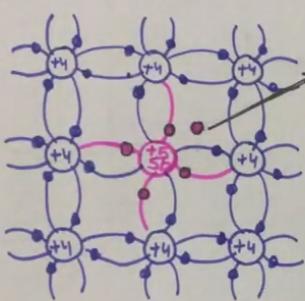
Thus in an intrinsic semiconductor,  
the fermi level lies just in  
the middle of F. Gap.



## EXTRINSIC SEMICONDUCTORS



## N-Type Semiconductor



Pure Semiconductor + pentavalent (Sb, As, P-) impurity (Ge)

Fifth valence electron bound with very small energy  $\approx 0.01\text{eV}$

This atom can be free by near 0.01 eV energy

free electron  $\rightarrow$  charge carriers

Conductivity increases due to (-ve) charge carriers

**N-Type**

\* In N-Type

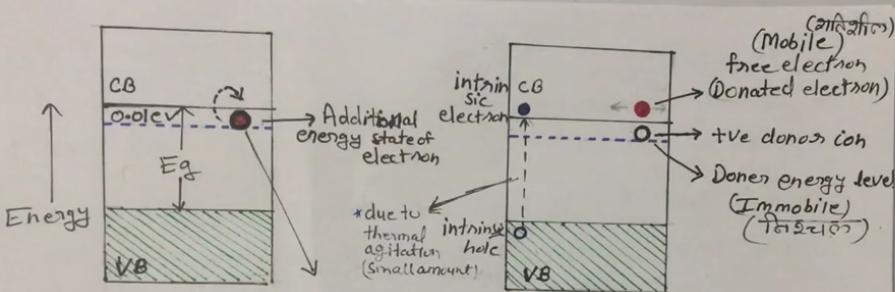
- Majority charge carrier  $\rightarrow e^-$
- Minority  $\rightarrow$  hole

Penta Valient impurity donate the free electron to semiconductor

\* At room temp. due to thermal agitation,

Few electrons present in CB  
Majority charge carriers

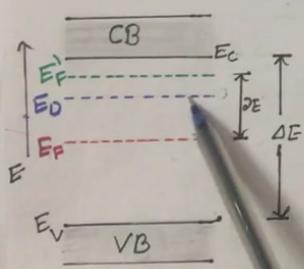
Few holes present in VB  
Majority charge carriers



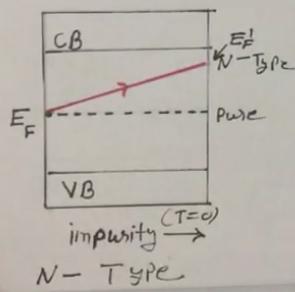
- This electron is bound with a very weak force & it can be made free from its donation by small amount of energy ( $0.01\text{eV}$ ) which is provided by the agitation.

In this process, no hole is created in the VB and electric conduction takes place due to motion of electron in the CB.

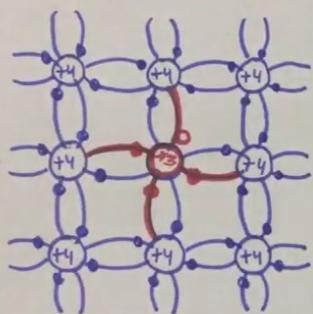
- मूल गुण से यह इनसिक्सी (electrically neutral) होता है ताकि दोनों अणुओं के बीच धनराशील चुम्बकीय बल बन सके।



- So number of holes in VB no more increases.
  - Fermi level is the energy state for which the probability of being filled is "1" at  $T=0$ .
  - So in N-Type the fermilevel  $E_F'$  does not remain in the middle of  $E_g$  (forbidden gap), it lies below the CB just middle of  $E_C \& E_D$ .
- \* AS doping increases the fermilevel reaches closer to CB



## P-Type Semiconductor

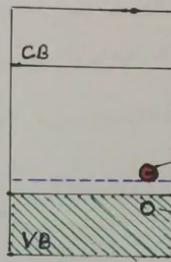
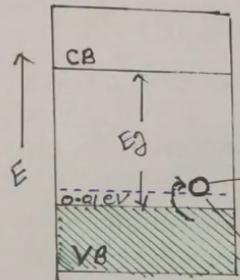


\* In P-Type

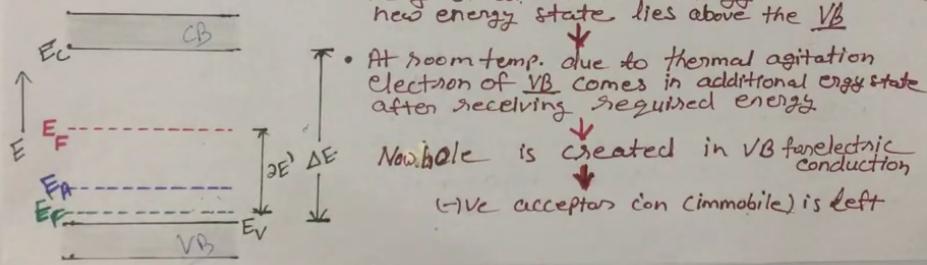
- Majority charge carrier - hole
- minority  $\rightarrow e^-$

- Pure Semiconductor (Ge) + Trivalent (Al, B, In<sup>3+</sup>)
- Covalent bond — 3 Ge + 3 In
- lack of one electron for the ~~octahedral~~ (eg. ~~octahedral~~) covalent shape.  $\rightarrow$  "Hole" (+ve)
- Hole become available for movement inside Semiconductor
- If hole  $\rightarrow$  right side, then electron  $\rightarrow$  left side.
- So +ve holes are responsible to increase conductivity
- This is known as P-Type
- Impurity atom — acceptor  
(it accepts the electron in the process of hole formation)  
at room temp  
due to thermal agitation

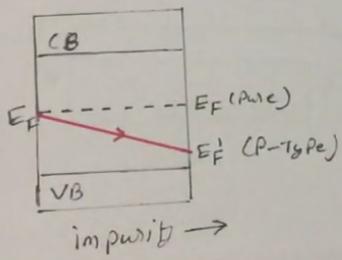
few electron in CB      few holes in VB



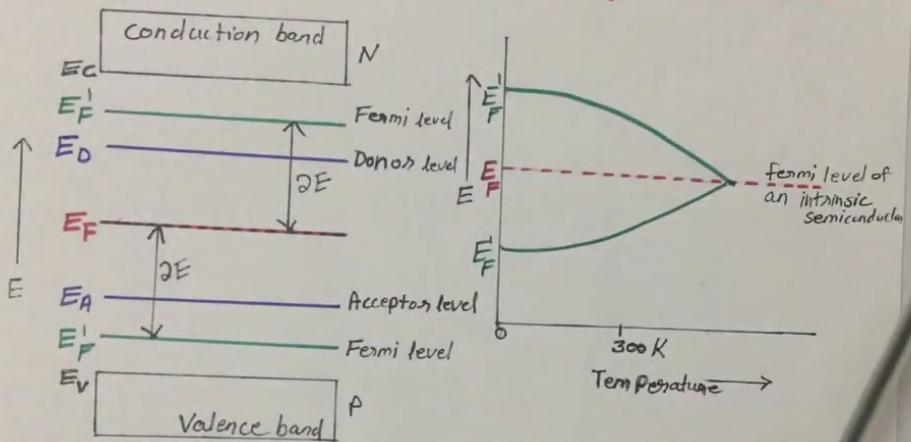
- When acceptor atom accept the electron from Ge to complete the covalent bond it becomes a  $\text{--}^{\text{+}}$ ve ion. for this
- Very small amount of energy is needed, here new energy state lies above the VB



- If all the acceptor atom get ionised  $\rightarrow$  holes are found in top VB
- due to thermal agitation only few electron from VB to jump  $\downarrow$   
 $\therefore$  no. of holes in VB is very large in comparison to electrons in CB  
 $\downarrow$   
 hence fermi level  $E_F'$  now does not remain in the middle of P-type  
 $\&$  lies near the VB just in middle of top of VB,  $E_F \neq E_A$
- \* As doping of acceptor atoms increases, the acceptor level shifts towards the Valence band.



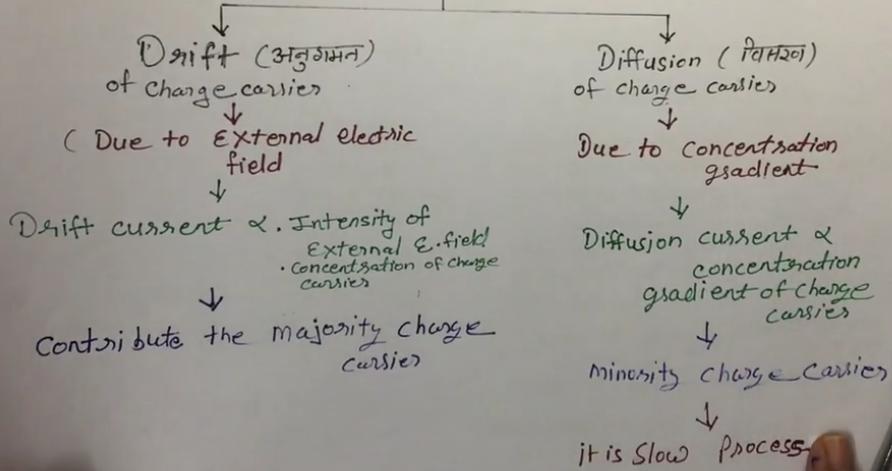
### Acceptors and donors levels in P+N type Semiconductors



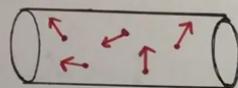
## Mechanism of current flow in N & P type semiconductors

(N & P ट्रान्सिस्टर के उत्तरायणों में चारा प्रवाह की प्रक्रिया)

Current flow in external semiconductors due to

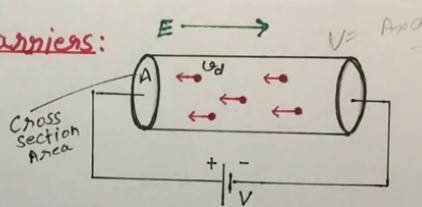


## Drift of majority charge carriers:



(a) In the absence of E-field

- N-Type — electrons move randomly due to their thermal energy
- P-Type — hole
- Direction of motion changes due to collision with the acceptor or donor ions.



(b) In the presence of E-field

- Electrons initially accelerate but soon reach a steady state average velocity.
- This average velocity is in the opposite direction of E-field and is known as drift velocity.
- In steady state,  
rate of gain in momentum due to electric field  
= rate of loss in momentum due to collision
- Now charges get a steady drift velocity due to which current flows.

$$\text{Now } \bar{F} = e\bar{E}$$

$$\text{accel. } \bar{a} = \frac{\bar{F}}{m} = \frac{e\bar{E}}{m} \text{ (opposite to the field direction)}$$

$$\text{drift velocity} = \bar{v}_d = \bar{a} \tau$$

$$\therefore v_d = -\frac{eE}{m}\tau$$

$$\therefore [v_d \propto E] \quad \begin{matrix} \text{total mobile charge in length } l \text{ of the conductor} \\ \text{no. of charges per unit volume} \\ \text{Area of cross section} \\ \text{length} \end{matrix}$$

$$\text{Now } I = \frac{Q}{t} = \frac{nAel}{t}$$

$$= nAe\frac{l}{t}$$

$$= nAe v_d \quad (\because Q = \frac{It}{t})$$

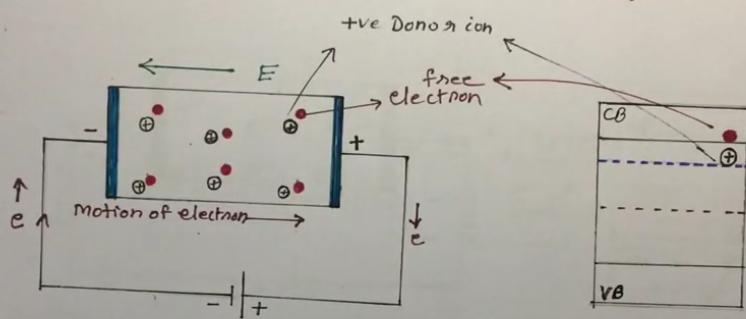
$$\therefore [I \propto v_d]$$

$$\Rightarrow \frac{I}{A} = ne v_d$$

$$[J = v_d n e]$$

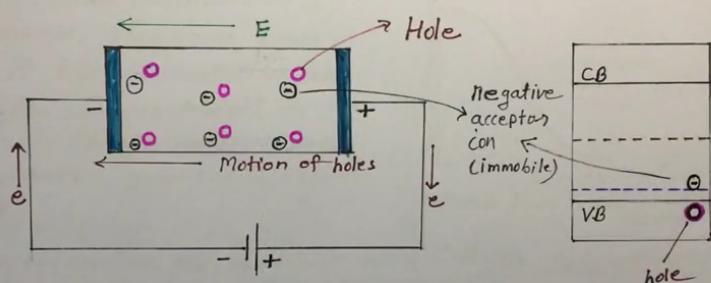
current density

Drift in N-Type Semiconductors ( $N$  प्रकार के संरूपायकों में अवधारणा)



- Free electron drift towards +ve electrode, & taken by metal of the electrode.
- Immobile +ve ion near -ve electrode do not get neutralised.
- These ion attract from +ve electrode.
- Thus electrons flow from (-)ve to +ve terminal
- Rate of flow of electron depend on Pot diff. & conductivity of semi.

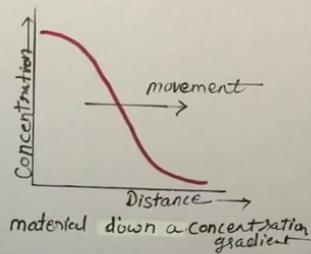
### Drift in a P-Type semiconductor (P प्रकार के अद्वितीयों में अनुगमन)



- Holes drift towards  $\rightarrow$ ve electrode & combine with electrons of metal electrode.
- Simultaneously equal no. of holes are created near  $+$ ve electrode.
- The rate of formation of holes = rate of disappearance of holes at  $\leftarrow$ ve electrode
- This rate depends on the pot<sup>n</sup> diff applied & conductivity of semiconductor
- Within P-type Semiconductor, current is from  $+$ ve  $\rightarrow$   $\leftarrow$ ve electrode due to hole. while in the external circuit the current is due to motion of electrons.

## Diffusion of minority charge carriers (मानुषिक आवश्यकीय कार्बनरों का विलयन)

Due to non uniform concentration of charge carriers, they move from a region of higher concentration to a region of lower concentration. This movement of charge carriers due to concentration gradient is called Diffusion."



- Concentration of electrons "n\_e" varies with distance "x" i.e. not with x concentration gradient  $\rightarrow -\frac{dn_e}{dx}$  along +ve x-axis

$$\therefore \boxed{j_e = -e D_e \frac{dn_e}{dx}} \quad (\because D_e - \text{Diffusion coeff. for electron})$$

- Similarly current density due to diffusion of hole

$$\boxed{j_h = -e D_h \frac{dh_h}{dx}} \quad (\because D_h - \text{Diff. coeff. for hole})$$