Assignment9_3

October 30, 2021

1 Calculate the probability of a model ensemble that uses simple majority voting making an incorrect prediction in the following scenarios

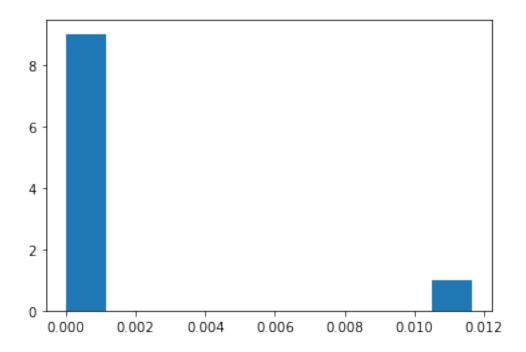
```
[2]: from scipy.stats import binom import numpy as np
```

2 1. The ensemble contains 11 independent models, all of which have an error rate of 0.2.

0.011654205439999954

```
[4]: import matplotlib.pyplot as plt
def binomcdf():
    p = 0.2
    n = 11
    x = np.ceil(n / 2)
    result = []
    for a in range(10):
        result.append(1- binom.cdf(x-1, n, p))
        x += 10
    return result

plt.hist(binomcdf())
plt.show()
```



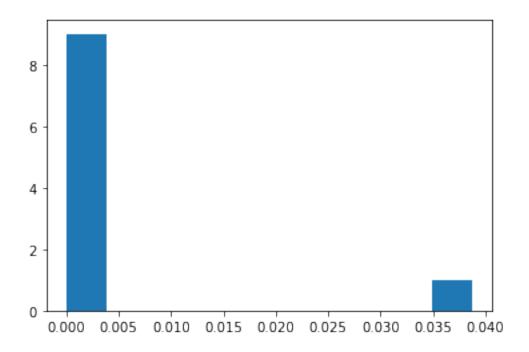
```
[5]: binomial_pmf=binom.pmf(k-1,n,p)
```

[6]: print (binomial_pmf)

0.03875536895999995

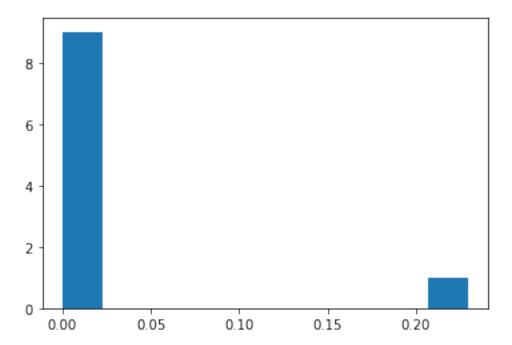
```
[7]: import matplotlib.pyplot as plt
def binompmf():
    p = 0.2
    n = 11
    x = np.ceil(n / 2)
    result = []
    for a in range(10):
        result.append(binom.pmf(x-1, n, p))
        x += 10
    return result

plt.hist(binompmf())
plt.show()
```



3 2. The ensemble contains 11 independent models, all of which have an error rate of 0.49.

```
[9]: import matplotlib.pyplot as plt
     def binompmf():
         p = 0.49
         n = 11
         x = np.ceil(n / 2)
         result = []
         for a in range(10):
             result.append(binom.pmf(x-1, n, p))
             x += 10
             print(result)
         return result
     plt.hist(binompmf())
     plt.show()
    [0.2296378289465168]
    [0.2296378289465168, 0.0]
    [0.2296378289465168, 0.0, 0.0]
    [0.2296378289465168, 0.0, 0.0, 0.0]
    [0.2296378289465168, 0.0, 0.0, 0.0, 0.0]
    [0.2296378289465168, 0.0, 0.0, 0.0, 0.0, 0.0]
    [0.2296378289465168, 0.0, 0.0, 0.0, 0.0, 0.0, 0.0]
```



```
[10]: import matplotlib.pyplot as plt
def binomcdf():
    p = 0.49
    n = 11
    x = np.ceil(n / 2)
    result = []
    for a in range(10):
        result.append(1- binom.cdf(x-1, n, p))
        x += 10
        print (result)
    return result

plt.hist(binomcdf())
    plt.show()
[0.4729477257149748]
```

```
[0.4729477257149748]

[0.4729477257149748, 0.0]

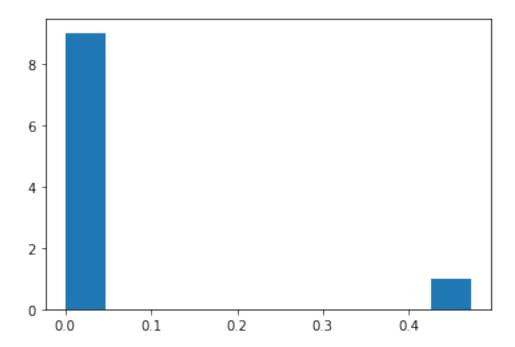
[0.4729477257149748, 0.0, 0.0]

[0.4729477257149748, 0.0, 0.0, 0.0]

[0.4729477257149748, 0.0, 0.0, 0.0, 0.0]

[0.4729477257149748, 0.0, 0.0, 0.0, 0.0, 0.0]

[0.4729477257149748, 0.0, 0.0, 0.0, 0.0, 0.0, 0.0]
```



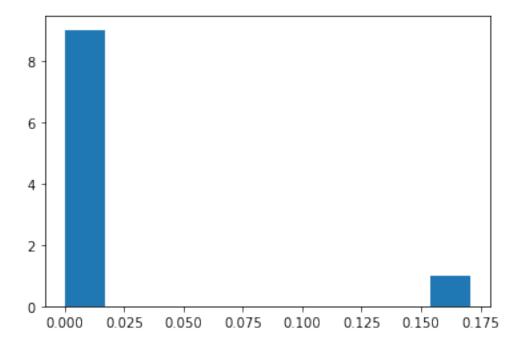
4 3.The ensemble contains 21 independent models, all of which have an error rate of 0.49.

```
[11]: def binompmf():
    p = 0.49
    n = 21
    x = np.ceil(n / 2)
    result = []
    for a in range(10):
        result.append(binom.pmf(x-1, n, p))
        x += 10
        print(result)
    return result

plt.hist(binompmf())
    plt.show()
```

```
[0.17086688342342418]
[0.17086688342342418, 6.818848969933559e-06]
[0.17086688342342418, 6.818848969933559e-06, 0.0]
```

^{[0.17086688342342418, 6.818848969933559}e-06, 0.0, 0.0]



```
[12]: def binomcdf():
    p = 0.49
    n = 21
    x = np.ceil(n / 2)
    result = []
    for a in range(10):
        result.append(1- binom.cdf(x-1, n, p))
        x += 10
        print (result)
    return result

plt.hist(binomcdf())
    plt.show()
```

```
[0.4630479010127354]
[0.4630479010127354, 3.119734822698561e-07]
[0.4630479010127354, 3.119734822698561e-07, 0.0]
[0.4630479010127354, 3.119734822698561e-07, 0.0, 0.0]
```

