



# **CHEM F111 : General Chemistry**

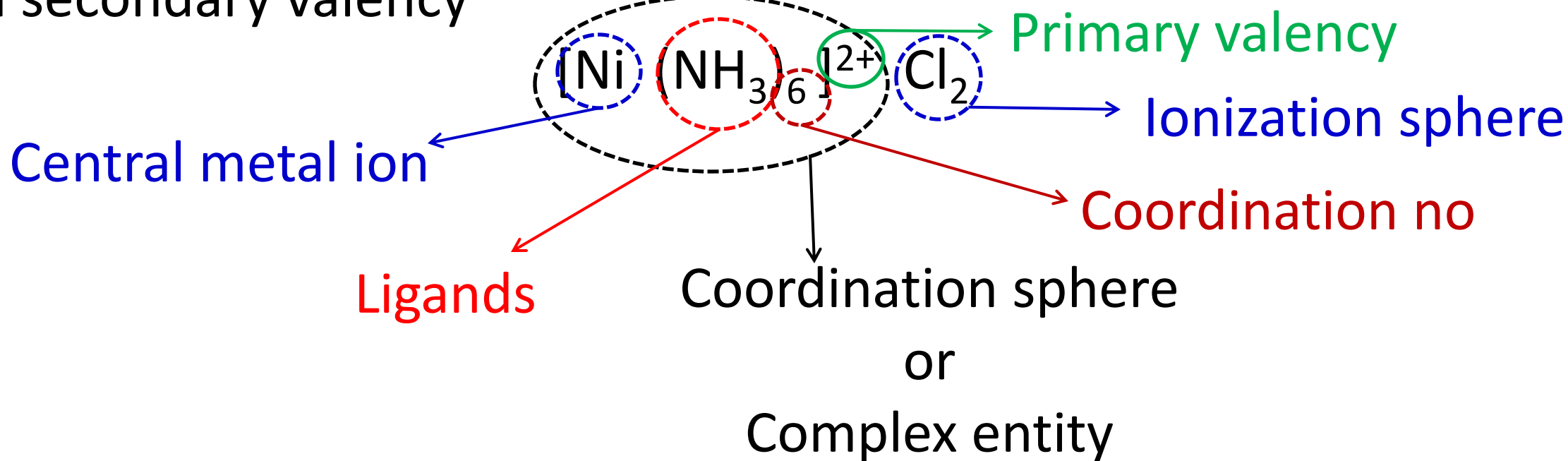
## **Semester II: AY 2017-18**

Lecture-22, 14-03-2018

# Discussed topics.....

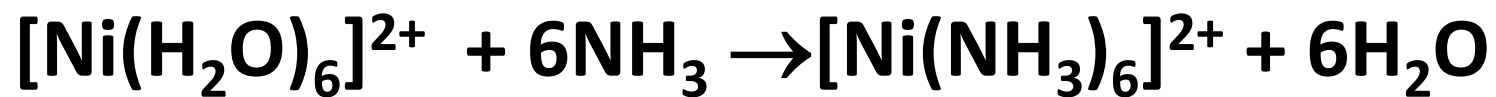
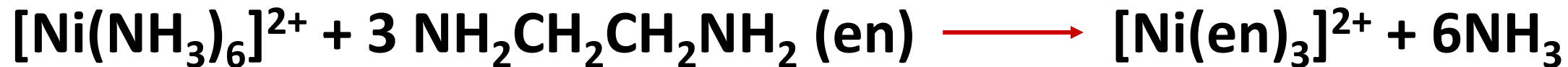


- Werner's work: Coordination sphere, Coordination No, Primary and secondary valency



- EAN, EAN violation, Stability of complexes, Effect of chelation, Chelate formation, and isomerism

# Discussed topics.....



- en and  $\text{NH}_3$  have similar N-donor environment
- en is bidentate and *chelating* ligand
- reaction proceeds towards right,  $\Delta G$  negative
- $\Delta G = \Delta H - T\Delta S$  ( $\Delta H$  -ve,  $\Delta S$  ++ve)
- reaction proceeds due to entropy gain
- $\Delta S$  ++ve is the major factor behind chelate effect

The language of valence bonding:

The nature of bond types, Promotion, Hybridization, Resonance

Drawbacks of VBT

- ✓ This theory does not discuss energies of electrons.
- ✓ The assumptions about the electrons being localized to specific locations
- ✓ Cannot account for colour of complexes
- ✓ May predict magnetism wrongly
- ✓ Cannot account for spectrochemical series

## Crystal Field Theory

- Model for bonding in transition metal complexes
- Focuses on d-orbitals
- Ligands are considered as *point negative charges*
- Assumes ionic bonding: *electrostatic interactions*
- Electrostatic interactions: metal ions (+ve centre) attracted to ligands (-ve centre)

# d-orbital expressions



$$\Psi_{3d_{\pm 1}} = Mr^2 e^{-Zr/3a_0} \sin 2\theta e^{\pm i\phi}$$

$$\Psi_{3d_{\pm 2}} = Mr^2 e^{-Zr/3a_0} \sin^2 \theta e^{\pm 2i\phi}$$

$$\Psi_{3d_{xz}} = Mr^2 e^{-Zr/3a_0} \sin 2\theta \cos \phi$$

$$\Psi_{3d_{yz}} = Mr^2 e^{-Zr/3a_0} \sin 2\theta \sin \phi$$

$$\Psi_{3d_{x^2-y^2}} = Mr^2 e^{-Zr/3a_0} \sin^2 \theta \cos 2\phi$$

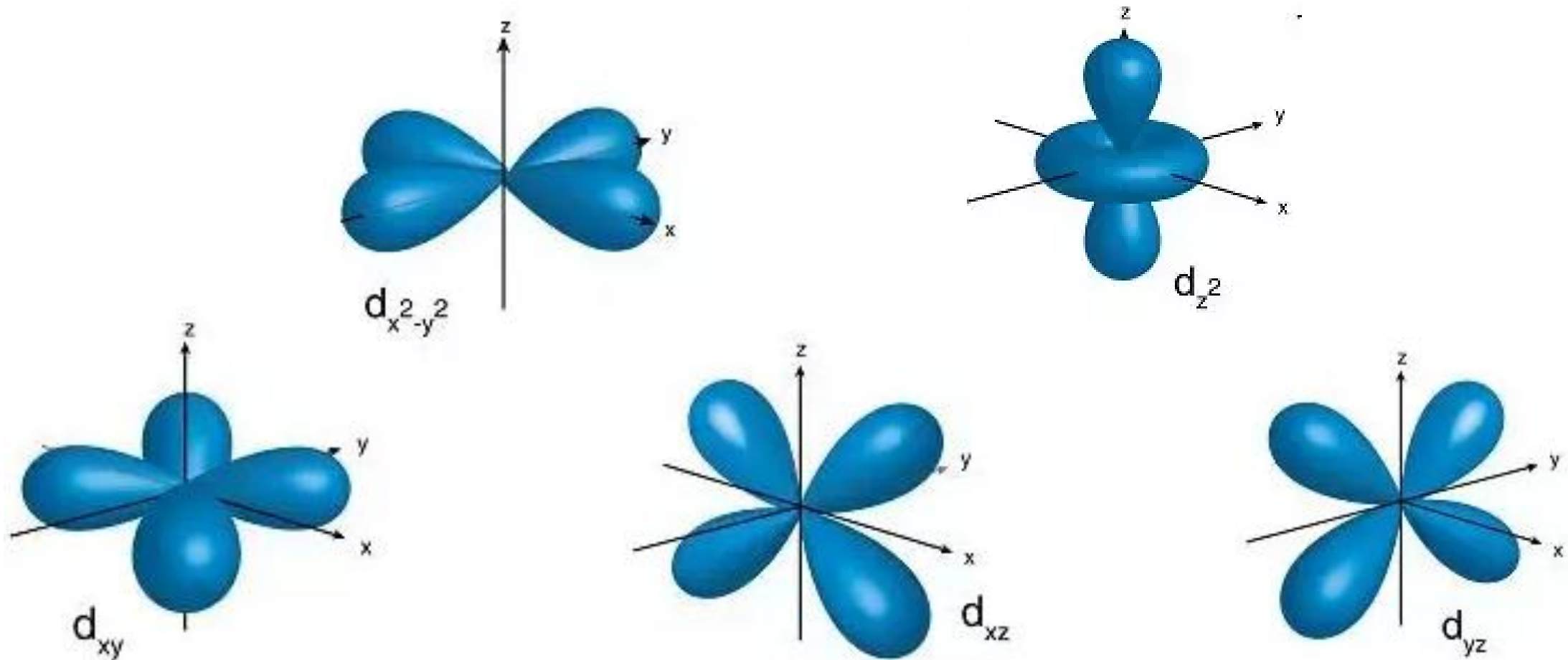
$$\Psi_{3d_{xy}} = Mr^2 e^{-Zr/3a_0} \sin^2 \theta \sin 2\phi$$

$n=3, l=2$

(not in syllabus)

# Shapes of d-orbital

CFT: Accounts for observed properties of transition metal complexes  
focuses on d-orbitals



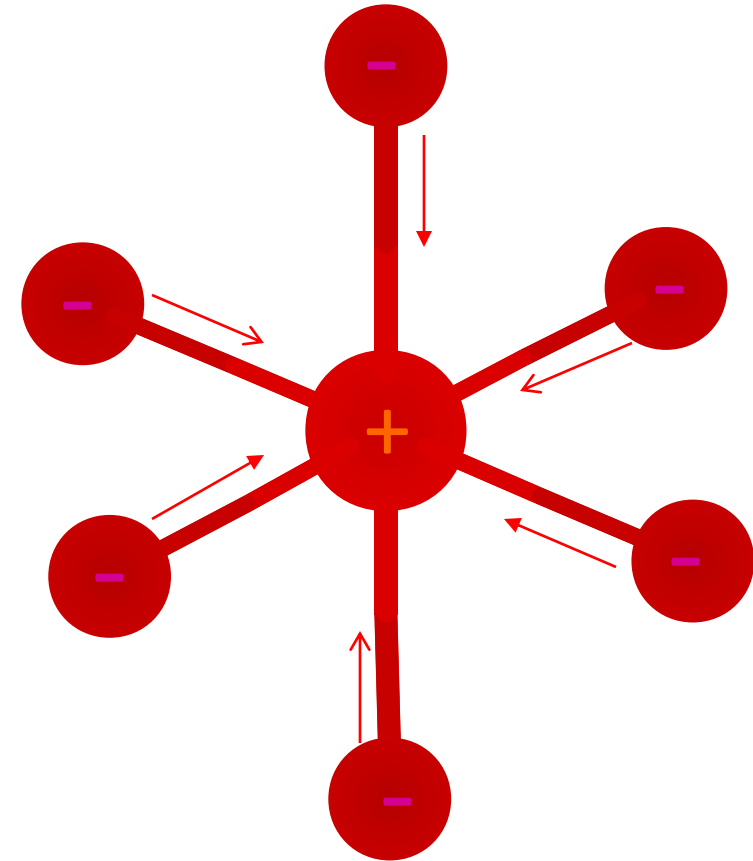
# Crystal Field Theory



## Octahedral Crystal Field

(-) Ligands attracted to (+) metal ion; provides stability

d orbital e<sup>-</sup>'s repulsed by (-) ligands; increases d orbital potential energy



**ligands approach along x, y, z axes**

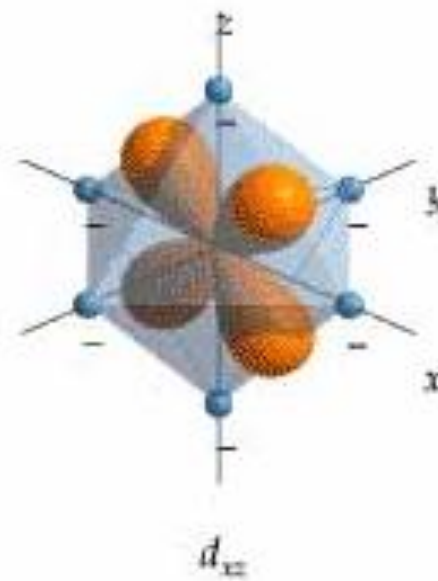
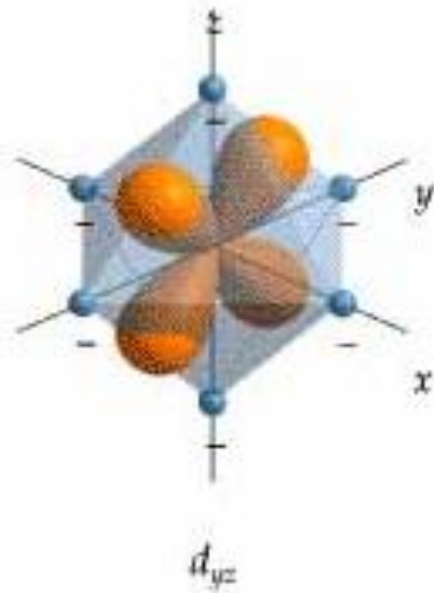
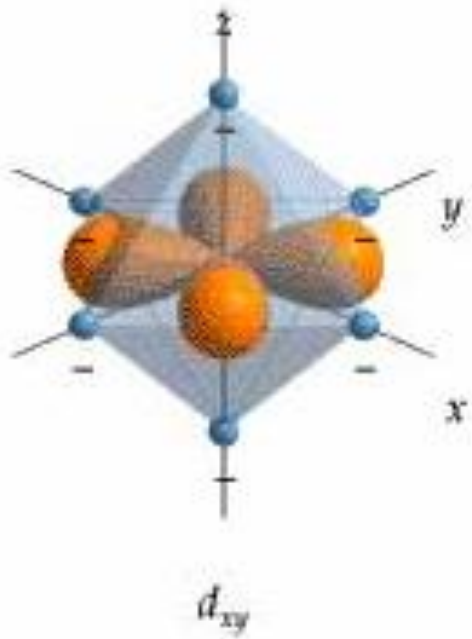
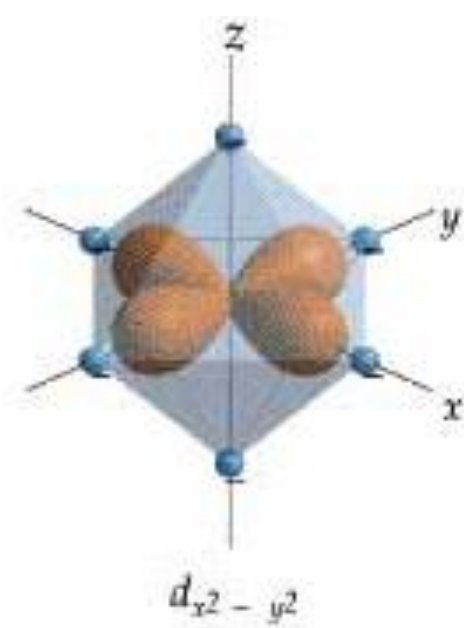
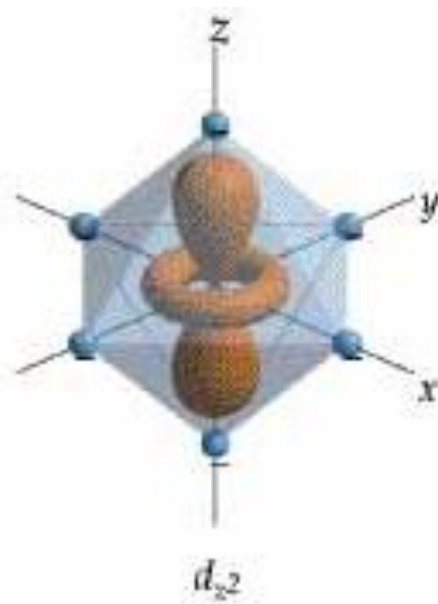
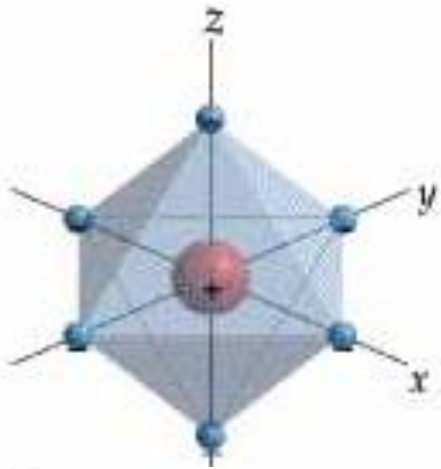


# Crystal Field Theory

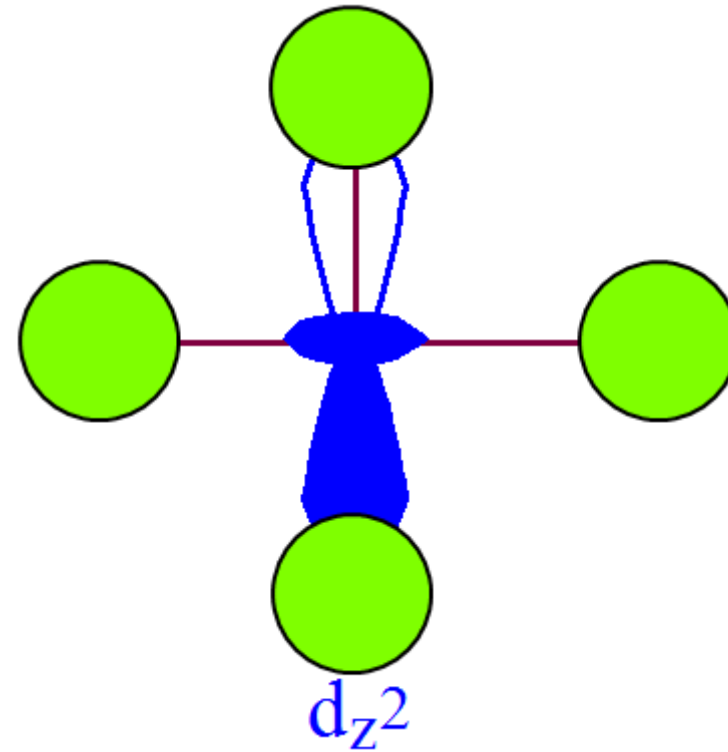
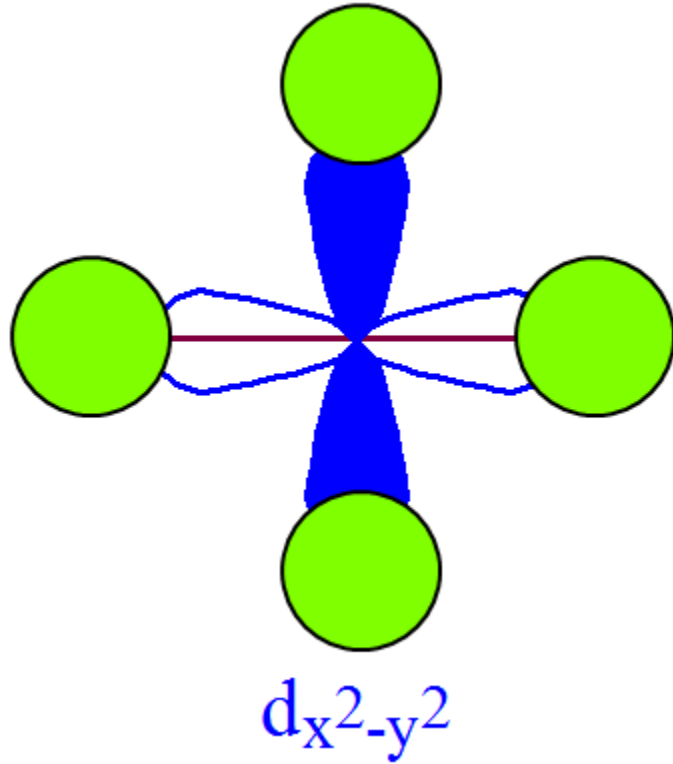
innovate

achieve

lead



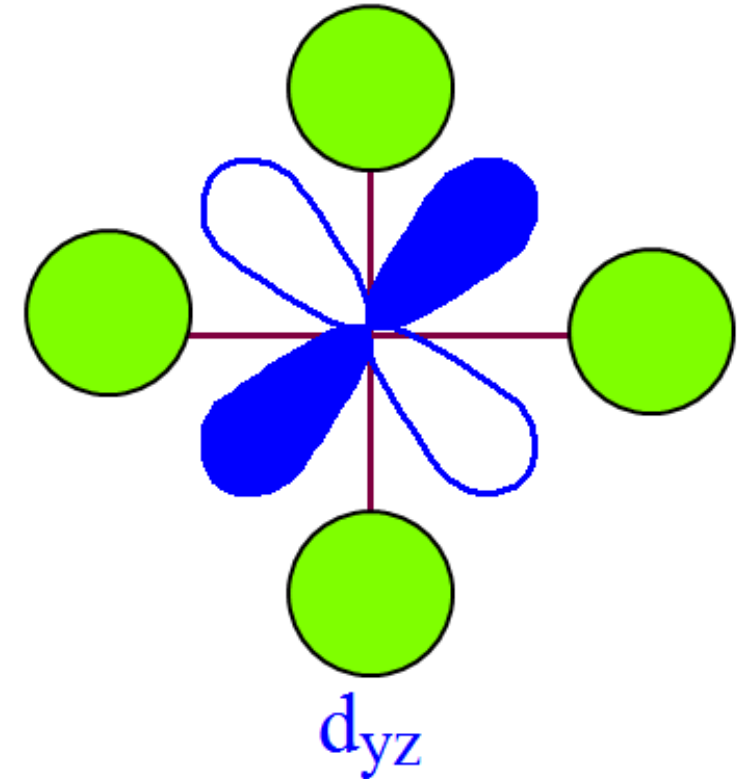
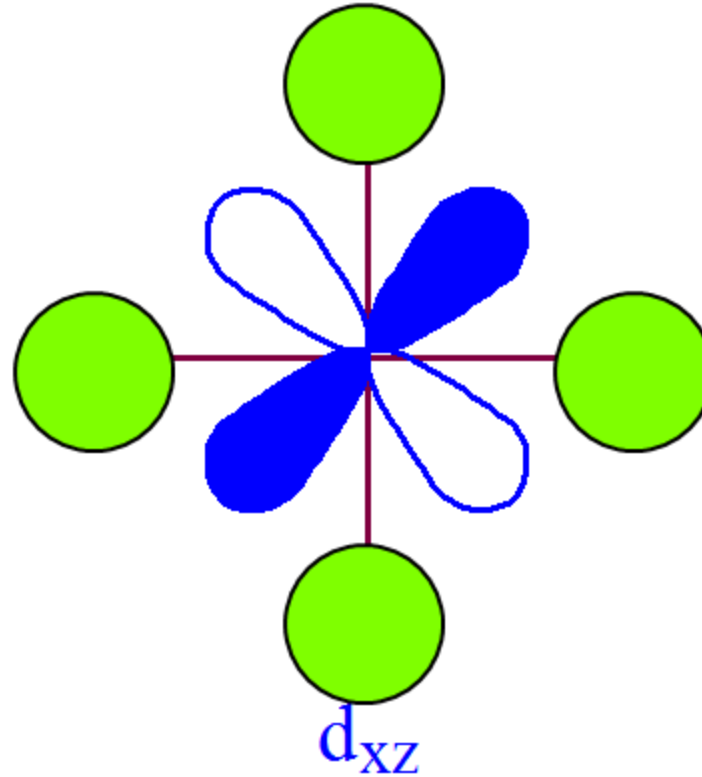
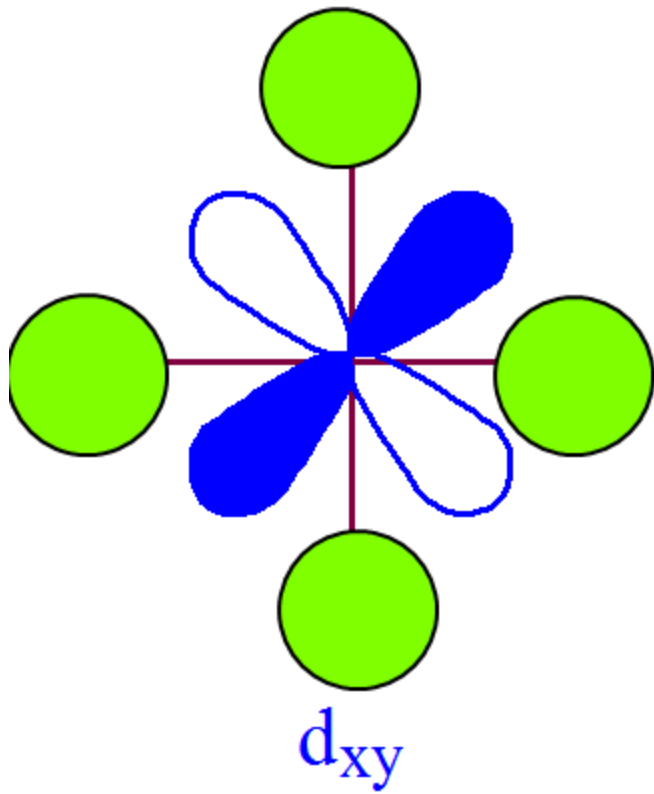
# Crystal Field Theory



Lobes are directed towards ligands

greater electrostatic repulsion = higher potential energy

# Crystal Field Theory

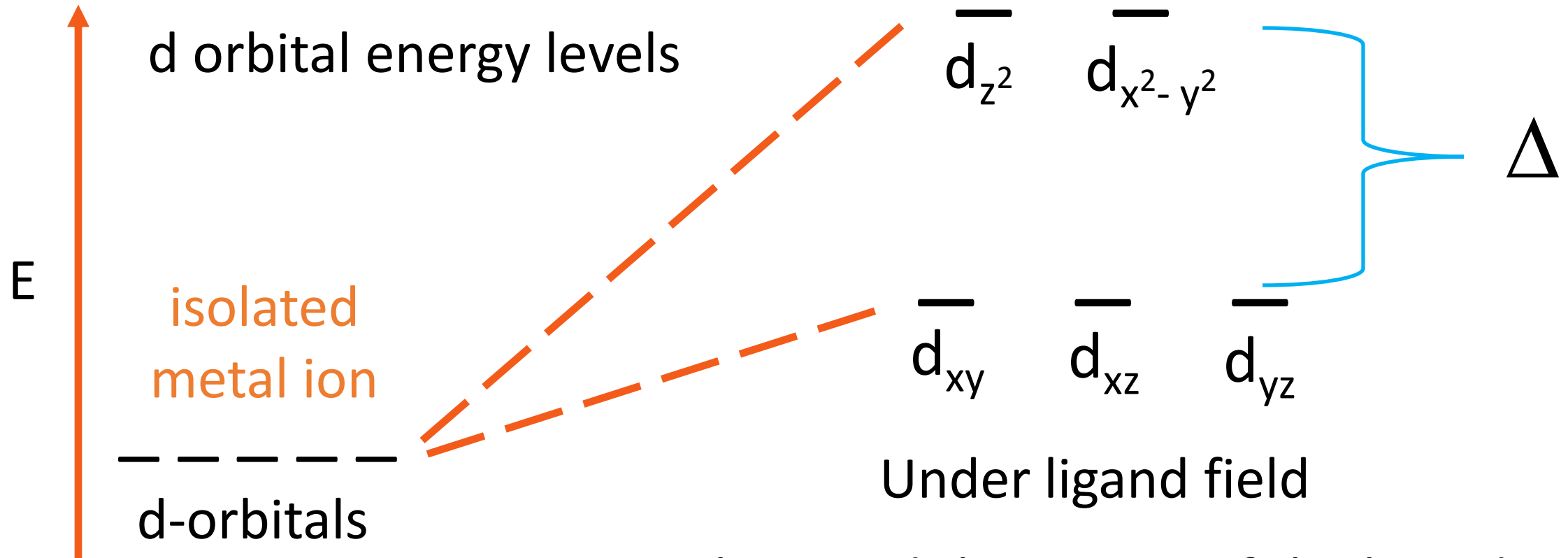


Lobes are directed between the ligands  
less electrostatic repulsion = lower potential energy

# Crystal Field Theory



## Octahedral crystal field

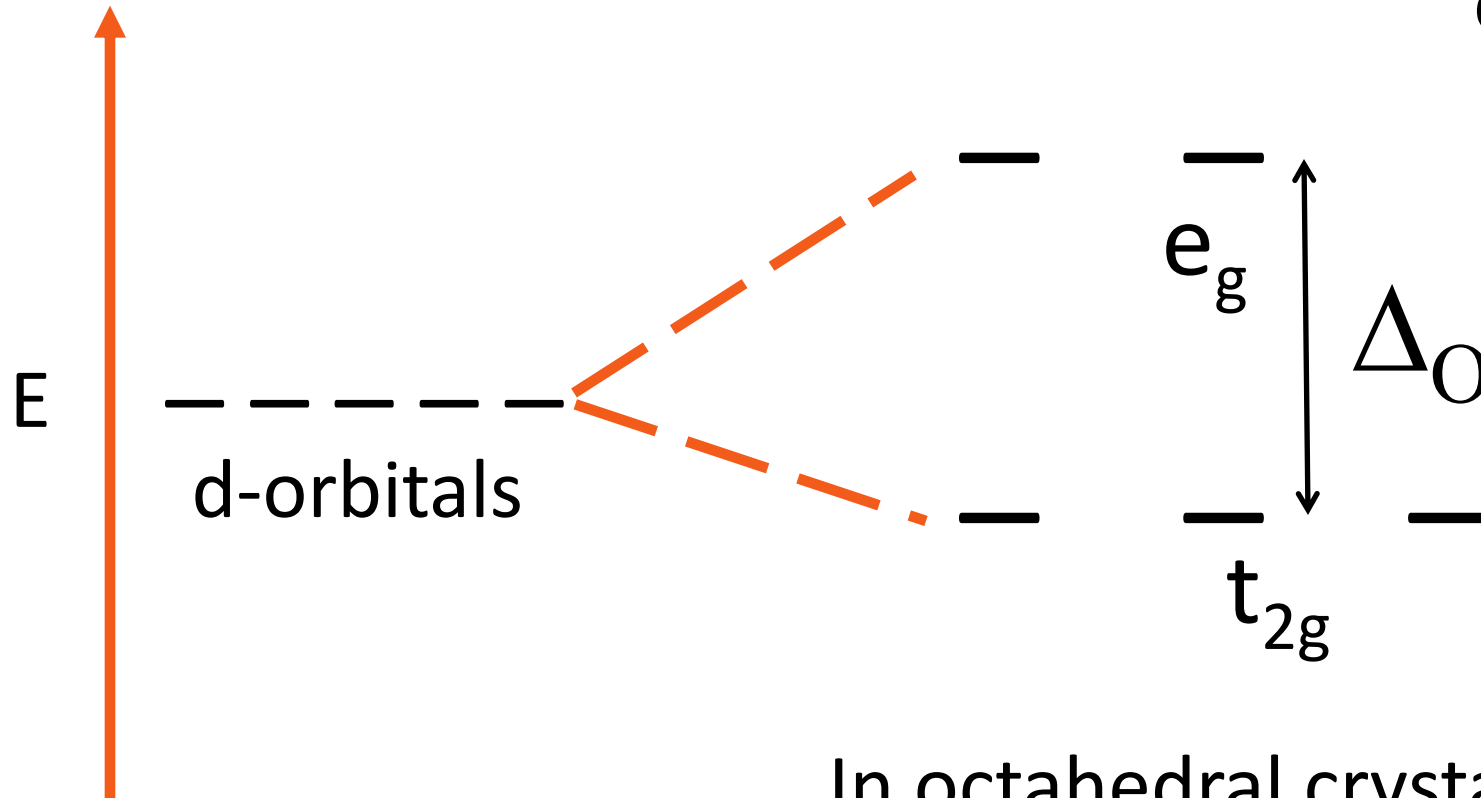


Metal ion and the nature of the ligand determines  $\Delta$

# Crystal Field Theory



d orbital energy levels



Crystal field splitting in an octahedral field

Determined by metal ion and ligand

In octahedral crystal field

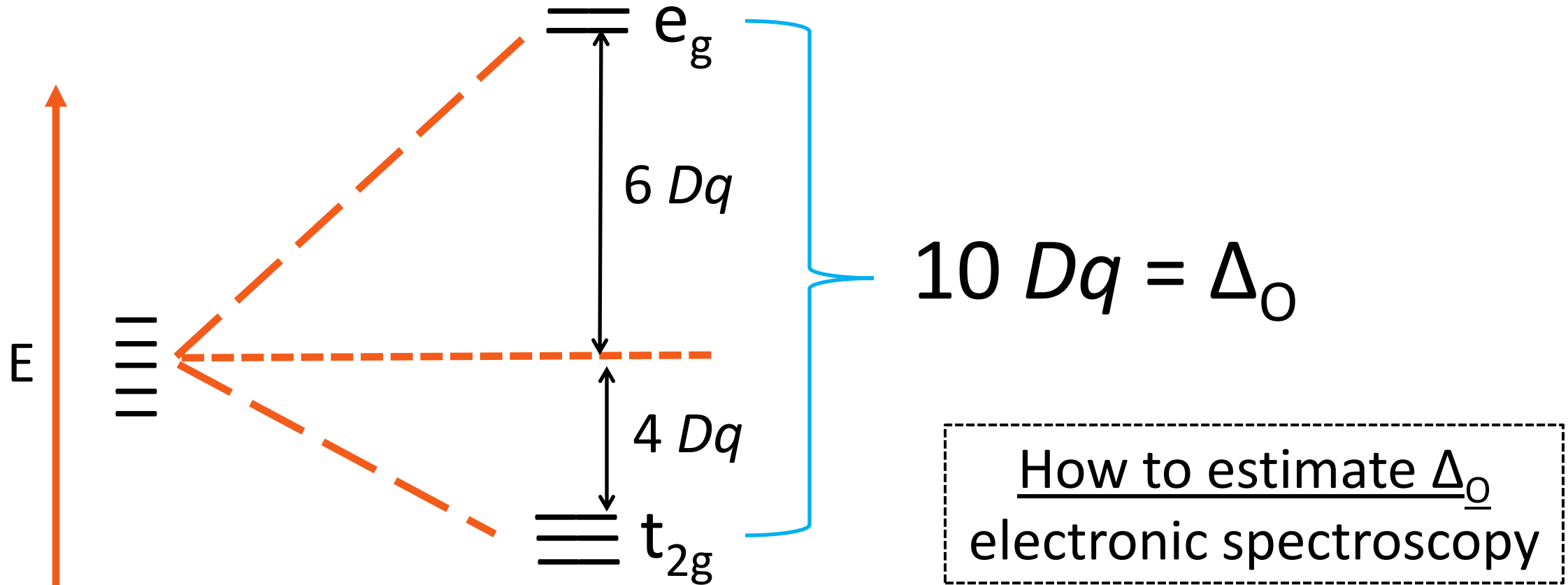
# Crystal Field Theory



- ✓  $e_g$  orbitals ( $d_x^2-d_y^2$ ,  $d_z^2$ ) are along Inter Nuclear Axes (Metal-Ligand bond axes) : more repulsion : high energy
- ✓  $t_{2g}$  orbitals ( $d_{xy}$ ,  $d_{yz}$ ,  $d_{zx}$ ) are away from Inter Nuclear Axis (Metal-Ligand bond axes): less repulsion : low energy
- ✓ We don't refer to isolated metal atom/ion any more; The weighted mean of these two levels is assumed to be zero; called Bari center.

$$\Delta_{\text{oct}} = \Delta_o = 10 Dq \text{ (different notations for the splitting)}$$

# Crystal Field Theory



$$6 Dq = 0.6 \Delta_o \text{ and } 4 Dq = 0.4 \Delta_o$$

# Estimation of $\Delta_o$



$\Delta_o$  can be measured directly from electronic spectra for  $d^1$  and  $d^9$  systems;

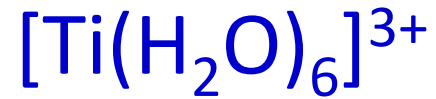
In other  $d^n$  cases we can obtain it from calculations using the spectral data.

Consider  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$ ,  $\text{Ti}^{3+}$ :  $3d^1$  therefore,  $t_{2g} \rightarrow e_g$  transition





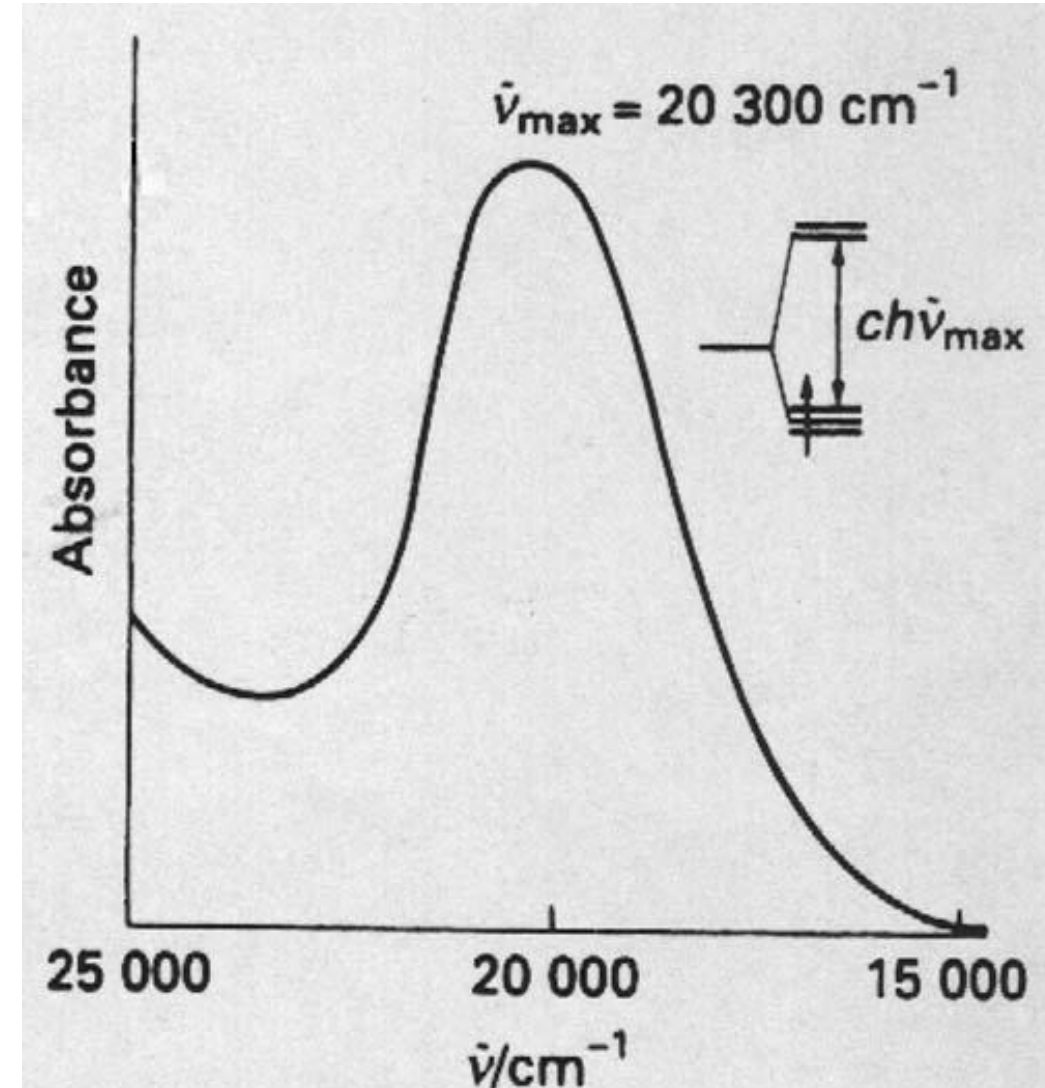
# Estimation of $\Delta_o$



$$\Delta_o = 20,300/83.7 = 243 \text{ kJmol}^{-1}$$

Complex is reddish violet in color;

Yellow and green light are absorbed and hence the complementary color is seen.



# Crystal Field Theory

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The magnitude (value) of  $\Delta_o$  depends on

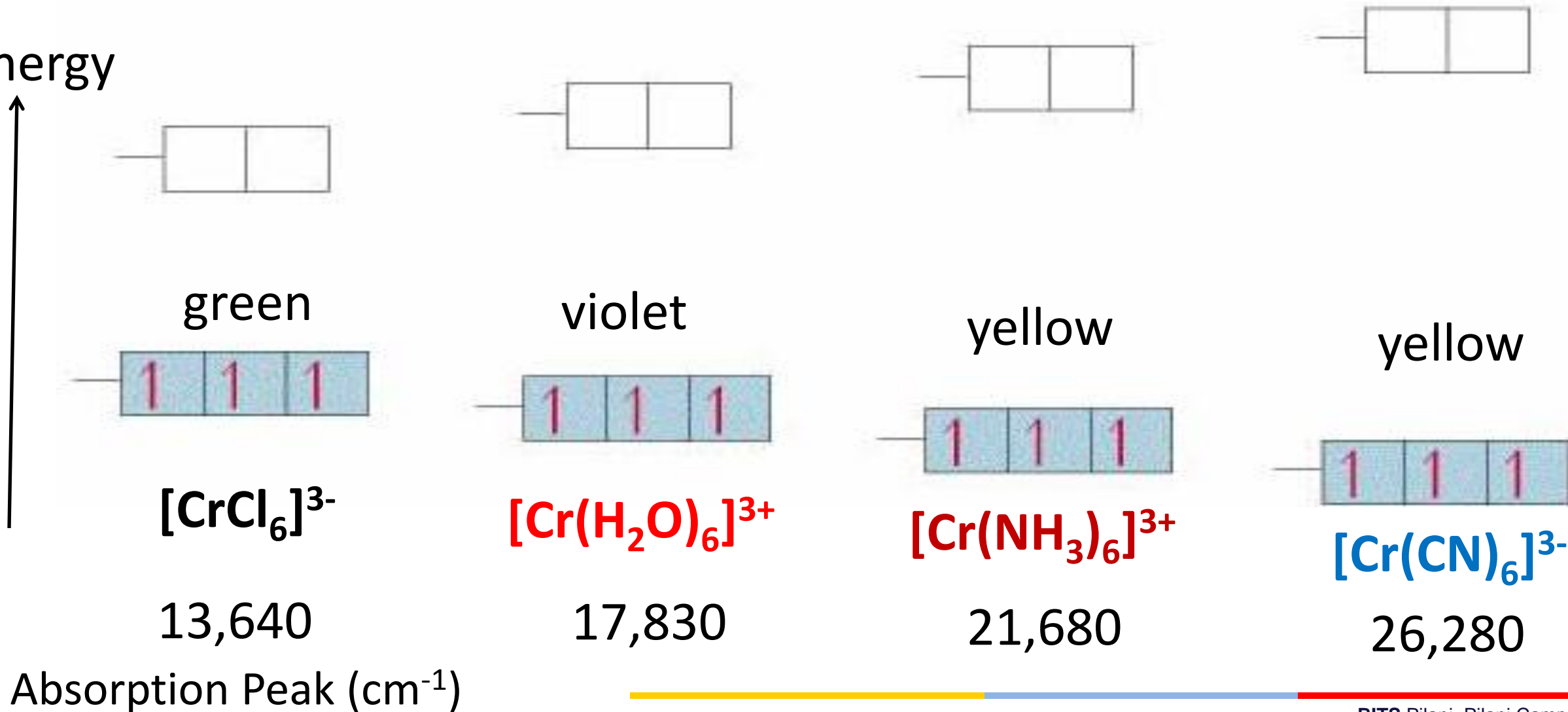
1. Nature/type of the ligand
2. Charge on the metal ion
3. Size of the metal ion; i.e., whether the metal ion belongs to I, II, or III row transition elements

# Nature/type of the ligand



All other factors SAME while making comparisons. Consider Cr<sup>3+</sup> (d<sup>3</sup> system)

energy

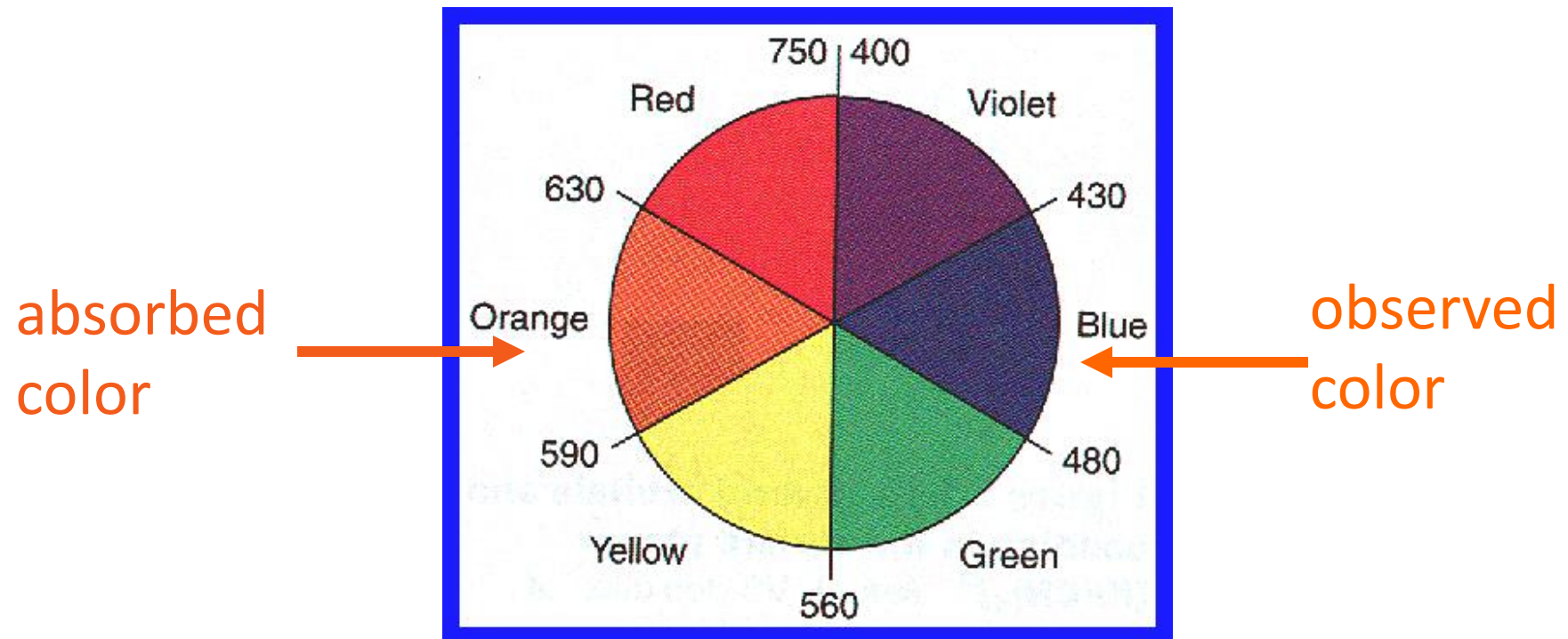


# Color of Transition metal comp



Compounds/complexes that have color:

- absorb specific wavelengths of visible light (400 – 700 nm)
- color observed = complementary color of color absorbed



# Nature/type of the ligand



From the previous data of chromium complexes, we can write the  $\Delta_o$  value for



weak field

strong field

This **experimentally determined** series is known as spectrochemical series

$\Delta_o$  values range from  $7000 \text{ cm}^{-1}$  to  $30,000 \text{ cm}^{-1}$

# Nature/type of the ligand



- The position of  $\lambda_{\max}$  and hence  $\Delta_o$  varies w.r.t. the chemical nature of the ligand
- Ligands which cause only a small degree of crystal field splitting (low  $\Delta_o$  value) are called WEAK ligands
- Ligands which cause large crystal field splitting (high  $\Delta_o$  value) are called STRONG ligands

# Spectrochemical series



**Smallest  $\Delta$**

(weak)  $I^- < Br^- < S^{2-} < SCN^- < Cl^- < NO_3^- < F^- < OH^- < EtOH$  (ethanol)  
 $< C_2O_4^{2-}$  (oxalate)  $< H_2O < EDTA < NCS^- < CH_3CN < NH_3 < en < bipy <$   
 $phen < NO_2^- < PPh_3 < CN^- < CO$  (strong) **Largest  $\Delta$**

- There is no visible pattern
- No charge or size correlation
- Both the sigma and pi bonding nature along with electrostatic attractions determine the crystal field splitting  $\Delta_o$
- A pattern of increasing sigma donation

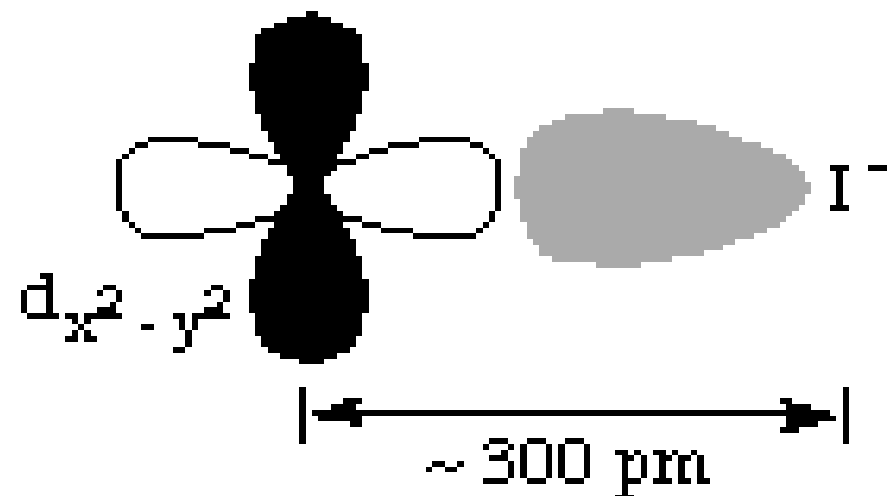
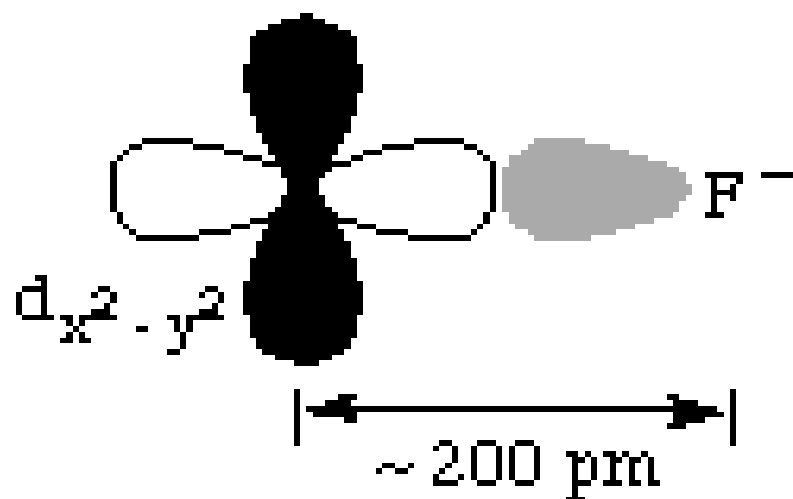
Halide donors  $<$  O donors  $<$  N donors  $<$  C donors

# Spectrochemical series



Within halide donors for  $\Delta_o$ :  $\text{I}^- < \text{Br}^- < \text{Cl}^- < \text{F}^-$ .

This can be explained in terms of **electrostatic repulsions**.  $\text{F}^-$  is of small size and hence more closer bonding and more repulsion (higher  $\Delta_o$ )





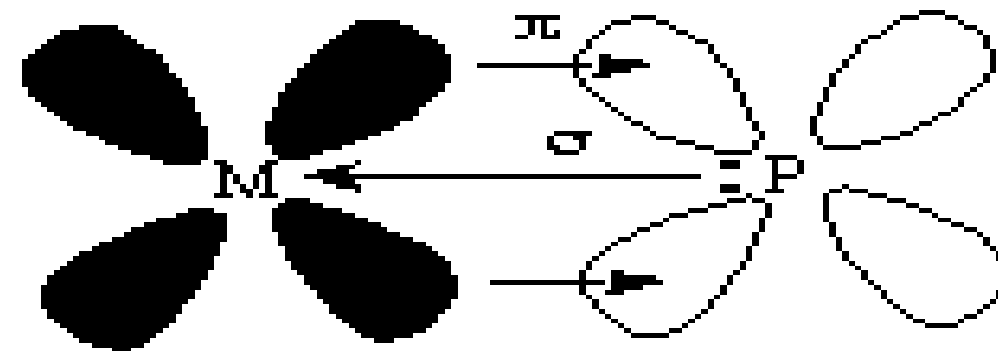
# Spectrochemical series



Consider  $\text{PPh}_3 < \text{CN}^- < \text{CO}$

- $\Delta_o$  of  $\text{CN}^-$  is almost double that of  $\text{I}^-$ ; This can not be explained by simple CFT. Covalent bonding of  $\sigma$  and  $\pi$  types of bonding is to be included.
- Carbonyl, phosphines are neutral ligands and still produce the maximum splitting of d orbitals which implies electrostatic-point charge model is not sufficient.

$\pi$  (pi) back bonding from metal  $t_{2g}$   
→ vacant ligand orbital



$\text{PPh}_3$ ,  $\text{CN}^-$ ,  $\text{CO}$  are called  $\pi$  acceptors.

# Electronic configuration in Oh com.



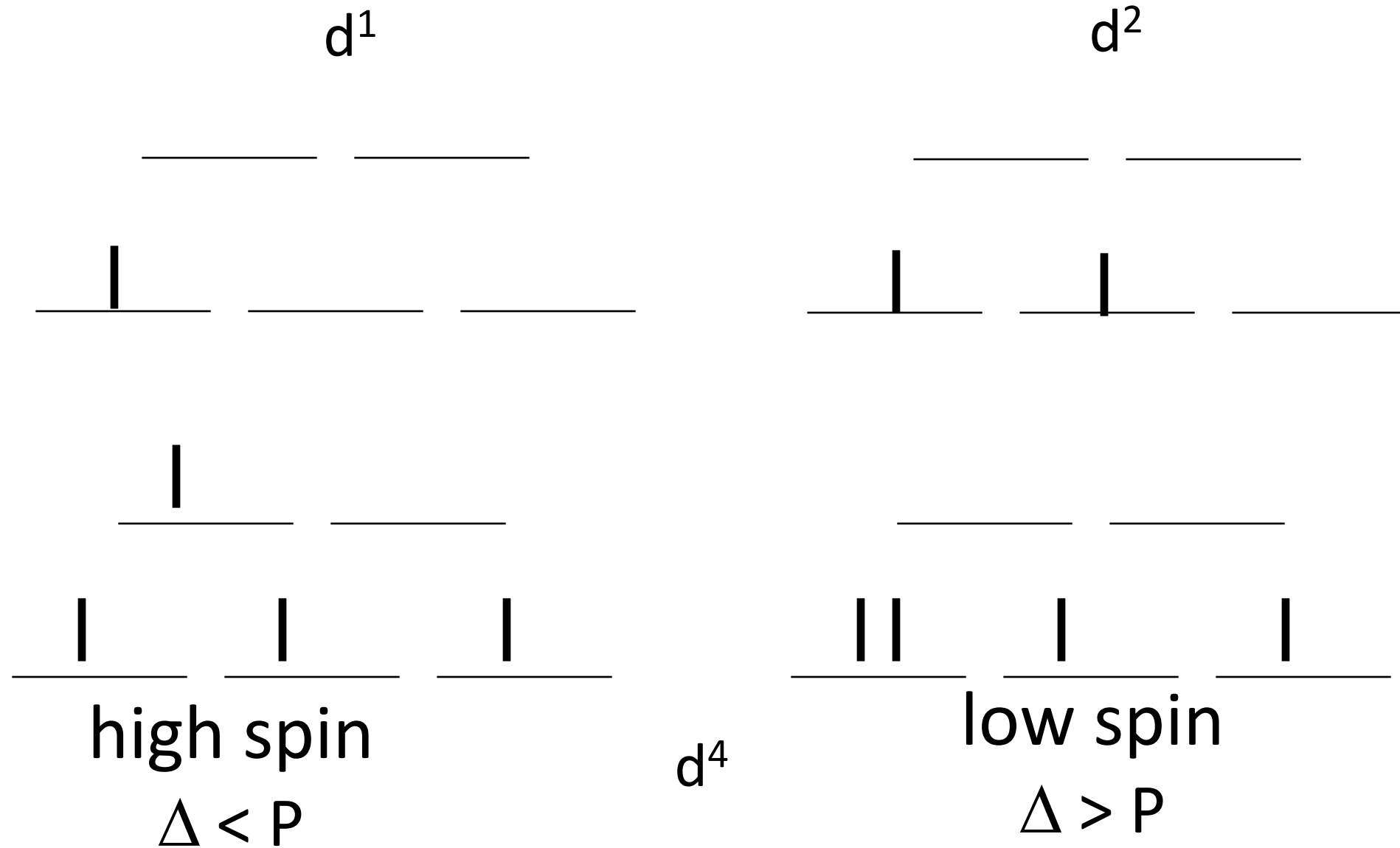
Expected orbital filling tendencies for e<sup>-</sup>s:

- ✓ occupy a set of equal energy orbitals one at a time (Hund's rule), which minimizes repulsions
- ✓ occupy lowest energy vacant orbitals first

d orbital occupancy depends on  $\Delta$  and pairing energy, P

- If  $\Delta > P$  ( $\Delta$  large; strong field ligand)
  - e<sup>-</sup>s pair up in lower energy d subshell first
- If  $\Delta < P$  ( $\Delta$  small; weak field ligand)
  - e<sup>-</sup>s spread out among all d orbitals before any pair up

# d orbital occupancy



# Nature of metal cation



(i) Different Charges on the cation of the same metal:

$$\Delta_o \text{ for } [\text{Fe}(\text{H}_2\text{O})_6]^{2+} = 10,400 \text{ cm}^{-1}$$

$$\Delta_o \text{ for } [\text{Fe}(\text{H}_2\text{O})_6]^{3+} = 13,700 \text{ cm}^{-1}$$

The metal cation with a higher oxidation state has a larger value of  $\Delta_o$  than that with lower oxidation state.

(ii) Different charges on the cation of different metal: Two different cation with the same number of d- electrons but with different charge (metals within a same period):

$$\Delta_o \text{ for } [\text{V}(\text{H}_2\text{O})_6]^{2+} = 12,400 \text{ cm}^{-1}$$

$$\Delta_o \text{ for } [\text{Cr}(\text{H}_2\text{O})_6]^{3+} = 17,400 \text{ cm}^{-1}$$

# Size of the metallic species

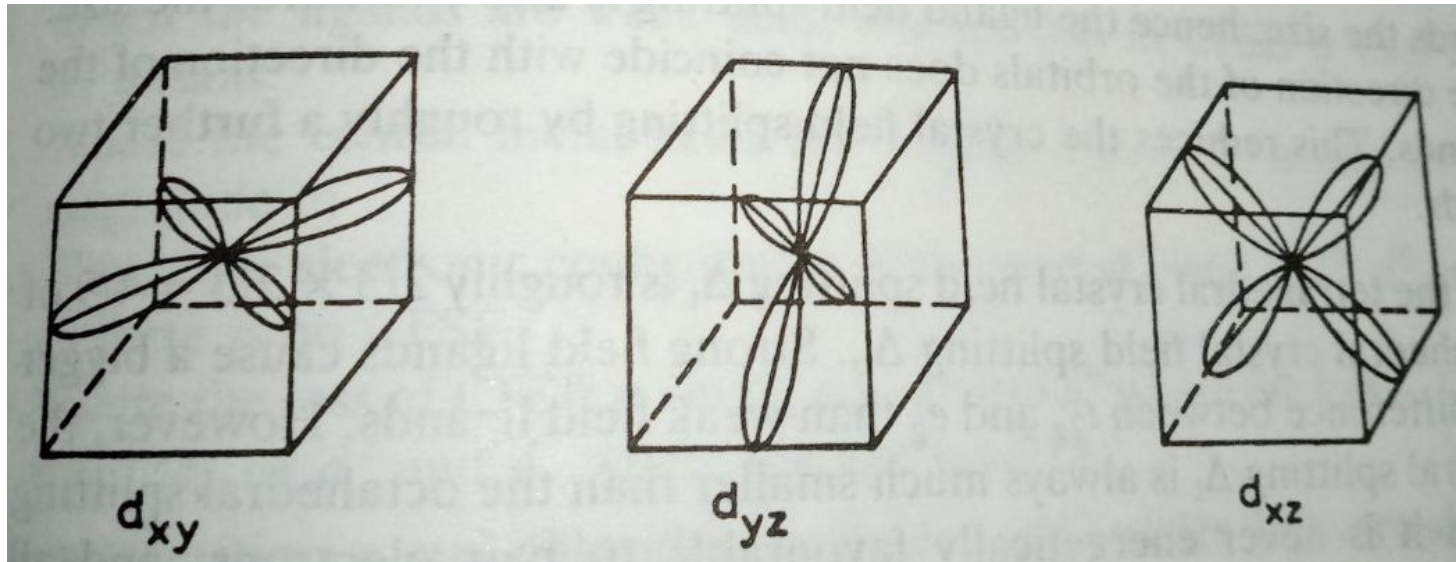
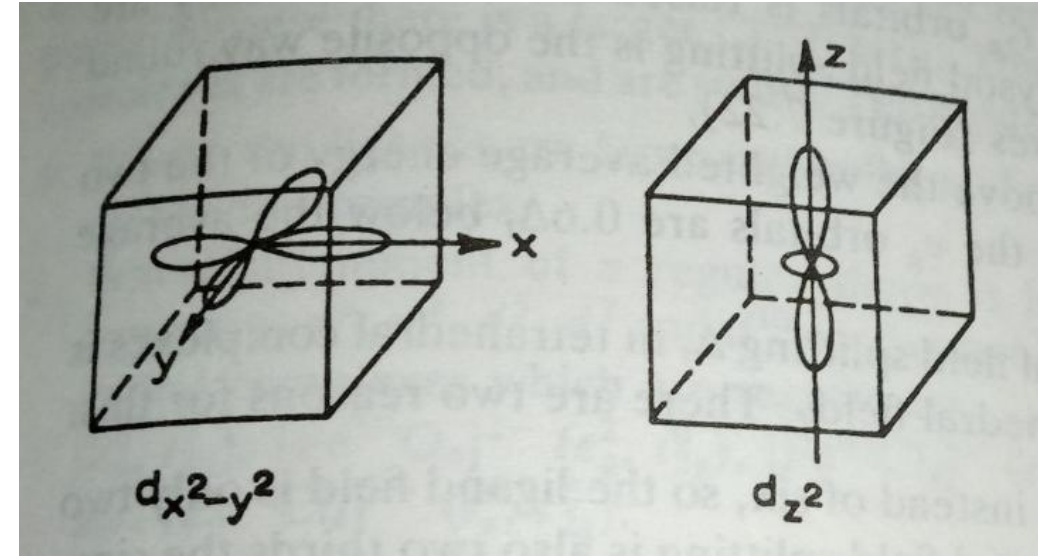


If all other factors are same, the period to which the metal belongs matters

<u>Complex</u>	<u><math>\Delta_o</math> (kJ/mol)</u>	<u>Config.</u>
$[\text{Co}(\text{NH}_3)_6]^{3+}$	296	$3d^6$
$[\text{Rh}(\text{NH}_3)_6]^{3+}$	406	$4d^6$
$[\text{Ir}(\text{NH}_3)_6]^{3+}$	490	$5d^6$

- Larger the d orbital size it is easier to split
- 5d orbitals split larger than 4d orbitals and so on

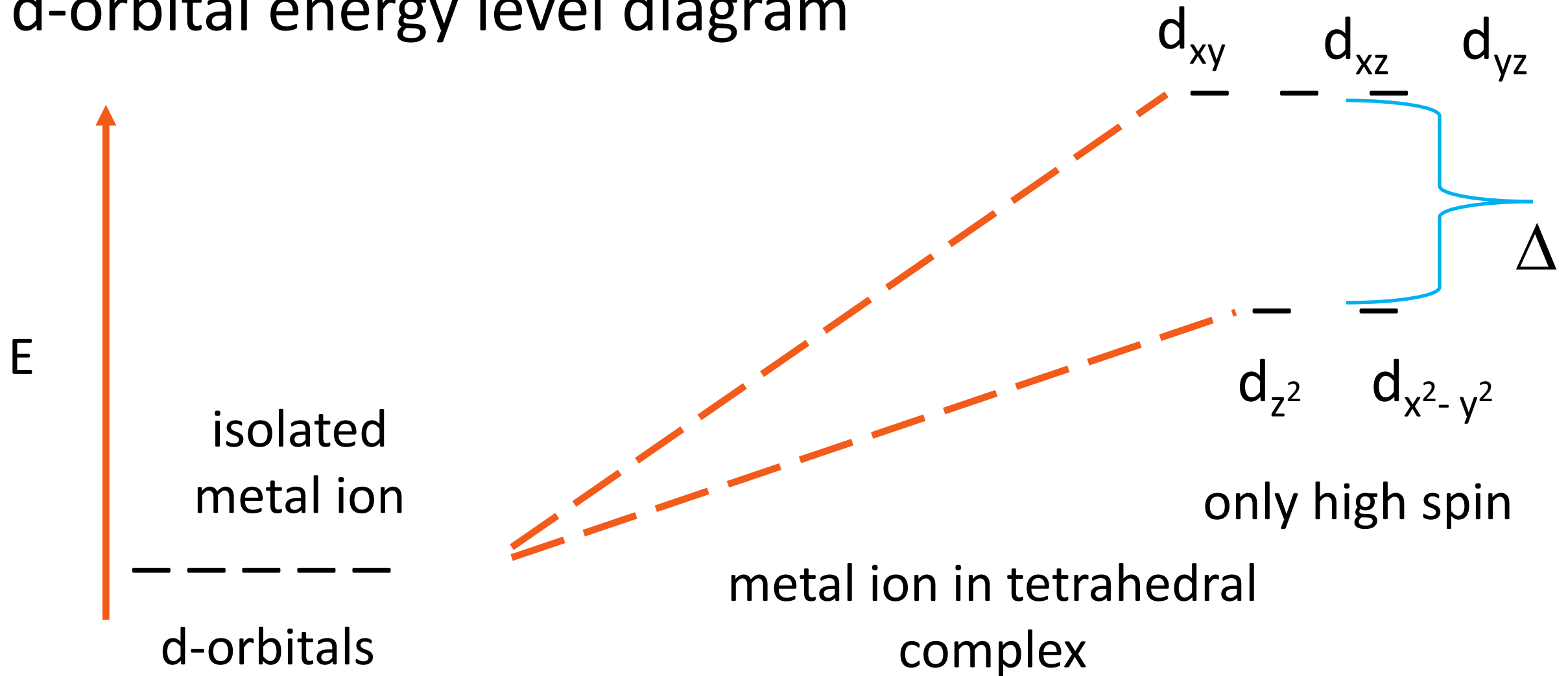
# Tetrahedral complex



# Splitting in tetrahedral complex



## d-orbital energy level diagram



# Discussed topics.....

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- ✓ shapes of d orbitals
- ✓ crystal field theory
- ✓ octahedral complexes
- ✓ spectrochemical series
- ✓ d-orbital splitting in tetrahedral complex



# d orbital electrons (supporting slide)



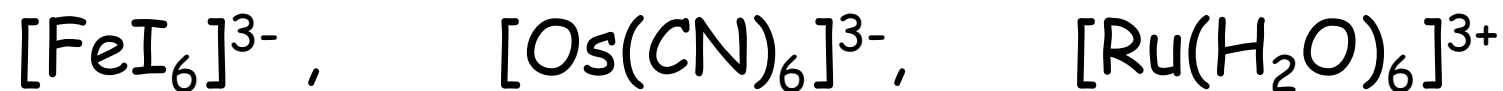
d-orbital energy level diagrams:

- determine oxidation number of the metal
- determine number of d e<sup>-</sup>'s
- determine if ligand is weak field or strong field
- draw energy level diagram

# Review (supporting slide)



Which of the following species will have highest crystal field splitting?



Ans:  $[\text{Os}(\text{CN})_6]^{3-}$

Reason:  $\Delta_o$  for  $\text{Fe}^{3+} < \text{Ru}^{3+} < \text{Os}^{3+}$  and



This has strong field ligand as well as metal with 5d electrons