

EXPERIMENT NO- 09

AIM: Implementation of Naïve String Matching Algorithm.

PROBLEM STATEMENT : Write a program to implement Naïve String Matching Algorithm.

RESOURCE REQUIRED: Pentium IV, Turbo C, Printer, Printout Stationary

THEORY:

In the Naive String matching algorithm, we always slide the pattern by 1. When all characters of pattern are different, we can slide the pattern by more than 1. When a mismatch occurs after j matches, we know that the first character of pattern will not match the j matched characters because all characters of pattern are different. So we can always slide the pattern by j without missing any valid shifts. The naïve approach simply test all the possible placement of Pattern $P[1 \dots m]$ relative to text $T[1 \dots n]$.

The naïve string-matching procedure can be interpreted graphically as a sliding a pattern $P[1 \dots m]$ over the text $T[1 \dots n]$ and noting for which shift all of the characters in the pattern match the corresponding characters in the text.

ALGORITHM :

NAÏVE_STRING_MATCHER (T, P)

1. $n \leftarrow \text{length}[T]$
2. $m \leftarrow \text{length}[P]$
3. for $s \leftarrow 0$ to $n - m$ do
4. if $P[1 \dots m] = T[s + 1 \dots s + m]$
5. then return valid shift s

INPUT:

Main String: "ABAAABCDDBBABCDDDEBCABC", pattern: "ABC"

OUTPUT:

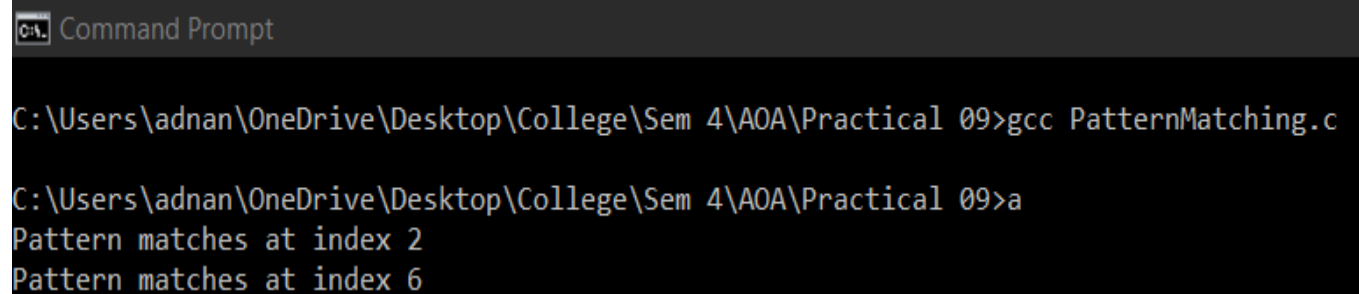
Pattern found at position: 4 Pattern found at position: 10 Pattern found at position: 18

CODE:

```
#include <stdio.h>
#include <string.h>
#include <conio.h>
int main (){
    char txt[] = "1011101110";
    char pat[] = "111";
    int M = strlen (pat);
    int N = strlen (txt);
    int i;
    for(i = 0; i <= N - M; i++){
        int j;
        for (j = 0; j < M; j++)
```

```
        if (txt[i + j] != pat[j])
            break;
        if (j == M)
            printf ("Pattern matches at index %d \n", i);
    }
    getch();

    return 0;
}
```

OUTPUT:

```
C:\Users\adnan\OneDrive\Desktop\College\Sem 4\AOA\Practical 09>gcc PatternMatching.c
C:\Users\adnan\OneDrive\Desktop\College\Sem 4\AOA\Practical 09>a
Pattern matches at index 2
Pattern matches at index 6
```

CONCLUSION: The running time of the algorithm is $O((n - m + 1)m)$, which is clearly $O(nm)$.

Hence, in the worst case, when the length of the pattern, m are roughly equal, this algorithm runs in the quadratic time. One worst case is that text, T , has n number of A's and the pattern, P , has $(m - 1)$ number of A's followed by a single B.