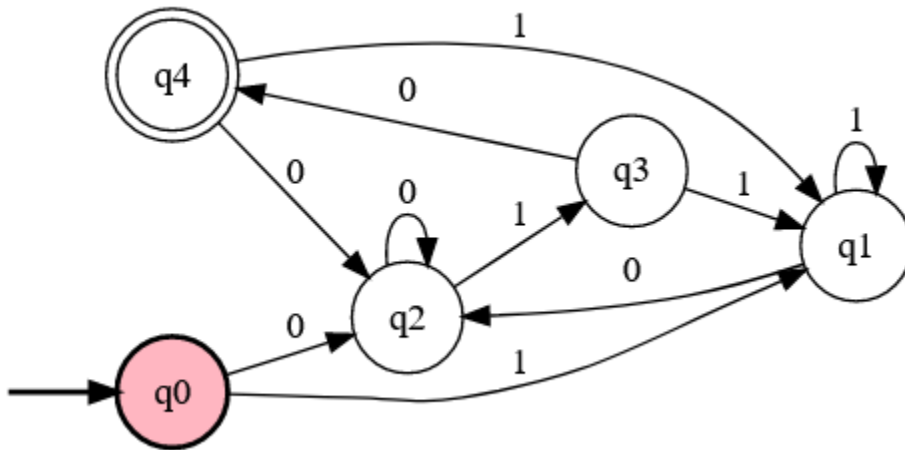
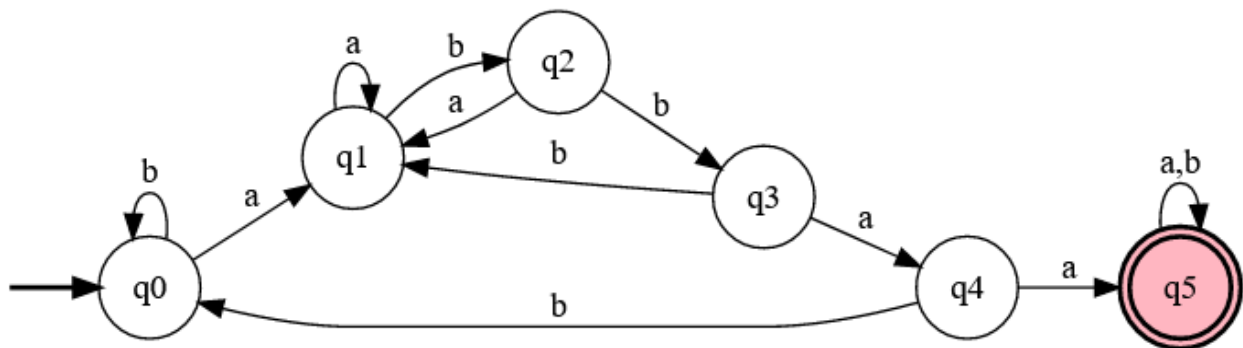


- Construct the DFA for  $\Sigma = \{0, 1\}$  which accepts any string that ends with 010.



- Construct the DFA for  $\Sigma = \{a, b\}$  that accepts any string with 'abbaa' as a substring. Write state set, start state, final state(s) and transition table.



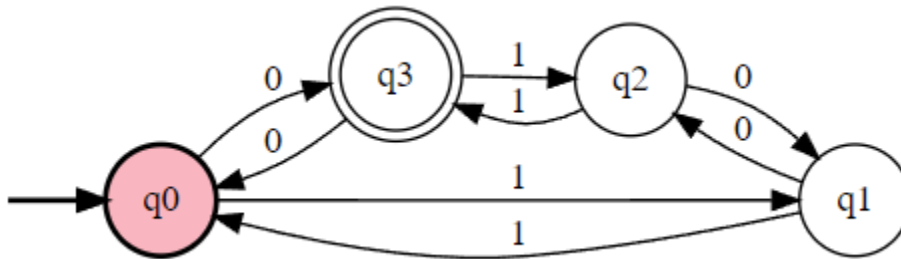
{q0, q1, q2, q3, q4, q5}

q0

q5

	a	b
q0	q1	q0
q1	q1	q2
q2	q1	q3
q3	q4	q1
q4	q5	q0
q5	q5	q5

3. Construct the DFA for  $\Sigma = \{0, 1\}$ , which accepts all strings that have an even number of 1's and an odd number of 0's. Write state set, start state, final state(s) and transition table.



#states

q0

q1

q2

q3

q4

q5

#initial

q0

#accepting

q3

#alphabet

a

b

#transitions

q0:a>q1

q0:b>q0

q1:a>q1

q1:b>q2

q2:a>q1

q2:b>q3

q3:a>q4

q3:b>q0

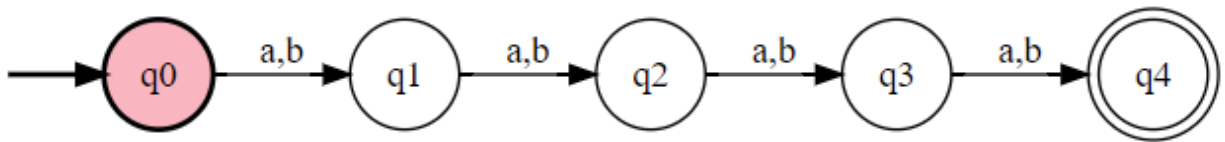
q4:a>q5

q4:b>q0

q5:a>q5

q5:b>q5

4. Construct the NFA for a language  $L = \{\text{set of all strings over (a,b) with length 4}\}$ .



#states

s0

s1

s2

s3

s4

#initial

s0

#accepting

s4

#alphabet

a

b

#transitions

s0:a>s1

s0:b>s1

s1:a>s2

s1:b>s2

s2:a>s3

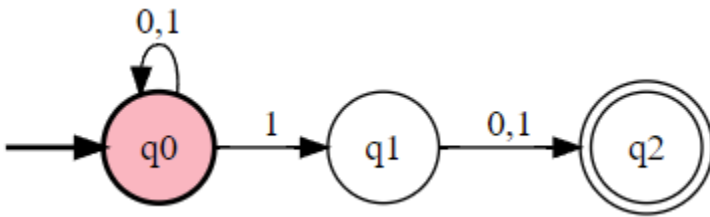
s2:b>s3

s3:a>s4

s3:b>s4

5. Construct the NFA for a language  $L = \{\text{set of all strings over } (0,1) \text{ with second last digit '1'}\}$ . Convert it to its equivalent DFA.

NFA:



#states

q0

q1

q2

q3

q4

#initial

q0

#accepting

q2

#alphabet

0

1

#transitions

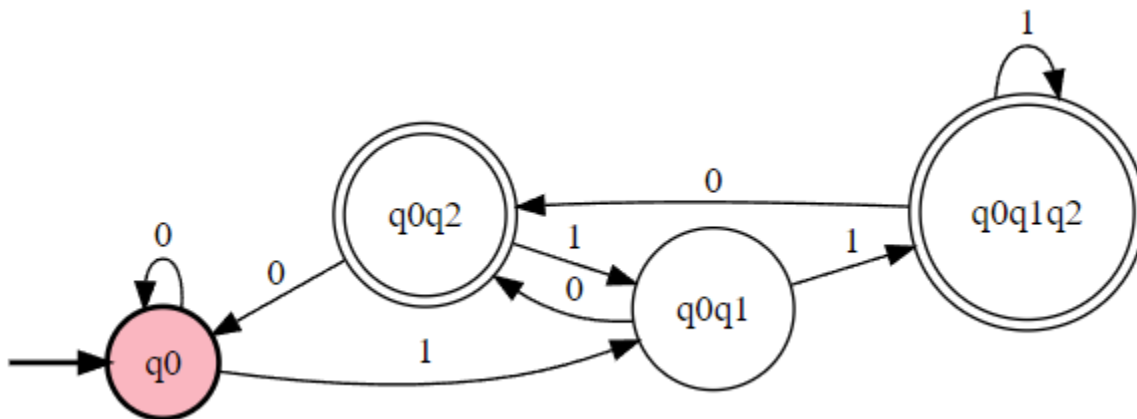
q0:0>q0

q0:1>q0,q1

q1:0>q2

q1:1>q2

DFA:



#states

q0

q0q1

q0q2

q0q1q2

#initial

q0

#accepting

q0q2

q0q1q2

#alphabet

0

1

#transitions

q0:0>q0

q0:1>q0q1

q0q1:0>q0q2

q0q2:1>q0q1

q0q2:0>q0

q0q1:1>q0q1q2

q0q1q2:1>q0q1q2

q0q1q2:0>q0q2

6. Aa

7.