

DEFINICION DE LENGUAJE.

- L = cualquier teclado que entra
- N = números que entran
- p = punto (.)
- a = asterisco (*)
- d = diagonal /
- R = palabra reservada
- c = comillas ("")

EXPRESION REGULAR:

(c. L+. c | N+. (N+ | p. N+) | L | d. (d. L+ | a. L+. a. d) | L+. R)

RESOLUCION POR EL METODO DEL ARBOL:

AGREGAMOS FINALIZACION A LA EXPRESION REGULAR

(c. L+. c | N+. (N+ | p. N+) | L | d. (d. L+ | a. L+. a. d) | L+. R). \$

DIBUAMOS EL ARBOL ASOCIADO A LA EXPRESION

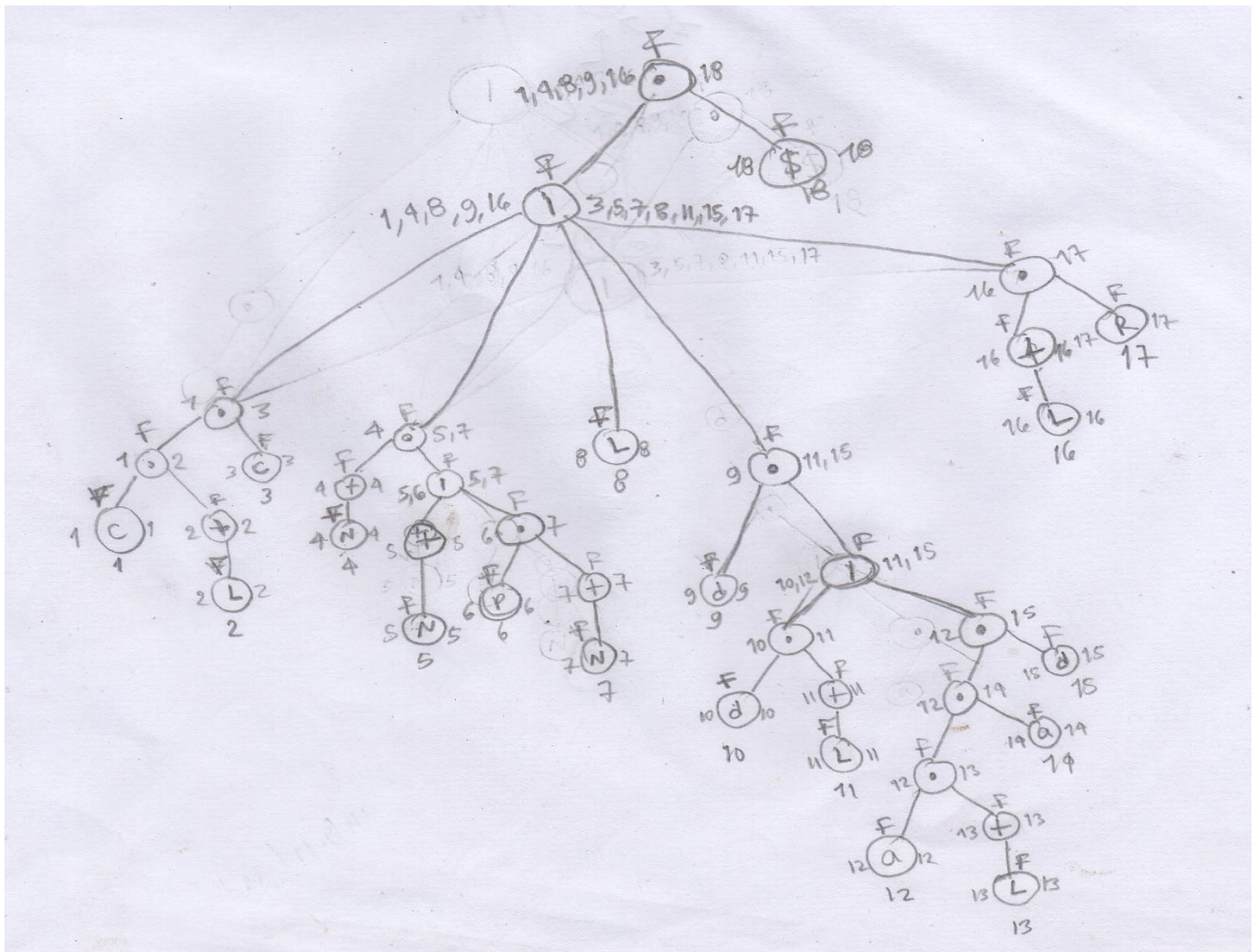


TABLA DE SIGUIENTES

numero	alfabeto	Siguiente(no.)
1	c	2
2	L	2,3
3	c	18
4	N	4,5,6
5	N	5,18
6	p	7
7	N	7,18
8	L	18
9	d	10,12
10	d	11
11	L	11,18
12	a	13
13	L	13,14
14	a	15
15	d	18
16	L	16,17
17	R	18
18	\$	--

TABLA DE TRANSICION

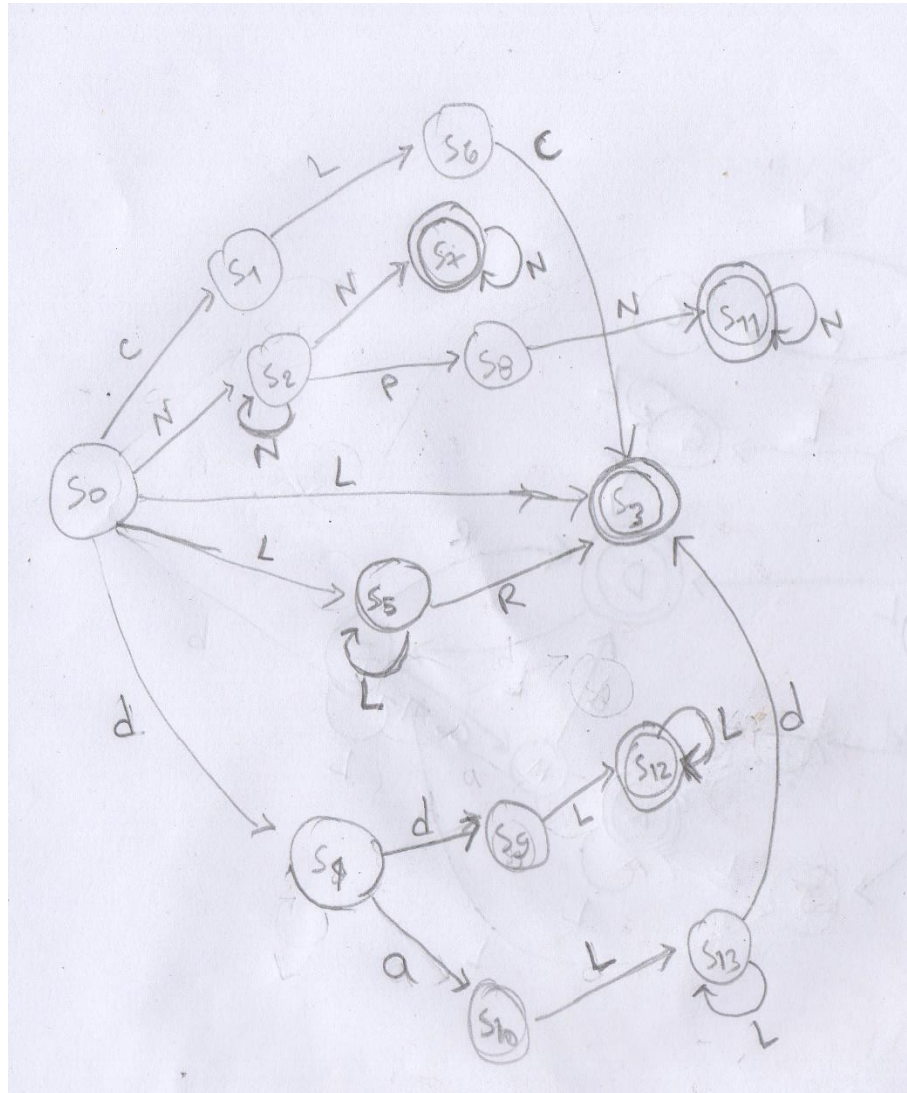
Estados	siguientes	Transición
S0 = {1,4,8,9,16}	Sig(1) = {2} --> S1	d(S0, c)= S1
	Sig(4) = {4,5,6} --> S2	d(S0, N)= S2
	Sig(8) = {18} --> S3	d(S0, L)= S3
	Sig(9) = {10,12} --> S4	d(S0, d)= S4
	Sig(16) = {16,17} --> S5	d(S0, L)= S5
S1={2}	Sig(2) = {3} --> S6	d(S1, L)= S6
S2={4,5,6}	Sig(4) = {4,5,6} --> S2	d(S1, N)= S2
	Sig(5) = {5,18} --> S7	d(S2, N)= S7
	Sig(6) = {7} ----> S8	d(S2, p)= S8
S4={10,12}	Sig(10) = {11} --> S9	d(S4, d)= S9
	Sig(12) = {13} --> S10	d(S4, a)= S10
S5={16,17}	Sig(16) = {16,17} --> S5	d(S5, L)= S5
	Sig(17) = {18} --> S3	d(S5, R)= S3
S6={3}	Sig(3) = {18} --> S3	d(S6, c)= S3
S7={5,18}	Sig(5) = {5,18} --> S7	d(S7, N)= S7
S8={7}	Sig(7) = {7,18} --> S11	d(S8, N)= S11
S9={11}	Sig(11) = {11,18} --> S12	d(S9, L)= S12
S10={13}	Sig(13) = {13,14} --> S13	d(S10, L)= S13
S11={7,18}	Sig(7) = {7,18} --> S11	d(S11, N)= S11
S12={11,18}	Sig(11) = {11,18} --> S12	d(S12, L)= S12
S13={13,14}	Sig(13) = {13,14} --> S13	d(S13, L)= S13
	Sig(14) = {15} --> S14	d(S13, a)= S14
S14={15}	Sig(15) = {18} --> S3	d(S14, d)= S3

DEFINICION FORMAL DE AFD >>> EN ESTE CASO OBTUVIMOS UN NO DETERMINISTA.

$A = (Q, \Sigma, \delta, S_0, F)$

1. estados: $Q = \{S_0, S_1, S_2, S_3, S_4, S_5, S_6, S_7, S_8, S_9, S_{10}, S_{11}, S_{12}, S_{13}\}$
2. Estado inicial = S_0
3. Alfabeto: $\Sigma = \{N, L, p, c, d, a, R\}$
4. Estado final: $F = \{S_7, S_{11}, S_3, S_{12}\}$
5. Función de transición:

Transición
$d(S_0, c) = S_1$
$d(S_0, N) = S_2$
$d(S_0, L) = S_3$
$d(S_0, d) = S_4$
$d(S_0, L) = S_5$
$d(S_1, L) = S_6$
$d(S_1, N) = S_2$
$d(S_2, N) = S_7$
$d(S_2, p) = S_8$
$d(S_4, d) = S_9$
$d(S_4, a) = S_{10}$
$d(S_5, L) = S_5$
$d(S_5, R) = S_3$
$d(S_6, c) = S_3$
$d(S_7, N) = S_7$
$d(S_8, N) = S_{11}$
$d(S_9, L) = S_{12}$
$d(S_{10}, L) = S_{13}$
$d(S_{11}, N) = S_{11}$
$d(S_{12}, L) = S_{12}$
$d(S_{13}, L) = S_{13}$
$d(S_{13}, a) = S_{14}$
$d(S_{14}, d) = S_3$



CONVERTIMOS NUESTRO AFND A UNO AFD Y LLEVARLO A SU FORMA MINIMA.

TABLA DE ESTADOS, AGRUPANDO ESTADO DE ACEPTACION Y NO ACEPTACION

[illegible]

NUEVA TABLA DE TRANSICION AGRUPANDO ESTADOS QUE COINCIDAN.

[illegible]

DEFINICION FORMAL DE AFD (simplificado)

$A = (Q, \Sigma, \delta, S_0, F)$

1. estados: $Q = \{A, B, C, D, E, F, G, H, I, J, K, L\}$
2. Estado inicial = A
3. Alfabeto: $\Sigma = \{N, L, p, c, d, a, R\}$
4. Estado final: $F = \{B, D, K\}$
5. Función de transición:

Transición

$d(A, c) = H$

$d(A, N) = B$

$d(A, L) = D$

$d(A, d) = E$

$d(B, N) = B$

$d(B, p) = C$

$d(C, N) = B$

$d(D, L) = F$

$d(E, d) = I$

$d(E, a) = J$

$d(F, L) = F$

$d(F, R) = D$

$d(F, a) = M$

$d(G, L) = G$

$d(G, c) = D$

$d(H, L) = G$

$d(I, L) = K$

$d(J, L) = F$

$d(K, L) = K$

$d(K, a) = L$

$d(L, d) = D$

