

Continuous, Junction-based Model for Ramp Metering

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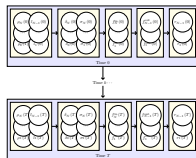
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Slide 1

Program for computing the height of a ball thrown up in the air: $y = v_0 t - \frac{1}{2}gt^2$

The following table describes the variables used in the implementation and their dimensions.



Variable	Description	Dimension
T	total time steps	1
N	total cells	1
V	total number of variables	1
C	total number of constraints	1
J	objective function	1
H	system of constraints	$1 \times (T \cdot$
λ	adjoint variables	$1 \times (T \cdot$

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