

% MIDTERM Assignment 9 Q1

```
x = input('Input factorial: ');
value = x;
while x > 1
    x1 = x - 1;
    value = value * x1
    x = x1;
    display('-----')
end
```

```
disp('Total: '), disp(value)
```

Output

```
Input factorial: 12
```

```
value = 132
```

```
-----
```

```
value = 1320
```

```
-----
```

```
value = 11880
```

```
-----
```

```
value = 95040
```

```
-----
```

```
value = 665280
```

```
-----
```

```
value = 3991680
```

```
-----
```

```
value = 1.9958e+07
```

```
-----
```

```
value = 7.9834e+07
```

```
-----
```

value = 2.3950e+08

value = 4.7900e+08

value = 4.7900e+08

Total:

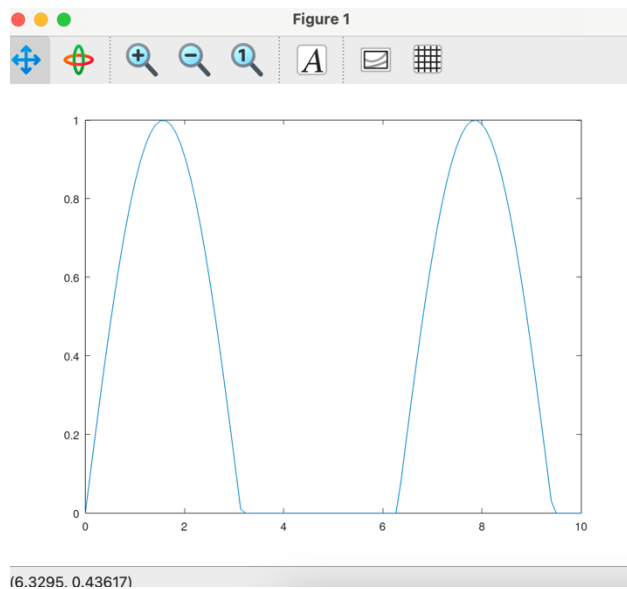
4.7900e+08

%Assignment 7 Q2

```
x = linspace(0, 10, 100);
y = sin(x);
i = 1;
while i < 101
    while y(i) < 0
        y(i) = 0;
    endwhile;
    i++;
end
y
```

```
plot(x, y)
```

Output


$$y =$$

Columns 1 through 15:

[illegible]

Columns 16 through 30:

0.9985	0.9990	0.9893	0.9696	0.9399	0.9007	0.8523	0.7952	0.7300	0.6574	0.5781	0.4928
0.4026	0.3082	0.2107									

Columns 31 through 45:

0.1111	0.0103	0	0	0	0	0	0	0	0	0	0
0	0	0									

Columns 46 through 60:

0	0	0	0	0	0	0	0	0	0	0	0
0	0	0									

Columns 61 through 75:

0	0	0	0.0804	0.1805	0.2787	0.3742	0.4658	0.5526	0.6338	0.7086	0.7761
0.8358	0.8869	0.9289									

Columns 76 through 90:

0.9615	0.9843	0.9971	0.9997	0.9921	0.9744	0.9467	0.9094	0.8629	0.8075	0.7439	0.6727
0.5947	0.5106	0.4213									

Columns 91 through 100:

0.3277	0.2308	0.1315	0.0308	0	0	0	0	0	0
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% Assignment 7 Q3

```
x = 1; %initial guess
Tol = 0.0000001; % accuracy required
count = 0; % this will count how many iterations it will take
dx=1; % this is a fake value so that the while loop will execute
f=2.3817732907; % because f(-2)=-13 - value at initial guess

fprintf('step x          dx          f(x)\n') % printing values
fprintf('---- -\n')
fprintf('%3i %12.8f %12.8f %12.8f\n',count,x,dx,f)

% main while loop with calculations start here
while (dx > Tol) % it will continue as long as dx > Tol
    count = count + 1;
    fprime = 3*(x^2)+ (2*x)*sin(x) + (x^2)*cos(x) - sin(x); % this will change with every different function
    xnew = x - (f/fprime); % Main step of the Newton's method
    dx=abs(x-xnew); % compute error between two values every step
    x = xnew; % guess is updated
    f = x^3 + (x^2)*sin(x) + cos(x); % compute the new value of f(x)
    fprintf('%3i %12.8f %12.8f %12.8f\n',count,x,dx,f) % writes down results
end
```

Output

step	x	dx	f(x)
0	1.00000000	1.00000000	2.38177329
1	0.45643621	0.54356379	1.08454375
2	-0.94549488	1.40193109	-0.98470475
3	-0.76804278	0.17745209	-0.14360213
4	-0.73174159	0.03630119	-0.00556295
5	-0.73021780	0.00152379	-0.00000962
6	-0.73021516	0.00000264	-0.00000000
7	-0.73021516	0.00000000	0.00000000