Handwritten Digits Recognition Classification Using Convolutional Neural Network

Group Members

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Github Jason: https://github.com/jasonbuchanan145/Data-Modeling/blob/main/CNN_handwriting.ipynb)

Github Adrian: https://github.com/adrian007i/Handwritten-Digits-Recognition-Classification-CNN (https://github.com/adrian007i/Handwritten-Digits-Recognition-Classification-CNN)

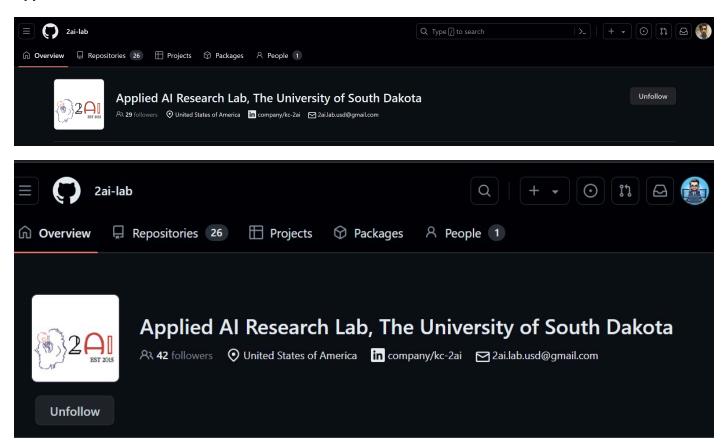
Objective

This project aims to classify hand written digits into 10 categories ranging from 0 to 9.

Method

- 1. Install the necessary python packages. For this model, we utilized pytorch to implement the neural network.
- 2. Data was imported and examined. Analysis was conducted to understand the features and classes. We reconstructed the original image to gain a visual understanding of the data. Overall, the data was balanced among all classes and there were no missing values.
- 3. We normalized the dataset to ensure that all features have a standard scale. Since training in a neural network can be time-consuming, normalization can also help to speed up the training process.
- 4. Since we are going to be performing K-Fold cross validation, we define reusable functions to configure and evaluate the model. This makes the training code much more readable.
- 5. Since we are using pytorch, we converted the data into pytorch tensors.
- 6. The model training begins across N folds. During each iteration, the data in that fold is trained and evaluated.
- 7. The evaluation metrics were analyzed to ensure the model is performing correctly, averaging over a 96% accuracy each time. A confusion matrix was also implemented to further analyze the results of the model's performance.

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Dependencies - Install

```
In []: print("Begin Install Dependencies")

!pip install -q torch
!pip install -q torchwision
!pip install -q torchmetrics
!pip install -q numpy
!pip install -q pandas
!pip install -q seaborn
!pip install -q matplotlib
!pip install -q ucimlrepo

print("End Install Dependencies")

Begin Install Dependencies

0:00
End Install Dependencies
```

Dependencies - Import

```
import torch
In [ ]:
        import torch.nn as nn
        import pandas as pd
        import torchmetrics
        from sklearn.datasets import load digits
        from sklearn.preprocessing import StandardScaler
        from sklearn.model_selection import train_test_split
        import torch.optim as optim
        from torchvision import datasets, transforms
        from torch.utils.data import DataLoader, Subset, TensorDataset
        import matplotlib.pyplot as plt
        from ucimlrepo import fetch ucirepo
        import torch.nn.functional as F
        import seaborn as sns
        import numpy as np
        from sklearn.model_selection import KFold
```

Dataloading

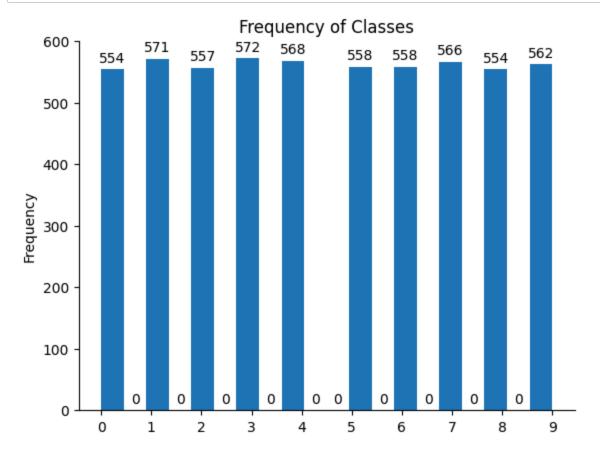
The dataset consist of 5620, samples.

```
In [ ]: writing = fetch_ucirepo(id=80)
```

Analysis

Here we can see each class between 0-9 has a fairly equal number of sample, this means it is not necessary to perform any balancing on the dataset.

```
ax = writing.data.targets['class'].plot(kind='hist', bins=20)
In [ ]:
        # Show all values on the x-axis
        plt.xticks(range(int(writing.data.targets ['class'].min()), int(writing.data.t
        argets ['class'].max()) + 1))
        # Remove top and right bars
        ax.spines['top'].set_visible(False)
        ax.spines['right'].set_visible(False)
        # draw
        for rect in ax.patches:
            height = rect.get_height()
            ax.annotate(f'{height:.0f}', xy=(rect.get_x() + rect.get_width() / 2, heig
        ht),
                        xytext=(0, 3), textcoords="offset points", ha='center', va='bo
        ttom')
        plt.title('Frequency of Classes')
        plt.show()
```



Analysis

Each sample contains 64 features.

Each feature value ranges from 0 to 16 which represents the sum of positive pixels for each block in the original image.

```
In [ ]: X = writing.data.features
y = writing.data.targets
X.head(10)
```

Out[]:

	Attribute1	Attribute2	Attribute3	Attribute4	Attribute5	Attribute6	Attribute7	Attribute8	Attrib
0	0	1	6	15	12	1	0	0	
1	0	0	10	16	6	0	0	0	
2	0	0	8	15	16	13	0	0	
3	0	0	0	3	11	16	0	0	
4	0	0	5	14	4	0	0	0	
5	0	0	11	16	10	1	0	0	
6	0	0	1	11	13	11	7	0	
7	0	0	8	10	8	7	2	0	
8	0	0	15	2	14	13	2	0	
9	0	0	3	13	13	2	0	0	
10	rows × 64	columns							

The 64 features can be represented as an 8x8 square matrix.

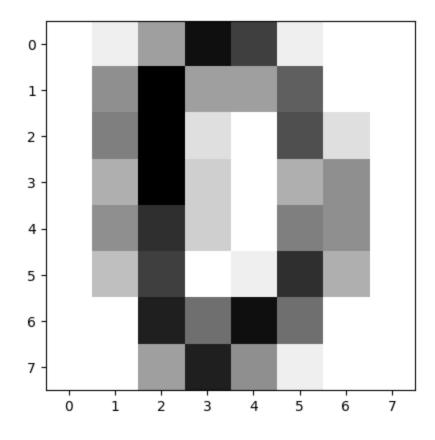
```
In [ ]: X_reshaped = X.values[:10].reshape(-1, 8, 8)

print(X_reshaped[0])
print("\n Showing image for the first sample that has been classified as 0")

plt.imshow(X_reshaped[0], cmap='gray_r')
plt.show()
```

```
[[ 0
     1 6 15 12 1
                        0]
      7 16
           6
              6 10
                     0
                        0]
      8 16
            2
              0 11
                     2
      5 16
                     7
      7 13
            3
               0 8
                     7
  0
                        0]
  0
      4 12
           0
              1 13
                     5
                        0]
                        0]
      0 14
            9 15
                  9
                     0
  0
 [ 0
     0 6 14
              7
                  1 0
                        0]]
```

Showing image for the first sample that has been classified as 0



```
In [ ]: ig, axes = plt.subplots(1, 10 , figsize = (10,1.5))

for i, ax in enumerate(axes):
    ax.imshow(X_reshaped[i], cmap='gray_r')
    ax.axis('off')

plt.show()
```

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Normalize features

```
In [ ]: | scaler = StandardScaler()
        X scaled = scaler.fit transform(X)
        print("Normalized Sample")
        X scaled[0]
        Normalized Sample
Out[]: array([ 0.
                         , 0.79313327, 0.12986348, 0.74831744, 0.09450787,
               -0.81585144, -0.41097194, -0.13206188, -0.03542401, 1.62296632,
                1.00999062, -1.44911936, -0.94280989, 0.29178646, -0.53252006,
               -0.1466391 , -0.04069176, 1.5466172 , 1.08427078, -0.8190465 ,
               -1.16349493, 0.48375442, 0.01042016, -0.11335335, -0.03269184,
                0.84415735, 1.10740032, -1.02318838, -1.56286359, -0.46403448,
                1.2807267 , -0.04777844, -0.02984078, 1.47241212, 0.85010099,
               -0.99520444, -1.74442775, -0.17931693, 1.16744553, 0.
               -0.07872062, 0.86007938, 0.82966502, -1.11476112, -1.08631271,
                0.77341948, 0.34592509, -0.08987191, -0.0576035, -0.40589805,
                1.10346414, \; -0.1498682 \;\;, \;\; 1.0064432 \;\;, \; -0.019331 \;\;, \; -0.76183046,
               -0.19789895, -0.01886792, -0.30310217, 0.04770289, 0.46244502,
               -0.9190364 , -0.98379588, -0.51724355, -0.1791362 ])
```

CNN Configurations

Define the model with options defined in the specification see comments for specifics on each point. Additional detail on several points

MaxPooling:

We use a 2x2 matrix so that it looks at each chunk of 2x2 pixels and moves 2 pixels at a time for downsampling

```
def configure_model():
In [ ]:
          model = nn.Sequential(
              # Layer one of the model with 1 in channel and 32 outputs for layer 2 an
        d defines
              # The kernel as a 3x3 matrix
              nn.Conv2d(1, 32, kernel size=3, stride=1, padding=1),
              # The activation function as required by the writeup
              nn.ReLU(),
              # Start Layer 2, 32 inputs, 64 outputs same kernel size
              nn.Conv2d(32, 64, kernel size=3, stride=1, padding=1),
              # Same activation
              nn.ReLU(),
              # start layer 3 starting with max pooling
              nn.MaxPool2d(2, 2),
              # Dropout to try to prevent overfitting
              nn.Dropout(0.5),
              # Flatten from 2 d to 1 d
              nn.Flatten(),
              # Fully contected, taking in 1024 inputs and outputting 128
              nn.Linear(1024, 128),
              nn.ReLU(),
              #Drop it out again to fight overfitting
              nn.Dropout(0.5),
              #Reducing to 10 out features
              nn.Linear(128, 10),
              #Softmax as required in the writeup
              nn.LogSoftmax(dim=1)
          )
          return model
```

Weight initialization for model, ensuring that convolutional layers are initialized with Kaiming uniform and linear layers

```
In [ ]: def init_weights(m):
    if isinstance(m, nn.Conv2d):
        nn.init.kaiming_uniform_(m.weight, nonlinearity='relu')
    elif isinstance(m, nn.Linear):
        nn.init.xavier_uniform_(m.weight)
```

evaluate_model will return an array of loss, correct prediction, test dataset size and confusion matrix for each fold

```
In [ ]: def evaluate_model(model):
          model.eval()
          test_loss = 0
          correct = 0
          confusion matrix = None
          loss curve = []
          matrix = torchmetrics.ConfusionMatrix(task="multiclass",num_classes=10)
          with torch.no grad():
              for data, target in testloader:
                  output = model(data)
                  # Convert logits to probabilities
                  probabilities = F.softmax(output, dim=1)
                  test_loss += nn.functional.nll_loss(output, target, reduction='su
        m').item()
                  loss_curve.append(loss.item())
                  pred = output.argmax(dim=1, keepdim=False)
                  correct += pred.eq(target).sum().item()
                  # Update confusion matrix with probabilities or class indices
                  matrix.update(pred, target)
              confusion_matrix = matrix.compute()
              test_loss /= len(testloader.dataset)
          return [test_loss, correct, len(testloader.dataset), confusion_matrix, loss_
        curve]
```

```
In [ ]: # Convert to PyTorch tensors
X_tensor = torch.tensor(X_scaled, dtype=torch.float32)
y_ravel = y.values.ravel()
y_tensor = torch.tensor(y_ravel, dtype=torch.int64)
```

Training the Model

```
In [ ]: kf = KFold(n_splits=4, shuffle=True, random_state=30)
        learning_rates = []
         # sum the data returned by each fold
         total = {
             "loss" : 0,
             "correct" : 0,
             "dataset":0,
             "confusion_matrix": 0*64,
             "loss curve data": []
         }
         for fold, (train_index, test_index) in enumerate(kf.split(X_tensor)):
             # Split the data into training and test sets for this fold
            X train, X test = X tensor[train index], X tensor[test index]
             y_train, y_test = y_tensor[train_index], y_tensor[test_index]
            # Reshape the data
            X_{\text{train}} = X_{\text{train.view}}(-1, 1, 8, 8)
            X_{\text{test}} = X_{\text{test.view}}(-1, 1, 8, 8)
             # Create TensorDatasets
             train_dataset = TensorDataset(X_train, y_train)
             test_dataset = TensorDataset(X_test, y_test)
             # DataLoader
             trainloader = DataLoader(train dataset, batch size=64, shuffle=True)
             testloader = DataLoader(test_dataset, batch_size=64, shuffle=False)
             model = configure model()
             model.apply(init_weights)
             optimizer = optim.Adam(model.parameters(), lr=0.001)
             scheduler = optim.lr_scheduler.StepLR(optimizer, step_size=1, gamma=0.7)
            model.train()
             loss curve epochs=list()
             # Train the model over 6 epochs
             for epoch in range(10):
                 lossForAllBatch = 0
                 for batch_idx, (data, target) in enumerate(trainloader):
                     optimizer.zero_grad()
                     output = model(data)
                     loss = nn.functional.nll_loss(output, target)
                     loss.backward()
                     lossForAllBatch+=loss.item()
                     optimizer.step()
                 scheduler.step()
                 loss curve epochs.append(lossForAllBatch/len(trainloader))
             # Append the learning rate for this fold
             learning_rates.append(scheduler.get_last_lr()[0])
             # store the results
```

```
result = evaluate_model(model)
total["loss"] += result[0]
total["correct"] += result[1]
total["dataset"] += result[2]
total["confusion_matrix"] += result[3]
total["loss_curve_data"].append(loss_curve_epochs)
```

Overall Performance of the Model

```
In [ ]: print(f"Dataset Correct : {total['correct']}")
    print(f"Dataset loss : {total['loss']}")
    print(f"Total Dataset : {total['dataset']}")
    print(f"Accuracy : {(total['correct']/total['dataset']) * 100:.2f} %")

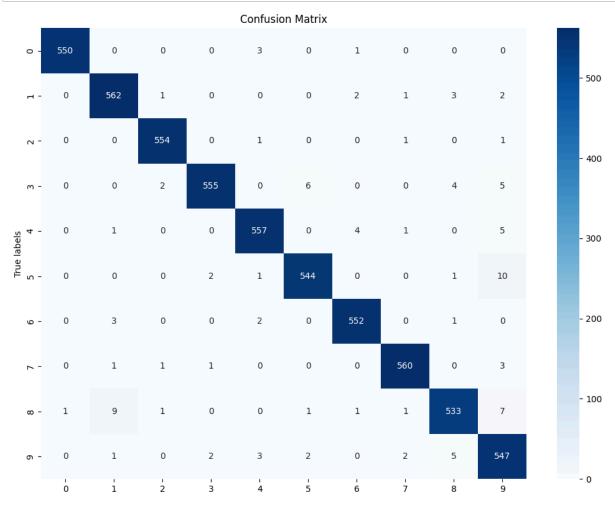
Dataset Correct : 5514
    Dataset loss : 0.26489981839241084
    Total Dataset : 5620
    Accuracy : 98.11 %
```

Consfusion Matrix

In addition to high accuracy, confusion matrix shows the major of the samples were correctly classified.

```
In [ ]: plt.figure(figsize=(20, 8))

plt.subplot(1, 2, 1)
sns.heatmap(total["confusion_matrix"].numpy(), annot=True, fmt='g', cmap='Blue
s')
plt.ylabel('True labels')
plt.title('Confusion Matrix')
plt.tight_layout()
plt.show()
```



Loss Curve

```
In [ ]: # Plotting the loss curve for each fold
    for i, losses in enumerate(total["loss_curve_data"]):
        plt.plot(range(1, len(losses) + 1), losses, label=f'Fold {i+1}')

    plt.xlabel('Epochs')
    plt.ylabel('Average Loss')
    plt.title('Loss Curve over Epochs')
    plt.legend()
    plt.show()
```

