

Laboratory 8: Transient Responses of First Order RL and RC Circuits

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Objectives

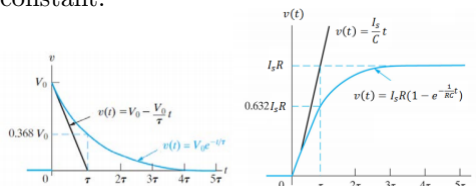
- Observe the transient responses of RL and RC circuits.
- Learn to how to measure time constant of first order circuits.

Equipment and components

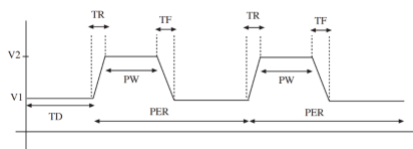
- A computer
- PSPICE software

Preliminary

- Read the lecture slides of "Inverse Laplace Transform and RC, RL, and RLC Circuits".
- Calculate the time constant when $R = 1k\Omega$, $C = 0.5\mu F$, $C = 1\mu F$, and $C = 2\mu F$, respectively. Fill in Table 1. Refer to the natural and step responses of RC circuits shown below for finding the time constant.



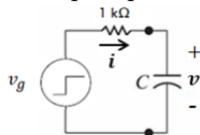
- Calculate the time constant when $R = 10\Omega$, $L = 10mH$, $L = 20mH$, and $L = 40mH$, respectively. Fill in Table 2. Refer to the above two graphs to find the time constant for RL circuits.
- Pulse waveform: A voltage pulse can be applied using VPULSE element in PSpice. VPULSE has 7 parameters that are described and shown below.



As an example, a square waveform can be created by setting $TR = TF = 0$ and $PER = 2PW$. TD is the delay time

Procedure

1. Open PSpice and construct a circuit shown below with a resistor of $1\text{k}\Omega$ and a capacitor of $1\mu\text{F}$. V_g is an independent voltage source generating square waveforms. Set $TR = TF = TD = 0$, $V_1 = 0$, and $V_2 = 10\text{V}$. Wisely set the period of the waveform so that you can clearly observe the natural and step responses $v(t)$ of the RC Circuit.



2. Measure $i(t)$ and $v(t)$. Plot them. What did you find? Why?

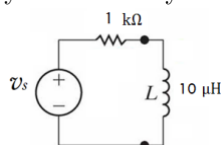
3. Fill the simulation results in Table 1

Resistance ($\text{k}\Omega$)	Capacitance (μF)	Calculated Time Constant (ms)	Measured Time Constant (ms)
1	0.5	0.5	1
1	1	1	0.5
1	2	2	2

4. let $R = 1\text{k}\Omega$ and $TR = TF = TD = 0$, $V_1 = 0$, $V_2 = 10\text{V}$, and $PER = 2\text{ms}$, select the capacitance of the capacitor so that the response $v(t)$ of the circuit is a triangle waveform, as shown below.



5. Construct a circuit shown below with a resistor of $10\text{k}\Omega$ and an inductor of 10mH . Set $TR = TF = TD = 0$, $V_1 = 0$, $V_2 = 10\text{V}$ for the pulse voltage source. Wisely select its pulse width so that you can clearly observe the responses of the RL circuit.



6. Measure the current $i(t)$ in the circuit and voltage $v(t)$ across the inductor. Then plot them. What did you find? Why?

7. Fill the simulation results in Table 2

Resistance (Ω)	Capacitance (mH)	Calculated Time Constant (ms)	Measured Time Constant (ms)
10	10	100	200
10	20	200	100
10	30	300	300

Questions and Conclusions

- Summarize your findings and explanations in response to the questions posed in this lab.

In this lab I learned more about how a capacitor works in a practical stand point. I really found out that capacitors work different from one another and the data fluctuates frequently. This is primarily due to the sinusoidal power source. Whenever I flipped the switch back and forth the readings would scatter and then slowly realign. In the end the larger the capacitor the longer a light can be charged.