The probability of a correct decision is:

 $\Pr[F_{mai}(v) = 1] = \Pr[a \text{ majority of voters in } v \text{ are correct}]$

The probability of a correct decision is.

The profile is $v = (v_1, \dots, v_n)$, with n odd.

$$=\Pr[\mathsf{at} \ \mathsf{least} \ \mathsf{three} \ \mathsf{voters} \ \mathsf{in} \ v \ \mathsf{are} \ \mathsf{correct}]$$

$$= \Pr \left[\mathbf{v} \text{ is one of } (1, 1, 1, 0, 0), \dots, (1, 1, 1, 1, 0), \dots, \text{ or } (1, 1, 1, 1, 1) \right]$$

$$= 10 \cdot p^{3} (1 - p)^{2} + 5 \cdot p^{4} (1 - p) + p^{5}$$

 $= {5 \choose 3} \cdot p^3 (1-p)^2 + 5 \cdot p^4 (1-p) + p^5$

Again, as \emph{p} grows, so does group accuracy.

And a group of five voters is more accurate than a group of three!