

## Lesson 12: Lines: Word Problems and T-tables

### Objectives

- To use t-tables to write the equation of a linear function.
- To use a linear function to complete a t-table.
- To write linear functions based on real-world scenarios.

### Terms

- T-table
- Function Notation
- System of Equations
  - Elimination
  - Substitution
  - Graphing

**Think about this: What do we know about linear functions?**

- **Linear Functions:**

- Have a graph that is a line that does not change direction.
- Have a constant rate of change (the slope).

- **Slope Formula:**

- Can be represented in several forms.

- **Standard Form:** \_\_\_\_\_

- **Slope-intercept Form:** \_\_\_\_\_

- **Point-slope Form:** \_\_\_\_\_

- **Function Notation:** Written as \_\_\_\_\_ and read as \_\_\_\_\_

- Input: \_\_\_\_\_ Output: \_\_\_\_\_

- Can have points organized as a \_\_\_\_\_ (also known as an \_\_\_\_\_)

### Example

1. How can we use the given table to write the equation of a line?

- a. Find the slope of the line.

- b. Find the y-intercept of the line.

- c. Write the equation of the function.

- d. What is the x-intercept of the line?

x	y
-2	
-1	
0	
1	

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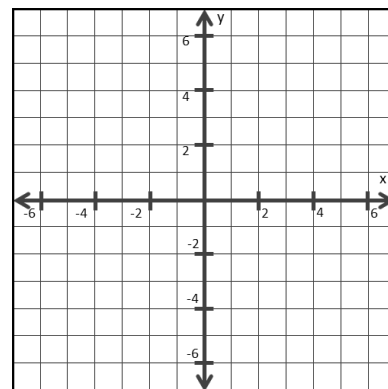
### Practice

2. Use the given function to complete the following.

Function:  $y = \underline{\hspace{2cm}}$

- Identify the slope of the line.
- Identify the y-intercept of the line.
- Complete the table and graph the function.
- What is the x-intercept of the line?

x	y
-3	
0	
3	
6	
	0



### Consider this: How can linear functions represent real-world scenarios?

**Scenario #1:** A printing service charges a set-up fee of \$\_\_\_\_\_ for each order and \_\_\_\_\_ cents more for each copy.

- Complete the t-table provided. (Label your input/output and use the space below as needed)
- What value would be the y-intercept in this scenario? What does the y-intercept mean?
- What value would be the slope in this scenario and what units would it have?
- What does the slope mean?
- Write the function that would represent the total cost ( $C$ ) for an order of  $x$  copies.

Input	Evaluate	Output
Copies	Find cost	Total cost
x	$C(x)$	total
0		
1		
2		
3		
4		
10		
20		
x		

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**Practice #1:** You are saving money for a new phone. You have \$\_\_\_\_\_ to start and add \$\_\_\_\_\_ each week.

- Complete the t-table. (Label your input/output and use the space below as needed)
- What value would be the y-intercept in this scenario? What does the y-intercept mean?
- What value would be the slope in this scenario?
- What does the slope mean?
- Write the function that would represent the total amount saved ( $S$ ) for  $w$  number of weeks.

<b>w</b>	<b>S(w)</b>	<b>total</b>
0		
1		
2		
5		
10		
20		
w		

**Scenario #2:** A plant is already 10.00 meters tall, and it will grow 10 centimeters every month. The plant's height,  $H$  (in meters), after  $x$  months is given by the following function.

$$H(x) =$$

- What value would be the y-intercept in this scenario? What does the y-intercept mean?
- What value would be the slope in this scenario? What does the slope mean?
- What is the plant's height after 6 months?
- What is the plant's height after 2 years?

## Lesson 12: Lines: Word Problems and T-tables

- **Systems of Equations:** A system of equations is when there are \_\_\_\_\_ in the same \_\_\_\_\_. (typically (x, y))
  - **Solution:** Point where both equations are true. (they have the same \_\_\_\_\_ values in common)
  - **You can solve a system of equations by:**
    - **Elimination**
    - **Substitution**
    - **Graphing**

Use the space provided to solve the following systems.

1. $\begin{aligned} 5x + 4y &= 22 \\ x - 3y &= -7 \end{aligned}$	2. $\begin{aligned} -7x - 6y &= 7 \\ 5x + 3y &= 4 \end{aligned}$
3. $\begin{aligned} -2x + y &= 6 \\ y &= \frac{1}{4}x - 1 \end{aligned}$	
Where will you see this in upcoming material?	What are the calculator skills you needed?