

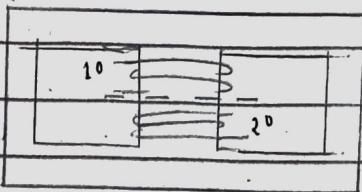
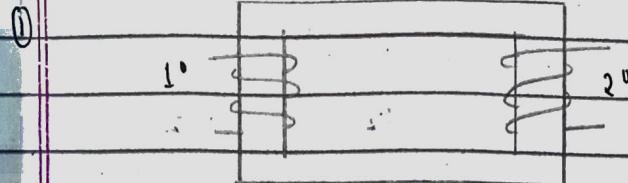
20th DEC

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ON BASIS OF CONSTRUCTION

(i) core type transformer

(ii) shell type transformer



(1) NO. of legs/limbs is 2

(1) NO. of legs/limbs is 3.

(2) NO. of magnetic path
= 1

(2) NO. of magnetic path is 2

(3) 1° & 2° windings are placed on both limbs

(3) 1° & 2° windings are placed on central limb

(4) concentrated winding / cylindrical winding is used

(4) sandwiched type winding is used

(5) natural cooling is effective.

(5) natural cooling is not effective.

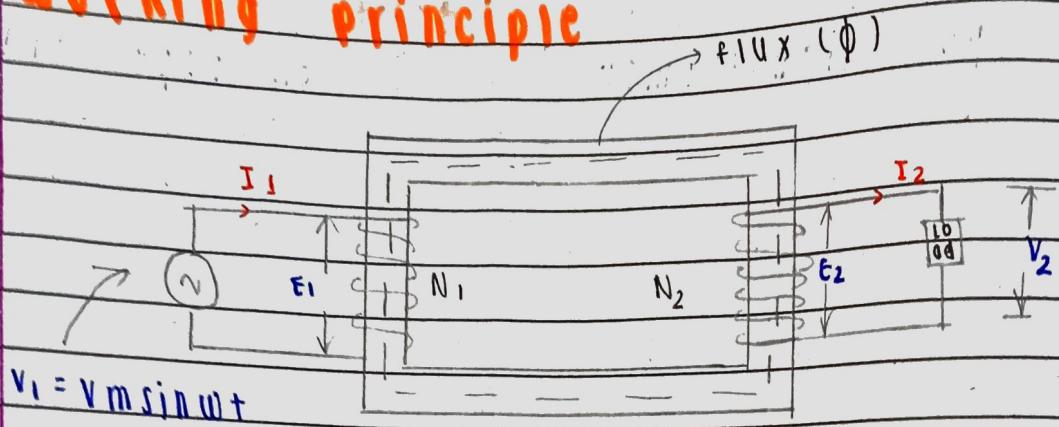
(6) used in power transformer, (high voltage app)

(6) used in electronic gadgets, (low voltage app).

(7) large amount of copper is reqd.

(7) less amount of cu is reqd.

WORKING PRINCIPLE



Transformer works on the principle of Faraday's law of electromagnetic induction (mutual induction)

Consider a simple transformer as shown in fig which consists of two windings which are

- electrically separated

but,

- magnetically linked through a path of low reluctance

When an AC supply is connected to 1° winding, it sets an alternating flux in the core

which links w. secondary winding & hence an emf is induced in 2° winding

W₁

W₂

As current I_1 increases, the current I_2 will

also increase due to induced EMF

which is generated from
the change in flux by electromagnetic
induction w/o any
charge in loop

The following two coil have with 1° winding

if it is derived which **opposes** the applied
voltage

then in the limit limits 1° current

(ii)

use case of transformer

Let

N_1 = no. of turns in 1°

N_2 = no. of turns in 2°

A = Area of cross-section

Φ_m = max flux

B_m = max flux density

f = freq.

• Note :

capital letters $\xrightarrow{\text{denotes}}$ RMS value

When an alternating voltage is applied to the primary winding of the transformer, an alternating flux is set up in the core.

which links w. both 1° & 2° winding

$d\phi = \text{final} - \text{initial}$

$$= I - 0$$

$$= I$$

$$d\phi = \phi_m - 0$$

$$= \phi_m$$

$$\frac{d\phi}{dt} = \phi_m$$

$$\therefore \text{avg. } \frac{d\phi}{dt} = \frac{\phi_m}{T/4}$$

we know that

$$e_{avg} = N \frac{d\phi}{dt}$$

$$\therefore e_{avg} = \frac{N}{T} \frac{d\phi}{dt} \rightarrow \frac{\phi_m}{4}$$

$$\therefore e_{avg} = \frac{\phi_m}{N}$$

$$\therefore e_{avg} = \frac{\phi_m}{N} f$$

FOR pure sinusoidal quantity

$$\text{form factor} = 1.11$$



RMS value

Avg value

$$\therefore \text{RMS value} = 1.11 * \text{Avg. value}$$

\therefore RMS value of induced emf

$$= 1.11 * \text{Avg. value of induced emf}$$

$$\Rightarrow E_{\text{rms}} = 1.11 * 4.44 f \Phi_m N$$

$$E_{\text{rms}} = 4.44 f B_m A N$$

Now,

1° winding

$$E_1 = 4.44 f B_m A N_1 \rightarrow (iii)$$

2° winding

$$E_2 = 4.44 f B_m A N_2 \rightarrow (iv)$$

Voltage / current transformation
Ratio / True Ratio / Turn Ratio (K)

Dividing eqn (iii) by eqn (i)

$$\frac{E_2}{E_1} = \frac{4.44 f B_m A N_1}{4.44 f B_m A N_2}$$

or,	$\frac{E_2}{E_1} = \frac{N_1}{N_2} = K$
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$$V_2 = E_2$$

$$V_1 = E_1$$



If winding losses are neglected

$$\frac{V_2}{V_1} = \frac{E_2}{E_1} = \frac{N_2}{N_1} = K$$

(i) If

$$V_2 > V_1 ; K > 1$$

$$N_2 > N_1$$

thus step up transformer

(ii) If

$$V_1 > V_2 ; K < 1$$

$$N_2 < N_1$$

thus step down transformer

(iii) If,

$$V_1 = V_2 ; K = 1$$

$$N_2 = N_1$$

Thus, isolation transformer

• CURRENT TRANSFORMER

Consider an ideal transformer

~~losses negligible~~

$$I_1 P_{VA} = I_2 P_{VA}$$

y

Apparent power

$$\text{or, } V_1 I_1 = V_2 I_2$$

$$\frac{V_2}{V_1} = \frac{I_1}{I_2} \rightarrow (\text{iii})$$

From eqⁿ (ii) & (iii)

$$\frac{V_2}{V_1} = \frac{E_2}{E_1} = \frac{N_2}{N_1} = \frac{I_1}{I_2} = K$$

• NOTE :

Ohm's law

not applicable

in transformer

$$V \propto I \cdot (x)$$

- NOTE: • ACTIVE POWER $P \rightarrow$ watt
- REACTIVE POWER $Q \rightarrow$ VAR $E_R \rightarrow$
- APPARENT POWER $S \rightarrow$ VA (VOLT-AMPERE)



Ideal Transformer

For better understanding & easier explanation of a practical transformer, certain assumptions are made.

Practically an ideal transformer can't exist; it's hypothetical only.

• ASSUMPTIONS MADE: $\rightarrow T^2 R$ LOSS X

i) NO WINDING RESISTANCE

ii) NO MAGNETIC LEAKAGE \rightarrow FLUX BOUNDARY BRITTAI

iii) NO HYSTERESIS & EDDY CURRENT LOSS

IRON

$\rightarrow \mu$ (permeable)

iv) 0 MAGNETIZING CURRENT \rightarrow NO RELUCTANCE.

From above points we can conclude that an ideal transformer is supposed to consists of

2 PURELY INDUCTIVE COILS

) wound

0 II

LOSSLESS CORE

Transformer on no load

