

Homework 4

1.)

a.) 2 necessary conditions for an ensemble classifier to perform better than a base classifier:

i.) The base classifiers should be independent of one another.

ii.) The base classifier should do better than a classifier that performs random guessing.

b.) Ways to ensure total independence among classifiers:

-Split the dataset into uncorrelated parts and train classifiers on them.

-Using multiple types of unstable classifiers.

c.) Unstable classifiers:

Unstable classifiers are base classifiers that are sensitive to minor perturbations in the training set.

Decision trees, rule-based classifier and artificial neural networks are unstable classifiers.

d.) Procedure for modified ensemble method:

-Each D_i is a bootstrap sample having only a subset of training features so basically we need to perform bagging.

-Use unstable classifiers as base classifiers: for eg. Decision trees.

-Perform accuracy weighted prediction to perform class label: If the accuracy of classifier C_i is a_i , we assign a weight to it while voting w_i proportional to a_i .

1: Let D denote the original training data, k denote the number of base classifiers,

And T be the test data

2: for $i=1$ to k do

3: Create training set, D_i from D using bagging approach

4: Build an unstable base classifier C_i from D_i .

5: assign w_i weight based on accuracy of C_i

6: end for

7: for each test record x belonging to T do

8: $C^*(x) = \text{Vote}(w_1 * C_1(x), w_2 * C_2(x), \dots, w_k * C_k(x))$

9: end for

2.)

a.) i.) Contingency Table:

Actual Class	Predicted Class		
		Class = +	Class = -
	Class = +	1 (a)	1 (b)
	Class = -	2 (c)	10 (d)

ii.) Precision(p) = $a/(a+c) = 1/(1+2) = 1/3 = 0.333$

iii.) Recall (r) = $a/(a+b) = 1/(1+1) = 1/2 = 0.5$

iv.) F-measure = $2rp/(r+p) = 2 \times 0.5 \times 0.333 / (0.5 + 0.333) = 0.399$

v.) Accuracy = $a+d / (a+b+c+d) = 11/14 = 0.7857$

b.) Techniques to handle class imbalance problems:

i.) **Alternative Metrics:** Here, we consider the rare class as more important (assigning it more weight) and use metrics like Precision, Recall and Weighted Accuracy to measure effectiveness of classification.

ii.) **Receiver Operating Characteristic Curve (ROC):** The TPR(true positive rate) and FPR(false positive rate) are plotted along the y-axis and x-axis respectively, a good classification model should lie somewhere on the upper left corner of the graph and the random classifier along the diagonal.

iii.) **Cost-Sensitive Learning:** Costs are calculated for various models using the cost matrix and the costs in turn can be used to make important decisions regarding the information.

iv.) **Sampling Based Approaches:** There are three techniques used undersampling (where lesser samples from majority class are taken), oversampling(where more samples of rare class are created) or hybrid sampling(which is a combination of both) for the training set, thus ensuring equal representation during the training phase.

3.)

a.) Maximum number of Association rules: ($\text{minsup} \geq 0$) $3^d - 2^{d+1} + 1 = 3^6 - 2^7 + 1 = 602$

b.) Maximum size of frequent itemsets: ($\text{minsup} > 0$)

for all 6 itemsets individually ${}^6C_1 - 6$

now pairs ${}^6C_2 - 15$ possibilities – {Milk,Bread} , {Milk,Butter} ,{Milk,Cookies} ,{Milk,Beer} , {Milk, Diapers}, {Bread,Butter}, {Bread,Cookies}, {Bread,Diapers}, {Butter,Cookies}, {Butter, Diapers}, {Beer,Diapers} , {Beer,Cookies} ,{Diapers,Coookies} - **13**

For trios ${}^6C_3 - 20$ possibilities – {Milk,Beer,Diapers}, {Bread,Butter,Milk}, {Milk,Diapers,Cookies}, {Bread,Butter,Cookies}, {Beer,Cookies,Diapers}, {Milk,Diapers,Bread}, {Milk,Diapers,Butter}, {Diapers,Bread,Butter}, {Bread,Butter,Diapers} – **9**

For 4 ${}^6C_4 - 12$ possibilities – {Milk,Diapers,Bread,Butter} - **1**

For 5 and 6 we can see that there are 0 itemsets.

Total = **29**

c.) Maximum number of size-3 itemsets: ($\text{minsup} \geq 0$) ${}^6C_3 = 20$

d.) Confidence of the rules {Bread \rightarrow Milk} and {Milk \rightarrow Bread}: $c = \sigma(X,Y)/\sigma(X)$

$c\{\text{Bread} \rightarrow \text{Milk}\} = 3/5 = 0.6$

$c\{\text{Milk} \rightarrow \text{Bread}\} = 3/5 = 0.6$

e.) Conditions under which rule {a \rightarrow b}, {b \rightarrow a} have the same confidence:

Since the numerator of confidence does not change for these two cases, it all depends on the denominator i.e. $\sigma(X)$, so basically:

-When 'a' and 'b' have same support count.