

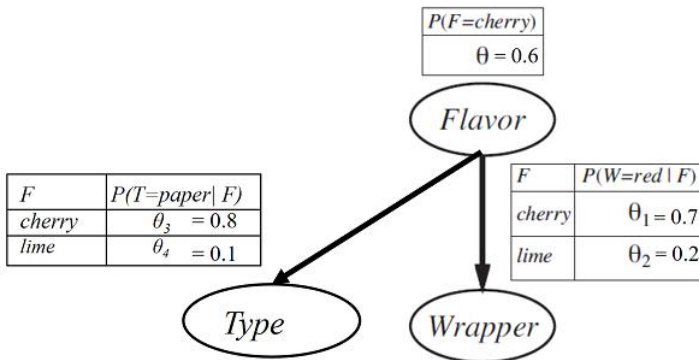
- Assumption:** Attributes (X_1, \dots, X_n) are conditionally independent of each other, given the class (C)

$$P(C | x_1, \dots, x_n) = \alpha P(C) \prod_i P(x_i | C)$$

With the observed wrapper being “green” and “plastic”, what is the probability of the candy being “cherry” and “lime”, respectively?

$P(F = \text{cherry} | W = \text{green}, T = \text{plastic}) = ?$

$P(F = \text{lime} | W = \text{green}, T = \text{plastic}) = ?$



The **wrapper** color may be “red” or “green”

The material **type** may be “paper” or “plastic”

Question 1: What is the conditional probability $P(F = \text{cherry} | W = \text{green}, T = \text{plastic})$?

NOTE: Please normalize the probabilities first -- to make sure that $P(F = \text{cherry} | W = \text{green}, T = \text{plastic}) + P(F = \text{lime} | W = \text{green}, T = \text{plastic}) = 100\%$ -- before giving the answers.

Please retain three digits after the decimal point (for example, 0.987654321 should be rounded to 0.988).

Answer 0.111

Answer range +/- 0.002

Question 2: What is the conditional probability $P(F = \text{lime} | W = \text{green}, T = \text{plastic})$?

Answer 0.889

Answer range +/- 0.002