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EXPERIMENT 5

Aim:

To apply Apriori Algorithm to given dataset: Association Rule Mining with WEKA

Theory:

Association Mining is defined as finding patterns, associations, correlations, or casual structures among sets of items or objects in transaction dataset, relational database, and other information repositories. The association rule takes the form of if ... then... statement of the form:

A => B (read as, if A then B)

Performance measures for association rules:

Support:

support $(A \Rightarrow B) = P(A \cap B)$

The minimum percentage of instances in the database that contain all items listed in a given association rule.

number of instances containing both A and B

support (A => B)=

Total Number of instances

Example:

5000 transaction contain milk and bread in a set of 50000

→ Support=> 5,000/50,000=10%

Confidence:

confidence (A=>B)=P(B|A)

Given a rule of the form "if A then B", rule for confidence is the conditional probability that B is true when A is known to be True.

number of instances containing both A and B

confidence (A => B)=

number of instances containing A

Example:

IF Customer purchases milk THEN they also purchase bread:

In a set of 50,000, there are 10,000 transactions that contain milk, and 5,000 of these contain also bread.

→ Confidence => 5.000/10.000=50%

Task

Consider dataset "Groceries" and apply apriori algorithm on it. What are the first 5 rules generated when the min support is 0.001 (0.1%) and min confidence is 0.9 (90%)

Exercise 1: Basic association rule creation manually

The 'database' below has four transactions. What association rules can be found in this set, if the minimum support (i.e coverage) is 60% and the minimum confidence (i.e. accuracy) is 80%?

Trans_id	Itemlist
T1	{K, A, D, B}
T2	{D, A C, E, B}
T3	{C, A, B, E}
T4	{B, A, D}



Hint: Make a tabular and binary representation of the data in order to better see the relationship between Items. First generate all item sets with minimum support of 60%. Then form rules and calculate their confidence base on the conditional probability $P(B|A) = |B \cap A| / |A|$. Remember to only take the item sets from the previous phase whose support is 60% or more.

Exercise 2: Input file generation and Initial experiments with Weka's association rule discovery



One can notice that the association rules we determined via the manual method are identical to those provided by WEKA. I made an .arff file and utilised it.

Exercise 3: Mining Association Rule with WEKA Explorer - Weather dataset

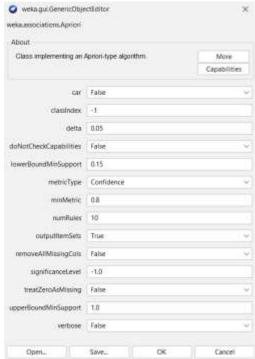


temperaturewild playages 1
temperaturewild playages 1
temperaturewild playages 1
temperaturewild playages 3
temperaturewild playages 4
temperaturewild playages 3
temperaturewild playages 3
temperaturewild playages 3
temperaturewild playages 4
temperaturewild playages 4
temperaturewild playages 4
temperaturewild playages 4
temperaturewild before temperature 5
temperaturewild before te

I used an open weather dataset to perform association rule mining.

It does not have a target property like a decision tree. Instead, it tries to link all of the columns together. The values of the play column in the decision tree are anticipated based on the values of the outlook, temp, humidity, and windy columns. The values of the play column are also taken into account in the association rule, and the remainder columns can be predicted.

Exercise 4: Mining Association Rule with WEKA Explorer – Vote



```
physician-fee-freeze-n 247
religious-groups-in-schools-y 272
anti-estellite-test-ban-y 235
ald-to-nicaraquan-contrasty 242
synfuels-corporation-outback-n 204
education-spending*n 222
orinery 248
Outy-free-exportern 233
emport-administration-act-south-africary 360
Class-democrat 267
Size of set of large itemsets L(2): #
Laxye Ttemsets L(3))
adoption-of-the-budget-resolution-y physician-fee-freeze=n 219
adoption-of-the-budget-resolution=y class=democrat 231
physician-fee-freeze-n Class-desporat 245
ald-to-micaraquan-contrasty Class-democrat 318
Size of set of large itemsets 1(3): 1
adoption-of-the-budget-resolution*y physician-fee-freeze*n Class*democrat 219
 1. adoptios-of-the-budget-resulution*y physician-fee-freeze*s 219 **> Class*democrat 219
                                                                                            <comf:(1)> lift:(1.63) lev:(0.15) [84] comv:(84.50)
 Z. physician-fee-freeze'n 247 ==> Class*democrat 245
                                                        <comf:(0.95)> life:(1.62) lev:(0.21) [93] coev:(31.0)

    adoption-of-the-budget-resolution-y Class-democrat SSI ==> physician-fee-freeze=x SI9

                                                                                            <conf:(0.95)> lift:(1.67) lev:(0.2) [87] conv:(7.68)
 7. physician-fee-freeze-m Class-democrat 245 --> adoption-of-the-budget-resolution-y 219 (conf: (0.89) > lift: (1.54) lev: (0.10) [76] conv: (2.8)
 0. physician-fee-freeze-m 247 => adoption-of-the-budget-resolution-y 213 coonf:(0.89) lift:(1.52) lev:(0.17) [75] conv:(3.56)
9. physician-fee-freeze-m 247 => adoption-of-the-budget-resolution-y cleas-democrat 213 coonf:(0.89) life:(1.67) lev:(0.2) [6
                                                                                             <conf:(0.89)> lifs:(1.67) lev:(0.2) [67] conv:(8.99)
10. adoption-of-the-budget-resulution-y 253 ==> physician-fee-freeze=n 215 <=confr(0.87)> lift:(1.82) lev:(0.17) (75) convr(3.12)
```

Members of the Democratic Party are more prevalent than members of the Republican Party, which enhances the likelihood of their presence in the most often occurring item sets. As a result, there are no members of the republican party listed in the rules. If the number of Republic party members grows, we may see fewer entries in the rules.

Exercise 5: Let's run Apriori on another real-world dataset.

```
meta.aspociations.Apricri -1 -W 10 -2 0 -2 0.8 -0 0.08 -0 1.0 -M 0.8 -8 -1.0 -c -1
Melation:
                supermarket.
Instances: 4627
Attributes: 217
--- Associator model (full training set) -
Minimum supposts 0.3 (1300 instances)
Number of cycles performed: 14
Department ages of large itemmeter
Size of set of large itemsets 1(1): 25
bread and make-t 3330
beking needs-t 2755
julce-set-cord-me-t 2463
canned vegetableset 1577
breekfast food?t 1862
sauces-gravy-pkis=t 2201
confectionary=t 1490
fromen foods=t 2717
pet foods=t 1867
Laundry needs 1563
perty snack foods#t 2330
tissues-paper produc 2247
soft drinks-t 1888
cheesert 1875
milh-namen"t 2939
```

```
Nice of set of large Steaments 5(3): 20
brand and cake-t baking neede-t biscuite-t 1456
bread and cake-t baking neede-t frozen frode-t 1405
bread and cake-t baking neede-t milk-creamet 1300
broad and cakert baking mediet fruitm 1564
broad and cakert baking mediet regetableset 1506
bread and cakers biscuiters fromen foods to 200
bread and cakers biscuiters milk-creament 1485
hered and oakers biscuiters fruites 1541
 broad and cakers bisculture regetableses 1407
bread and cake-t fromen foode-t milk-tream-t 1518
livead and cake-t fromen foode-t fruit-t 1548
broad and cake-t fromen foode-t repenshise-t 1548
bread and oakert milk-cream's fruit's 1684
bread and cakert milk-creamet regetables-t 1658
 bread and cake-t fruit-t regetables-t 1781
Baking seeds?s fouit?s regetables?t 1489
 biscuitet fruitet vegetableset 1404
fromen fooders fruites vegetableset 1451
 milk-creens t fruitst vagetablesst 1571
  1. biscuits=t vegetables=t 1764 ==> bread and make=t 1467
                                                                                                                                   *copf: (0.84) > lift: (1.17) lev: (0.05) [217] comv: (1.78)
  1. StealPhigh 1879 == bread and maket 1813 = confr (0.88)> lift.(1.17) law (0.04) [204] contr (1.78)
2. blanwits+r milt-commant 1877 => bread and cake+ 1845 = confr (0.88)= lift.(1.77) law (0.05) [213] convr (1.78)
4. blanwits+r milt-commant 1837 == bread and cake+ 1845 = confr (0.88)= lift.(1.77) law (0.05) [213] convr (1.78)
5. blanwits+r frome foodert 1930 => bread and cake+ 1830 = confr (0.88)= lift.(1.17) law (0.04) [207] convr (1.48)
  5. biscultert frome foodert 1910 ews bread and cake=t 1510 *conf:(0.83) lift:(1.16) ler:(0.04) [207] conr:(1.40) 6. frome foodert fruit=t 1561 ews bread and cake=t 1546 *conf:(0.83) lift:(1.15) ler:(0.50) [208] conr:[1.66) 7. frome foodert milk-crement 1202 ews bread and cake=t 1516 *conf:(0.83) lift:(1.15) ler:(0.50) [201] cohr:(1.63) 8. baking meds=t milk-crement 1907 ews bread and cake=t 1900 *conf:(0.83) lift:(1.15) ler:(0.50) (207] conr:(1.63) 9. milk-crement fruit=t 2010 ews bread and make=t 1648 *conf:(0.63) lift:(1.15) ler:(0.55) [217] conr:(1.61)

    baking mesis-t bisouits-t 1766 => bread and cake-t 1436 (conf: (0.03)) lift; (3.13) lev; (0.04) [100] cmpv; (1.6)
```

Implementation:

GitHub Link:

https://github.com/adwait-hegde/DataAnalytics-Lab/tree/main/Exp5

Conclusion:

The discovery of interesting associations and links among vast sets of data objects is made possible by association rule mining. This rule indicates how often a particular itemset appears in a transaction. We can find rules that forecast the occurrence of an item based on the occurrences of other items in the transaction given a set of transactions. We can use the Apriori algorithm to mine the frequent itemset and construct association rules between them. The biggest drawback is the amount of time it takes to hold a large number of candidate sets with frequent item sets, low minimum support, or huge item sets, making it inefficient for large datasets.