MAR ATHANASIUS COLLEGE OF ENGINEERING (Govt. Aided & Autonomous) KOTHAMANGALAM

M24CS1L107 ADVANCED MACHINE LEARNING LAB

Submitted in partial fulfillment for the award of the degree of

MASTER OF TECHNOLOGY

in

COMPUTER SCIENCE & ENGINEERING

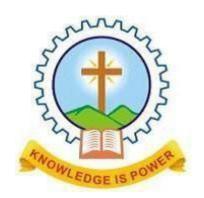
of

APJ Abdul Kalam Technological University

Submitted by

PAUL JOSE

Reg.No: MAC24CSCE07

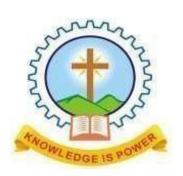


Department of Computer Science and Engineering

Mar Athanasius College of Engineering (Govt. Aided & Autonomous) Kothamangalam December 2024

Mar Athanasius College of Engineering (Govt. Aided & Autonomous)

KOTHAMANGALAM



M24CS1L107 ADVANCED MACHINE LEARNING LAB

Bonafide record of work done by

PAUL JOSE

Register Number: MAC24CSCE07

Submitted in partial fulfillment of the requirements for the Degree of

Master of Technology

ın

External Examiner	Internal Examiner
Place: Kothamangalam	
Date:	

CONTENTS

1	SIMPLE AND MULTIPLE LINEAR REGRESSION	3
2	NAÏVE BAYESIAN CLASSIFIER	8
3	ID3 DECISION TREE	11
4	K-NEAREST NEIGHBOUR ALGORITHM	17
5	SINGLE LAYER NEURAL NETWORK	20
6	BACKPROPAGATION ALGORITHM	25
7	EM AND K-MEANS ALGORITHM	29
8	DBSCAN CLUSTERING ALGORITHM	32
9	PRINCIPAL COMPONENT ANALYSIS	36
10	SUPPORT VECTOR MACHINE	39
11	5-FOLD CROSS VALIDATION	43
12	BOOSTING ENSEMBLE METHOD	46

EXPERIMENT NO: 1

DATE:

SIMPLE AND MULTIPLE LINEAR REGRESSION

AIM:

To write a program to implement the Simple and Multiple Linear Regression for a sample training data set stored as a .CSV file. Compute Mean Square Error by considering few test data sets.

ALGORITHM:

Notations:

The following notations are used in the algorithm:

X Feature matrix (independent variables).

y Target vector (dependent variable).

Xtrain Training data for features (subset of X).

Xtest Testing data for features (subset of X).

ytrain Training data for the target variable (subset of y).

ytest Testing data for the target variable (subset of y).

Y Predicted values of the target variable (y).

n Number of samples in the dataset.

MSE Mean Squared Error

Algorithm:

- 1. Load the dataset into a DataFrame.
- 2. If there are categorical variables, apply label encoding to convert them into numerical values.
- 3. Separate the features X (independent variables) and target y (dependent variable).
- 4. Split the dataset into training and testing sets using an 80%-20% split.
- 5. Create a linear regression model.
- 6. Fit the model to the training data Xtrain, ytrain.
- 7. Predict the target variable Y using the test data Xtest.
- 8. Compute the Mean Squared Error (MSE) by comparing the predicted values Y with the actual values ytest.
- 9. Print the MSE for model performance.
- 10. Accept manual input for feature values.
- 11. Use the trained model to predict the target variable for the manual input.
- 12. Display the predicted value for the manual input.

DESCRIPTION:

Data Set Description:

Simple Linear Regression:

The dataset contains 30 entries with two attributes: YearsExperience and Salary. The target variable is Salary, predicted based on YearsExperience.

Multiple Linear Regression:

The dataset includes attributes like R&D Spend, Administration, Marketing Spend and State. The target variable is Index.

Linear regression:

Linear regression models predict a continuous target variable y by establishing a linear relationship with one or more input features X. The relationship is represented by the equation:

$$y = \theta 1X1 + \theta 2X2 + \cdots + \theta nXn + b$$

For **Simple Linear Regression**, the model uses a single feature (X) and simplifies to:

$$y = \theta X + b$$

For **Multiple Linear Regression**, the model incorporates multiple features (X1,X2,...,Xn) to make predictions.

IMPLEMENTATION:

import numpy as np

```
import pandas as pd
from sklearn.model selection import train test split
from sklearn.linear model import LinearRegression
import matplotlib.pyplot as plt
import seaborn as sns
from mpl toolkits.mplot3d import Axes3D
import time
def readFile asDF(dataset):
  file path = f'./Dataset/{dataset}.csv'
  return pd.read csv(file path)
def separateDataset(df):
  y = df.iloc[:, -1]
  X = df.iloc[:, :-1]
  return X, y
def model predict(model, X):
  print(f"Coefficients: {model.coef }")
```

```
print(f"Intercept: {model.intercept }")
  print("Model is predicting...")
  time.sleep(2)
  return model.predict(X)
def MeanSquaredError(y obtained, y target):
  mse = np.mean((y target - y obtained) ** 2)
  print(fMean squared error: {mse}')
def simple LR():
  print("Running Simple Linear Regression")
  df = readFile asDF('simpleLR')
  X, y = separateDataset(df)
  X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
  model simple = LinearRegression()
  model simple.fit(X train, y train)
  y pred = model predict(model simple, X test)
  MeanSquaredError(y pred, y test)
  return model simple
def multiple LR():
  print("Running Multiple Linear Regression")
  df = readFile asDF('multipleLR')
  X, y = separateDataset(df)
  if 'State' in X.columns:
    X['State'] = X['State'].str.strip() # Remove extra whitespaces
         X = pd.get dummies(X, columns=['State'], drop first=True) # One-hot encode the 'State'
column
  print(X)
  X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
  model multi = LinearRegression()
  model_multi.fit(X train, y train)
  y pred = model predict(model multi, X test)
  MeanSquaredError(y pred, y test)
  return model multi
def main():
  print("Running Simple Linear Regression")
  model simple = simple LR()
  print('<---->')
  print("Running Multiple Linear Regression")
  model multi = multiple LR()
  print('<---->')
  userInput = 1
  while userInput:
      userInput = int(input("Choose from the menu below:\n1. Predict Simple Linear Regression\n2.
```

Predict Multiple Linear Regression\n0. Exit\n: "))

```
if userInput == 1:
       X = float(input("Enter a value for X:"))
       X = np.array([[X]])
       y pred = model predict(model simple, X)
       print("Predicted value for y:", y pred[0])
     elif userInput == 2:
       X values = input("Enter values for X (comma-separated, e.g., 5,3,2,4,1): ")
       # Map categorical variables before creating the input array
       X \text{ list} = X \text{ values.split(",")}
       X numeric = []
       for value in X list:
          value = value.strip()
          if value in ['True', 'False']:
            X numeric.append(int(value == 'True')) # Convert boolean strings to integers
          else.
            X numeric.append(float(value)) # Convert other numeric inputs
       X = np.array(X numeric).reshape(1, -1)
       y pred = model predict(model multi, X)
       print("Predicted value for y:", y pred[0])
     elif userInput == 0:
       print("Exiting the program.")
     else:
       print(f'Invalid option: {userInput}.')
if name == " main ":
  main()
```

OUTPUT:

```
D-MACHINE-LEARNING-LAB-main(1)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 Exp_Lab1.py
Running Simple Linear Regression
Running Simple Linear Regression
Coefficients: [9423.81532303]
Intercept: 25321.58301177679
Model is predicting..
Mean squared error: 49830096.85590834
Running Multiple Linear Regression
Running Multiple Linear Regression
   R&D Spend Administration Marketing Spend State_Florida State_New York
                    136897.80
   165349.20
                                     471784.10
                                                         False
                    151377.59
   162597.70
                                     443898.53
                                                         False
                    101145.55
   153441.51
                                     407934.54
                                                         True
                                                                         False
                    118671.85
                                     383199.62
   144372.41
                                                         False
                                                                          True
   142107.34
                     91391.77
                                     366168.42
                                                         True
                                                                         False
    131876.90
                     99814.71
                                     362861.36
                                                         False
                                                                          True
                                                                         False
    134615.46
                    147198.87
                                     127716.82
                                                         False
```

```
Choose from the menu below:

1. Predict Simple Linear Regression

2. Predict Multiple Linear Regression

3. Predict Multiple Linear Regression

6. Exit

1. I

Enter a value for X: 1

Coefficients: [9423.81532303]

Intercept: 25321.583301177679

Model is predicting...

usr/lib/python3/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but LinearRegression was fitted with feature names

warnings.warn(

Predicted value for y: 34745.398334807775

Choose from the menu below:

1. Predict Simple Linear Regression

2. Predict Simple Linear Regression

3. Predict Simple Linear Regression

6. Exit

1. 2

Enter values for X (comma-separated, e.g., 5,3,2,4,1): 165349,136897,471784,0,192261

Coefficients: [ 8.05630064e-01 -6.87878823e-02 2.98554429e-02 9.38793006e+02
6.98775997e+00]

Intercept: 54028.039593645866

Model is predicting...

/usr/lib/python3/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but LinearRegression was fitted with feature names

warnings.warn(
Predicted value for y: 1535380.3495741782
```

RESULT:

Program implementing simple and multilinear regression executed successfully, Used the model to predict for a new sample and the output is obtained.

EXPERIMENT NO: 2 DATE:

NAIVE BAYESIAN CLASSIFIER

AIM:

Write a program to implement the naïve bayesian classifier for a sample training data set stored as a .CSV file. Compute the accuracy of the classifier, considering few test data sets.

ALGORITHM:

- 1. Input:
 - 1. A training dataset with features (e.g., sepal length, sepal width, petal length, petal width in the Iris dataset).
 - 2. Corresponding target labels, representing the class for each instance (e.g., Species: Setosa, Versicolor, Virginica).
 - 3. A test instance, representing the feature values of an instance to be classified.
- 2. Compute Prior Probabilities:
 - 1. Calculate, the prior probability of each class:
- 3. Compute Conditional Probabilities:
 - 1. For each feature and class, calculate the conditional probability assuming a Gaussian distribution:

where:

- 1. : Mean of feature for class.
- 2. : Standard deviation of feature for class.
- 4. Compute Class Scores:
 - 1. For the test instance, calculate the product of probabilities for each class:
- 5. Classify the Test Instance:
 - 1. Identify the class with the highest score:
- 6. Output:
 - 1. Assign the test instance the class label.

DESCRIPTION:

Naive Bayes theorem is a collection of classification algorithms based on Bayes Theorem. It is stated as:

$$P(A \mid B) = rac{P(B \mid A) \cdot P(A)}{P(B)}$$

Data Set Description:

The dataset used in this program is the Iris dataset, which is one of the most popular datasets in machine learning. It contains the following features:

- Sepal Length: The length of the sepal in centimeters (numeric).
- Sepal Width: The width of the sepal in centimeters (numeric).
- Petal Length: The length of the petal in centimeters (numeric).
- Petal Width: The width of the petal in centimeters (numeric).

- Species: The target variable indicating the class of the iris flower. It has three possible values:
 - 1. Setosa
 - 2. Versicolor
 - 3. Virginica

The dataset is used to classify iris flowers into one of the three species based on their sepal and petal measurements.

IMPLEMENTATION:

```
import pandas as pd
from sklearn.model selection import train test split
from sklearn.naive bayes import GaussianNB
from sklearn.metrics import accuracy score
file path = './Dataset/iris.csv'
df = pd.read csv(file path)
X = df.drop('species', axis=1)
y = df['species']
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
model = GaussianNB()
model.fit(X train, y train)
y pred = model.predict(X test)
print(y pred)
accuracy = accuracy score(y test, y pred)
print("Accuracy: ", accuracy * 100)
user input 1 = float(input("Enter the value for sepal length: "))
user input 2 = float(input("Enter the value for sepal width: "))
user input 3 = float(input("Enter the value for petal length: "))
user input 4 = float(input("Enter the value for petal width: "))
feature columns = ['sepal length', 'sepal width', 'petal length', 'petal width']
user input = pd.DataFrame([[user input 1, user input 2, user input 3, user input 4]])
pred = model.predict(user input)
print(f"The predicted class is: {pred[0]}")
```

```
csns37@csns37:~/Desktop/Paul$ python3 Exp_Lab2.py
['versicolor' 'setosa' 'virginica' 'versicolor' 'versicolor' 'setosa'
  'versicolor' 'virginica' 'versicolor' 'virginica' 'setosa'
  'setosa' 'setosa' 'setosa' 'versicolor' 'virginica' 'versicolor'
  'versicolor' 'virginica' 'setosa' 'virginica' 'setosa' 'virginica'
  'virginica' 'virginica' 'virginica' 'setosa' 'setosa' 'setosa']
Accuracy: 100.0
Enter the value for sepal_length: 1
Enter the value for sepal_length: 2
Enter the value for petal_length: 1
Enter the value for petal_length: 2
//usr/lib/python3/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but GaussianNB was fitted with feature names
    warnings.warn(
The predicted class is: versicolor
```

RESULT:

Program for implementing Naive bayes classifier for a given dataset is executed successfully and new tuple is classified using the same.

EXPERIMENT NO: 3 DATE:

ID3 Decision Tree

AIM:

Write a program to demonstrate the working of the decision tree based ID3 algorithm. Use an appropriate data set for building the decision tree and apply this knowledge to classify a new sample.

ALGORITHM:

Notations:

The following notations are used in the algorithm:

- S The set of examples
- C The set of class labels
- F The set of features
- A An arbitrary feature (attribute) Values(A) The set of values of the feature A
- v An arbitrary value of A
- Sv The set of examples with A = v
- Root The root node of a tree

ID3 Decision Tree:

ID3 stands for Iterative Dichotomiser 3 and is named such because the algorithm iteratively (repeatedly) dichotomizes (divides) features into two or more groups at each step. ID3 algorithm selects the best feature at each step while building a Decision tree. ID3 uses Information Gain or just Gain to find the best feature.

Dataset is denoted as S, entropy is calculated as:

Entropy(S) =
$$-\sum p_i * log_2(p_i)$$
; $i = 1$ to n

$$IG(S, A) = Entropy(S) - \sum ((|S_v| / |S|) * Entropy(S_v))$$

Algorithm ID3(S, F, C):

- 1. Create a root node for the tree.
- 2. if (all examples in S are positive) then
- 3. return single node tree Root with label
- 4. end if
- 5. if (all examples are negative) then
- 6. return single node tree Root with label
- 7. end if
- 8. if (number of features is 0) then
- 9. return single node tree Root with label equal to the most common class label. 10. else
- 10. Let A be the feature in F with the highest information gain.
- 11. Assign A to the Root node in decision tree.
- 12. for all (values v of A) do
- 13. Add a new tree branch below Root corresponding to v.

- 14. if (Sv is empty) then
- 15. Below this branch add a leaf node with label equal to the most common class label in the set S.
- 16. else
- 17. Below this branch add the subtree formed by applying the same algorithm ID3 with the
- 18. end if
- 19. end for
- 20. end if

DESCRIPTION:

Data Set Description:

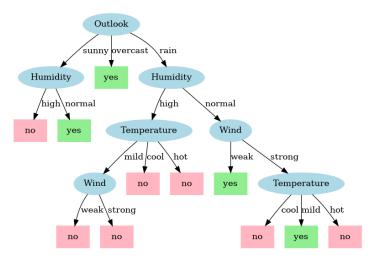
The dataset has 51 tuples and four attributes: outlook, temperature, humidity and wind. The target variable is given as answer "Yes" or "No".

IMPLEMENTATION:

```
import pandas as pd
import math
from graphviz import Digraph
# Calculate entropy
def entropy(data):
  total = len(data)
  class counts = data.iloc[:, -1].value counts()
  ent = 0
  for count in class counts:
     p = count / total
     ent = p * math.log2(p)
  return ent
# Calculate information gain
def information gain(data, attribute):
  total entropy = entropy(data)
  total = len(data)
  values = data[attribute].unique()
  weighted entropy = 0
  for value in values:
     subset = data[data[attribute] == value]
     weighted entropy += (len(subset) / total) * entropy(subset)
  return total entropy - weighted entropy
# Find the best attribute
def best attribute(data, attributes):
  gains = {attr: information gain(data, attr) for attr in attributes}
  return max(gains, key=gains.get)
# Build the decision tree
```

```
def build tree(data, attributes):
  class labels = data.iloc[:, -1].unique()
  print(f"Building tree... Class labels: {class labels}")
  if len(class labels) == 1:
     print(f"Only one class label: {class labels[0]}")
     return class labels[0]
  if not attributes:
     mode class = data.iloc[:, -1].mode()[0]
     print(f"No attributes left. Returning most common class: {mode class}")
     return mode class
  best attr = best attribute(data, attributes)
  print(f"Best attribute: {best attr}")
  tree = \{best attr: \{\}\}
  remaining attributes = [attr for attr in attributes if attr != best attr]
  for value in data[best_attr].unique():
     print(f"Processing value '{value.strip()}' of attribute '{best attr}'")
     subset = data[data[best attr] == value]
     if subset.empty:
       mode class = data.iloc[:, -1].mode()[0]
       print(f"Subset is empty for '{value}'. Returning most common class: {mode class}")
       tree[best attr][value.strip()] = mode class
       tree[best attr][value.strip()] = build tree(subset, remaining attributes)
  return tree
# Classify a new sample
def classify(tree, sample, data):
  print(f"Classifying sample: {sample}")
  if not isinstance(tree, dict):
     print(f"Reached leaf node: {tree}")
     return tree
  root = next(iter(tree))
  value = sample[root]
  print(f"Root: {root}, Sample value: {value}")
  # Check if the value exists in the tree path
  if value.strip() not in tree[root]: # Strip spaces from both the tree and input
     print(f"Value '{value.strip()}' not found in tree. Returning most common class.")
     return data.iloc[:, -1].mode()[0] # Fallback to the most common class
  return classify(tree[root][value.strip()], sample, data)
def plot tree simple(tree, dot=None, parent=None, label=None, node counter=None):
  if node counter is None:
     node counter = [0] # List to maintain a counter between recursive calls
  if dot is None:
     dot = Digraph(format='png', graph attr={'rankdir': 'TB'})
  if isinstance(tree, dict): # Non-leaf node
```

```
root = next(iter(tree)) # Get the root attribute of this subtree
     node id = f''\{root\} {node counter[0]}" # Unique ID based on the root attribute and a counter
     dot.node(node id, root, shape='ellipse', style='filled', color='lightblue')
     if parent:
       dot.edge(parent, node id, label=label)
     node counter[0] += 1 # Increment the node counter for the next node
     for value, subtree in tree[root].items():
       plot tree simple(subtree, dot, parent=node id, label=str(value), node counter=node counter)
  else: #Leaf node
     leaf id = f"leaf {node counter[0]}" # Unique leaf ID based on the counter
         dot.node(leaf id, str(tree), shape='box', style='filled', color='lightgreen' if tree == 'yes' else
'lightpink')
     if parent:
       dot.edge(parent, leaf id, label=str(label))
     node counter[0] += 1 # Increment the node counter
  return dot
file path = 'data.csv'
data = pd.read csv(file path)
data.columns = data.columns.str.strip()
data = data.applymap(lambda x: x.lower() if isinstance(x, str) else x)
attributes = list(data.columns[:-1])
print("\nBuilding decision tree...")
tree = build tree(data, attributes)
print("\nDecision tree built successfully!")
dot = plot tree simple(tree)
dot.render("decision tree", format="png", cleanup=True)
dot.view()
while True:
  # Classify a new sample
  print("\nProvide input values for classification:")
  new sample = \{\}
  for attr in attributes:
        new sample[attr] = input(f"Enter value for {attr}: ").strip().lower() # Strip extra spaces and
convert to lower
  # Predict class
  predicted class = classify(tree, new sample, data)
  print(f"\nPredicted Class: {predicted class}")
```



```
| Description |
```

```
Only one class tabel: no

Processing value mornal' of attribute 'Hunditty'

Building tree.. Class Labels: ['yes' 'no.']

Best attribute: Mind

Building tree... Class Labels: ['yes']

Only one class Label: yes

Building tree... Class Labels: ['yes']

Building tree... Class Labels: ['yes']

Building tree... Class Labels: ['no.' 'yes']

Dnly one class Label: ['yes']

Only one
```

Dept. of Computer Science and Engineering

RESULT:

Program implementing decision tree based on ID3 algorithm executed successfully, Used the decision tree to classify a new sample and the output is obtained.

EXPERIMENT NO: 4 DATE:

K-NEAREST NEIGHBOUR ALGORITHM

AIM:

To write a program to implement k-Nearest Neighbour algorithm to classify the iris data set. Print both correct and wrong predictions.

ALGORITHM:

- 1.Load the dataset containing features and corresponding labels.
- 2. Define the value of k (number of nearest neighbors).
- 3. For a given test instance x:
 - 3.1. Compute the distance between x and all training data points using a distance metric (e.g., Euclidean distance).
 - 3.2. Sort the training instances based on their distances to x.
 - 3.3. Select the top k closest training instances.
 - 3.4. Identify the most common label among these k instances.
 - 3.5. Assign the most common label to x as the predicted class.
- 4. Repeat Step 3 for all test instances.
- 5. Evaluate the model's performance using metrics such as accuracy, confusion matrix, etc.
- 6. Accept user input for features and predict the class using the trained model.

DESCRIPTION:

k-Nearest Neighbors Classifier:

k-Nearest Neighbors (k-NN) is a simple, non-parametric, and instance-based machine learning algorithm used for classification and regression tasks. It predicts the class of a sample based on the majority class among its kkk nearest neighbors in the feature space.

Data Set Description:

The Iris dataset consists of 150 samples from three species of Iris flowers: setosa, versicolor, and virginica. Each sample is described by four features:

- 1. Sepal length (cm)
- 2. Sepal width (cm)
- 3. Petal length (cm)
- 4. Petal width (cm)

IMPLEMENTATION:

import numpy as np import pandas as pd from collections import Counter from sklearn.datasets import load_iris from sklearn.model selection import train test split

from sklearn.preprocessing import LabelEncoder

```
# Load the Iris dataset
iris = load iris()
X = iris.data # Features
y = iris.target # Labels
print(X, y)
# Split the data into training and testing sets
X train, X test, y train, y test = train test split(X, y, test size=0.45, random state=42)
# k-NN Algorithm Implementation
def euclidean distance(x1, x2):
  return np.sqrt(np.sum((x1 - x2)**2))
def knn(X train, y train, X test, k):
  predictions = []
  for test point in X test:
     # Calculate distances from the test point to all training points
     distances = [euclidean distance(test point, train point) for train point in X train]
     # Get indices of the k smallest distances
     k indices = np.argsort(distances)[:k]
     # Get the labels of the k nearest neighbors
     k nearest labels = [y train[i] for i in k indices]
     # Get the most common class label among the k nearest neighbors
     most common = Counter(k nearest labels).most common(1)
     predictions.append(most common[0][0])
  return predictions
# Setting k value
k = 8
# Make predictions using k-NN
predictions = knn(X train, y train, X test, k)
# Compare predictions with actual labels and count correct/wrong predictions
correct_predictions = 0
wrong predictions = 0
for true, predicted in zip(y test, predictions):
  if true == predicted:
     correct predictions += 1
     wrong predictions += 1
# Calculate accuracy
accuracy = (correct predictions / len(y test)) * 100
# Print results
print(f"Correct predictions: {correct_predictions}")
Dept. of Computer Science and Engineering
```

```
print(f"Wrong predictions: {wrong_predictions}")
print(f"Accuracy: {accuracy:.2f}%")

# Print sample predictions and their corresponding true labels
print("\nSample predictions:")
for true, predicted, features in zip(y_test, predictions, X_test):
    print(f"Features: {features}, True Label: {true}, Predicted Label: {predicted}")
```

```
csns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 knn.py
[[5.1 3.5 1.4 0.2]
[4.9 3. 1.4 0.2]
[4.6 3.1 1.5 0.2]
[5. 3.6 1.4 0.2]
[5.4 3.9 1.7 0.4]
[4.6 3.4 1.4 0.3]
[5. 3.4 1.5 0.2]
[4.4 2.9 1.4 0.2]
[4.9 3.1 1.5 0.1]
[5.4 3.7 1.5 0.2]
[4.8 3.4 1.6 0.2]
[4.8 3.4 1.6 0.2]
[4.8 3. 1.4 0.1]
[4.3 3. 1.1 0.1]
[5.5 4. 1.2 0.2]
[5.7 4.4 1.5 0.4]
[5.8 4. 1.2 0.2]
[5.7 3.8 1.5 0.3]
[5.1 3.8 1.5 0.3]
```

```
Correct predictions: 67
Wrong predictions: 1
Accuracy: 98.53%

Sample predictions:
Features: [6.1 2.8 4.7 1.2], True Label: 1, Predicted Label: 1
```

RESULT:

Program implementing k-Nearest Neighbors (k-NN) algorithm executed successfully. Used the K-NN classifier to classify a new sample, and the output is obtained.

EXPERIMENT NO: 5

DATE:

SINGLE LAYER NEURAL NETWORK

AIM:

Implement a single layer neural network and for different logic gates.

ALGORITHM:

Notations:

The following notations are used in the algorithm:

X Feature matrix (independent variables).

y Target vector (dependent variable).

Xtrain Training data for features (subset of X).

Xtest Testing data for features (subset of X).

ytrain Training data for the target variable (subset of y).

ytest Testing data for the target variable (subset of y).

Y Predicted values of the target variable (y).

n Number of samples in the dataset.

MSE Mean Squared Error

Algorithm:

- 1. Define the Step Function (Activation Function) As:
 - 1. $step(x) = \{1 \text{ if } x \ge 0; 0 \text{ if } x < 0\}$
- 2. Initialize the input data for the AND and OR gates:
 - 2.1. For the AND gate:

Inputs: and inputs=[[0,0],[0,1],[1,0],[1,1]]

Expected output: and expected output=[0,0,0,1]

2.2. For the OR gate:

Inputs: or inputs=[[0,0],[0,1],[1,0],[1,1]]

Expected output: or expected output=[0,1,1,1]

- 3. Initialize the weights and bias for both AND and OR gates:
 - 3.1. weights = [0.5, 0.5]
 - 3.2. bias=0.0
- 4. Train the neural network using the train gate function:
 - 4.1. For each epoch, calculate the weighted sum of inputs and apply the activation function.
 - 4.2. Compare the predicted output with the expected output.
 - 4.3. Update the weights and bias based on the error:

 $weights += learning_rate \times error \times inputs[i]$

- 4.4. Repeat the process for a specified number of epochs or until the error is zero (convergence).
- 5. Test the trained model using the test gate function:
 - 5.1. Calculate the weighted sum of inputs and apply the step function to make predictions.
- 6. Print the final weights and bias after training for both AND and OR gates.

DESCRIPTION:

Single Layer Neural Network:

A single-layer neural network consists of input nodes connected to an output node, with each connection having an associated weight and a bias term. The network uses a step function as the activation function to produce binary outputs (0 or 1).

The general equation for a single-layer neural network is:

$$y=f(i=1)^n w_i x_i + b$$

Where:

- y: Output of the network
- f: Activation function (step function)
- w_i: Weights associated with the inputs
- x_i: Input values
- b: Bias

Logic Gates:

AND GATE

Input 1	Input 2	Output
0	0	0
0	1	0
1	0	0
1	1	1

OR GATE

Input 1	Input 2	Output
0	0	0
0	1	1
1	0	1
1	1	1

IMPLEMENTATION:

import numpy as np

Define the step function (activation function) def step_function(x): return 1 if x >= 0 else 0

```
# Define a function to simulate a single-layer neural network with convergence tracking
def train logic gate(inputs, expected output, learning rate=0.1, epochs=10000):
  # Initialize weights and bias
  weights = np.random.rand(2) # Two inputs
  bias = np.random.rand(1) # One bias
  # Training loop
  for epoch in range(epochs):
     total error = 0 # To track if the model has no errors
     for i in range(len(inputs)):
       # Calculate the weighted sum (input * weights + bias)
       weighted sum = np.dot(inputs[i], weights) + bias
       # Apply the activation function (step function)
       output = step function(weighted sum)
       # Calculate the error (difference between expected and actual output)
       error = expected output[i] - output
       total error += abs(error)
       # Update weights and bias if there's an error
       weights += learning_rate * error * inputs[i]
       bias += learning rate * error
     # If there is no error after this epoch, then stop training
     if total error == 0:
       print(f"Converged at epoch {epoch+1}")
       break # Stop training as the model has converged
  return weights, bias
# Define the dataset for AND and OR gates
inputs = np.array([[0, 0], [0, 1], [1, 0], [1, 1]])
# Expected output for AND gate
and output = np.array([0, 0, 0, 1])
# Expected output for OR gate
or output = np.array([0, 1, 1, 1])
# Train for AND gate
print("Training for AND gate:")
and weights, and bias = train logic gate(inputs, and output)
print(f"AND Gate Weights: {and weights}, Bias: {and bias}")
# Train for OR gate
print("\nTraining for OR gate:")
or weights, or bias = train logic gate(inputs, or output)
print(f"OR Gate Weights: {or weights}, Bias: {or bias}")
# Define a function to make predictions
```

```
def predict(inputs, weights, bias):
  predictions = []
  for i in range(len(inputs)):
     weighted sum = np.dot(inputs[i], weights) + bias
     output = step function(weighted sum)
     predictions.append(output)
  return predictions
# Test the model with the trained weights and biases for both gates
print("\nTesting AND Gate:")
and predictions = predict(inputs, and weights, and bias)
print(f"Predictions: {and predictions}")
print("\nTesting OR Gate:")
or predictions = predict(inputs, or weights, or bias)
print(f"Predictions: {or predictions}")
# User prediction function
def user prediction(weights, bias):
  print("\nEnter two binary inputs (either 0 or 1):")
  try:
     input1 = int(input("Input 1: "))
     input2 = int(input("Input 2: "))
     if input 1 not in [0, 1] or input 2 not in [0, 1]:
       print("Invalid input. Please enter 0 or 1.")
       return
     input data = np.array([input1, input2])
     prediction = predict([input data], weights, bias)
     print(f"The predicted output is: {prediction[0]}")
  except ValueError:
     print("Invalid input. Please enter integers 0 or 1.")
# Ask user for a prediction for AND Gate
print("\nPredicting for AND gate:")
user prediction(and weights, and bias)
# Ask user for a prediction for OR Gate
print("\nPredicting for OR gate:")
user prediction(or weights, or bias)
```

```
op/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 slp.py
Training for AND gate:
Converged at epoch 8
AND Gate Weights: [0.15441097 0.36468268], Bias: [-0.47866533]
Training for OR gate:
Converged at epoch 11
OR Gate Weights: [0.15578825 0.68516753], Bias: [-0.03471836]
Testing AND Gate:
Predictions: [0, 0, 0, 1]
Testing OR Gate:
Predictions: [0, 1, 1, 1]
Predicting for AND gate:
Enter two binary inputs (either 0 or 1):
Input 1: 1
Input 2: 1
The predicted output is: 1
Predicting for OR gate:
Enter two binary inputs (either 0 or 1):
Input 1: 0
Input 2: 1
```

RESULT:

Program implementing single-layer neural network for AND and OR gates executed successfully. Used the trained model to classify the gate outputs for all input combinations and the output is obtained.

EXPERIMENT NO: 6 DATE:

BACKPROPAGATION ALGORITHM

AIM:

Build an Artificial Neural Network by implementing the Backpropagation algorithm and test the same using appropriate data sets.

DESCRIPTION:

Back Propagation:

Backpropagation is a supervised learning algorithm used to train neural networks. It involves two main steps:

- 1. Forward Propagation: Input data is passed through the network, and activations are calculated at each layer using a weighted sum and an activation function.
- 2. Backward Propagation: The error (difference between predicted and actual output) is propagated back through the network. Gradients of the error with respect to weights are calculated using the chain rule.
- 3. Weight Update: Weights and biases are updated by subtracting the gradient multiplied by the learning rate.

ALGORITHM:

- 1. Initialize the network with random weights and biases for each layer.
- 2. For each input in the training dataset,
 - 2.1. calculate the weighted sum for each node in the hidden layers and apply the activation function to get activations
 - 2.2. then compute the output using the activations from the last hidden layer.
- 3. Calculate the difference between the predicted output and the actual target output.
- 4. Compute the gradient of the error with respect to the output layer weights.
- 5. Propagate the error back through each hidden layer, calculating gradients for each node.
- 6. Update the weights and biases using the calculated gradients and the learning rate.
- 7. Repeat the process for a specified number of epochs or until the error converges.

IMPLEMENTATION:

```
import numpy as np
# Sigmoid Activation Function and its derivative
def sigmoid(x):
  return 1/(1 + np.exp(-x))
def sigmoid derivative(x):
  return x * (1 - x)
```

Function to initialize parameters based on user input

```
def initialize parameters():
  # Get user inputs for parameters
  X = \text{np.array}([\text{float}(\text{input}(\text{"Enter input } x1: ")), \text{float}(\text{input}(\text{"Enter input } x2: "))]) \# \text{Inputs } [x1, x2]
  y true = float(input("Enter the expected output (y): ")) # Expected output
  learning rate = float(input("Enter the learning rate: "))
  # Weights from input to hidden layer
  w1 = float(input("Enter weight w1 (from x1 to z1): "))
  w2 = float(input("Enter weight w2 (from x2 to z1): "))
  w3 = float(input("Enter weight w3 (from bias to z1): "))
  w4 = float(input("Enter weight w4 (from x1 to z2): "))
  w5 = float(input("Enter weight w5 (from x2 to z2): "))
  w6 = float(input("Enter weight w6 (from bias to z2):"))
  # Weights from hidden layer to output layer
  w7 = float(input("Enter weight w7 (from z1 to y): "))
  w8 = float(input("Enter weight w8 (from z2 to y): "))
  w9 = float(input("Enter weight w9 (from bias to y): "))
  # Biases
  b1 = float(input("Enter bias b1 for z1: "))
  b2 = float(input("Enter bias b2 for z2: "))
  b3 = float(input("Enter bias b3 for y: "))
  return X, y true, learning rate, w1, w2, w3, w4, w5, w6, w7, w8, w9, b1, b2, b3
# Main function
def main():
  # Initialize parameters
  X, y true, learning rate, w1, w2, w3, w4, w5, w6, w7, w8, w9, b1, b2, b3 = initialize parameters()
  # Forward propagation
  z1 \text{ input} = w1 * X[0] + w2 * X[1] + w3 * b1 # Input to z1
  z1 = sigmoid(z1 input)
  z2 \text{ input} = w4 * X[0] + w5 * X[1] + w6 * b2 # Input to z2
  z2 = sigmoid(z2 input)
  y_{input} = w7 * z1 + w8 * z2 + w9 * b3 # Input to y
  y pred = sigmoid(y input)
  # Compute the error (Mean Squared Error)
  error = y true - y pred
  print(f"Initial output: {y pred}, Error: {error}")
  # Backpropagation
```

```
delta y = error * sigmoid derivative(y pred)
  # Gradients for weights from hidden layer to output layer
  grad w7 = delta y * z1
  grad w8 = delta y * z2
  grad w9 = delta y * b3
  # Calculate the gradient of the hidden layer
  delta_z1 = delta_y * w7 * sigmoid_derivative(z1)
  delta_z2 = delta_y * w8 * sigmoid_derivative(z2)
  # Gradients for weights from input layer to hidden layer
  grad w1 = delta z1 * X[0]
  grad w2 = delta z1 * X[1]
  grad w3 = delta z1 * b1
  grad w4 = delta z2 * X[0]
  grad w5 = delta_z2 * X[1]
  grad w6 = delta z2 * b2
  # Update weights with the gradients
  w1 += learning_rate * grad_w1
  w2 += learning rate * grad w2
  w3 += learning_rate * grad_w3
  w4 += learning_rate * grad_w4
  w5 += learning rate * grad w5
  w6 += learning_rate * grad_w6
  w7 += learning_rate * grad_w7
  w8 += learning rate * grad w8
  w9 += learning_rate * grad_w9
  # Output updated weights after one backpropagation iteration
  print("\nUpdated Weights:")
  print(f'w1: {w1}, w2: {w2}, w3: {w3}")
  print(f''w4: {w4}, w5: {w5}, w6: {w6}")
  print(f"w7: {w7}, w8: {w8}, w9: {w9}")
# Run the main function
if \_name \_ == "\_main \_":
```

main()

```
csns37@csns37:-/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 backpropagation.p y
Enter input x1: 0
Enter input x2: 1
Enter the expected output (y): 1
Enter the learning rate: .25
Enter weight w1 (from x1 to z1): .6
Enter weight w2 (from x2 to z1): .1
Enter weight w3 (from bias to z1): .3
Enter weight w4 (from x1 to z2): .3
Enter weight w5 (from x2 to z2): .4
Enter weight w6 (from x2 to z2): .4
Enter weight w7 (from z1 to y): .4
Enter weight w8 (from z2 to y): .1
Enter bias b1 for z1: 1
Enter bias b2 for z2: 1
Enter bias b3 for y: 1
Initial output: 0.5227414361305817, Error: 0.47725856386941834

Updated Weights:
w1: 0.6, w2: -0.09705287423219114, w3: 0.30294712576780886
w4: -0.3, w5: 0.4086117118183497, w6: 0.5086117118183497
w7: 0.41636688327313887, w8: 0.12116280109894084, w9: -0.17023304605910483
```

RESULT:

Program implementing backpropagation in a neural network executed successfully. The weights and biases were updated during training, and the final updated weights and biases were displayed for each epoch.

EXPERIMENT NO: 7 DATE:

EM AND K-MEANS ALGORITHM

AIM:

Apply EM algorithm to cluster a set of data stored in a .CSV file. Use the same data set for clustering using k-Means algorithm. Compare the results of these two algorithms and comment on the quality of clustering.

DESCRIPTION:

EM Algorithm:

The primary aim of the EM algorithm is to estimate the missing data in the latent variables through observed data in datasets. The EM algorithm or latent variable model has a broad range of real-life applications in machine learning.

K-Means Algorithm:

K-Means Clustering is an Unsupervised Learning algorithm, which groups the unlabeled dataset into different clusters. Here K defines the number of pre-defined clusters that need to be created in the process, as if K=2, there will be two clusters, and for K=3, there will be three clusters, and so on.

ALGORITHM:

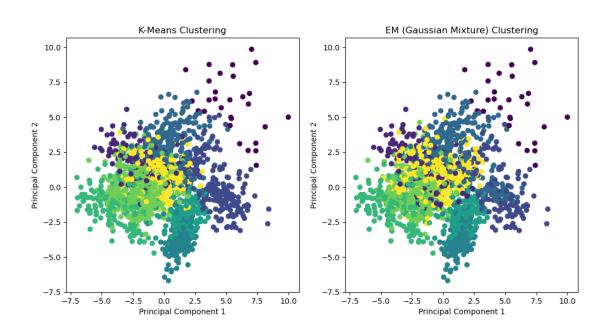
- 1. Import necessary modules
- 2. Read the iris dataset
- 3. Build K-Means cluster model and Gaussian Mixture model using this dataset, with number of clusters as 10
- 4. Draw the real, k-Means and Gaussian Mixture plots
- 5. Compute the Silhouette score of both the models.
- 6. Print Silhouette score for the models

IMPLEMENTATION:

from sklearn.datasets import load_digits import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn.cluster import KMeans from sklearn.mixture import GaussianMixture from sklearn.metrics import silhouette_score from sklearn.preprocessing import StandardScaler

Load Digits dataset

```
data = load digits()
df = pd.DataFrame(data.data, columns=data.feature names) # Extract the features (64 pixels)
# Preprocess data: Scaling for better clustering performance
scaler = StandardScaler()
data scaled = scaler.fit transform(df)
# Apply K-Means clustering
kmeans = KMeans(n clusters=10, random state=42) # 10 clusters for 10 digits
kmeans labels = kmeans.fit predict(data scaled)
# Apply EM (Gaussian Mixture Model) clustering
gmm = GaussianMixture(n components=10, random state=42) # 10 components for 10 digits
gmm labels = gmm.fit predict(data scaled)
# Compare clustering results using silhouette score
kmeans silhouette = silhouette score(data scaled, kmeans labels)
gmm silhouette = silhouette score(data scaled, gmm labels)
# Visualize the clusters: We'll only visualize the first two principal components
# to better understand the clustering in a 2D space
from sklearn.decomposition import PCA
# Apply PCA for dimensionality reduction to 2D for visualization
pca = PCA(n components=2)
data pca = pca.fit transform(data scaled)
# Visualize the clusters
plt.figure(figsize=(12, 6))
plt.subplot(1, 2, 1)
plt.scatter(data_pca[:, 0], data_pca[:, 1], c=kmeans_labels, cmap='viridis')
plt.title('K-Means Clustering')
plt.xlabel('Principal Component 1')
plt.ylabel('Principal Component 2')
plt.subplot(1, 2, 2)
plt.scatter(data_pca[:, 0], data_pca[:, 1], c=gmm_labels, cmap='viridis')
plt.title('EM (Gaussian Mixture) Clustering')
plt.xlabel('Principal Component 1')
plt.ylabel('Principal Component 2')
plt.show()
# Print the comparison results
print(fK-Means Silhouette Score: {kmeans silhouette:.4f}')
print(f'EM (Gaussian Mixture) Silhouette Score: {gmm silhouette:.4f}')
```



csns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main\$ python3 Exp_Lab7.py
K-Means Silhouette Score: 0.1356
EM (Gaussian Mixture) Silhouette Score: 0.1179
csns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main\$

RESULT:

Implemented EM Algorithm to cluster a set of data points and compared the accuracy of the model with k-Means clustering using the same dataset.

EXPERIMENT NO: 8 DATE:

DBSCAN CLUSTERING ALGORITHM

AIM:

Write a program to implement the DBSCAN clustering algorithm.

ALGORITHM:

- 1. Accept the inputs: epsilon, minPts, Coordinates of n points in the form (x,y).
- 2. Initialize an empty dictionary to store neighbors for each point.
- 3. For each point iii in the dataset:
 - 1. Compute the Euclidean distance between i and all other points j.
 - 2. Add j to the neighbor list
- 4. Classify points into the following categories:
 - 1. Core points: Points with at least minpts-1
 - 2. Border points: Points with fewer than minpts -1, but within the neighbor of a core point
 - 3. Noise points: Points that do not belong to any cluster.
- 5. Return the list of core points, border points, and noise points.

DESCRIPTION:

DBSCAN (Density-Based Spatial Clustering of Applications with Noise) is a density-based clustering algorithm that groups points into clusters based on their spatial proximity. It identifies clusters as dense regions of points separated by sparser regions, making it suitable for datasets with noise and non-linear shapes.

The algorithm works as follows:

- 1. A point is classified as a core point if it has at least min points within the radius of epsilon
- 2. A point is classified as a border point if it has fewer than minPts neighbors but is within the neighborhood of a core point.
- 3. Points that do not fall into the above categories are labeled as noise points.

IMPLEMENTATION:

import math

```
# Function to calculate Euclidean distance between two points def euclidean_distance(p1, p2):
    return math.sqrt((p1[0] - p2[0])**2 + (p1[1] - p2[1])**2)

# DBSCAN Algorithm
def dbscan(points, epsilon, min_points):
    labels = [-1] * len(points) # -1 denotes noise
    cluster_id = 0
    border_points = set()
```

```
def region query(point idx):
     neighbors = []
     for i, p in enumerate(points):
       if euclidean distance(points[point idx], p) \leq epsilon:
          neighbors.append(i)
     return neighbors
  def expand cluster(point idx, neighbors, cluster id):
     labels[point idx] = cluster id
     i = 0
     while i < len(neighbors):
       neighbor idx = neighbors[i]
       if labels [neighbor idx] == -1: # Mark it as part of the cluster
          labels[neighbor idx] = cluster id
       elif labels[neighbor idx] == -1:
          labels[neighbor idx] = cluster id
          new neighbors = region query(neighbor idx)
          if len(new neighbors) >= min points:
            neighbors.extend(new neighbors)
       i += 1
  for i in range(len(points)):
     if labels[i] != -1: # Skip if already processed
       continue
     neighbors = region_query(i)
     if len(neighbors) >= min points:
       expand cluster(i, neighbors, cluster id)
       cluster id += 1
     else:
       labels[i] = -1 \# Mark as noise
  # Identifying border points
  for i in range(len(points)):
     if labels[i] != -1: # If not noise
       neighbors = region query(i)
       if len(neighbors) >= 1 and len(neighbors) < min points:
          border points.add(i)
  return labels, border points
# Get points from the user
def get points():
  points = []
  print("Enter points as (x, y) coordinates. Type 'done' to stop.")
  while True:
     point = input("Enter point (x, y):")
```

```
if point.lower() == "done":
       break
     try:
       x, y = map(int, point.split(","))
       points.append((x, y))
     except ValueError:
       print("Invalid input, please enter in the format x,y.")
  return points
# Main function
def main():
  points = get points()
  epsilon = float(input("Enter epsilon (\epsilon): "))
  min points = int(input("Enter minimum points (min points): "))
  # Perform DBSCAN clustering
  labels, border points = dbscan(points, epsilon, min points)
  # Display results
  clusters = \{\}
  for idx, label in enumerate(labels):
     if label !=-1:
       if label not in clusters:
          clusters[label] = []
       clusters[label].append(points[idx])
  # Show clusters and noise points
  print("\nClusters:")
  for cluster id, cluster points in clusters.items():
     print(f"Cluster {cluster id}: {cluster points}")
  noise points = [points[i] for i in range(len(points)) if labels[i] == -1]
  if noise points:
     print(f"\nNoise points: {noise points}")
     print("\nNo noise points detected.")
  # Show border points
  print("\nBorder points:")
  border points list = [points[i] for i in border_points]
  if border points list:
     print(border points list)
  else:
     print("No border points detected.")
# Run the main function
if __name__ == "__main__":
  main()
```

```
csns37@csns37:-/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 dbscan.py
Enter points as (x, y) coordinates. Type 'done' to stop.
Enter point (x, y): 2,3
Enter point (x, y): 3,4
Enter point (x, y): 4,3
Enter point (x, y): 5,5
Enter point (x, y): 5,6
Enter point (x, y): 9,9
Enter point (x, y): 10,10
Enter point (x, y): 10,11
Enter point (x, y): 11,10
Enter point (x, y): 25,25
Enter point (x, y): done
Enter epsilon (e): 2
Enter minimum points (min_points): 3

Clusters:
Cluster 0: [(2, 3), (3, 4), (4, 3)]
Cluster 1: [(9, 9), (10, 10), (10, 11), (11, 10)]

Noise points: [(5, 5), (6, 6), (25, 25)]

Border points:
[(9, 9)]
```

RESULT:

The DBSCAN classification executed successfully. Points were classified into Core Points, Border Points, and Noise Points.

EXPERIMENT NO: 9 DATE:

PRINCIPLE COMPONENT ANALYSIS

AIM:

Write a program to implement Dimensionality reduction using Principle Component Analysis (PCA) method

ALGORITHM:

- 1. Input the dataset with n samples and m features.
- 2. Compute the mean of each feature and center the data by subtracting the mean from each feature value.
- 3. Calculate the covariance matrix of the centered data.
- 4. Perform eigen decomposition on the covariance matrix to obtain eigenvalues and eigenvectors.
- 5. Sort the eigenvalues in descending order and select the top k eigenvectors corresponding to the largest eigenvalues.
- 6. Project the data onto the selected k eigenvectors to obtain the reduced-dimensional data.
- 7. Output the reduced data, covariance matrix, eigenvalues, and variance explained by each principal component.

DESCRIPTION:

Principal Component Analysis (PCA):

Principal Component Analysis (PCA) is a dimensionality reduction technique that transforms a high-dimensional dataset into a lower-dimensional space while preserving as much variance as possible. It identifies the directions (principal components) in which the data varies the most.

Steps:

- 1. Center the data by subtracting the mean.
- 2. Compute the covariance matrix.
- 3. Perform eigen decomposition to obtain eigenvalues (variance) and eigenvectors (principal components).
- 4. Select top k components based on eigenvalues.
- 5. Project the data onto the selected components.

IMPLEMENTATION:

import numpy as np

```
# Step 1: Function to perform PCA
def pca(data, num_components=1):
  # Mean centering the data
  mean = np.mean(data, axis=0)
  centered data = data - mean
```

```
# Step 2: Calculate the covariance matrix
  cov matrix = np.cov(centered data.T)
  # Step 3: Compute the eigenvalues and eigenvectors of the covariance matrix
  eigenvalues, eigenvectors = np.linalg.eigh(cov matrix)
  # Step 4: Sort the eigenvectors by eigenvalues in descending order
  sorted indices = np.argsort(eigenvalues)[::-1]
  sorted eigenvectors = eigenvectors[:, sorted indices]
  # Step 5: Select the top eigenvectors (principal components)
  top eigenvectors = sorted eigenvectors[:, :num components]
  # Step 6: Ensure the eigenvector has a consistent sign
  for i in range(top_eigenvectors.shape[1]):
     # Make sure the largest value in the eigenvector is positive
     if top eigenvectors [0, i] < 0:
       top eigenvectors[:, i] *= -1
  # Step 7: Project the data onto the top eigenvectors
  reduced data = centered data.dot(top eigenvectors)
  return reduced data, top eigenvectors
# Step 2: Function to get input points from the user
def get input points():
  points = []
  print("Enter points for two features (Feature1, Feature2). Type 'done' to stop.")
  while True:
     point = input("Enter point (Feature1, Feature2): ")
     if point.lower() == 'done':
       break
     try:
       feature1, feature2 = map(int, point.split(','))
       points.append([feature1, feature2])
     except ValueError:
       print("Invalid input. Please enter two integers separated by a comma.")
  return np.array(points)
# Step 3: Main function to run the PCA
def main():
  # Get input points
  data = get input points()
  # Perform PCA to reduce from 2D to 1D
  reduced data, principal components = pca(data, num components=1)
  # Display the results
```

```
print("\nReduced Data (1D):")
print(reduced_data)

print("\nPrincipal Component (Eigenvector for 1D):")
print(principal_components)

print("\nMean of the original data:")
print(np.mean(data, axis=0))

# Step 4: Run the main function
if __name__ == "__main__":
main()
```

OUTPUT:

```
csns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main($) python3 pca.py
Enter points for two features (Feature1, Feature2). Type 'done' to stop.
Enter point (Feature1, Feature2): 4,11
Enter point (Feature1, Feature2): 8,4
Enter point (Feature1, Feature2): 13,5
Enter point (Feature1, Feature2): 7,14
Enter point (Feature1, Feature2): done

Reduced Data (1D):
[[-4.30518692]
[ 3.73612869]
[ 5.69282771]
[ -5.12376947]]

Principal Component (Eigenvector for 1D):
[[ 0.55738997]
[ -0.83025082]]
```

RESULT:

Program executed successfully. Principal Component Analysis (PCA) was performed on the input dataset.

EXPERIMENT NO: 10

DATE:

SUPPORT VECTOR MACHINE

AIM:

Write a program to implement Support Vector Machine algorithm to classify the iris data set. Print both correct and wrong predictions.

ALGORITHM:

Algorithm:

- 1. Load the Iris dataset into a variable.
- 2. Split the dataset into features X (sepal length, sepal width, petal length, petal width) and target y (species).
- 3. Split the data into training and testing sets using an 80%-20% split.
- 4. Create a Support Vector Machine (SVM) model with a linear kernel.
- 5. Train the SVM model using the training data Xtrain, ytrain.
- 6. Use the trained model to predict the target variable ypred using the test data Xtest.
- 7. Calculate the accuracy score by comparing the predicted values ypred with the actual values ytest.
- 8. Print the accuracy score.
- 9. Identify and print the correct and wrong predictions by comparing ytest and ypred.
- 10. Accept user input for flower features (sepal length, sepal width, petal length, petal width).
- 11. Use the trained model to predict the class for the user input.
- 12. Display the predicted class for the user input.

DESCRIPTION:

Support Vector Machine:

SVM aims to find a hyperplane that best separates the data into classes. The equation of the hyperplane in a 2-dimensional space is:

$$w*x+b = 0$$

where w is the weight vector, x is the feature vector, and b is the bias term. The SVM algorithm maximizes the margin between the classes to achieve optimal classification.

Data Set Description:

The Iris dataset consists of 150 samples of iris flowers, categorized into three species: setosa, versicolor, and virginica. Each sample has four features: sepal length, sepal width, petal length, and petal width. The task is to classify the flowers into one of the three species based on these features.

IMPLEMENTATION:

from sklearn import datasets from sklearn.model_selection import train_test_split

Dept. of Computer Science and Engineering

```
from sklearn.svm import SVC
from sklearn.metrics import accuracy score
import numpy as np
# Step 1: Load the Iris dataset
def load iris data():
  iris = datasets.load iris()
  X = iris.data # Features (sepal length, sepal width, petal length, petal width)
  y = iris.target # Labels (Setosa, Versicolour, Virginica)
  return X, y
# Step 2: Train the SVM classifier
def train svm(X train, y train):
  clf = SVC(kernel='linear') # Use linear kernel for simplicity
  clf.fit(X train, y train)
  return clf
# Step 3: Evaluate the SVM model
def evaluate svm(clf, X test, y test):
  y pred = clf.predict(X test)
  correct predictions = []
  incorrect predictions = []
  for i in range(len(y_pred)):
     if y pred[i] == y test[i]:
       correct predictions.append((X_test[i], y_test[i], y_pred[i]))
     else:
       incorrect predictions.append((X test[i], y test[i], y pred[i]))
  return correct predictions, incorrect predictions
# Step 4: Function to make predictions for new data points
def predict svm(clf):
  print("Enter the flower features (sepal length, sepal width, petal length, petal width):")
     features = list(map(float, input("Enter the features separated by spaces: ").split()))
     prediction = clf.predict([features])
     print(f"Predicted class: {prediction[0]}")
  except ValueError:
     print("Invalid input. Please enter numeric values.")
# Step 5: Main function to execute the program
def main():
  # Load data
  X, y = load iris data()
  # Step 1: Split the dataset into training and testing sets
```

```
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
  # Step 2: Train the SVM model
  clf = train svm(X train, y train)
  # Step 3: Evaluate the model and print correct and incorrect predictions
  correct predictions, incorrect predictions = evaluate svm(clf, X test, y test)
  print("\nCorrect Predictions:")
  for sample, actual, predicted in correct predictions:
     print(f"Sample: {sample}, Actual: {actual}, Predicted: {predicted}")
  print("\nIncorrect Predictions:")
  for sample, actual, predicted in incorrect predictions:
     print(f"Sample: {sample}, Actual: {actual}, Predicted: {predicted}")
  # Step 4: Allow the user to input their own data and make a prediction
  while True:
     user input = input("\nDo you want to predict for a new data point? (yes/no): ").lower()
     if user input == 'yes':
       predict svm(clf)
     else:
       print("Exiting the program.")
       break
# Run the main function
if name == " main ":
  main()
```

OUTPUT:

```
sns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 svm.py
Correct Predictions:
Sample: [6.1 2.8 4.7 1.2], Actual: 1, Predicted: 1
Sample: [5.7 3.8 1.7 0.3], Actual: 0, Predicted:
Sample: [7.7 2.6 6.9 2.3], Actual: 2, Predicted: Sample: [6. 2.9 4.5 1.5], Actual: 1, Predicted:
        [6.8 2.8 4.8 1.4], Actual: 1, Predicted:
        [5.4 3.4 1.5 0.4], Actual: 0, Predicted:
Sample:
Sample: [5.6 2.9 3.6 1.3], Actual: 1, Predicted:
Sample: [6.9 3.1 5.1 2.3], Actual: 2, Predicted:
Sample: [6.2 2.2 4.5 1.5], Actual: 1, Predicted:
Sample:
        [5.8 2.7 3.9 1.2], Actual: 1, Predicted:
                          ], Actual: 2, Predicted:
                 1.4 0.1], Actual: 0, Predicted: 0
Sample:
             3.5 1.3 0.2], Actual: 0, Predicted: 0
                            Actual: 0, Predicted:
```

```
Incorrect Predictions:

Do you want to predict for a new data point? (yes/no): yes
Enter the flower features (sepal length, sepal width, petal length, petal width):
Enter the features separated by spaces: 4 3 1 0.1
Predicted class: 0

Do you want to predict for a new data point? (yes/no):
```

RESULT:

Program for implementing SVM Classifier executed successfully. Accuracy and predictions for test data and user input obtained.

EXPERIMENT NO: 11 DATE:

5-FOLD CROSS VALIDATION

AIM:

Write a program to implement 5-fold cross validation on a learning problem using real time dataset. Compare the accuracy, precision, recall, and F-score for different folds.

ALGORITHM:

- 1. Load the Iris dataset.
- 2. Split the dataset into features X and target labels y.
- 3. Initialize the Decision Tree classifier.
- 4. Set up 5-fold cross-validation using KFold with 5 splits and shuffling.
- 5. For each fold:
 - 5.1. Split the data into training and testing sets based on the current fold indices.
 - 5.2. Train the classifier on the training set.
 - 5.3. Make predictions on the test set.
 - 5.4. Calculate accuracy, precision, recall, and F1-score for the current fold.
 - 5.5. Store the metrics for each fold.
- 6. Print the metrics for each fold.
- 7. Calculate and print the average of all metrics across the 5 fold.

DESCRIPTION:

Data Set Description:

The Iris dataset consists of 150 samples with 4 features: sepal length, sepal width, petal length, and petal width. It includes 3 species of Iris flowers: Setosa, Versicolor, and Virginica.

Cross-Validation:

In k-fold cross-validation, the dataset is split into k parts. The model is trained on k-1 parts and tested on the remaining part. This process repeats k times, and the average performance metrics (accuracy, precision, recall, F1-score) are calculated.

IMPLEMENTATION:

import numpy as np

import pandas as pd

from sklearn.model selection import StratifiedKFold

from sklearn.metrics import accuracy score, precision score, recall score, fl score

from sklearn.ensemble import RandomForestClassifier

from sklearn.datasets import load iris

Load the Iris dataset (substitute with your own dataset if needed) data = load iris()

Dept. of Computer Science and Engineering

```
X = data.data
y = data.target
# Initialize the model (Random Forest as an example)
model = RandomForestClassifier(n estimators=100, random state=42)
# Initialize StratifiedKFold (ensures class distribution is maintained across folds)
kf = StratifiedKFold(n splits=5, shuffle=True, random state=42)
# Lists to store metrics for each fold
accuracies = []
precisions = []
recalls = []
f1 scores = []
# Loop over each fold
for train index, test index in kf.split(X, y):
  # Split the data into train and test sets for this fold
  X train, X test = X[train index], X[test index]
  y train, y test = y[train index], y[test index]
  # Train the model on the training set
  model.fit(X train, y train)
  # Predict on the test set
  y pred = model.predict(X test)
  # Calculate metrics
  accuracy = accuracy score(y test, y pred)
  precision = precision score(y test, y pred, average='macro', zero division=0)
  recall = recall score(y test, y pred, average='macro', zero division=0)
  f1 = f1 score(y test, y pred, average='macro', zero division=0)
  # Store the metrics for this fold
  accuracies.append(accuracy)
  precisions.append(precision)
  recalls.append(recall)
  fl scores.append(fl)
# Print out the metrics for each fold
print("Metrics per fold:")
for i in range(5):
  print(f"Fold {i+1}:")
  print(f" Accuracy: {accuracies[i]:.4f}")
  print(f" Precision: {precisions[i]:.4f}")
  print(f" Recall: {recalls[i]:.4f}")
  print(f" F1-score: {f1 scores[i]:.4f}")
  print()
```

```
# Compute average of each metric across all folds
avg_accuracy = np.mean(accuracies)
avg_precision = np.mean(precisions)
avg_recall = np.mean(recalls)
avg_fl_score = np.mean(fl_scores)

# Print out the average metrics
print("Average Metrics:")
print(f" Average Accuracy: {avg_accuracy:.4f}")
print(f" Average Precision: {avg_precision:.4f}")
print(f" Average Recall: {avg_recall:.4f}")
print(f" Average F1-score: {avg_fl_score:.4f}")
```

OUTPUT:

```
sktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main$ python3 Exp_Lab11.py
Metrics per fold:
Fold 1:
 Accuracy: 0.9667
 Precision: 0.9697
 Recall: 0.9667
 F1-score: 0.9666
Fold 2:
 Accuracy: 0.9667
 Precision: 0.9697
 Recall: 0.9667
 F1-score: 0.9666
 Accuracy: 0.9333
 Precision: 0.9444
 Recall: 0.9333
 F1-score: 0.9327
Fold 4:
 Accuracy: 0.9667
 Precision: 0.9697
 Recall: 0.9667
 F1-score: 0.9666
Fold 5:
 Accuracy: 0.9000
 Precision: 0.9024
 Recall: 0.9000
 F1-score: 0.8997
Average Metrics:
 Average Accuracy: 0.9467
Average Precision: 0.9512
 Average Recall: 0.9467
:sns37@csns37:~/Desktop/Paul/ADVANCED-MACHINE-LEARNING-LAB-main(2)/ADVANCED-MACHINE-LEARNING-LAB-main
```

RESULT:

Executed the program for 5-fold cross validation on iris dataset and printed the accuracy, precision and recall of each fold.

EXPERIMENT NO: 12

DATE:

BOOSTING ENSEMBLE METHOD

AIM:

Write a program to implement Boosting ensemble method on a given dataset.

ALGORITHM:

Algorithm:

1. Load Dataset

Load the Iris dataset using load_iris() from sklearn.datasets.

2. Feature and Target Separation

Extract features X and target labels y from the dataset.

3. Data Splitting

Split the data into training and testing sets using train_test_split(), with 20% of the data allocated for testing.

4. Initialize Gradient Boosting Classifier

Set up a GradientBoostingClassifier with default parameters or customized settings as per requirements.

5. Train the Model

Train the GradientBoostingClassifier on the training data using fit().

6. Make Predictions

Use the trained model to predict the class labels for the test dataset (Xtest).

7. Model Evaluation

Evaluate the performance of the model using accuracy score() and confusion matrix().

8. Display Results

Print the confusion matrix and the accuracy score of the model.

9. User Input for Prediction

Accept user input for feature values and predict the class of the input sample using the trained model.

10. Output the Prediction

Display the predicted species based on the user-provided feature values.

DESCRIPTION:

Ensemble Methods: Ensemble methods combine multiple models (usually weak learners) to improve prediction accuracy. The key idea is that the collective performance of many models is better than a single model, as they help to reduce errors and improve robustness.

Boosting: Boosting is a type of ensemble method where models are trained sequentially, with each new model attempting to correct the errors made by the previous ones. The final prediction is based on a weighted combination of all the models.

Gradient Boosting: Gradient Boosting is a boosting technique where models are trained to minimize the loss function of the previous model using gradient descent. It builds models sequentially, correcting errors at each step, and combines the predictions of all models for final output. Gradient Boosting is effective for both classification and regression tasks and often performs well on structured datasets.

Data Set Description:

The Iris dataset consists of 150 samples of iris flowers, each having four features: sepal length, sepal width, petal length, and petal width. These samples are classified into three species: Setosa, Versicolor, and Virginica, with 50 samples for each species.

IMPLEMENTATION:

```
import numpy as np
import pandas as pd
from sklearn.model selection import train test split
from sklearn.ensemble import GradientBoostingClassifier
from sklearn.metrics import accuracy_score, precision score, recall score, fl score
from sklearn.datasets import load iris
import matplotlib.pyplot as plt
# Load the Iris dataset (or any other dataset)
data = load iris()
X = data.data
y = data.target
# Split the dataset into training and testing sets (80% train, 20% test)
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
# Initialize the Gradient Boosting Classifier
model = GradientBoostingClassifier(n estimators=100, learning rate=0.1, max depth=3,
random state=42)
# Train the model
model.fit(X train, y train)
# Make predictions on the test set
y pred = model.predict(X test)
# Evaluate the model performance
accuracy = accuracy score(y test, y pred)
precision = precision_score(y_test, y_pred, average='macro', zero_division=0)
recall = recall score(y test, y pred, average='macro', zero division=0)
f1 = f1_score(y_test, y_pred, average='macro', zero_division=0)
# Print the evaluation metrics
print("Model Evaluation Metrics:")
print(f"Accuracy: {accuracy:.4f}")
```

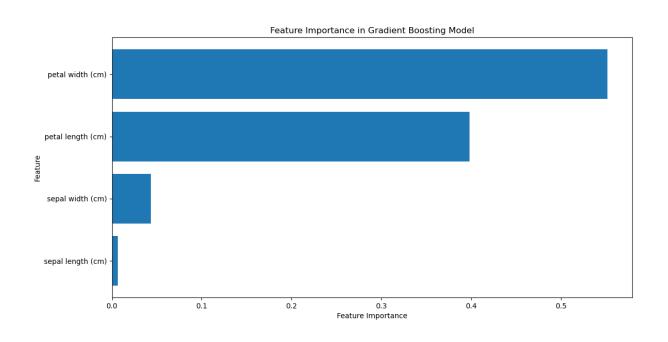
```
print(f"Precision: {precision:.4f}")
print(f"Recall: {recall:.4f}")
print(f"F1-score: {f1:.4f}")

# Optional: Plot the feature importance (which features are most important in decision making)
feature_importance = model.feature_importances_
features = data.feature_names

plt.barh(features, feature_importance)
plt.xlabel("Feature Importance")
```

plt.xlabel("Feature Importance")
plt.ylabel("Feature")
plt.title("Feature Importance in Gradient Boosting Model")
plt.show()

OUTPUT:





RESULT:

Program implementing Gradient Boosting Classifier executed successfully. The output is obtained.