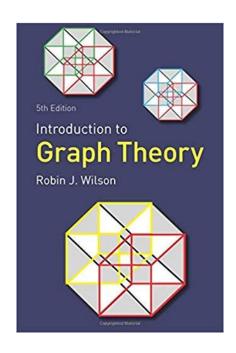
# Formação Cientista de Dados

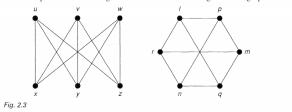
Referências



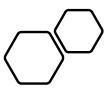


#### Isomorphisn

Two graphs  $G_1$  and  $G_2$  are **isomorphic** if there is a one–one correspondence between the vertices of  $G_1$  and those of  $G_2$  such that the number of edges joining any two vertices of  $G_1$  is equal to the number of edges joining the corresponding vertices of  $G_2$ . Thus the two graphs shown in Fig. 2.3 are isomorphic under the correspondence  $u \leftrightarrow l$ ,  $v \leftrightarrow m$ ,  $w \leftrightarrow n$ ,  $x \leftrightarrow p$ ,  $y \leftrightarrow q$ ,  $z \leftrightarrow r$ . For many problems, the labels on the vertices are unnecessary and we drop them. We then say that two 'unlabelled graphs' are isomorphic if we can assign labels so that the resulting 'labelled graphs' are



### Introduction to Graph Theory



http://www.esi2.us.es/~mbilbao/pdffiles/DiestelGT.pdf



## Graph Theory

#### Reinhard Diestel Graph Theory

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