

Figure 1:

1 Problem 1

Fig. 1 gives the results to problem 1. The output looks slightly different from your results, but after a conversation with you, you suggested the cause was likely slightly different default parameters between the code itself and the web interface. The differences appear to be primarily in amplitude (first peak is slightly too high, trough a little too low). The position of the peaks seem roughly the same as yours.

2 Problem 2

Using the full data sample out to $z \sim 1$, I get the right plot in Fig .2. This gives $H_o = 68.78 \text{ km s}^{-1} \text{ Mpc}^{-1}$ and $q_o = -0.17$. This is not a bad fit for H_o , but the fitted q_o is less than the expected (and I think accepted) value of $q_o = -0.55$. However, the equation you gave us for the distance modulus involves an approximation on the luminosity distance that is an expansion on z in the local universe. It is valid only for $z \ll 1$. Therefore, I also fit to a cut sample of the data at $z < 0.25$ on the left side of Fig. 2, which, sure enough, gives a value for q_o that is closer to -0.55. For this plot, $H_o = 69.78 \text{ km s}^{-1} \text{ Mpc}^{-1}$ and $q_o = -0.41$.

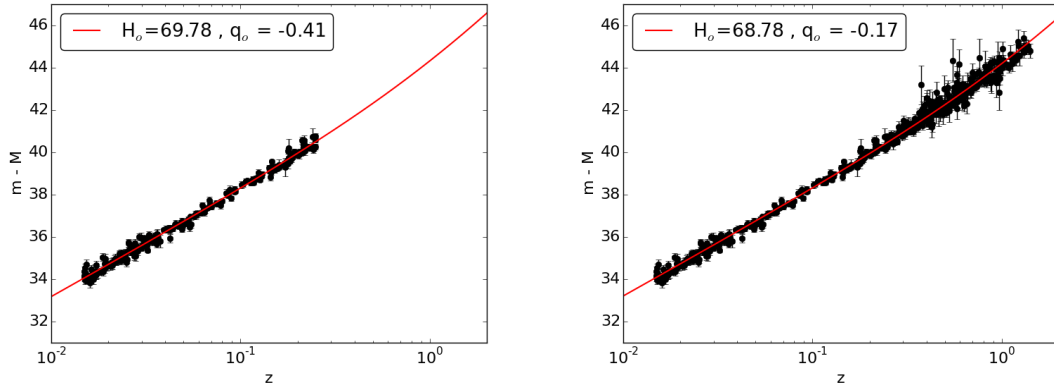


Figure 2: Fit to the distance modulus for the supernova data. Left for $z < 0.25$. Right for the full sample

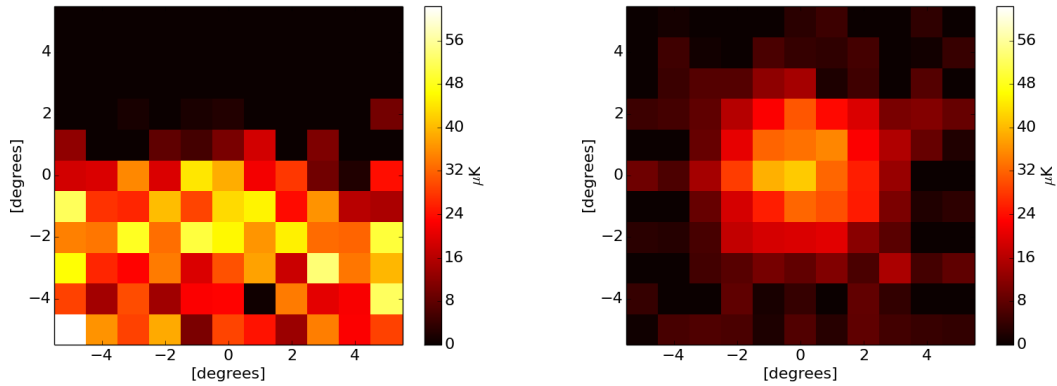


Figure 3: Left: Raw data map, signal with noise. Right: Filtered data map showing the signal recovered from the raw data using the noise covariance matrix

3 Problem 3

After determining A (see attached code), mapping the data and filtering the data to retrieve the signal was fairly straightforward. (Not to trivialize determining A !!) The results are shown in Fig. 3. The raw data map is on the left, the recovered signal is on the right. These are somewhat hard to compare to your plots since the color maps are pretty different (there unfortunately wasn't any nice corresponding map in matplotlib (python) to what you have).