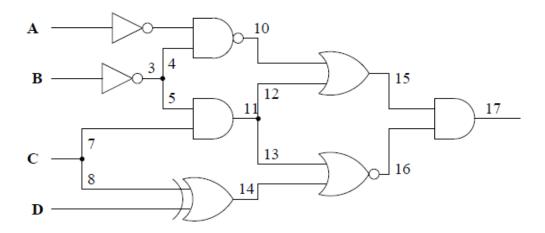
## Assignment -3 (COMSM0125)

## Due on 11<sup>th</sup> Dec 2014

- 1. Suppose that a simplex (no redundancy) computer system has a failure rate of  $\lambda$  and fault detection coverage of C. The fault detection capability is the result of self-diagnostics that are run continuously. If the self-diagnostics detects a fault, the time required to repair the computer system is 24 hours because the faulty board is identified, obtained overnight and easily replaced. If, however, the self-diagnostics do not detect the fault, the time required to repair the system is 72 hours because a repair person must visit the site, determine the problem and perform the repair. The disadvantage of including self-diagnostics however is that the failure rate of computer system becomes  $\alpha\lambda$ . In other words, the failure rate is increased by a factor of  $\alpha$  because of the addition of the self-diagnostics. Draw Markov model for the system. Determine the value of  $\alpha$  for coverage of 0.95 at which including diagnostics begins to degrade the steady-state availability of the system. Note all the repair times given in the problem are MTTRs. (10 Points)
- 2.
- (a) For the circuit shown in Fig. find a test for each of the following single stuck-at faults (i) Line 4 stuck-at 0 (ii) Line 13 stuck-at-1 (iii) input B stuck-at-0.



**(10 point)** 

3. Assume the process yield (Y) is 90% and the device's fault coverage (FC) is 80%, 90%, or 99%, calculate their respective defect levels in terms of defective *parts per million* (PPM). Also compute the required fault coverage (FC): Given DL = 20 DPM and Y = 0.6;

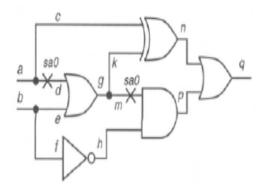
(5 Point)

4. Truth table for fault-free circuit and all possible transistor faults for 2 input NOR gate is shown in Table. Generate similar table for 2 input NAND gate.

AB	00	01	10	11
Z	1	0	0	0
N <sub>1</sub> stuck-open	1	0	last Z	0
N <sub>1</sub> stuck-short	$ m I_{DDQ}$	0	0	0
N <sub>2</sub> stuck-open	1	last Z	0	0
N <sub>2</sub> stuck-short	$I_{\mathrm{DDQ}}$	0	0	0
P <sub>1</sub> stuck-open	last Z	0	0	0
P <sub>1</sub> stuck-short	1	0	$I_{\mathrm{DDQ}}$	0
P <sub>2</sub> stuck-open	last Z	0	0	0
P <sub>2</sub> stuck-short	1	$ m I_{DDQ}$	0	0

**(10 Point)** 

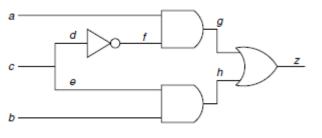
5. Find tests for: (1) The single fault d sa0 and (2) The single fault m sa0. Show the test pattern and the fault effect at q if the fault is testable. If any of these faults is redundant, remove the redundancy and re-examine the other fault. What is the Boolean function of the circuit and how could you obtain its minimal implementation?



**(10 Point)** 

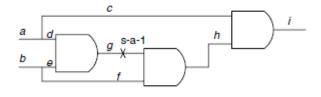
- 6. Using the circuit shown in Figure, compute the set of all vectors that can detect each of the following faults using Boolean difference:
  - i. line *a* s-a-1
  - ii. line **h** s-a-0

- iii. line **h-**s-a-1
- iv. line e -s-a-0
- v. line e -s-a-1
- vi. line c -s-a-0



**(10 Point)** 

- 7. Using the circuit shown in Figure, compute the set of all vectors that can detect each of the following faults using Boolean difference:
  - a. a/1
  - b. d/1
  - c. g/1



**(10 Point)** 

(8) Compute the signature of the SISR (single-input signature register) given in Figure for a faulty free sequence  $M = \{10011011\}$  (fault free). Compute the signature faulty sequence M' = 11111111. Explain why M' is detected or not detected.

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